Estimated Performance of UWB Impulse Radio Transmission Including Dirty RF Effects

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Abstract — For studying the performance of an ultra-wideband (UWB) system, either measurements or simulations can be performed. Simulations for performance predictions are more flexible, but they require an accurate system modeling that takes into account the non-ideal hardware. This paper presents the UWB indoor channel modeling, including relevant, non-ideal hardware components for the UWB impulse radio technique. As a performance measure the estimated bit error rate versus distance and versus signal-to-noise ratio for Time Hopping Pulse Position Modulation (TH-PPM) in a Line of Sight indoor scenario is presented. The influence of the data rate on the bit error rate is investigated as well.

Keywords — UWB, TH-PPM, impulse radio, non-ideal components, frontend modeling, bit error rate

I. INTRODUCTION

According to Shannon’s law, capacity and hence data rate increases linearly with bandwidth, which makes the ultra-wideband (UWB) technology a very promising future candidate for the transmission of ultra high data rates. Up to now, only few UWB systems are commercially available, and ultra-wideband transmission is still a topic of research. An important question is which system performance can be achieved in reality using UWB techniques. For example, the bit error rate (BER) at a given data rate is a topic of interest. Of course, the answer depends on the system architecture and on the hardware components that are always non-ideal in some sense. Whenever a prototype or an existing system is available, it is straightforward to study the performance by measurements. In many cases however, engineers are interested in trade off studies and the performance before or during the development stage of a hardware system, which results in the problem to know the performance. As a consequence, the system has to be modeled carefully, to enable performance simulations.

In this paper, a simulation-based approach, as an extension of [1], is presented for the UWB impulse radio transmission, a technique which does not use a carrier for transmission. Section II describes the system model and the component modeling. Especially the non-ideal characteristics of the components, which are experienced in reality and which lead to so called Dirty RF [2] effects are taken into consideration. The models are either based on measurement data of real components or on simulation methods that are extended to the ultra-wideband case. Section III presents the estimated performance of the non-ideal impulse radio system in terms of the bit error rate. The BER is determined as a function of distance, as well as a function of the signal-to-noise-ratio (SNR). Furthermore, the influence of the pulse repetition frequency (PRF) on the BER is analyzed. Finally, a conclusion is given in section IV.

II. SYSTEM MODEL

Fig. 1 shows the system model for the analyzed impulse radio UWB transmission.

![Fig. 1 System model of non-ideal UWB transmission](image)

The transmitter (Tx) consists of an oscillator that generates the pulse repetition frequency, a modulator which includes time hopping (TH) coding to separate users in a multi user scenario and the transmit antenna which radiates the signal over an indoor channel to the receive antenna. At the receiver (Rx) side the Rx antenna is followed by an UWB low noise amplifier (LNA). To reconstruct the bit sequence, the signal is multiplied by a template signal using the same pulse repetition frequency and the same TH code, and finally, the product is integrated over the bit duration and compared to a threshold for bit decision.

To study the behavior of a carrierless UWB system by a simulation-based approach, the single elements have to be modeled accurately. Taking into account Dirty RF effects means that non-ideal hardware and interference from other
systems/transmitters operating in the considered frequency range have to be regarded as well. Therefore, the above mentioned system components are implemented as non-ideal, including noise. Impacts from other transmitters are modeled by the component “interference”.

In this paper, the following non-ideal components and effects are considered: antennas, multipath indoor UWB channel, noise, interference, and a low noise amplifier at the receiver side. Since antenna characteristics depend on frequency, the antenna model of both antennas, Tx and Rx, respectively, is implemented by the antenna’s complex 3D patterns. These are measured at 1601 frequencies within the frequency range from 2.5 GHz to 12.5 GHz. The model for the indoor propagation channel is based on Ray Tracing. For given Tx and Rx positions, simulations are performed for the same set of frequencies like above. For each frequency, the paths are weighted by the transmitter’s and the receiver’s antenna patterns before they are coherently superposed. The result is the complex transfer function \( S_{21}(f) \), and due to reciprocity \( S_{12}(f) = S_{21}(f) \). For simplification, perfect matching of the antennas is assumed, but necessarily required for the simulation. The receive antenna is modeled like the transmit antenna, but since the receive antenna also captures thermal noise, an Additive White Gaussian Noise (AWGN) is added to the receive path. Since an indoor scenario is considered, the noise temperature of the receive antenna is assumed to have room temperature at 300 K. Narrow band and wideband interference is added. It can represent for example UWB interference, caused by other users in a multi-user UWB scenario. Narrow band interference may for example represent WLAN interference at 5 GHz.

The low noise amplifier is described by the:

- measured frequency dependent \( S \)-parameters
- noise figure
- 1 dB compression point
- saturation power
- third order intercept point at the center frequency

This means that for simplification, the frequency dependence of these measures is neglected and matching is assumed.

III. SYSTEM SIMULATION

For simulation, system components and system parameters are defined: The pulse repetition frequency \( PRF \) is 333 MHz and the number of pulses per bit \( N \) is 2. The bit rate can be determined by Eq. (1):

\[
R = \frac{1 \text{bit}}{N \cdot 1/PRF} = \frac{1 \text{bit}}{N} \cdot PRF
\]  

(1)

For the chosen parameters Eq. (1) results in a bit rate of 166.67 Mbit/s. The chosen pulse shape is the second derivative of a Gaussian mono-pulse with a pulse width of 100 ps. The applied modulation technique is pulse position modulation (PPM). To separate users in a multi-user scenario, a random TH code is implemented. The modulated and coded signal has a Tx power \( P_{Tx} = -16.7 \) dBm within the frequency range from 3.1 GHz to 10.6 GHz which is about 14 dB less compared to the maximal allowed \( P_{Tx_{max}} = -2.52 \) dBm within the FCC mask. For the channel a typical laboratory indoor scenario as shown in Fig. 2 is chosen, with tables, instruments and shelves. While the Tx position is fixed, different Rx positions with different Tx - Rx distance are simulated. Spatial averaging of the signal around a given Rx position is not applied, since fading of the UWB signal is assumed to be neglectable according to the results shown in [4]. The antennas are a mono-cone Tx antenna and a mono-pole Rx antenna. The Rx noise temperature of 300 K results in an additive noise power of \( P_N = -75.2 \) dBm within 3.1 GHz to 10.6 GHz. The UWB interference is added with a constant power spectral density (PSD) versus frequency, representing other active UWB users. Its integral level \( P_{PSD} \) can be swept in order to simulate different signal-to-noise-ratios at a fixed distance. The power level is chosen in steps of 5 dB in the range \(-77.125 \) dBm < \( P_{PSD} < -52.125 \) dBm.

![Fig. 2  Indoor environment together with transmitter and receiver positions](image)

The low noise amplifier (HMC-C022) is modeled with a gain of \( G = 14-15 \) dB within the FCC mask and a noise figure \( NF = 2.5 \) dB at 8 GHz. Fig. 3 shows the simulated bit error rate \( BER \) versus the Tx - Rx distance. Each curve is based on five Rx positions (five distances).

![Fig. 3  Bit error rate versus distance for different levels of interference power for a bit rate of 166.67 Mbit/s](image)
Six different levels of interference power $P_{\text{PSD}}$ are simulated, which leads to six curves. For a fixed distance, the BER degrades with increasing interference power. As the distance increases, the BER gets worse and tends to 0.5. At given distance it also tends to 0.5 for very high interference levels. The results make sense and demonstrate, which bit error rates can be achieved for a bit rate of 166.67 Mbit/s in an indoor Line of Sight scenario taking into account non-ideal components.

The same simulation data is visualized in terms of BER versus SNR in Fig. 4, where the SNR includes the contribution from the interference. For each distance, the interference power is swept, leading to a BER-SNR curve. For the simulations it is assumed that the received power $P_{\text{Rx}}$ at the Rx antenna output represents the signal power. In Fig. 4 all five curves represent the same BER-SNR behavior of the system, which can be approximated by a complementary error function that leads to a BER of 0.5 for very small SNR.

Fig. 4 and 4 represent the system behavior for a bit rate of 166.67 MBit/s ($PRF=333$ MHz, $N=2$). An interesting question is: what happens if the bit rate is varied by varying only the PRF?

For comparison, besides the bit rate of 166.67 Mbit/s, a reduced bit rate of 55.55 Mbit/s is simulated which corresponds to a $PRF$ of 111.11 MHz. The number of pulses $N$ per bits is 2 and not changed. The dependence of the BER on distance for the reduced bit rate of 55.55 Mbit/s can be seen in Fig. 5.

Comparing Fig. 5 and Fig. 3, the following conclusion can be drawn: As the bit rate is reduced, the BER becomes better, but this improvement is only small and can only be seen in the figures for good BER values. This can be explained by the fact that an increase of pulse repetition time leads to less influence of multi path components.

Fig. 6 presents the BER versus SNR for the reduced bit rate of 55.55 Mbit/s. Again, all curves combine almost to one single curve like in Fig. 4, but comparing Fig. 6 and Fig. 4, the following conclusion can be drawn: For a given SNR, the BER resulting from the reduced bit rate is better.

Reference [5] also investigates the impact of the bit rate on the BER, however with a more simplified system model and using three pulses per bit. In [5], the BER of impulse radio transmission becomes better with reduced bit rate at given $E_b/N_0$, since by reducing the bit rate, the bit duration becomes longer so that less bits are influenced by the noise.

Bit error rates of a non-ideal impulse radio system are also investigated and presented in [6] as a function of the $SNR$ and the bit rate. In contrast to the Ray Tracing approach, [6] uses only a two-path channel model, and the pulse shapes, antennas, antenna models (Butterworth filter) and the LNA are different. Instead of TH, Direct Sequence (DS) coding is used. Nevertheless, comparing [6] to the results presented here, it can be seen that the bit error rates are within a similar range, and [6] also concludes that a reduced bit rate leads to
better BER. Additionally to the explanation given above, this can also be explained by the fact that the SNR_{min} for a given BER is a function of the so-called processing gain PG \[(8), (7)\] according to Eq. (2):

\[PG_{db} = 10 \log\left(\frac{1}{PRF \cdot \tau_{pulse}}\right) + 10 \log(N) \tag{2}\]

where \(\tau_{pulse}\) is the width of the pulse. When the PRF is changed from \(PRF_1\) to \(PRF_2\) and \(N\) is fixed, the difference of the processing gains is

\[\Delta PG_{db} = 10 \log\left(\frac{1}{PRF_1 \cdot \tau_{pulse}}\right) - 10 \log\left(\frac{1}{PRF_2 \cdot \tau_{pulse}}\right) \tag{3}\]

Reducing the PRF from 333 MHz (bit rate 166.67 Mbit/s, \(N=2\)) to 111.11 MHz (bit rate 55.55 Mbit/s, \(N=2\)) using a pulse width of \(\tau_{pulse}=100\) ps leads to a theoretical \(\Delta PG_{db}\) of 4.78 dB according to Eq. (3). Comparing the required SNR values in Fig. 4 and 6 to obtain a certain BER, for example a BER of \(10^{-3}\), it can be seen that the difference of both SNR values corresponds to the value of about 5 dB. Fig. 7 summarizes Fig. 4 and 6 for a distance=2.62 m and shows that this SNR shift is always 5 dB and independent of the chosen BER. Fig. 7 also presents the BER-SNR behavior for an increased bit rate of 500 Mbit/s (increased PRF of 1 GHz, \(N=2\)). It shows that the corresponding BER-SNR curve has a kind of saturation behavior due to strong inter symbol interference (ISI), which is caused by the small pulse repetition time and the channel characteristics. The curve does not follow the typical complementary error function any more. As a consequence, Eq. (3) can only be applied for bit rates, which are small enough to avoid these saturation effects.

**Fig. 7** Bit error rate versus signal-to-noise-ratio for three different bit rates

While in this contribution, the PRF is changed to vary the bit rate, [8] varies the number of pulses per bit. In [8], the