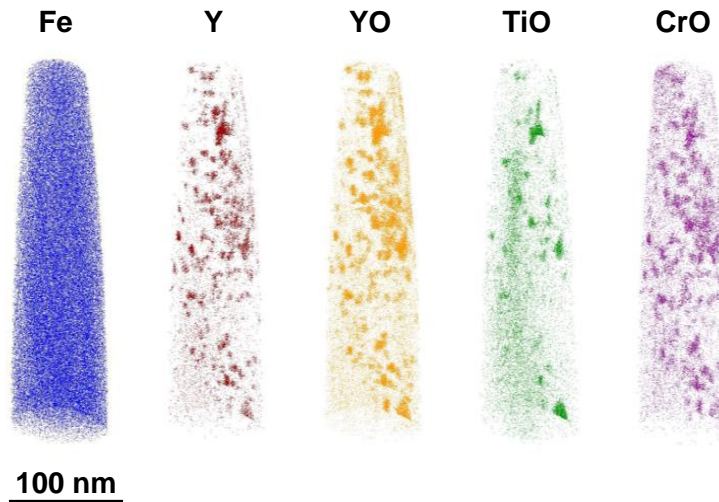
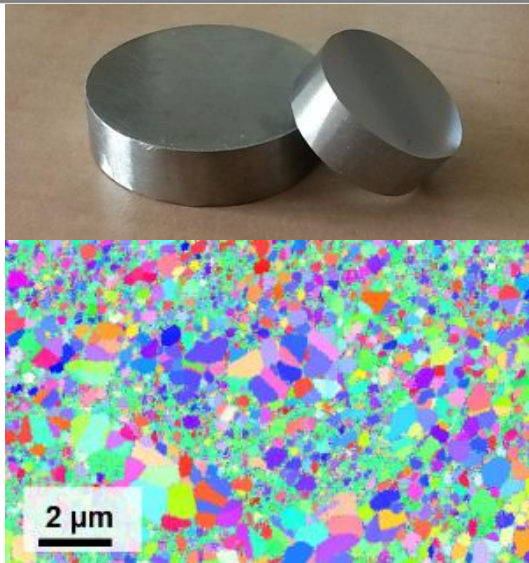


Model-based description of the temperature-dependent strength of ferritic and austenitic ODS steels

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Motivation



Suitable for high temperature applications
Nano-scaled oxide particles → nanoclusters

- Possible advantages of austenitic ODS steels
 - Higher corrosion resistance
 - Higher creep resistance due to crystal structure
- Identification of differences in mechanical properties of ferritic and austenitic ODS steels

Materials

- ODS steels with simple composition to enable comparison

Mechanical alloying

■ Ferritic ODS steel

- Fe-14Cr-0.4Ti-0.25Y₂O₃ (in wt.%)
- Composition similar to 14YWT
- Elemental powders and Y₂O₃ powder
- Milling in an attritor
- Investigated alloys:
 - **Fe14 UM** (unimodal grain size)
 - **Fe14 BM** (bimodal grain size)

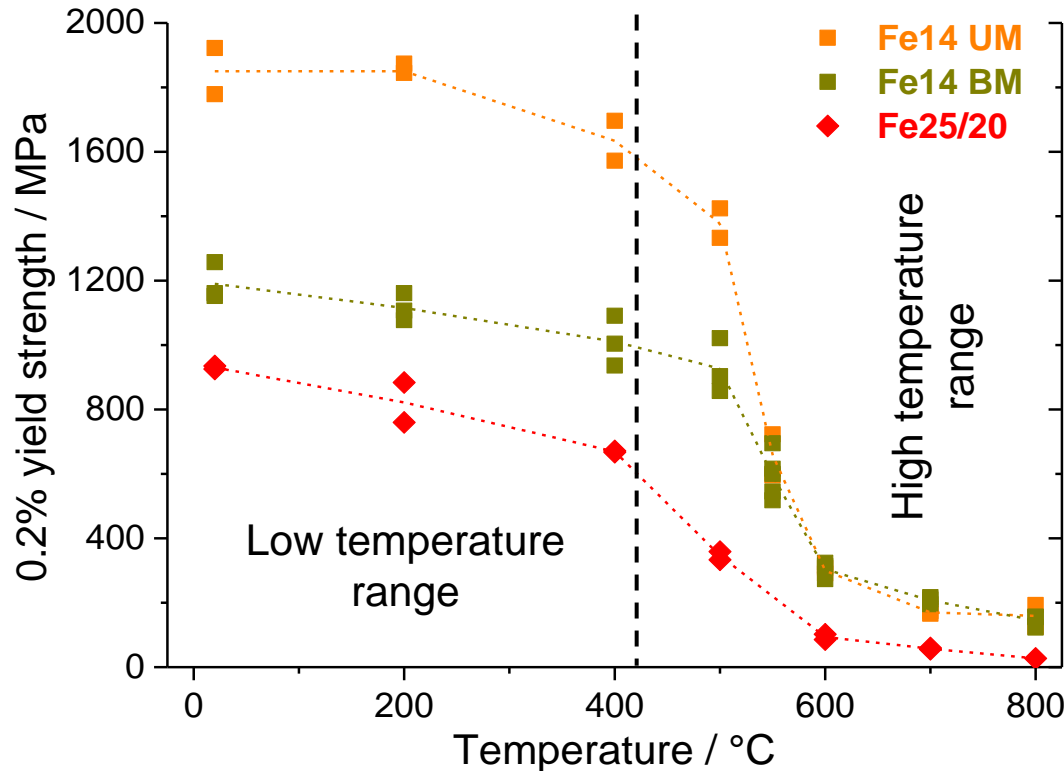
■ Austenitic ODS steel

- Fe-25Cr-20Ni-0.4Ti-0.25Y₂O₃
- Composition similar to the high temperature steel AISI 310
- Elemental powders and Y₂O₃ powder
- Milling in a planetary ball mill
- Investigated alloy:
 - **Fe25/20**

Consolidation

- Field assisted sintering technique (FAST)
- 5 min at 1100 °C and 50 MPa
- Prevents coarsening of grains and nanoclusters

Temperature-dependent strength



- Compression tests
- Temperatures up to 800 °C
- Initial strain rate $\dot{\epsilon} = 10^{-4} \text{ s}^{-1}$
- Ferritic ODS steels have higher strength in the entire temperature range
- Drop of strength above 400 to 500 °C due to creep deformation

- Low temperature range
 - Superposition of strengthening mechanisms
 - Temperature dependency of shear modulus
- Creep models to describe high temperature strength

Calculation of yield strength

$$\sigma_{\text{dis}} = \alpha MGB \sqrt{\rho_{\text{dis}}}$$

Dislocation strengthening

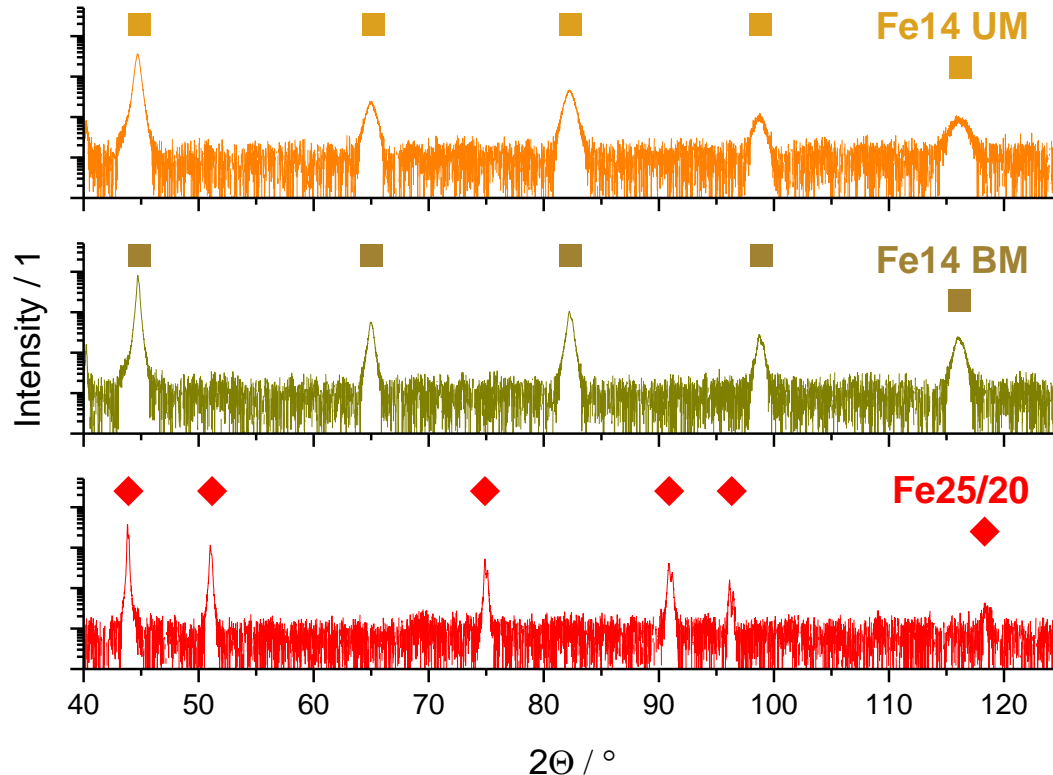
$$\sigma_{\text{HP}} = \frac{k_{\text{HP}}}{\sqrt{d_{\text{g}}}}$$

Hall-Petch strengthening

$$\sigma_{\text{OR}} = \frac{MGB}{d_{\text{p}}} \sqrt{\frac{6f_{\text{p}}}{\pi}}$$

Orowan strengthening

Dislocation density

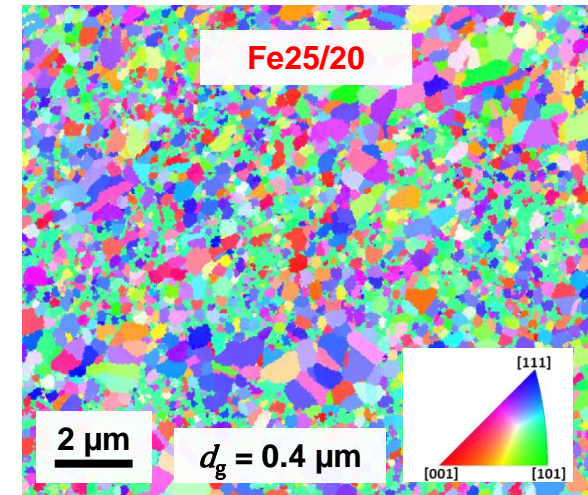
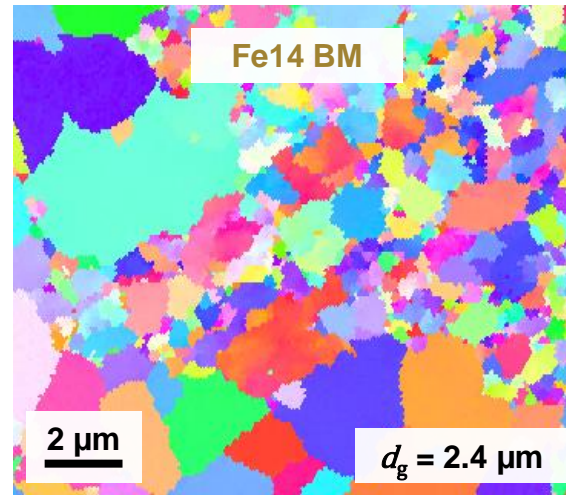
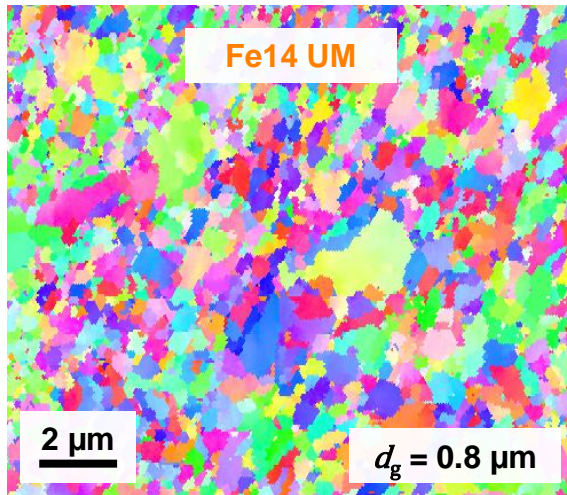


- bcc
- ◆ fcc

- All ODS steels are single-phase after consolidation
- Differences in peak width → Williamson-Hall analysis
- Correction of device specific broadening and elastic anisotropy
- Dislocation density is $\sim 10^{15} \text{ m}^{-2}$ in ferritic ODS steels and $\sim 10^{13} \text{ m}^{-2}$ in **Fe25/20**

Strong recovery and/or recrystallization expected during consolidation of austenitic ODS steels

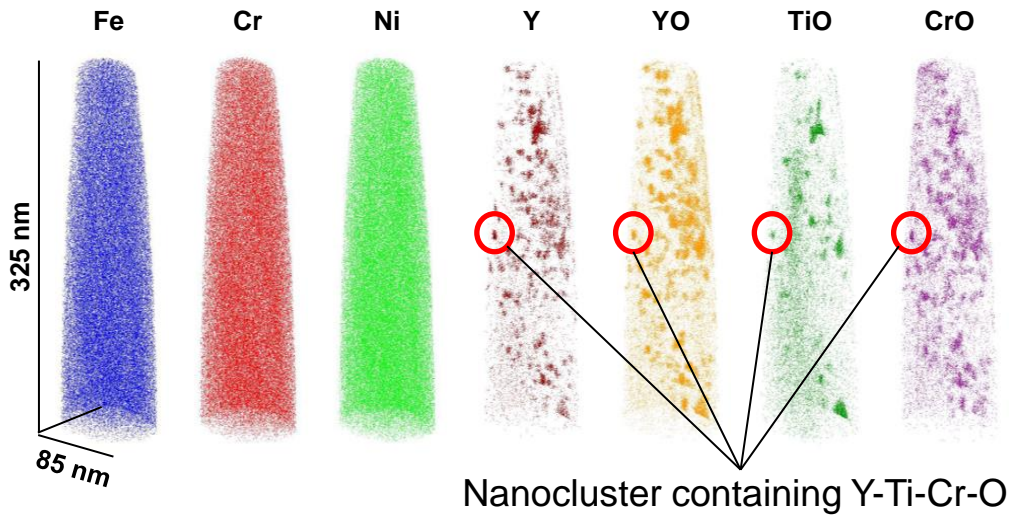
Grain size



- Area normalized grain sizes analyzed by EBSD
- Austenitic ODS steel **Fe25/20** has smallest grain size
- **Fe14 BM** shows bimodal grain size distribution

Analysis of nanoclusters

3D reconstruction of a **Fe25/20** tip



- Analysis with atom probe tomography
- Nanocluster size is between 3 and 5 nm
- Volume fraction of particles is 0.06 to 0.08 vol.%
- Broad size distribution
- Inhomogeneous distribution of particles in the atom probe tips

Calculation of yield strength

$$\sigma_{\text{dis}} = \alpha MGB \sqrt{\rho_{\text{dis}}}$$

$$\sigma_{\text{HP}} = \frac{k_{\text{HP}}}{\sqrt{d_g}}$$

$$\sigma_{\text{OR}} = \frac{MGB}{d_p} \sqrt{\frac{6f_p}{\pi}}$$

Dislocation strengthening

Hall-Petch strengthening

Orowan strengthening

- Additional contributions from Peierls stress and solid solution strengthening
- Superposition depends on strength and density of obstacles [1]

Lower limit → strong interaction of strengthening mechanisms

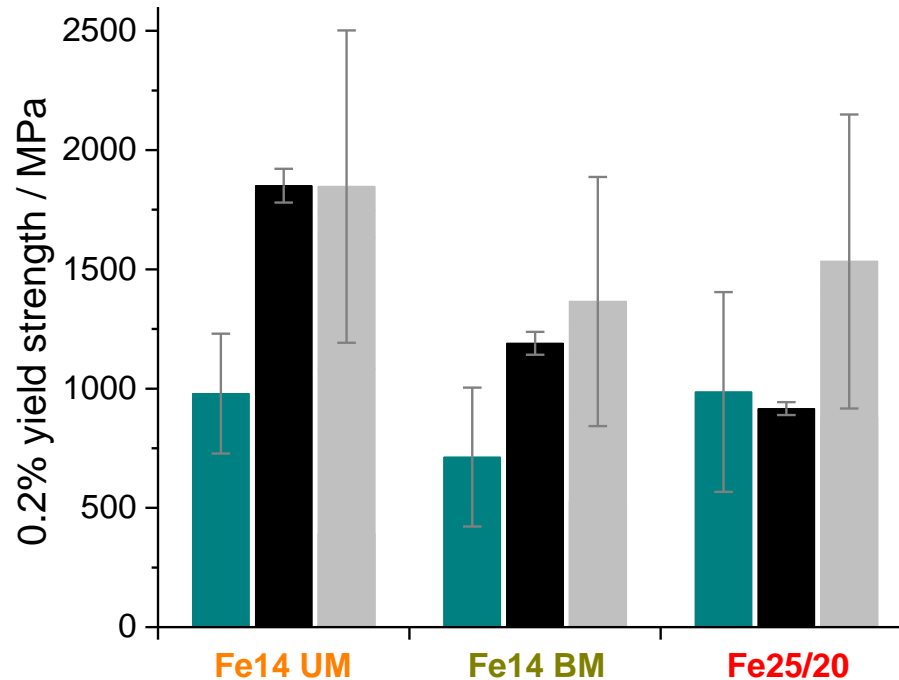
$$\sqrt{\sum_i \sigma_i^2} \leq \sigma_{p0.2} \leq \sum_i \sigma_i$$




Upper limit → no interaction of strengthening mechanisms

- Furthermore, a discussion of uncertainties is necessary
- Uncertainties from literature data for constants and from experimentally determined parameters
- Orowan mechanism for smallest nanoclusters?

[1] Kocks et al., Progress in Materials Science (1975) 19

Calculation of yield strength



 $\sigma_{p0.2} = \sqrt{\sum_i \sigma_i^2}$
 Experimental
 $\sigma_{p0.2} = \sum_i \sigma_i$

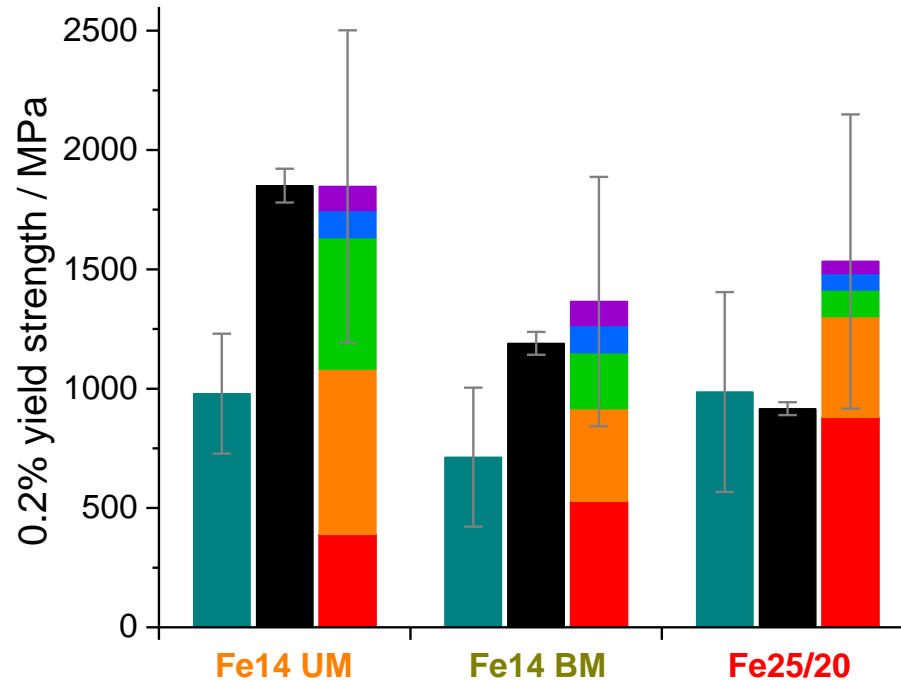
- Green and grey columns visualize the minimum and maximum calculated strength, respectively

Linear superposition overestimates the experimentally determined strength

- Error bars symbolize uncertainties resulting from experimentally determined microstructural parameters

A range for the expected strength of an ODS steel can be calculated with the knowledge of microstructural parameters

Most important strengthening mechanisms



- Most important strengthening mechanisms in ODS steels are
 - Orowan strengthening
 - Hall-Petch strengthening
 - Dislocation strengthening (in ferritic ODS steels)

- Lower strength of austenitic ODS steels
 - Lower dislocation density due to recovery and/or recrystallization during consolidation
 - Lower Hall-Petch constant [1]: 0.3 vs. 0.6 MPa·m^{1/2}

$$\sigma_{p0.2} = \sqrt{\sum_i \sigma_i^2}$$

■ Experimental

$$\sigma_{p0.2} = \sum_i \sigma_i$$

■ Peierls stress
 ■ Solid solution
 ■ Dislocations
 ■ Hall-Petch
 ■ Orowan

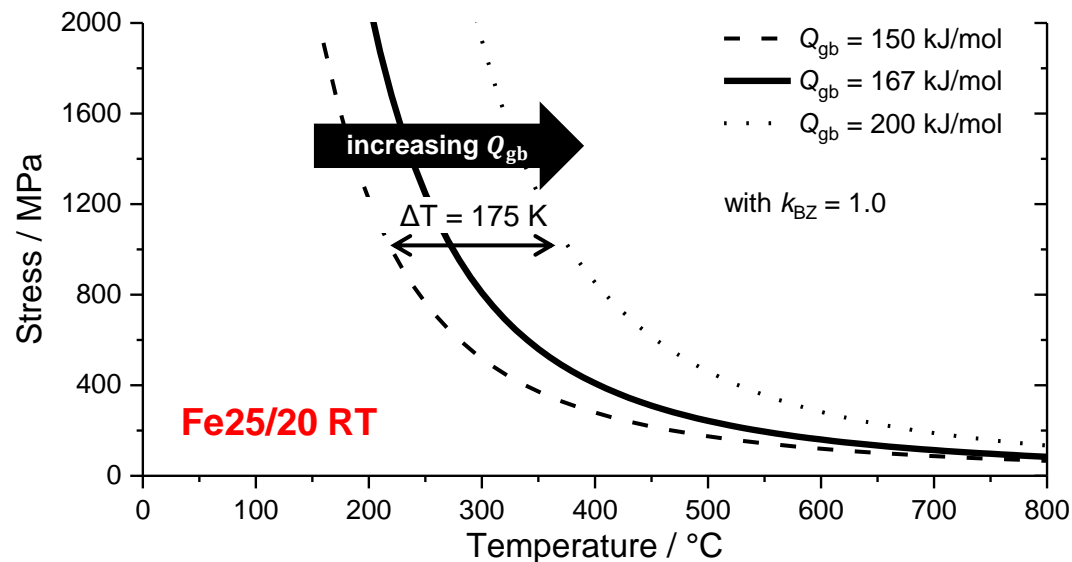
[1] Kashyap et al., Acta Materialia 50 (2002) 9

Strength at high temperatures

- Dislocation-based creep following Blum and Zeng [1]
- Annihilation and formation of dislocations at grain boundaries

$$\sigma_{BZ} = k_{BZ} \cdot G \left(\frac{\pi(1-\nu)M^9}{1.2^4} \right)^{\frac{1}{8}} \cdot \left(\frac{k_B T}{G \delta_{gb} D_{gb0}} \cdot \dot{\epsilon} \right)^{\frac{1}{8}} \cdot \exp\left(\frac{Q_{gb}}{8RT}\right) \cdot \left(\frac{d_g}{b}\right)^{-\frac{1}{2}}$$

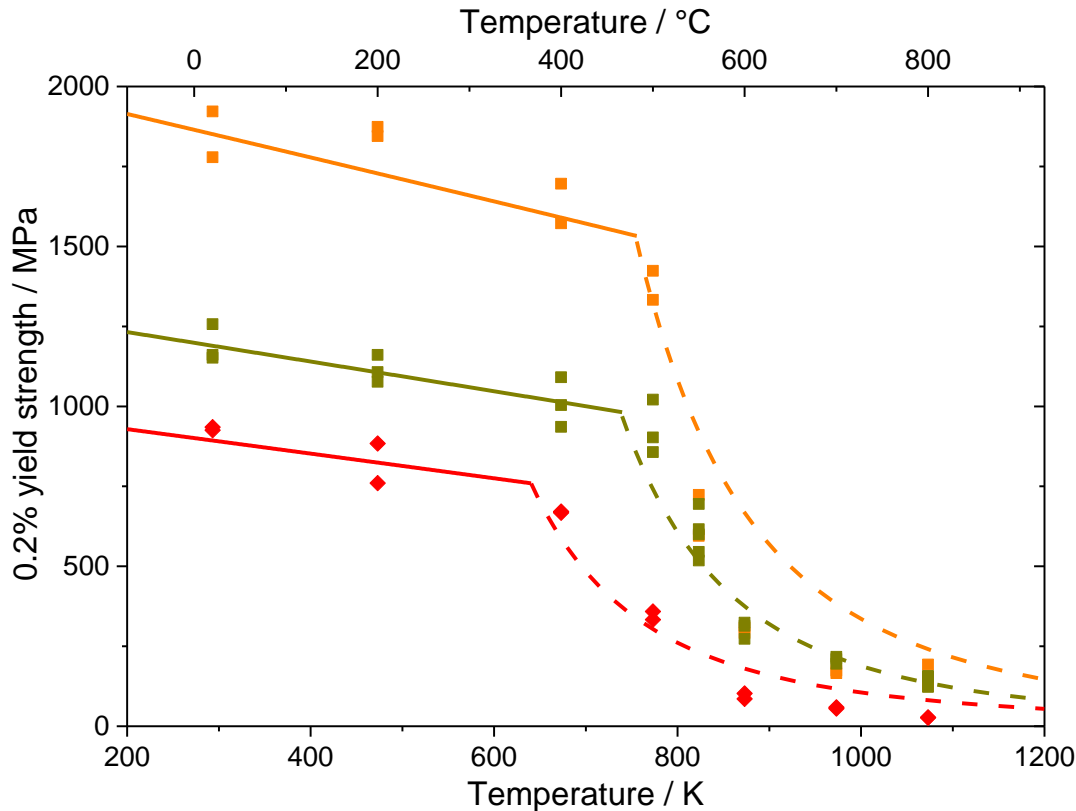
- Influence of Q_{gb}



- D_{gb0} has a similar influence
- Q_{gb} can be used for a least square fit of the curve to experimental data
- k_{BZ} is used in a second step

[1] Blum and Zeng, Acta Materialia, 59 (2011) 15, 6205-6206

Model-based description of the yield strength



- Low temperature range
 - Linear superposition of strengthening contributions
 - Fitting to experimental data by a linear scaling factor

- High temperature range
 - Fitting to experimental data by varying the activation energy Q_{gb} and k_{BZ}
 - Obtained values are in a reasonable range for ODS steels

B&Z model can be used to describe the strength at high temperatures
 Dislocation-based creep can be assumed

Conclusions

- Austenitic ODS steel shows lower strength due to lower contributions from dislocation strengthening and Hall-Petch strengthening
- In the low temperature range, yield strength can be described by the superposition of strengthening mechanisms
- Experimental uncertainties and unknown interaction of strengthening mechanisms has to be taken into account
- In the high temperature range the drop in yield strength can be described dislocation-based creep following the Blum & Zeng model
- The activation energy Q_{gb} and the constant k_{BZ} are used to fit the calculation to experimental data

Thank you for your attention!

