

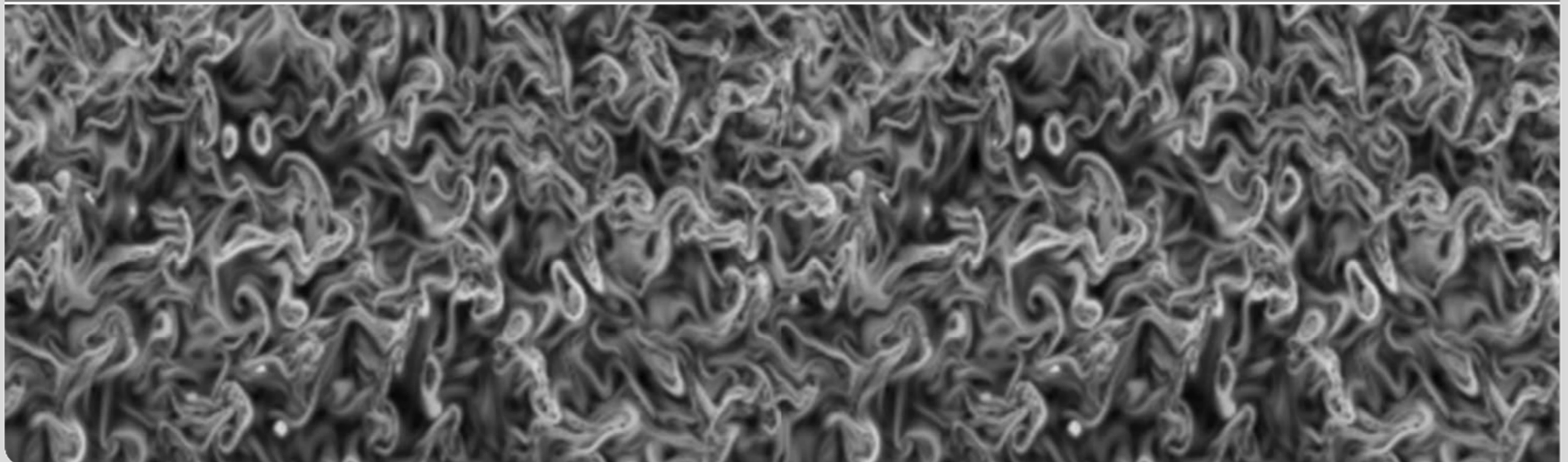
Inner-outer layer interaction in drag-reduced turbulent channels

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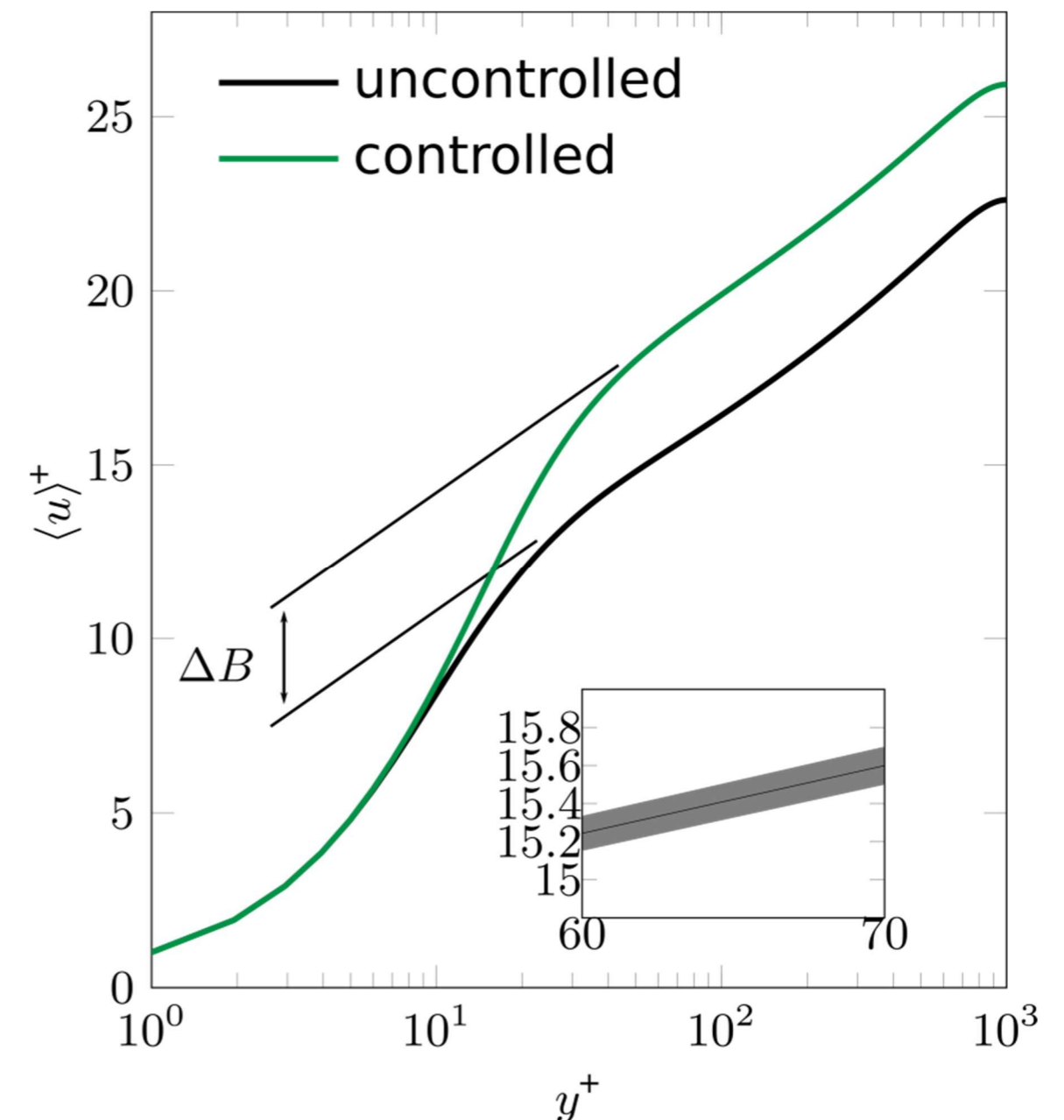


Background

active wall-based turbulent skin-friction drag reduction:
 is it possible at large values of Re ?

YES sizeable amount of drag reduction can be achieved at high Re
 (Gatti & Quadrio, JFM 2016)

$$\Delta B = \sqrt{\frac{2}{C_{f,0}}} [(1 - R)^{0.5} - 1] - \frac{1}{2\kappa} \ln(1 - R)$$



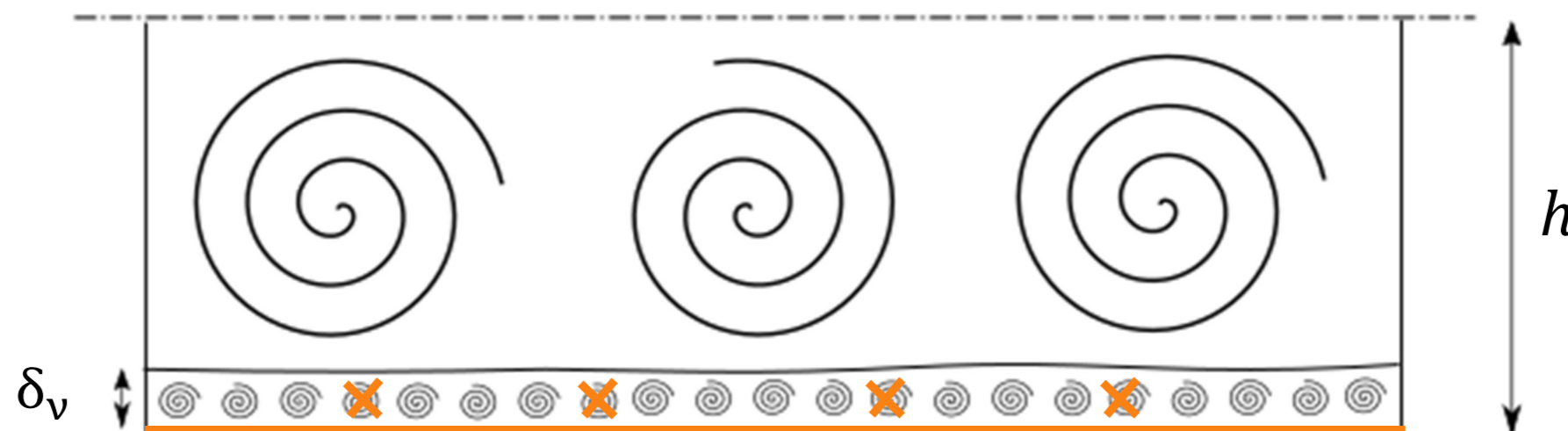
Background

active wall-based turbulent skin-friction drag reduction:
 is it possible at large values of Re ?

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 (Gatti & Quadrio, JFM 2016)

NO turbulent large-scale structures

- carry large amount of Reynolds shear stress
- can not be affected by wall-based control



Goal

turbulent drag reduction as mean to assess

How do large scale structures interact
with the near-wall turbulence?

today's actual goal

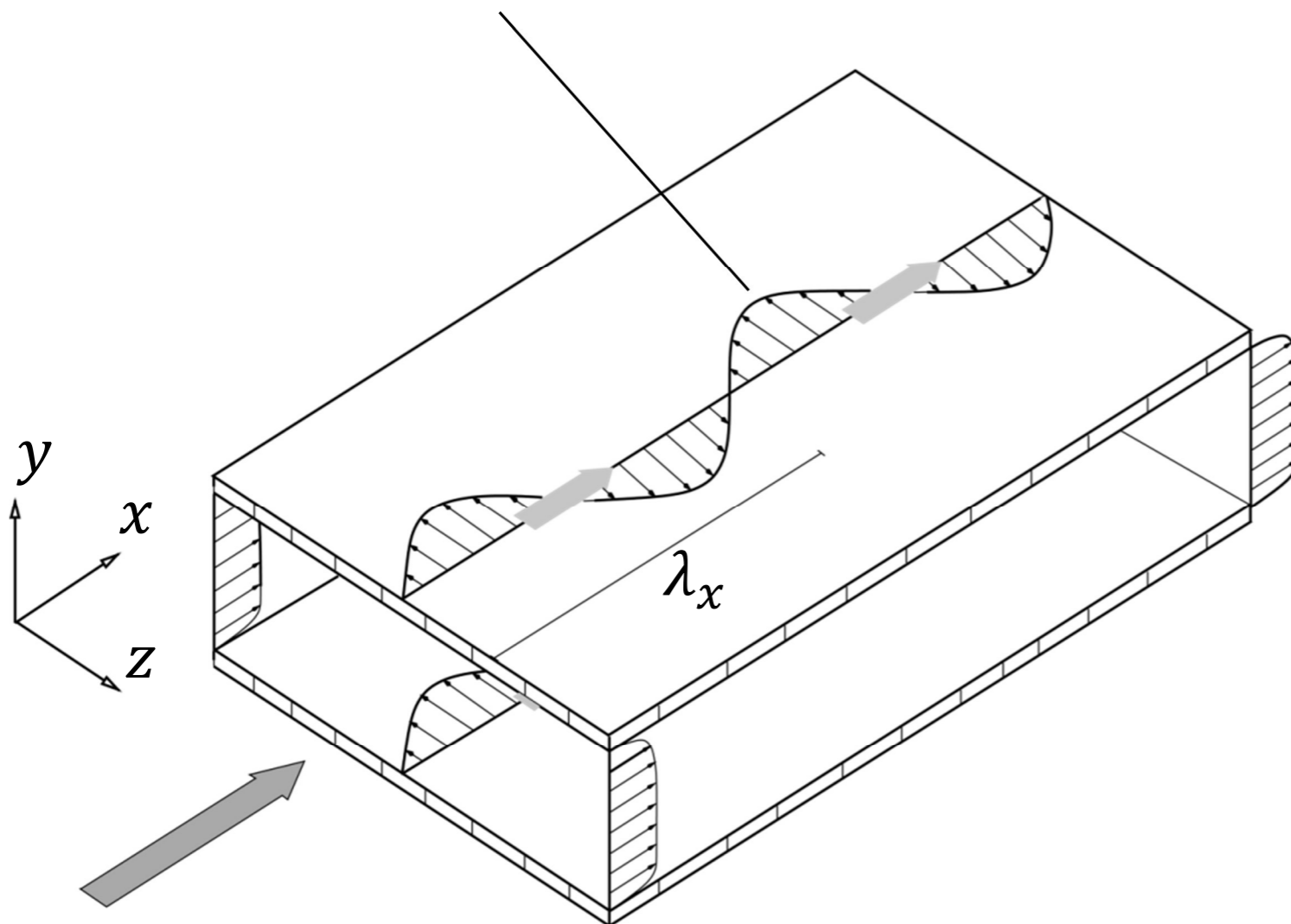
Is a particular realization of large-scale structures
affected by wall-based flow control?

in particular: is the near-wall “footprint”
affected by the control?

Model control strategy

Streamwise-travelling wave of spanwise wall velocity

$$w_w = A \sin(\omega t - \kappa_x x)$$

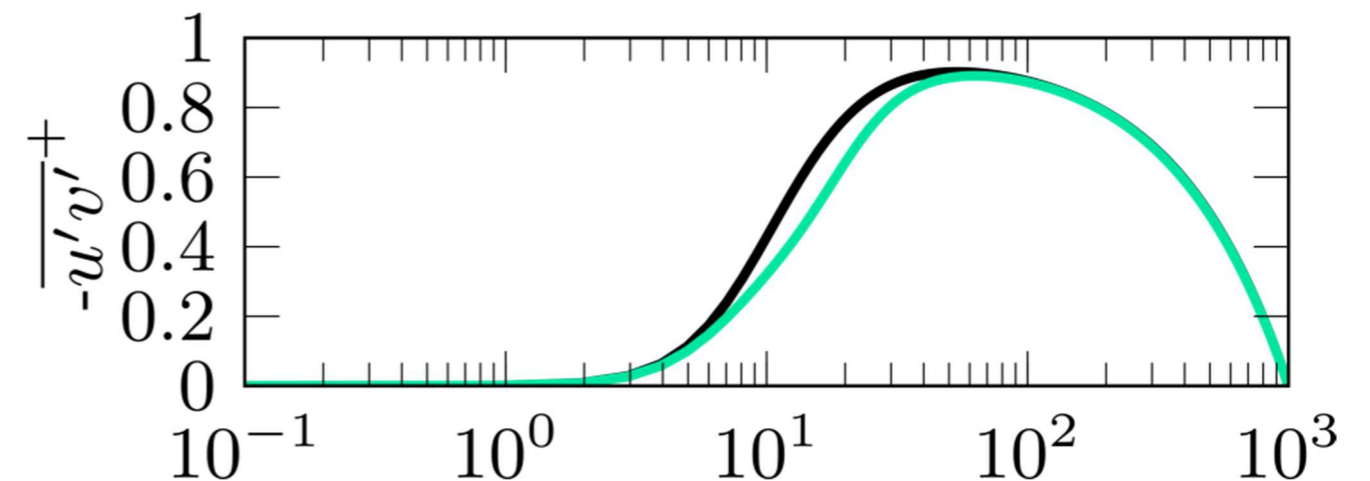


Constant Pressure Gradient

$$Re_\tau = 1000$$

$$\frac{U_b}{U_{b,ref}} = 1.17$$

$$R = 1 - \frac{C_f}{C_{f,ref}} = 26.4\% \pm 0.6\%$$



Quadrio, Ricco & Viotti, JFM 2009

Large scales?

Today's definition:

long meandering streamwise velocity fluctuations,
very long compared to the underlying small-scale fluctuations,
as observed in wall-parallel planes.

adapted from Hutchins & Marusic, JFM, 2007

- not Galilean invariant, thus...
- Reynolds decomposition to be used with care
in structural analysis

Kwon, Hutchins, Monty, JFM, 2016

Eduction strategy:

two-dimensional Huang-Hilbert Empirical Mode Decomposition

Huang et al., Proc. R. Soc. A, 1998

Agostini & Leschziner, PoF, 2014

- no filter lengthscales to be defined a priori
- “structures” do not necessarily have compact support
in Fourier space

Empirical Mode Decomposition

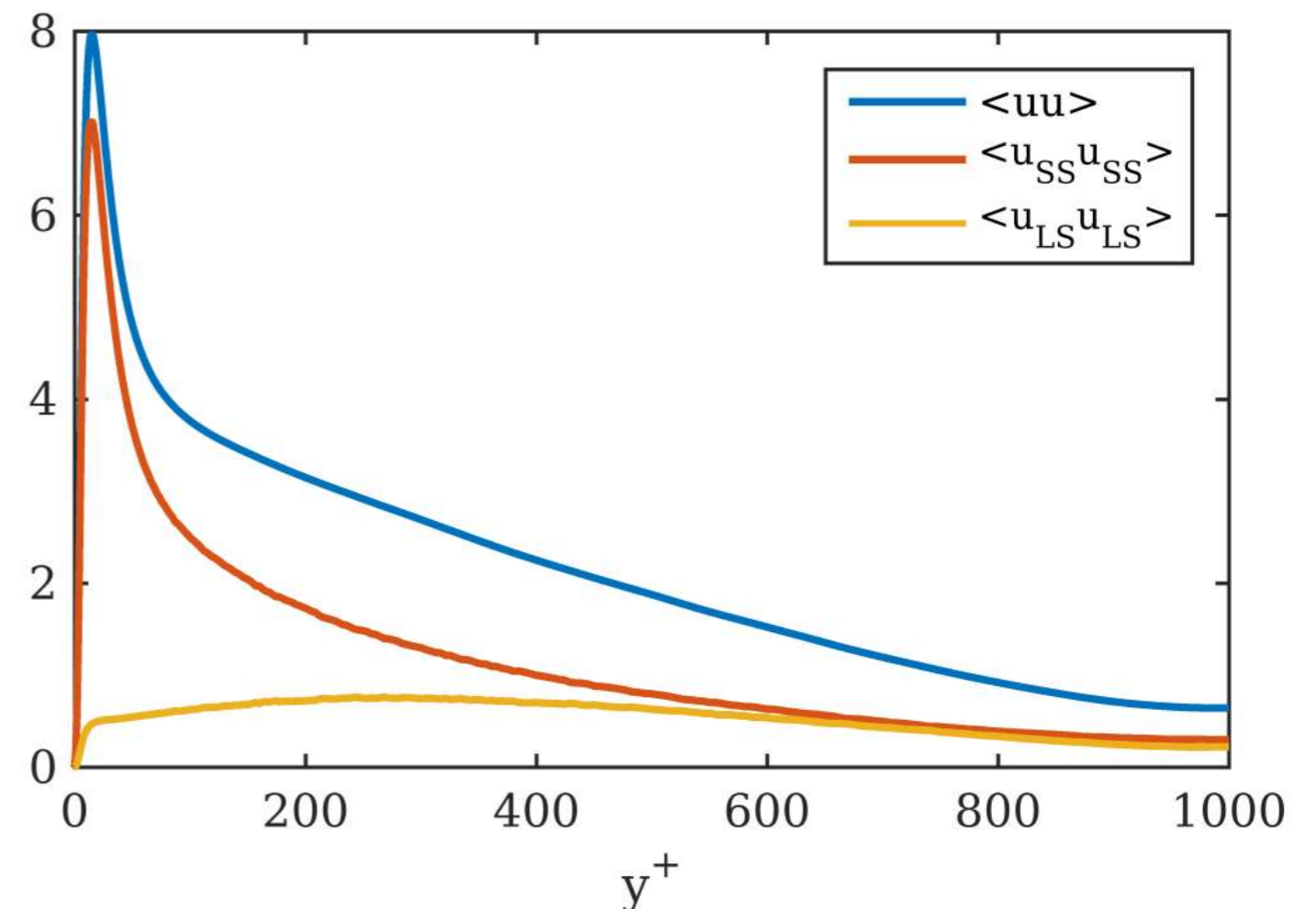
$$u(x, z) = \sum_{i=1}^n IMF_i + res_n$$

$$u(x, z) = u_{SS} + u_{LS}$$

$$u_{LS} = \langle u \rangle + u'_{LS}$$

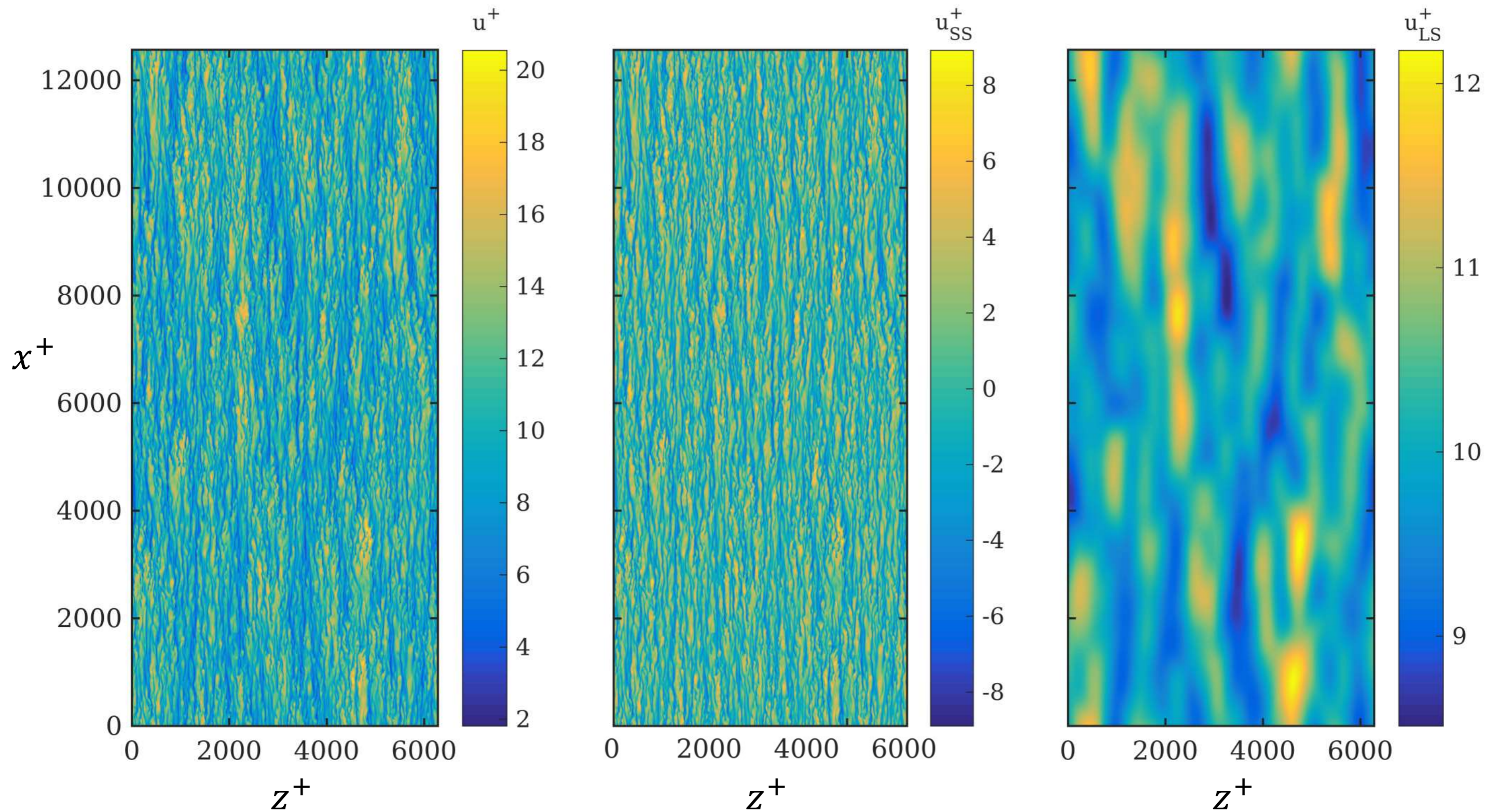
IMF_i are Intrinsic Mode Functions

- $\overline{IMF_i} = 0$
- function shape not known a priori

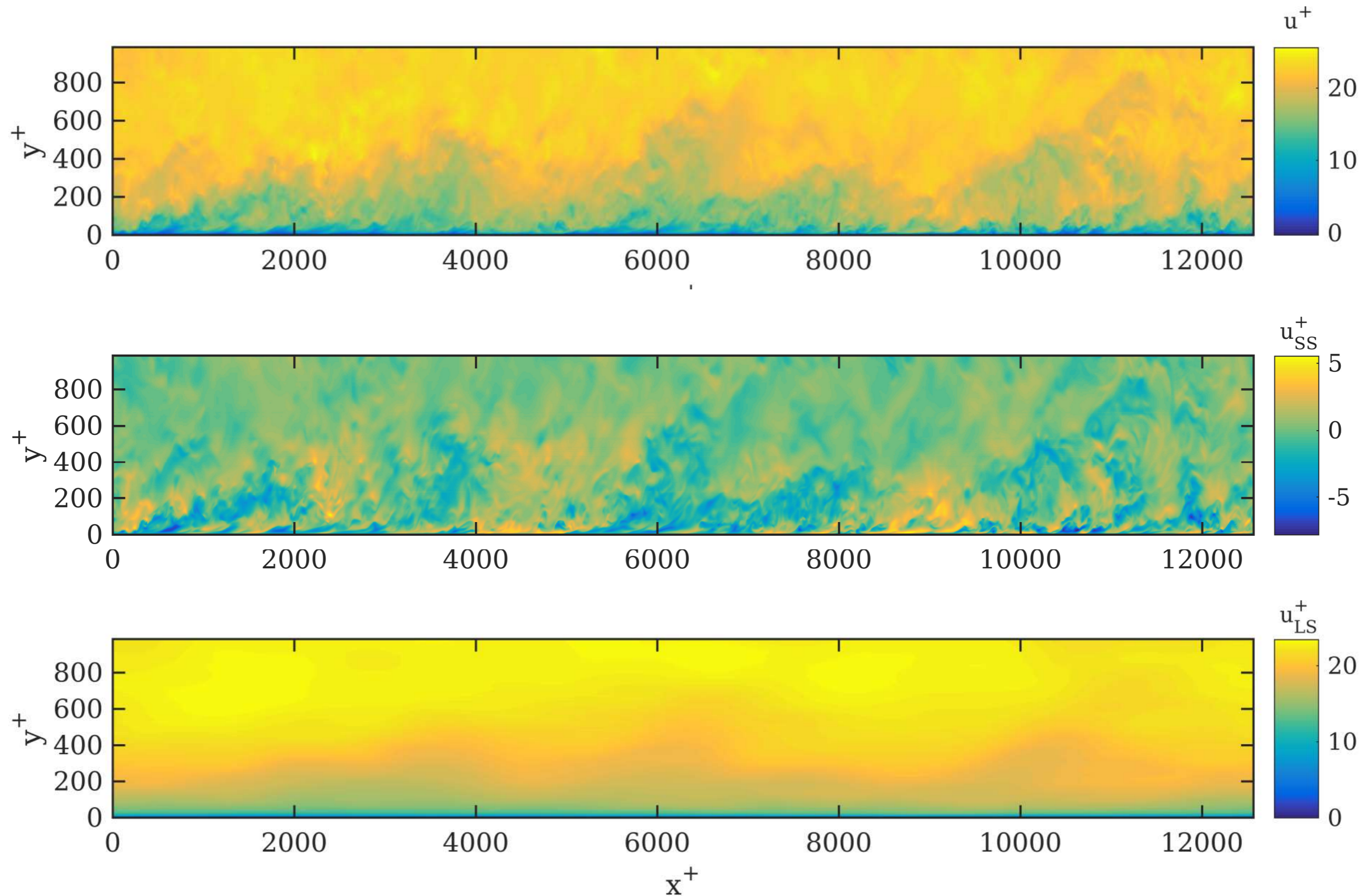


Eduction results (1)

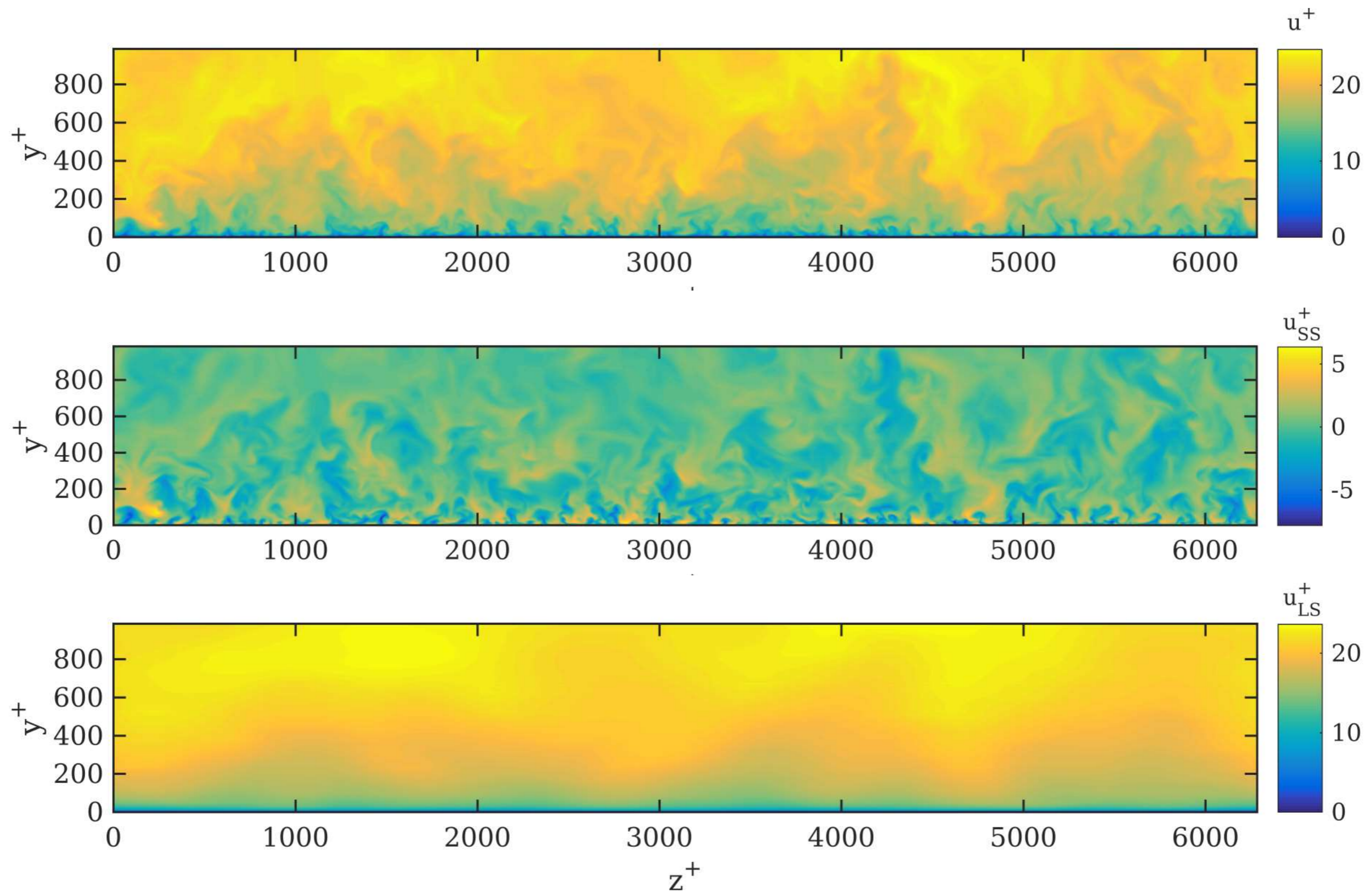
streamwise-velocity at $y^+ = 15$ (wall-parallel planes)



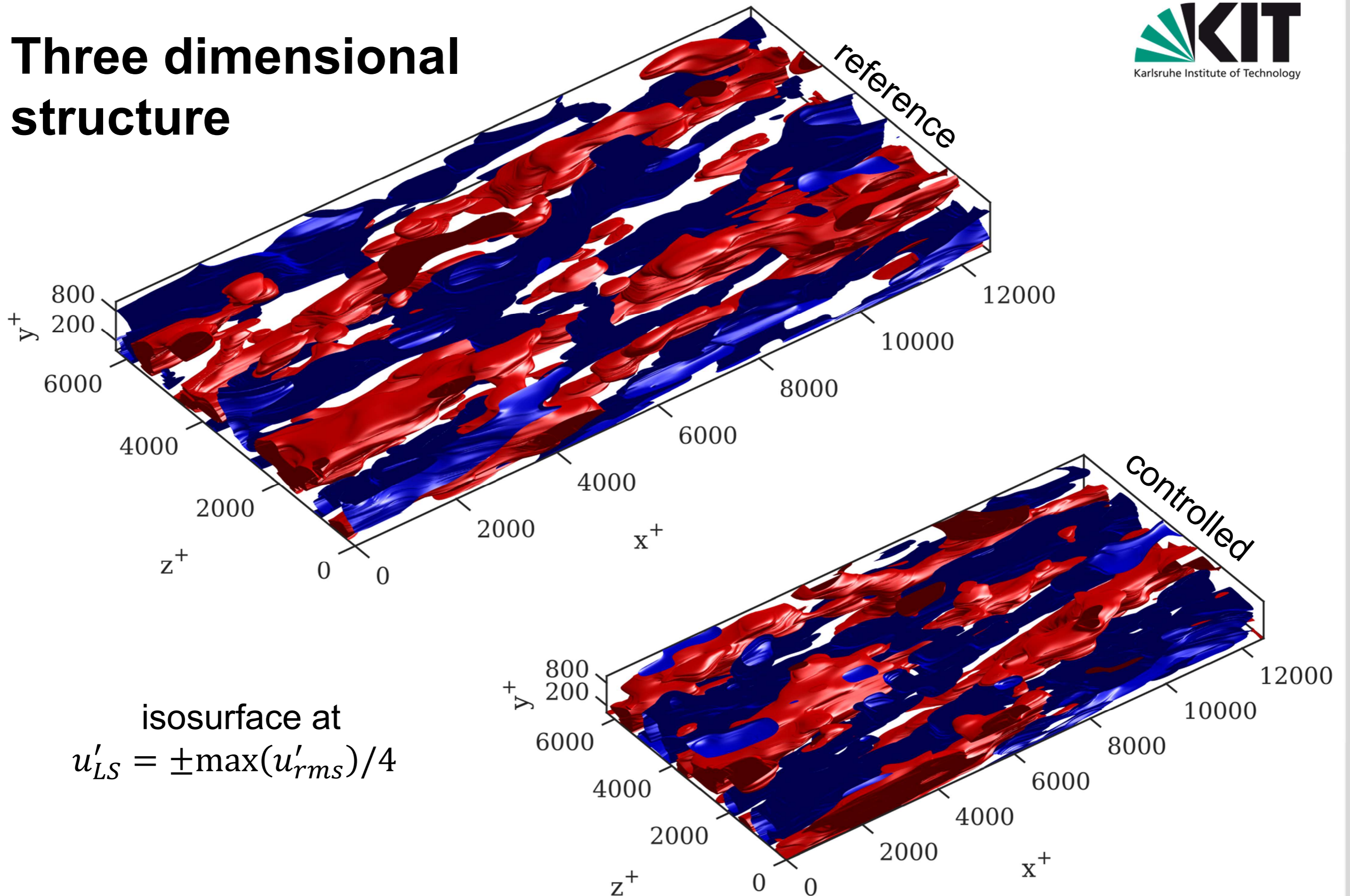
Eduction results (2)



Eduction results (3)

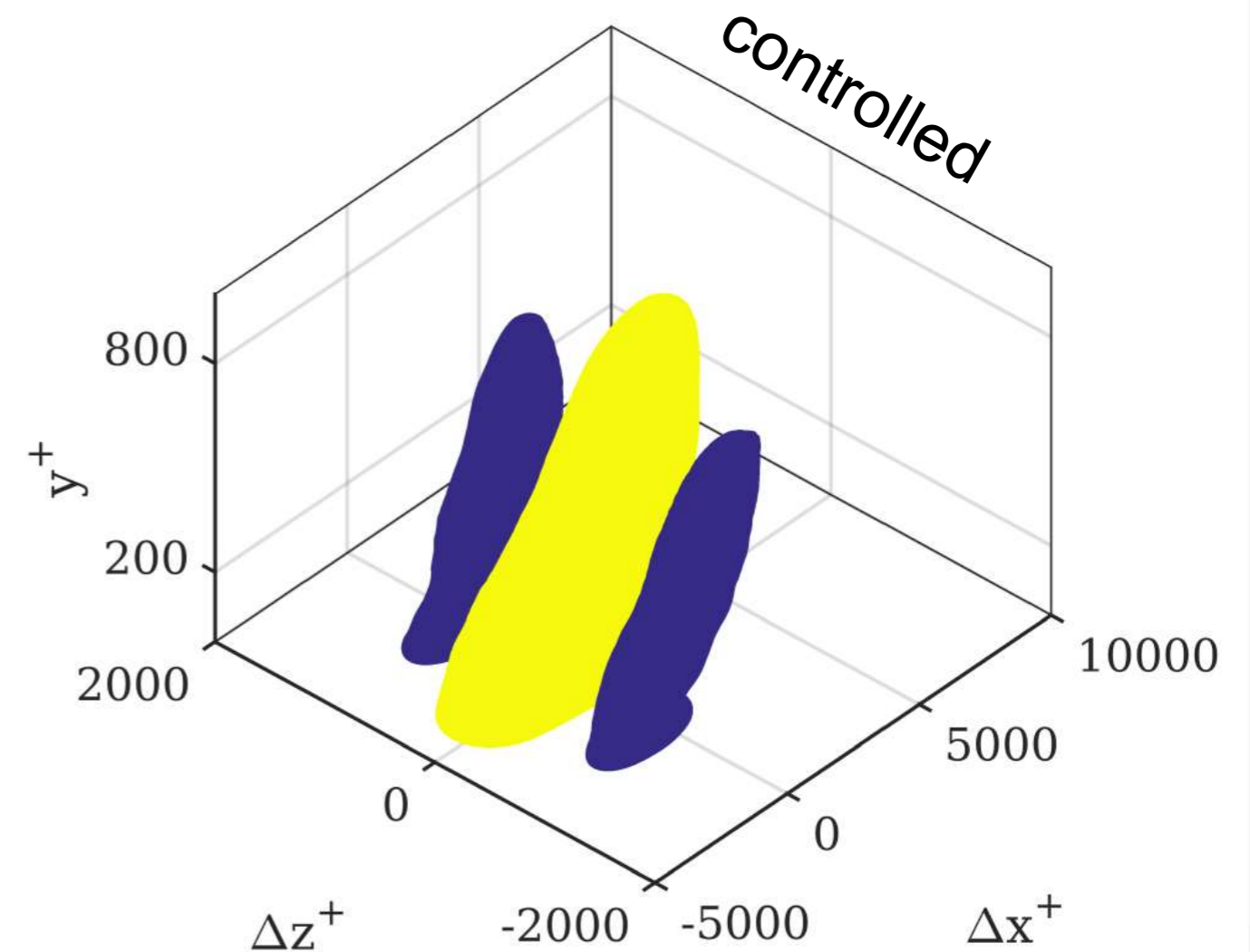
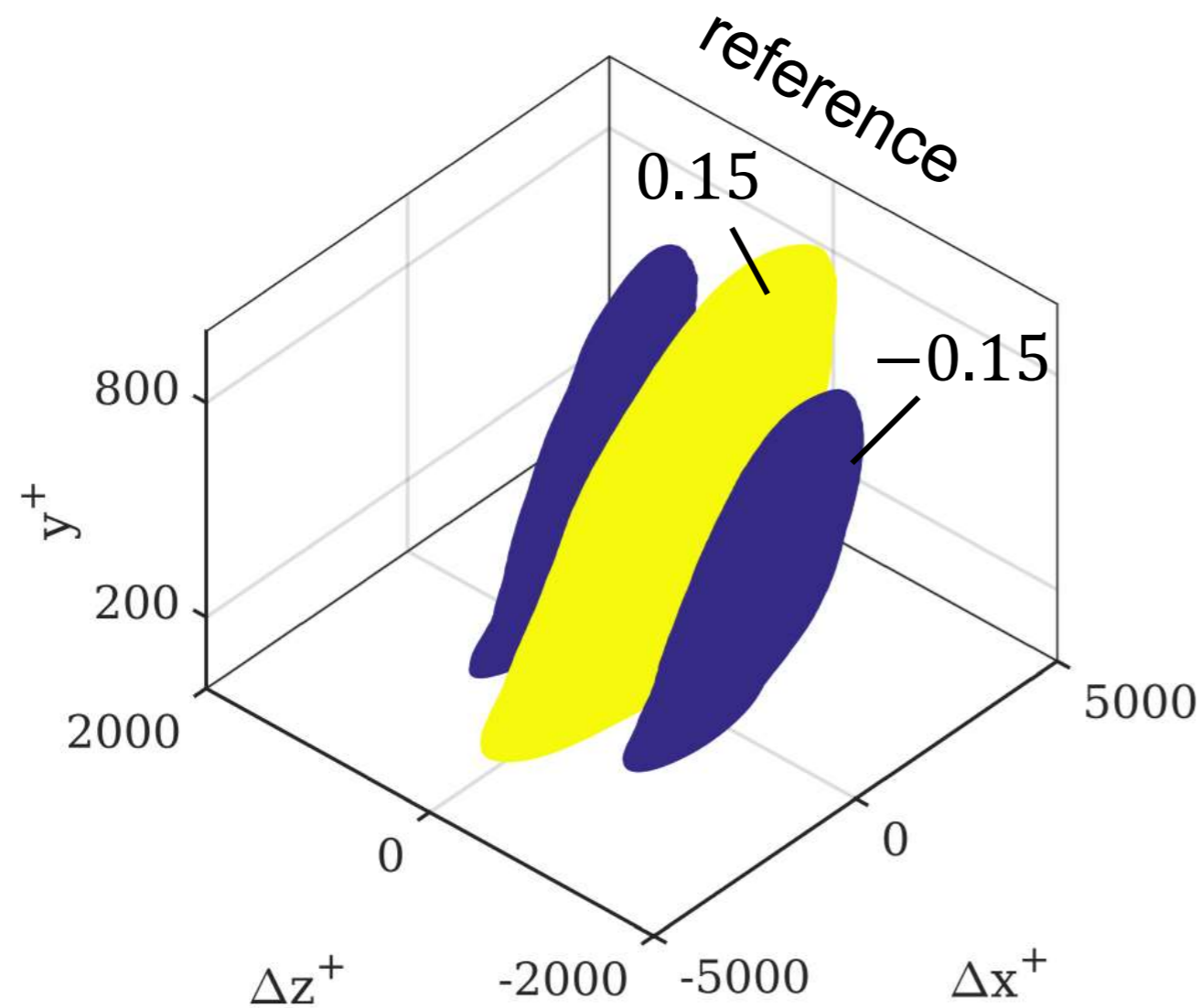


Three dimensional structure



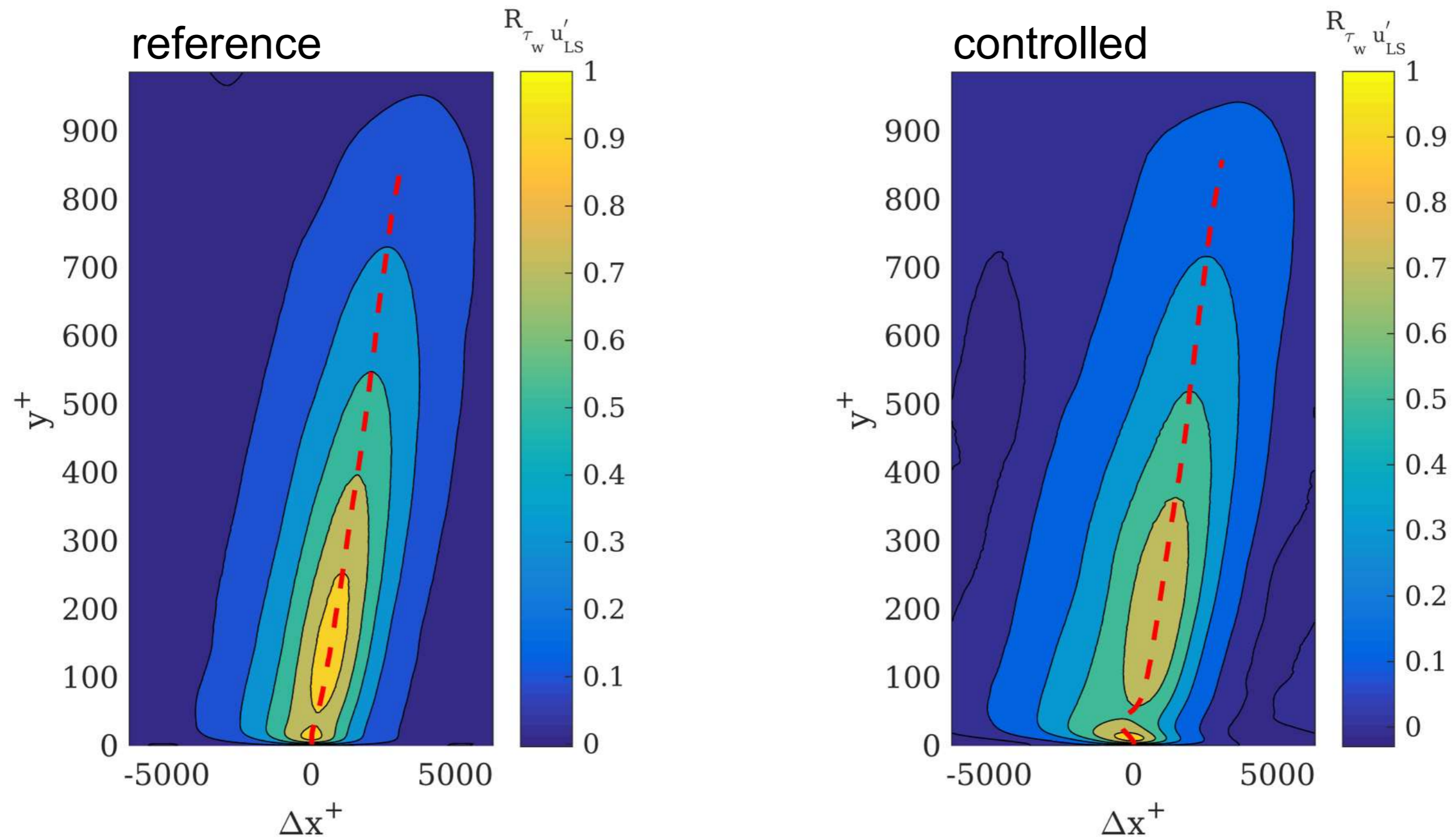
Footprint onto skin-friction

correlation between τ_{LS} and u'_{LS} at different channel heights



Footprint onto skin-friction

correlation between τ_{LS} and u'_{LS} at different channel heights



Conclusions

- Two dimensional Empirical Mode Decomposition
 - arbitrary yet useful method to separate large scales
 - can be applied to three-dimensional flow data
- Three dimensional topology of large scales
 - long regions of positive and negative fluctuations
 - alternates in the spanwise direction with spacing $\lambda_z \approx 1000$
- Wall-based drag reduction and large-scale structures
 - the correlation between large scale streamwise velocity and wall shear fluctuations is modified beyond the buffer layer

- Streamwise velocity fluctuation are one (not Galilean invariant) symptom of large scale structures. Other exists:
 - connected regions of $-uv$, vortex packets
- Give the structure a dynamics
 - spatio-temporal correlation
 - track temporal evolution of large scales
- Deepen the description of the present qualitative observation
 - what causes the two-point correlation to change?

THANKS
for your kind attention!

for questions, complaints, ideas:
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Eduction results (3)

