

# Dislocation-based Serrated Plastic Flow of High Entropy Alloys at Cryogenic Temperatures

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## Abstract

1 Serrated plastic deformation at temperatures close to 0 K has been previously reported in some metals  
2 and alloys, and is associated with two possible origins: (i) thermomechanical instability or  
3 (ii) mechanical instability. While some recent results indicate that serrations are a mechanical  
4 dislocation-based phenomenon, a comprehensive model does not exist. CoCrFeMnNi, an expectedly  
5 ideal candidate, exhibits severe serrated plastic deformation with large stress drops in excess of  
6 100 MPa. Furthermore, it also shows cryogenic serrated plastic deformation at a higher temperature  
7 (35 K) than previously reported for any other alloy. The exacerbated nature of serrated plastic  
8 deformation in CoCrFeMnNi led to the following inferences: (i) temperature and dislocation density are  
9 indisputable controlling parameters for cryogenic serrated plastic deformation and they cannot  
10 supersede each another; (ii) a phenomenological model is elucidated based on the increasing difficulty  
11 for cross-slip with decreasing temperature, leading to sudden massive dislocation proliferation event;  
12 (iii) the model establishes a gradual transition from completely non-serrated to completely serrated  
13 deformation, mediated by cross-slip, as opposed to the conventional model which proposed a discrete  
14 transition; (iv) solute dislocation interaction and associated Stacking Fault Energy (SFE) during  
15 deformation plays a key role in controlling dislocation constriction and cross-slip and correspondingly  
16 serrated plastic deformation; (v) the need/direct influence of deformation twinning, transformation  
17 induced plasticity and especially thermomechanical factors on serrated plastic deformation is  
18 invalidated. Some of these points were further clarified through comparisons with CoCrNi and CoNi,  
19 also presented in the present article.

## Keywords

alloy; deformation; high-entropy alloys; serrations; cryogenic temperatures; Lomer-Cottrell lock; cross-slip

## 1. Introduction

20 High Entropy Alloys (HEA) are a category of alloys comprising multiple principle elements that form  
21 concentrated solid solutions [1, 2, 3]. These alloys have been a point of intense focus over the course of  
22 the last decade [4, 5, 6, 7, 8]. Among various HEAs, CoCrFeMnNi, also known as the Cantor alloy [9],  
23 has served as a model face centered cubic (FCC) alloy [10, 11, 12, 13, 14]. This alloy is known to exhibit  
24 interesting mechanical behavior at cryogenic temperatures, including strong work-hardening with  
25 decreasing temperature [15], activation of deformation twinning at cryogenic temperatures [10] and  
26 intense serrated plastic deformation at very low temperatures [16, 17]. The current article focusses on  
27 the last of these issues.

28 Serrated plastic deformation at cryogenic temperatures close to 0 K (4 – 35 K) has been reported for  
29 different metals and alloys [18, 19, 20, 21, 22]. An example for this is given in Fig. 1. The phenomenon  
30 has been attributed to one of two possible effects: (i) a thermomechanical effect or (ii) a mechanical  
31 effect. The first one is based on localized thermal softening. Essentially, at cryogenic temperatures,  
32 macroscopic deformation of a specimen is not continuous and takes place through a series of local  
33 deformation steps. The local deformation releases heat. The amount of heat released is manifested  
34 locally as a temperature spike. The temperature spike is significant due the very low heat capacity ( $c_p$ )  
35 and thermal conductivity ( $\lambda$ ) seen in metallic materials close to 0 K [23]. Low  $c_p$  makes the temperature  
36 spike high and low  $\lambda$  keeps the spike local, thus causing local thermal softening. This is manifested as a  
37 serration or a drop in the stress. Alternatively, the second mentioned effect is that dislocations pile up at  
38 barriers which break down at critical stresses resulting in avalanche slip.

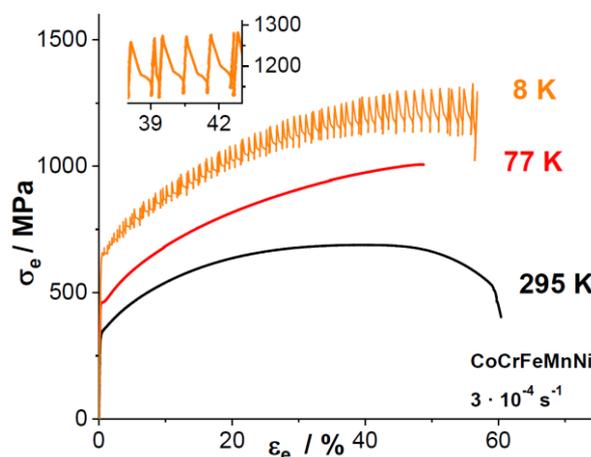


Figure 1: Engineering stress-strain ( $\sigma_e - \varepsilon_e$ ) diagram showing results of tensile tests conducted on CoCrFeMnNi at 295 K, 77 K and 8 K. The initial engineering strain rate was  $\dot{\varepsilon}_e \sim 3 \cdot 10^{-4} \text{ s}^{-1}$ . A

detailed discussion of deformation behavior and microstructural evolution can be found in Refs. [15, 16].

39 Avalanche phenomenon, as reported in literature, refer to power-law breakdown events [24]. The model  
40 is not only applicable for crystal plasticity but also to natural events such as earthquakes [25]. However,  
41 avalanche slip as referred to in the context of cryogenic serrated plastic flow refers to the sudden  
42 proliferation and associated movement of a large number of dislocations. In the current context this is  
43 associated with the activation of dislocation sources as a result of stress fields from dislocation pile-ups  
44 at barriers. Considering that avalanche events are associated with power-law phenomena, this event will  
45 instead be referred to as a dislocation proliferation event throughout the article. It is used in the same  
46 context as ‘avalanche slip’ in previous publications on the topic. The first version of the mechanical  
47 model was proposed by Seeger [26]. According to this model, screw dislocations leave trails of  
48 interstitials or (mainly) vacancies behind after having intersected forest dislocations in contrast to  
49 intersecting edge dislocations [27]. This defect formation has an energy associated with it and is  
50 predominantly compensated at higher temperatures by thermal activation. Consequently, at lower  
51 temperature the amount of external (mechanical) energy for interstitial defect formation becomes  
52 increasingly larger. Below a certain temperature, the energy needed for screw dislocation motion is too  
53 high. In this temperature range, deformation takes place mainly by edge dislocation motion. This model  
54 was further verified by Obst and Nyilas [21] where they showed lack of  $\alpha'$ -martensite formation in  
55 316 LN steel below a certain temperature. Martensite formation is consistently associated with screw  
56 dislocation motion and, hence, a lack of martensite formation indicates a lack of screw dislocation  
57 activity. Dislocations pile up at LC locks, formed during deformation. At very low temperatures, as  
58 explained, mobile dislocations are of edge type. These cannot cross-slip out of the pile-up at the lock.  
59 At some critical stress at the head of the dislocation pile-up, a dislocation source is activated on the other  
60 side of the lock. This can lead to the further activation of multiple sources and the slip associated with  
61 it causes the macroscopically observed stress drops.

62 In order to effectively evaluate serrated plastic deformation one would have to conduct experiments on  
63 an alloy that shows the phenomenon in a pronounced fashion. Greater solid solution strengthening  
64 correlates positively to this effect [22]. Additionally based on the mechanical model, a metal or alloy  
65 with low to medium stacking fault energy would maximize this effect [26]. The probe material should  
66 exist as stable single-phase FCC at temperatures as low as 4 K. Two-phase materials cause significant  
67 complications in appropriately correlating the results to microstructural phenomenon. The activation of  
68 deformation twinning at some stage of deformation is a beneficial, but not necessary, condition. This  
69 would help clarify the influence of deformation twinning in the discontinuous nature of deformation,  
70 considering that twinning is responsible for stress drops in single crystals [19] and is influential in high  
71 temperature discontinuous deformation [28, 29].

72 CoCrFeMnNi emphatically fulfills all of these requirements. Austenitic stainless steels also prove to be  
73 strong candidates for the study of serrations and have formerly been used to state/qualify multiple  
74 hypotheses related to cryogenic serrated plastic deformation [21, 22, 30, 31]. However, (i) austenitic  
75 stainless steels show  $\alpha'$ -martensite transformation at cryogenic temperatures, intervening with existing  
76 dislocation phenomenon and correspondingly making analysis of dislocation-serration correlation more  
77 complex; (ii) some of the austenitic steels also have a non-negligible interstitial content which makes it  
78 difficult to both control the composition from batch to batch as well as ensure a homogenous interstitial  
79 distribution. CoCrFeMnNi circumnavigates, both issues as a substitutional solid solution with no  
80 apparent martensite transformation at cryogenic temperatures [16]. Thus, CoCrFeMnNi is uniquely  
81 appropriate, as a probe material to investigate serrated plastic deformation.

82 In a previous publication [16], it was established that CoCrFeMnNi is fairly insensitive to extrinsic  
83 experimental conditions. Change in cooling medium and surface area to volume ratio of the gauge  
84 section did not correlate with any noticeable change in the stress drop amplitude  $\Delta\sigma_e$  (the engineering  
85 stress change from maxima to following minima of serrations). Additionally,  $\Delta\sigma_e$  did not change with  
86 strain rate below a specific upper limit. All these results correlate with a lack of influence from a  
87 thermomechanical effect and, thus, are more likely due to a mechanical effect.

88 In the current article, the results on the alloys CoCrFeMnNi, CoCrNi and CoNi are utilized [15], to  
89 establish a phenomenological model on the mechanism behind serrated plastic deformation as well as  
90 the temperature based changes resulting in a transition from continuous deformation at higher  
91 temperatures to discontinuous deformation at lower temperature. The examination is made through  
92 quantitative statistical analysis, considering stress drop amplitudes, time lapses during stress drops and  
93 rate of change of stress drops with progression in deformation. Moreover, the possible effects of both,  
94 deformation twinning and  $\epsilon$ -martensite formation on the serrations are explored. As can be gleaned from  
95 the results below, the effect is severe in both CoCrFeMnNi and CoCrNi. This is a major reason for being  
96 able to elucidate certain features in serration behavior that have formerly gone unreported. Additionally,  
97 multiple fundamentals of the existing mechanical model have been corrected, while also invalidating  
98 some often cited hypotheses. Finally, building on previous report [16] supporting the mechanical model,  
99 several results in the current article also invalidate localized thermal softening as the cause for serrations.  
100 While special focus is not given to evaluation under this model, the results are analyzed under its  
101 backdrop whenever necessary.

## 2. Experimental

### Synthesis of the material and materials characterization

102 The investigated CoCrFeMnNi, CoCrNi and CoNi samples were synthesized from elemental bulk  
103 metals through arc melting. Subsequently, the as-cast samples were homogenized and cold swaged.  
104 Tensile specimens with cylindrical cross sections were machined from these cold worked specimens

105 and recrystallized subsequently. A more detailed overview of the procedure can be found in a previous  
106 publication [15].

107 All three alloys were confirmed to be single-phase FCC using X-ray diffraction (XRD). XRD was  
108 carried out on recrystallized and polished longitudinal sections of the alloys using a D2 Phaser system  
109 by Bruker, equipped with a LynxEye line detector. A fully recrystallized condition was confirmed using  
110 Scanning Electron Microscopy (SEM) imaging. SEM using backscatter electron imaging (BSE) and  
111 EDS was performed with two different devices, namely a Zeiss Leo 1530 and a Zeiss Auriga 60. A  
112 more detailed overview of specimen preparation and the corresponding characterization results has been  
113 published in Ref. [15].

### Mechanical Testing

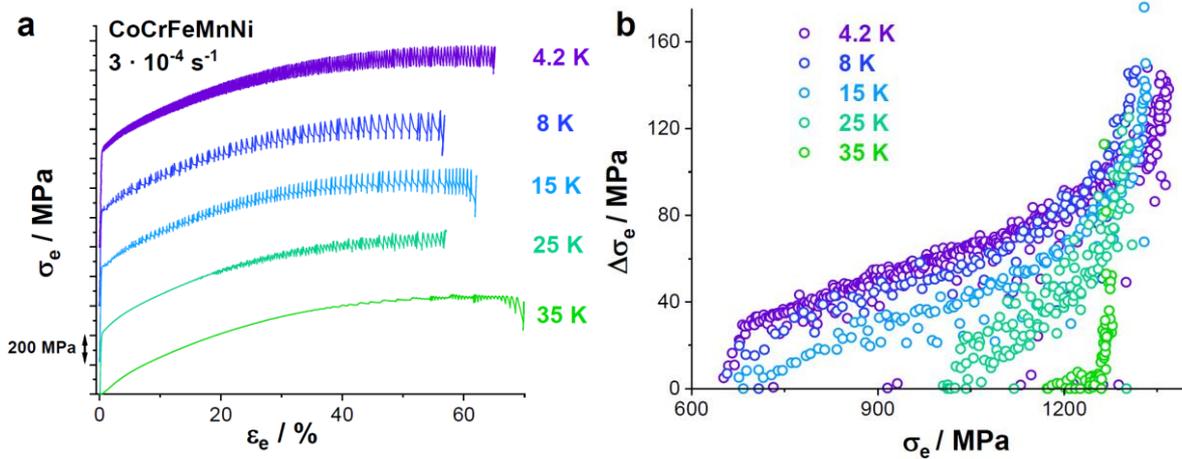
114 Tensile tests have been performed at room temperature (295 K) and at different cryogenic temperatures  
115 ranging from 35 to 4.2 K. These tests were performed at the Cryogenic Material Test Lab Karlsruhe  
116 (CryoMaK) of the Institute of Technical Physics (ITEP, KIT), the process for which is described  
117 elsewhere [32]. The cylindrical tensile specimens have M6 connecting threads, a total length of 45 mm,  
118 a uniform (gauge) length of 22 mm, a transition radius of 10 mm and a gauge diameter of 4 mm.

119 Tensile tests performed down to 8 K were carried out utilizing an MTS 25 testing device, filled with He  
120 vapor at a pressure  $\sim 50$  mbar while the test at 4.2 K was carried out in a liquid Helium bath using  
121 another machine called the ATLAS. Tensile testing was performed until fracture with constant cross-  
122 head movement corresponding to an initial plastic strain rate of  $\sim 3 \cdot 10^{-4} \text{ s}^{-1}$  under standard conditions  
123 according to ASTM E8M. The strain was measured using strain gauges attached to the samples. The  
124 acquisition rate used was 100 Hz. Based on the measured force, elongation data and the sample  
125 dimensions, other parameters such as stress, strain, work-hardening rate, true stress and true strain values  
126 were derived, using the proprietary software package Origin 2018 by OriginLab. Additionally, with  
127 reference to the observed serrations, the maxima and minima for each of these serrations were identified  
128 using a MATLAB R2018a (MathWorks) script written by the authors which was then used in the  
129 estimation of the work-hardening rate. The local stress minimum was estimated after an appropriate  
130 adjustment to accommodate machine contributions to the stress drop. A more detailed explanation of  
131 this can be found in the Appendix.

## 3. Results and Discussion

### Influence of temperature on serrations

132 The effect of temperature is illustrated through a series of tensile tests conducted on CoCrFeMnNi at  
133 35 K, 25 K, 15 K, 8 K and 4.2 K. The corresponding engineering stress-strain ( $\sigma_e - \varepsilon_e$ ) curves are  
134 plotted in Fig. 2a.



135 Figure 2: (a)  $\sigma_e - \epsilon_e$  curves of CoCrFeMnNi deformed at 35 K, 25 K, 15 K, 8 K and 4.2 K, (b)  
 136 corresponding  $\Delta\sigma_e - \sigma_e$  curves. In (a), the  $\sigma_e - \epsilon_e$  curves are vertically offset to ensure that the reader  
 137 can resolve the individual features as the curves would otherwise overlap significantly.

138 The specimen at 25 K did not rupture during the test as the cross head displacement of the machine had  
 139 reached its limit. However, considering the significant strain achieved and since this was not a critical  
 140 factor in the current study the specimen was included in the analysis. Serrations were visible in  
 141 CoCrFeMnNi up to the temperature of 35 K. This is the highest temperature of low temperature serrated  
 142 plastic flow reported thus far. 316 LN steel shows serrations at 34 K [21], however, the serrations only  
 143 appear very close to failure and are far too few (3 serrations) to accurately deduce a trend or have  
 144 representative characteristics. CoCrFeMnNi on the other hand, shows serrations at 35 K that are more  
 145 clearly resolved, from which a trend can be obtained. Additionally, 316 LN shows serrations at  $\epsilon_e >$   
 146 5 % at 15 K. At the same temperature, CoCrFeMnNi shows serrations starting at yield point. The highest  
 147 temperatures where serrations appear during deformation starting at yield point are reportedly higher for  
 148 CoCrFeMnNi (15 K) than for 316 LN steel (7 K) [21], which was formerly reported as having one of  
 149 the highest temperatures of any metallic materials, for the same. This comparison is also noteworthy  
 150 considering the substantially higher yield strength ( $\sigma_{YS}$ ) of 316 LN,  $\sim 1100$  MPa at 34 K [21] in contrast  
 151 to only 605 MPa for CoCrFeMnNi at 35 K [15], implying a higher strength does not automatically imply  
 152 a higher tendency towards serrated flow.

153 Fig. 2b shows the estimated  $\Delta\sigma_e$  values at each temperature as a function of  $\sigma_e$ . The highest  $\Delta\sigma_e$  was  
 154 seen at 4.2 K and the lowest is noted at 35 K. The slopes of the curves at 25 K and 35 K are steeper than  
 155 at 15 K, 8 K and 4.2 K. A greater amount of initial continuous deformation corresponds to a steeper  
 156 slope in these curves. As expected, temperature plays a significant role: the initiation strain for serrations  
 157 is lower for lower temperatures. Furthermore, at 15 K and lower, where serrations begin at the yield  
 158 point, the slope is the same (Fig. 2b), despite the specimen at 4.2 K and 8 K having consistently greater  
 159  $\Delta\sigma_e$  than at 15 K over the course of deformation. These results indicate that the dislocation density,  
 160 when serrations first appear, affects the  $\Delta\sigma_e$  variation with deformation. A larger initial dislocation  
 161 density, from continuous deformation, at 25 K and 35 K results in a stronger  $\Delta\sigma_e - \sigma_e$  variation.

162 However, at lower temperatures, where serrations begin at yield the  $\Delta\sigma_e - \sigma_e$  variation is the same. The  
163 test at 4.2 K was performed in a machine with a higher stiffness. Taking this difference in stiffness into  
164 account,  $\Delta\sigma_e$  is practically identical at 4.2 K and 8 K. As the temperature decreases, the  $\Delta\sigma_e$  increases  
165 (seen between 35 K and 8 K), however, there is a plateauing of  $\Delta\sigma_e$  below a certain temperature (seen  
166 between 8 K and 4.2 K). The maximum plateau temperature is likely between 4.2 – 8 K, since the change  
167 in  $\Delta\sigma_e$  is negligibly low between these temperatures.

168 Under the considerations of the thermomechanical effect, the  $c_p$  and  $\lambda$  of CoCrFeMnNi are sufficiently  
169 high to avoid localization of heat during deformation above 35 K. Below 35 K, heat localization  
170 becomes adequate to cause localized thermal softening. A lower temperature intensifies this effect since  
171 both  $c_p$  and  $\lambda$  exhibit a rapid, non-linear decrease in this temperature range [16]. Correspondingly  $\Delta\sigma_e$   
172 should increase more rapidly with decreasing temperature. However, the variation in  $\Delta\sigma_e$  in the interval  
173 between 8 K and 4.2 K is negligibly low, contrary to the expectation of greatest difference of any interval  
174 seen. The thermomechanical effect, thus, seems unlikely under these circumstances.

175 Fig. 3 displays close-ups of stress vs. time curves for the experiments conducted at different  
176 temperatures under He vapor. The regions were chosen to illustrate approximately equal  $\Delta\sigma_e$  at each  
177 temperature. With identical acquisition rates, stress drops appear to be of different speeds at different  
178 temperatures. The stress drop is faster at lower temperatures than at higher temperatures, taking  $\sim 0.2$  s  
179 for the stress drop at 15 K and 8 K,  $\sim 0.5$  s for the drop at 25 K and  $\sim 2$  s at 35 K for a  $\Delta\sigma_e \sim 50 - 60$  MPa.  
180 However, the fastest portions of the stress drops constituting a majority of the total drop occurs in less  
181 than 0.05 s at 8 K and 15 K. At 25 K and 35 K, the shape of the curves is rather smooth. Thus, there is  
182 no distinct portion which exhibits extremely fast stress drops as in the previous two cases. Here, the  
183 stress drops usually require times in the order of 0.5 s and 2.5 s, respectively. This yields useful  
184 information on the nature of stress drops: (i) the speed of the drop is temperature-dependent; (ii) the  
185 fastest portion of the drop is somewhat in the middle of the drop indicative of a critical condition which  
186 wears out. The latter point implies that upon reaching a critical condition there is a loss of dynamic  
187 equilibrium which accelerates into a stronger effect before finally slowing down under the influence of  
188 compensating factors. Under the mechanical model, a single dislocation source applies pressure on pile-  
189 ups in its vicinity leading to activation of multiple sources, which in turn do the same in quick  
190 succession. Subsequently the dislocations are blocked, likely by newly as well as previously formed  
191 locks. Under the thermomechanical model, an initial critical heat generated (greater than that which  
192 could have been efficiently dissipated) during localized deformation leads to greater deformation and  
193 corresponding heat. This would continue up to the point where the heat generated is suitably dissipated,  
194 slowing down the catastrophic process and achieving temperature equilibrium between the specimen  
195 and the cooling medium. Note that these considerations might be different for experiments conducted  
196 on single-crystalline materials (for example as in Ref. [33, 34]) where all individual, microscopic

197 deformation events, like sudden activation of dislocation sources or deformation twinning manifest in  
 198 ultra-fast, distinct stress drops.

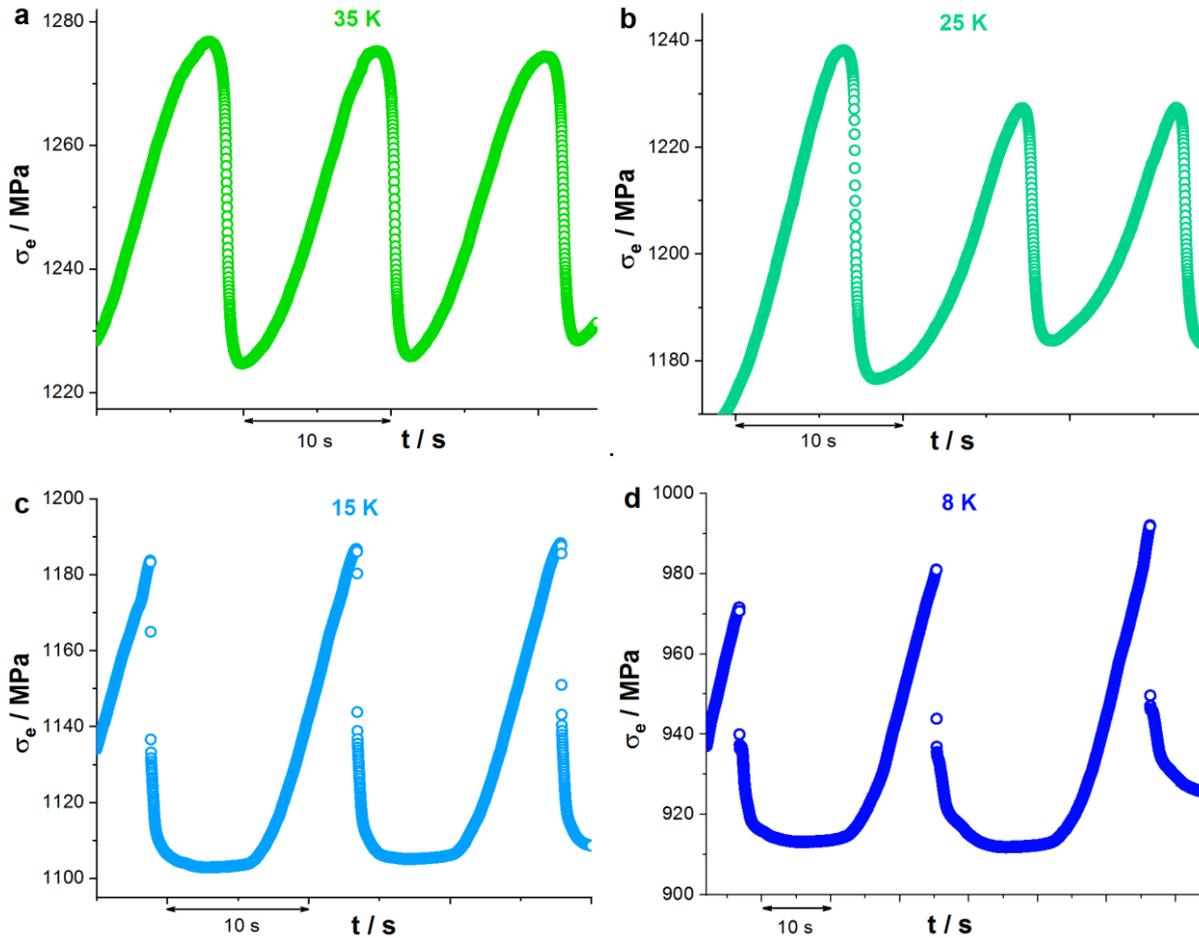


Figure 3: The close-ups of  $\sigma_e - t$  curves of CoCrFeMnNi deformed at (a) 35 K, (b) 25 K, (c) 15 K and (d) 8 K. In all of the illustrated cases  $\Delta\sigma_e \sim 50 - 60$  MPa. The tests at 35 K and 25 K show a slower stress drop while those at 15 K and 8 K show a faster stress drop. It appears that in (c) and (d), the  $\Delta\sigma_e$  is greater than the specified 50 – 60 MPa. However, this stress drop is a combination of the specimen contribution as well as the machine contribution due to finite stiffness. Accordingly, the slower portion of the stress drop, seen after 70 – 80 % of the drop is not considered when measuring  $\Delta\sigma_e$ . This bottom portion is a result of the machine not being infinitely stiff and not being able to instantaneously accommodate the stress drop. An explanation on how maxima, minima and  $\Delta\sigma_e$  were determined, specifically in relation to the specimen, can be found in the Appendix.

199 The rate of the stress drop in relation to temperature is likely associated with the higher dislocation  
 200 velocity at very low temperatures. This jump in velocity is caused by the drop in viscous dampening of  
 201 dislocations from the vanishing phonon scattering [35, 36]. This is expected in metallic materials in  
 202 general but additionally in alloys, this jump in velocity has an effect on the  $\sigma_{YS} - T$  trend. Dislocations  
 203 are pinned to multiple solute atoms in an alloy. On application of an external mechanical stress, the  
 204 dislocations overcome the pinning force of the various defects systematically and in succession.

205 However, dislocations that achieve high velocities need only overcome a single pinning point. Once this  
206 is done, the momentum of this dislocation is so significant that the inertial effect alone overcomes the  
207 other pinning points. Thus, below a given threshold temperature the velocity of the dislocation increases  
208 rapidly and so does its ability to overcome solute pinning of dislocation. This manifests itself as a drop  
209 (dilute solid solutions) or plateau (concentrated solid solutions) of  $\sigma_{YS}$  at lower temperatures and is  
210 called the dynamic overshoot effect [37]. As the yield strength increases with decreasing temperature  
211 down to 15 K and plateaus out at even lower temperatures in the case of CoCrFeMnNi [15], it indicates  
212 that the dynamic overshoot effect and by extension the higher dislocation velocity is active at  $T \leq 15$  K.

213 The tensile tests at different temperature reveal (i) a clear dependence of the serration behavior both on  
214 the temperature and the initial dislocation density and (ii) a variation in stress drop speed, likely due to  
215 the lack of viscous dampening of dislocations at very low temperatures.

#### Influence of pre-deformation on serrations

216 To verify the expected effect of initial dislocation density, tensile tests on pre-deformed specimens were  
217 performed at 8 K. It has already been established that  $\Delta\sigma_e$  is closely related to the engineering stress  
218 maxima [16] at a given temperature. When considering that the mechanical condition for instability has  
219 been met at a given temperature, a higher dislocation density should correspondingly amplify the stress  
220 drop amplitude. This would also be the expectation if dislocation-based plasticity leads to heating and  
221 correspondingly causes local thermal softening. Hence, a pre-deformed specimen should reflect the  
222 same trend as a fully recrystallized specimen, only joining it at a later stage in the curve with a much  
223 higher initial  $\Delta\sigma_e$  (due to a higher  $\sigma_{YS}$ ).

224 In order to test this, a CoCrFeMnNi rod was wire-drawn to a true strain of 40% at 77 K. Specimens were  
225 machined from it as stated in the experimental section and the tensile tests were carried out. The  
226 corresponding  $\sigma_e - \varepsilon_e$  curve and  $\Delta\sigma_e - \sigma_e$ , are displayed in Fig. 4a and b, respectively. The trends of  
227  $\Delta\sigma_e - \sigma_e$  variation are clearly similar. However, the slope in the case of the pre-deformed specimen is  
228 much steeper. Additionally, despite the expectedly higher initial dislocation density, the  $\Delta\sigma_e$  is initially  
229 low but rises quickly. Although the phenomenon is dislocation-based, a higher dislocation density does  
230 not result in a distinctly higher  $\Delta\sigma_e$ , contrary to the expectations based on the proposed models of  
231 (i) Obst and Nyilas [21] and Seeger [26], (ii) Skoczeń et al. [30] and (iii) Basinski [18]. The reason for  
232 this will become apparent in the subsequent sections.

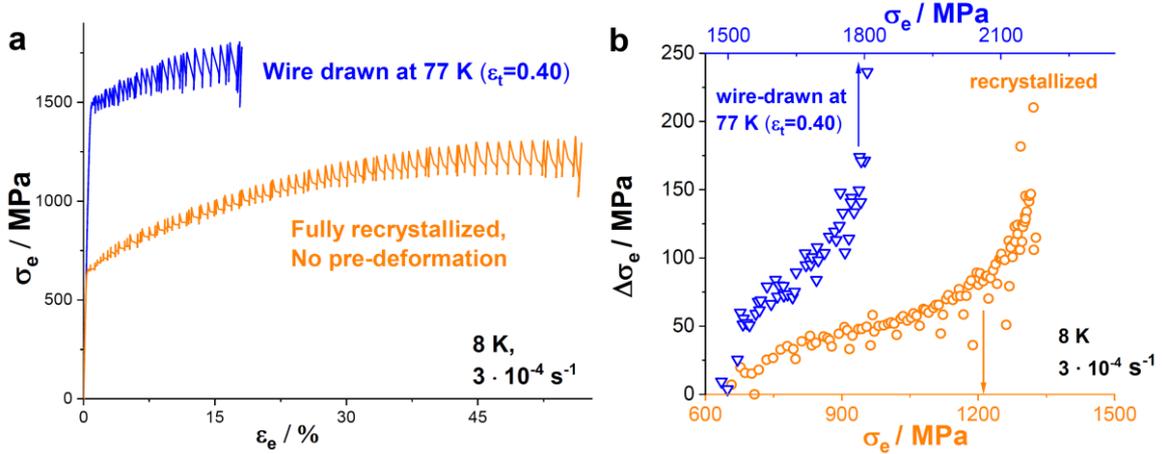


Figure 4: (a)  $\sigma_e - \varepsilon_e$  curves of CoCrFeMnNi in the recrystallized and the pre-deformed condition deformed at 8 K and (b) corresponding  $\Delta\sigma_e - \sigma_e$  curves. The range of the abscissa is the same in (b), implying that a visually steeper curve does have a higher  $\Delta\sigma_e - \sigma_e$  variation.

#### Possible alternate deformation mechanisms

233 As the temperature decreases, the SFE changes in CoCrFeMnNi [38]. This has in turn an effect on the  
 234 active deformation mechanisms. Fig. 5 shows true work-hardening rates plotted against true stress at  
 235 four different temperatures for CoCrFeMnNi. There is substantial overlap between all specimens,  
 236 including the predominantly continuous  $\sigma_e - \varepsilon_e$  curve of the specimen deformed at 35 K and the  
 237 serrated curves at lower temperatures. The work-hardening rates of smooth and serrated portions of the  
 238 specimen deformed at 25 K match up well and there is a consistent transition. Serrations are, thus, not  
 239 associated with a change in the work-hardening rate. There is a general trend in the early portions of the  
 240 work-hardening rate where it changes from a negative slope to a plateau, as a function of deformation.  
 241 This is associated with the activation of deformation twinning and can also be seen at higher  
 242 temperatures [39]. Generally, the activation of a new deformation mechanism is associated with a  
 243 change in the work-hardening rate slope, as seen with CoCrFeMnNi and CoCrNi [15, 16, 40]. However,  
 244 it has already been confirmed through SEM and TEM analysis that the features seen in CoCrFeMnNi at  
 245 77 K [39] and at temperatures as low 4.2 K [16] are the same. This includes dislocation-based  
 246 deformation and deformation twinning (there was no indication of  $\varepsilon$ -martensite formation at either  
 247 temperature). So serrated plastic deformation at cryogenic temperatures is not caused by the activation  
 248 of a new deformation mechanism.

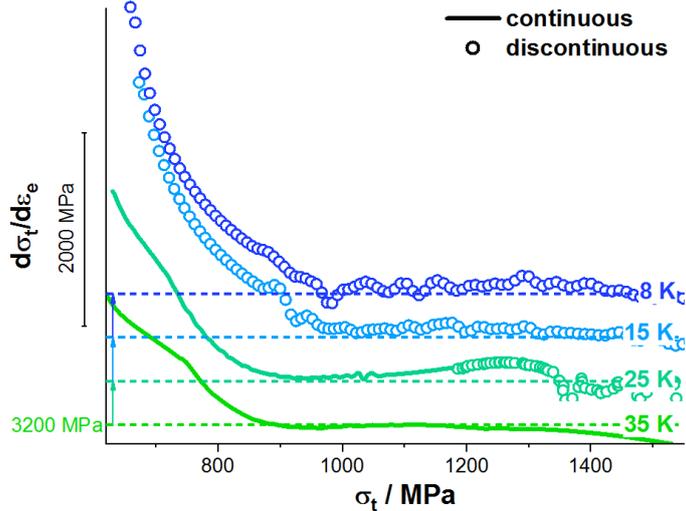


Figure 5: (a)  $d\sigma_t/d\varepsilon_t - \sigma_t$  curves of CoCrFeMnNi deformed at 35 K, 25 K, 15 K and 8 K. The plots have been smoothed to allow for interpretation of the serration data. The offset of each data set is indicated using the 3200 MPa dashed baseline.

249 Based on these observations there is either (i) a characteristic phenomenon occurring only at very low  
 250 temperatures or (ii) the boom of an already occurring phenomenon to facilitate this behavior. Dislocation  
 251 density increases with deformation at a faster rate at lower temperatures [41], and this effect is  
 252 maximized for alloys which have SFE in the same range as CoCrFeMnNi. As temperature decreases  
 253 from 295 K to 4.2 K, the dislocation density during deformation keeps increasing and the SFE  
 254 decreasing [38]. In the same range of temperatures, the thermal vibrations become less influential and  
 255 increase the effects of elastic distortion around defects: dislocation pinning as well as dislocation-  
 256 dislocation interaction. These changes result in a variation in (i) cross-slip ability, (ii) dislocation  
 257 mobility of different types of dislocations, (iii) LC lock formation rate/influence and (iv) dislocation  
 258 pile-up characteristics. We will address each of these aspects in the following section.

Cross-slip propensity and the phenomenological model for serrated plastic deformation

259 Cross-slip is associated with stage III deformation in single crystals but has also been documented at  
 260 much lower macroscopic strains in polycrystalline samples. Cross-slip in metals and alloys is inherently  
 261 more difficult at lower temperatures, as well as for lower SFE [42]. The activation energy originally  
 262 proposed for cross-slip is related to the SFE ( $\gamma$ ) and the shear modulus ( $G$ ) as follows:

$$263 \quad E_{CS} = K \frac{G}{\gamma} \quad (1)$$

264 Considering that  $\gamma$  decreases and  $G$  increases with decreasing temperature  $E_{CS}$  varies inversely with  
 265 temperature, becoming highest at 0 K. This increasing  $E_{CS}$  with decreasing  $\gamma$  corresponds to the  
 266 Schoeck-Seeger theory, as seen in the above equation [42]. However, even according to the widely  
 267 accepted Friedel-Escaig model of cross-slip, as estimated by Duesbery et al. [43], a lower  $\gamma$  and higher

268  $G$  correspond to a higher  $E_{CS}$ . By contrast, the Fleischer model of cross-slip was not considered here,  
269 since it has mainly been used when discussing cross-slip in metals with high SFE (like Al) [44, 45]. The  
270 effect becomes pronounced by cross-slip being thermally activated with an Arrhenius type probability  
271 that strongly decreases with decreasing temperature.

272 Dislocation mobility of edge and screw dislocations should change minimally with temperature for the  
273 most part. However, screw dislocations in FCC metals and alloys are associated with an additional  
274 energy of motion at cryogenic temperatures. Jogged screw dislocations leave behind trails of vacancies  
275 on motion at cryogenic temperatures [34]. Jogged edge dislocations do not leave behind vacancies on  
276 gliding. Fig. 6a illustrates a scheme of an edge dislocation and a forest dislocation on two intersecting  
277 slip planes. Their intersection results in the jog formation of the edge dislocation, as seen in Fig. 6b. The  
278 direction of conservative motion of the original edge dislocation line as well as the jogged portion is the  
279 same. Fig. 6c and d show the same interaction between a screw dislocation and a forest dislocation. In  
280 this case, the direction of conservative slip is different for the original and jogged portion of the  
281 dislocation, respectively. The screw portion of the dislocation is pinned at the nodes connected to the  
282 jog, which is of edge character. On application of stress this screw portion bends as seen in Fig. 6e and  
283 beyond a certain point glides forward pulling the jog along with it. This results in non-conservative  
284 motion of the jog which leaves behind rows of vacancies (Fig. 6f). If multiple jogs exist, the dislocation  
285 can act as a Frank-Read (FR) source bowing out. The critical stress for this is given by [46]:

$$286 \quad \tau_{FR} = \frac{\alpha G b}{l_0} \quad (2)$$

287 Here  $\alpha$  is a coefficient associated with the FR mechanism,  $b$  is the burgers vector and  $l_0$  is the spacing  
288 between jogs. The equation for stress to move a jogged dislocation ( $\tau_{jog}$ ), forming vacancies is the same,  
289 except the corresponding coefficient  $\alpha$  is significantly lower ( $\sim 0.1 - 0.2$ ) than  $\alpha_{FR}$  ( $\sim 1$ ) [46]. The  
290 formation of vacancies during cryogenic deformation was verified experimentally [47, 48]. It should be  
291 noted that even though the current explanation only considers pure edge and pure screw dislocations,  
292 this explanation can be readily extended to near edge  $60^\circ$  dislocations. Smith et al. [49] have already  
293 shown that many dislocations in a pile-up are of near edge nature in CoCrFeMnNi. A similar  
294 consideration was made in the past when studying low-temperature serrations in 316 LN steel [21].

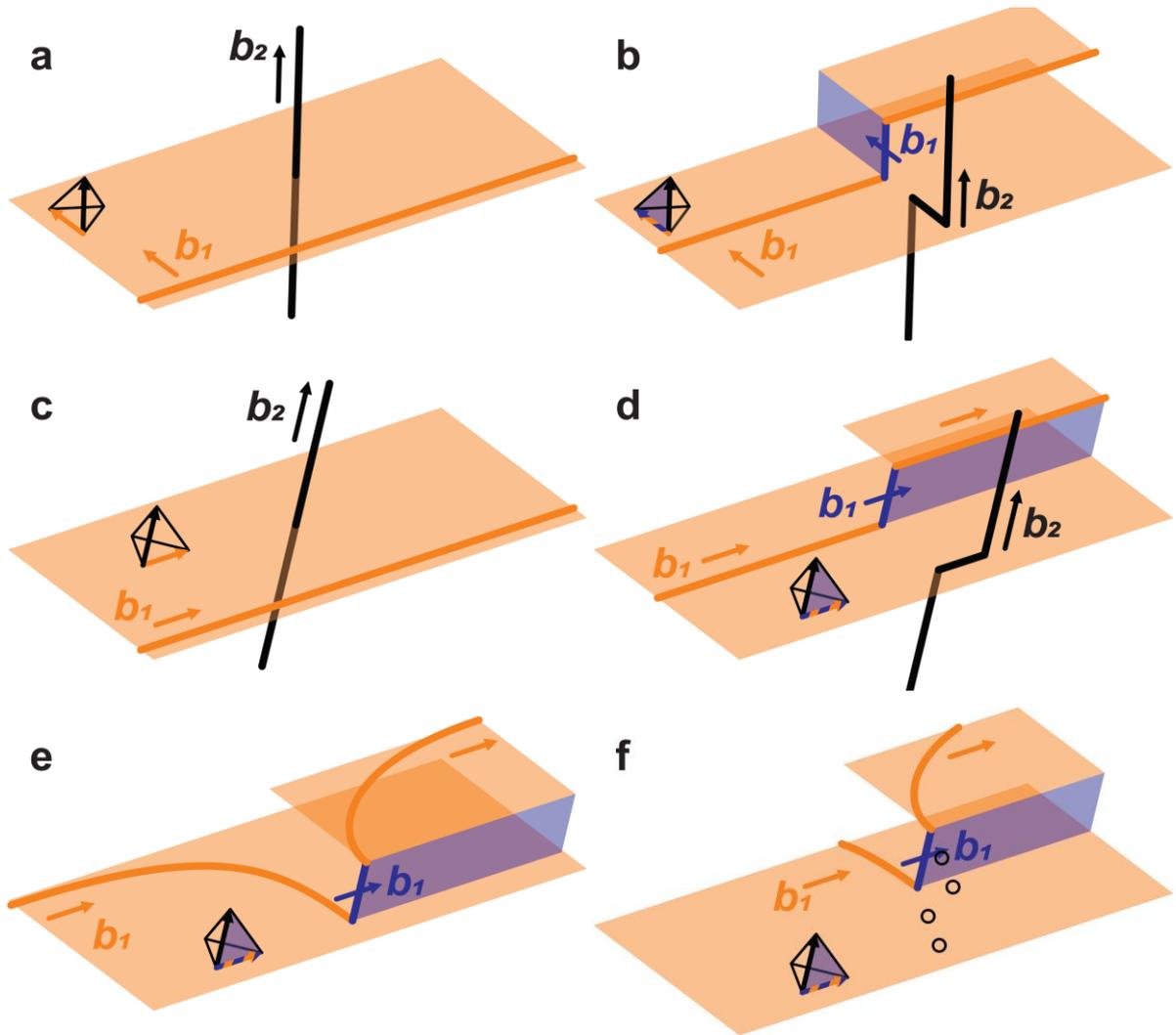


Figure 6: Intersection process of a moving dislocation with a forest screw dislocation: (a-b) moving edge and (c-f) moving screw dislocation. The slip planes of the original dislocations and the jogged segments are given by the orange and blue planes, respectively. The Thompson tetrahedra on the lower left, indicate the slip plane along which each of the dislocation can be found. Moving edge dislocation: (a) prior to intersection and (b) post-intersection with a glissile reaction segment. Moving screw dislocation: (c) prior to intersection, (d) post-intersection with sessile reaction segment, (e) bending of the main dislocation on either side of the jog and (f) formation of trails of vacancies (black circles) behind the jog as it engages in non-conservative motion.

295 As noted above, the SFE of CoCrFeMnNi decreases with decreasing temperature and, correspondingly,  
 296 stacking fault width (SFW) increases. The interaction between solutes and dislocations is far more  
 297 intense at cryogenic temperatures where distortion around a solute is severe [35] and the effect of solute  
 298 dislocation interaction is intense in CoCrFeMnNi as well as CoCrNi, as the temperature decreases [15].  
 299 This extends the SFW as leading and trailing Shockley partials are pinned by solutes and a wider SFW  
 300 would increase the possibility of partials of two different slip systems interacting with each other. Also

301 considering that there exists an inverse dependence of dislocation density on temperature, the number  
302 of LC locks at lower temperatures are likely higher.

303 Finally, with respect to the pile-up, the stress at the head of the pile up is dependent on the number of  
304 dislocations in the pile-up. Lower temperatures demand larger external stresses for dislocation motion  
305 as well as activation of dislocation sources. The equilibrium length of the pile-up increases with  
306 decreasing SFE and the equilibrium SFW of the dislocations in the pile-up becomes larger as well [50,  
307 51, 52]. When the dislocation source is far from the LC lock, one may consider that for a given number  
308 of dislocations, due to the lower SFE at lower temperatures the pile-up length is larger. Alternatively  
309 considering a high dislocation density where the source-barrier spacing is low, the space in between can  
310 be completely filled up by a lower number of dislocations at lower temperatures. Additionally,  
311 considering the high dislocation density during deformation at lower temperatures the number of sources  
312 and locks on intersecting slip planes may be higher as well compared to higher temperatures. Thus, for  
313 both low and high barrier-source spacing the expected probability of dislocation interaction between  
314 dislocations of intersecting slip systems is higher at lower temperatures as a result of the lower SFE  
315 affecting the pile-up distance. The addition of dislocations to a pile-up continues until the stress at the  
316 head of the pile-up reaches the critical limit for breakdown and, as the number of dislocations in a pile-  
317 up increases, the inter-dislocation spacing decreases [50, 51].

318 Following the above discussion, the origin for the serrated plastic flow is likely as follows: As the  
319 temperature decreases, SFE decreases and dislocation density increases for a given amount of strain.  
320 This results in an increase in the number of LC locks formed. During deformation the locks act as  
321 barriers to dislocations causing pile-ups, which further increase interactions between dislocations of  
322 different slip systems. Dislocations can escape when a sufficient number of them have piled up, equaling  
323 cross-slip stress at the head of the pile-up. Cross-slip is more favorable at higher temperatures and as  
324 temperature decreases the activation energy for cross-slip becomes higher making it even more difficult,  
325 owed to the decreasing contribution of thermal vibrations.

326 Additionally, jogged screw dislocations also generate vacancies on motion, making the stress required  
327 for screw dislocation motion higher at lower temperature. At some critical temperature, the cross-slip  
328 stress, as a result of higher cross-slip activation energy and higher stress for jogged screw dislocation  
329 motion, becomes competitive with the stress to activate dislocation source at the barrier (LC lock).  
330 Below this temperature, dislocation source activation at LC locks occurs, resulting in cooperative motion  
331 of dislocations as opposed to only cross-slip that still depends on thermal activation for each individual  
332 dislocation at the head of the pile-up. This is the key transition from continuous deformation to serrated  
333 deformation. Considering the gradual variation of cross-slip stress and stress to glide a jogged screw  
334 dislocation with temperature, a transition likely occurs at very low temperatures where edge dislocation  
335 motion becomes more important, and a greater proportion of pile-ups correspond in the activation of a  
336 dislocation source accompanied with sudden and massive dislocation proliferation as opposed to cross-

337 slip of individual dislocations at the head of the pile-up. This is why a gradual change is seen between  
338 35 K and 4.2 K, with serrations beginning at low initial  $\Delta\sigma_e$  each time. Dislocation density cannot be  
339 the only factor affecting serrations as they are mediated by cross-slip which is dependent on temperature  
340 of operation. Also, screw dislocations themselves are not less mobile but when jogged they become less  
341 mobile, as seen above. As deformation continues, screw dislocations intersect more forest dislocations  
342 effectively reducing  $l_0$  between jogged portions making  $\tau_{jog}$  significantly higher. This makes screw  
343 dislocation motion significantly more difficult.

344 Clarifications of former mechanical hypotheses

345 Obst and Nyilas [21] had built on the mechanical model proposed in Ref. [26]. While the basis of this  
346 model was sound it has failed to sufficiently address two critical observations. (i) In Ref. [21], 316 LN  
347 steel was considered to have achieved criticality for serrated plastic flow at 34 K and lower, implying  
348 that screw dislocations were immobile below 34 K. This does not explain why part of the deformation  
349 between 15 K and 34 K was continuous. (ii) As deformation proceeds the  $\Delta\sigma_e$  increases in magnitude,  
350 presumably from the higher dislocation density. This should then imply that a higher initial dislocation  
351 density corresponds to a higher initial  $\Delta\sigma_e$ . This contradicts the current observations. However, based  
352 on the present model, both these issues can be resolved. (i) Cross-slip is active below 35 K and only  
353 decreases in propensity with the decreasing temperature. Accordingly, at 35 K and 25 K, cross-slip is  
354 viable during the initial deformation, but as deformation continues, a significant number of dislocation  
355 intersections occur between mobile and forest dislocations. The free dislocation length between jogged  
356 portions ( $l_0$ ) correspondingly keeps decreasing, until a critical strain is achieved. Beyond this critical  
357 strain, a significant proportion of the screw dislocations have an  $l_0$  too low to bow out and continue  
358 slipping. Subsequently, a portion of the dislocation-based plasticity has to be carried out through  
359 dislocation proliferation events at dislocation pile-ups. Thus the instability condition is met after an  
360 initial continuous deformation stage. (ii) In the case of the pre-deformed specimen, the propensity for  
361 cross-slip should be similar to that of the fully recrystallized specimen, considering the temperature of  
362 deformation is similar. The only difference is a higher dislocation density and larger number of jogged  
363 dislocations. However, since the yield stress is so much higher in this case, based on Eq. 2, cross-slip  
364 can be activated for several dislocations of smaller  $l_0$  than in the fully recrystallized condition. Due to  
365 these factors the plasticity in the initial stages is still sufficiently mediated by cross-slip resulting in a  
366 relatively low stress drop amplitude. Nevertheless, the high dislocation density results in a rapid change  
367 in the availability of dislocation segments with sufficiently large  $l_0$  for screw dislocation motion and  
368 cross-slip. The proportion of dislocation proliferation events, thus, increases rapidly and  
369 correspondingly the  $\Delta\sigma_e - \sigma_e$  trend is significantly steeper than in the fully recrystallized condition.

370 Skoczéń et al. [30] have considered an exponential increase in the number of dislocation pile-up groups,  
371 presumably blocked by LC locks. This was applied to model the serration behavior seen in 316 LN steel,  
372 based on their own experimental results as well as the work in Ref. [21]. The LC lock density and

373 dislocation density were considered to be interdependent. There was also an implied exponential  
 374 increase in the number of LC locks below 40 K. While this explanation suitably covers the observations  
 375 of the current results for CoCrFeMnNi between 35 K and 8 K it does not have a phenomenological  
 376 explanation, i.e. an appropriate basis for an exponential increase in LC locks below 40 K. However, if  
 377 one considers pile-ups where dislocations cannot cross-slip, their numbers may grow rapidly, as  
 378 transition takes place from cross-slip to dislocation proliferation events. In this way, the need for a boom  
 379 in LC lock density is circumnavigated. This is more plausible considering that: (i) An inverse  
 380 exponential relationship between temperature and LC lock density would require the largest difference  
 381 to be seen between 8 K and 4.2 K which have almost identical  $\Delta\sigma_e$ ; (ii) An exponential increase in LC  
 382 lock density should correspond to a noticeable jump in the work-hardening rate as the temperature  
 383 decreases however, this was not the case; (iii) There appears to be no phenomenological justification of  
 384 LC lock density boom in the temperature interval of 4.2 – 40 K. Thus, the increase in number of  
 385 dislocation pile-ups that will result in dislocation proliferation events likely increases, but it is not  
 386 exponential in nature and is not due to a rapid increase in the number of LC locks.

#### Influence of deformation twinning and $\varepsilon$ -martensite formation on serrations

387 Low temperature tensile tests were conducted on CoCrNi and CoNi in the same way as on CoCrFeMnNi.  
 388 The tests were conducted at 8 K. Fig. 7a shows the  $\sigma_e - \varepsilon_e$  curves and Fig. 7b shows the corresponding  
 389  $\Delta\sigma_e - \sigma_e$  curve. CoCrNi shows large stress drops just as with CoCrFeMnNi. CoNi, however, shows  
 390 much smaller stress drops after significant deformation.

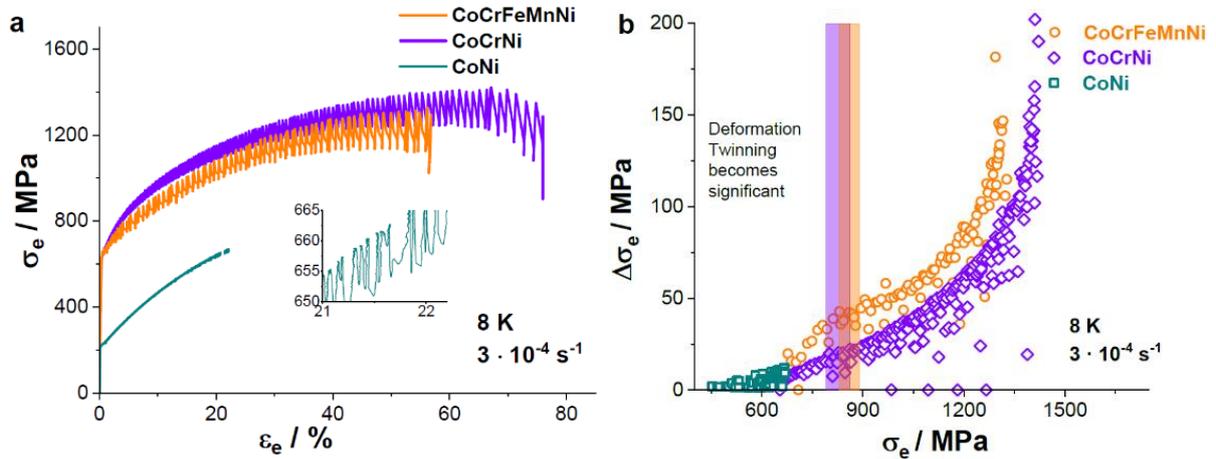


Figure 7: (a)  $\sigma_e - \varepsilon_e$  curves of CoCrFeMnNi, CoCrNi and CoNi deformed at 8 K, (b) corresponding  $\Delta\sigma_e - \sigma_e$  curves. The inset in (a) shows the serrated behavior seen in CoNi at the later stages of deformation. The colored columns in (b) indicate the minimum  $\sigma_e$  for initiation of deformation twinning (orange for CoCrFeMnNi and purple for CoCrNi).  $\sigma_e$  was determined based on the change in the work-hardening rate indicating activation of a new deformation mechanism, namely deformation twinning. A detailed discussion of deformation mechanisms and microstructural evolution can be found in Ref. [15].

391 The  $\Delta\sigma_e - \sigma_e$  analysis illustrates several points. Firstly, the  $\sigma_e$  maxima for CoCrNi are higher than for  
392 the CoCrFeMnNi, but  $\Delta\sigma_e$  is not correspondingly higher.  $\Delta\sigma_e$  is, thus, not only stress dependent but it  
393 is also material dependent. This material dependence is possibly related to (i) SFE and/or (ii) solute-  
394 dislocation interaction.

395 SFE inherently dictates serration flow as discussed in the previous Section. It essentially begins below  
396 the temperature where cross-slip stress becomes comparable to critical stress for dislocation source  
397 activation at LC locks [26]. Cross-slip is severely dependent on SFE, with Shockley partials having to  
398 constrict into a full dislocation before cross slipping onto an intersecting slip plane. A lower SFE implies  
399 a higher temperature of activated serrated plastic deformation. However, the evidence does not bear this  
400 out completely. 316 LN steel, despite having a lower room temperature SFE than CoCrFeMnNi, shows  
401 very similar temperatures of serrated plastic flow (the SFE of similar composition steels are  $\gamma \leq$   
402  $20 \text{ mJ}\cdot\text{m}^{-2}$  [53, 54], while CoCrFeMnNi possesses  $\gamma \sim 30 \text{ mJ}\cdot\text{m}^{-2}$  [55]). CoCrFeMnNi also shows  
403 slightly higher temperatures of (i) serrations being observed and (ii) serrations observed at yield point.  
404 Therefore, it is more likely that SFE of a certain range manifests serrated plastic flow at a given  
405 temperature. A direct correlation between equilibrium SFE and propensity for cryogenic serrated plastic  
406 deformation, as expected from previous literature [26, 46], is inappropriate.

407 Solute influence is another key point that could be brought into play. In general, solute content positively  
408 correlates with the temperature of serrated plastic flow [22]. Quantitative  $\Delta\sigma_e -$  solute correlations have  
409 not previously been studied, though, it is qualitatively apparent that a higher solute content is favorable  
410 for serrated plastic flow. Greater solute content corresponds to greater level of solid solution  
411 strengthening. A possible connection is that the larger amplitudes are a result of higher strengths of  
412 alloys with greater solute content. However, this is not the case in the current set of results where  $\Delta\sigma_e$   
413 is lower for CoCrNi than for CoCrFeMnNi, despite the slightly higher  $\sigma_e$  maximum of CoCrNi. In the  
414 current case, solutes may interact with leading and trailing partials, pinning them and correspondingly  
415 increase the scatter of SFW around the expected value as stated in the previous Section. Even at higher  
416 temperatures, complex alloys have a larger scatter of observed SFWs while pure metals have consistent  
417 SFW and correspondingly consistent SFE. This is especially true in the case of CoCrFeMnNi [49]. At  
418 temperatures close to 0 K, the thermal vibrations are insignificant and correspondingly the interactions  
419 of dislocations between one another and solutes is based primarily on the attraction and repulsion due  
420 to elastic distortion around the respective defects. It is, thus, possible for solutes to indirectly affect the  
421 SFW of dislocations which would have an effect on (i) energy required to constrict partials, (ii)  
422 dislocation spacing in pile-ups and (iii) possibly LC lock formation. All three factors directly affect  
423 serration behavior. The current set of alloys is not ideal to make quantitative statements on the effect of  
424 solutes on serration behavior but it is clear that concentrated solid solutions which have an inherently  
425 severe solid solution strengthening effect show intense serration behavior (CoCrNi and CoCrFeMnNi),  
426 as opposed to weakly solid solution strengthened alloys (CoNi, despite the high solute content).

427 The deformation mechanisms in CoCrFeMnNi at 8 K were previously discussed in Ref. [15].  
428 CoCrFeMnNi and CoCrNi show intense deformation twinning while CoNi exhibits fairly insignificant  
429 twinning. This is a result of the different SFE of the alloys. An additional effect of the SFE is the  
430 appearance of  $\epsilon$ -martensite in CoCrNi at 8 K [15]. The  $\epsilon$ -martensite can be detected in the form of a  
431 twin-martensite nano-laminate on practically all twin boundaries. The deformation twinning in  
432 CoCrFeMnNi and CoCrNi is associated with a minimum stress required to activate it [39, 40].  
433 Correspondingly, this is achieved only after the tensile specimen undergoes a minimum amount of  $\epsilon_e$   
434 ranging between 6-10% [15, 16]. Based on the mechanism of formation of  $\epsilon$ -martensite in CoCrNi, a  
435 leading partial dislocation interacts with a twin boundary [56] to create  $\epsilon$ -martensite sandwiched  
436 between matrix and twinned regions. This must take place after the initial 6-10%  $\epsilon_e$  as well. The  
437 estimated stress for deformation twinning in CoCrFeMnNi and CoCrNi are marked by the colored  
438 columns in Fig. 7b. It is evident that the  $\Delta\sigma_e - \sigma_e$  trend is consistent in both alloys below and above  
439 the minimum twin stresses with no abrupt jumps or trend variations. It should be noted that serrations  
440 were observed starting at the yield point in both alloys as well as subsequently in CoNi. Evidently,  
441 deformation twinning and the formation of  $\epsilon$ -martensite are not necessary for the appearance of  
442 serrations. This is contrary to plastic instability at other temperatures showing abrupt and distinct  
443 transitions with the activation of TRIP/TWIP effects [57, 28, 58, 29].

444 Deformation twinning and  $\epsilon$ -martensite have an associated heat of deformation. This heat is distinctly  
445 greater than that for purely dislocation-based deformation [59]. In the case of a thermomechanical effect  
446 influencing the  $\Delta\sigma_e$ , there would have been a clear change in its value at the initial twin stress. At this  
447 stage the extent of deformation twinning is already sufficient to cause a substantial change in the work-  
448 hardening rate of the alloy. The energy released through deformation twinning is likely sufficiently high  
449 to show a  $\Delta\sigma_e$  variation, either as a jump in amplitude or a change in slope of the  $\Delta\sigma_e - \sigma_e$  trend (when  
450 considering the thermomechanical model). Moreover, CoCrNi shows the formation of  $\epsilon$ -martensite  
451 layers on practically all twin boundaries when deformed at 8 K [15]. This additional and generous  
452 martensite formation should have further increased heat generation in CoCrNi as compared to  
453 CoCrFeMnNi. However, the  $\Delta\sigma_e - \sigma_e$  trend in both alloys is similar and CoCrNi consistently maintains  
454 a lower  $\Delta\sigma_e$ . This is, once again, contrary to the predictions of the thermomechanical model and thus,  
455 further invalidates it.

## 4. Conclusions

456 Following conclusions are drawn from the results and the discussion presented in this article:

- 457 1. CoCrFeMnNi is a strongly solid solution strengthened, stable single-phase FCC alloy, of  
458 appropriate SFE, correspondingly acting as the ideal candidate to study the nature and aspects  
459 of low temperature serrated plastic flow.
- 460 2. Both temperature of operation and initial dislocation density strongly influence the stress drop  
461 amplitude variation and are both factors affecting the instability condition.

- 462 3. The current article puts forth a comprehensive phenomenological model on low temperature  
463 serrations based on inability of dislocations to cross-slip and the appearance of dislocation  
464 proliferation events. This is seen as a gradual transition from non-serrated to serrated  
465 deformation at lower temperatures, as opposed to the conventional model which considers a  
466 single discrete transition.
- 467 4. Neither deformation twinning nor  $\epsilon$ -martensite formation are critical for serration behavior, they  
468 additionally do not have any measureable influence on the serrated plastic flow.
5. The thermomechanical model of serrations contradicts several of the observations in the current  
experiments and is thus invalid as a cause for stress drops.

469 The current results indicate a strong link between dislocation-solute interaction during deformation and  
470 a corresponding effect on dislocation constriction and cross-slip dynamics. Serrated plastic behavior  
471 could thus be ideal for evaluation of SFW, constriction and cross-slip potential in materials based on  
472 solute-dislocation interaction during deformation, as opposed to equilibrium SFE estimations.

### Data availability statement

473 The raw data required to reproduce these findings are available on request to  
474 [alexander.kauffmann@kit.edu](mailto:alexander.kauffmann@kit.edu). The processed data required to reproduce these findings are available on  
475 request to [alexander.kauffmann@kit.edu](mailto:alexander.kauffmann@kit.edu).

### Prime novelty statement

476 We confirm that this manuscript has not been published previously by any of the authors and is not  
477 under consideration for publication in another journal.

### Declaration of competing interest

478 The authors declare that they have no known competing financial interests or personal relationships that  
479 could have appeared to influence the work reported in this paper.

### Authorship contribution statement

480 A.S. Tirunilai: Conceptualization, Methodology, Investigation, Writing - original draft, Visualization.  
481 T. Hanemann: Investigation, Writing - review & editing. K.-P. Weiss: Methodology, Investigation,  
482 Writing - review & editing. J. Freudenberger: Methodology, Investigation, Writing - review & editing.  
483 M. Heilmaier: Resources, Writing - review & editing, Supervision. A. Kauffmann: Conceptualization,  
484 Methodology, Investigation, Resources, Writing - original draft, Visualization, Supervision, Funding  
485 acquisition.

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# Appendix

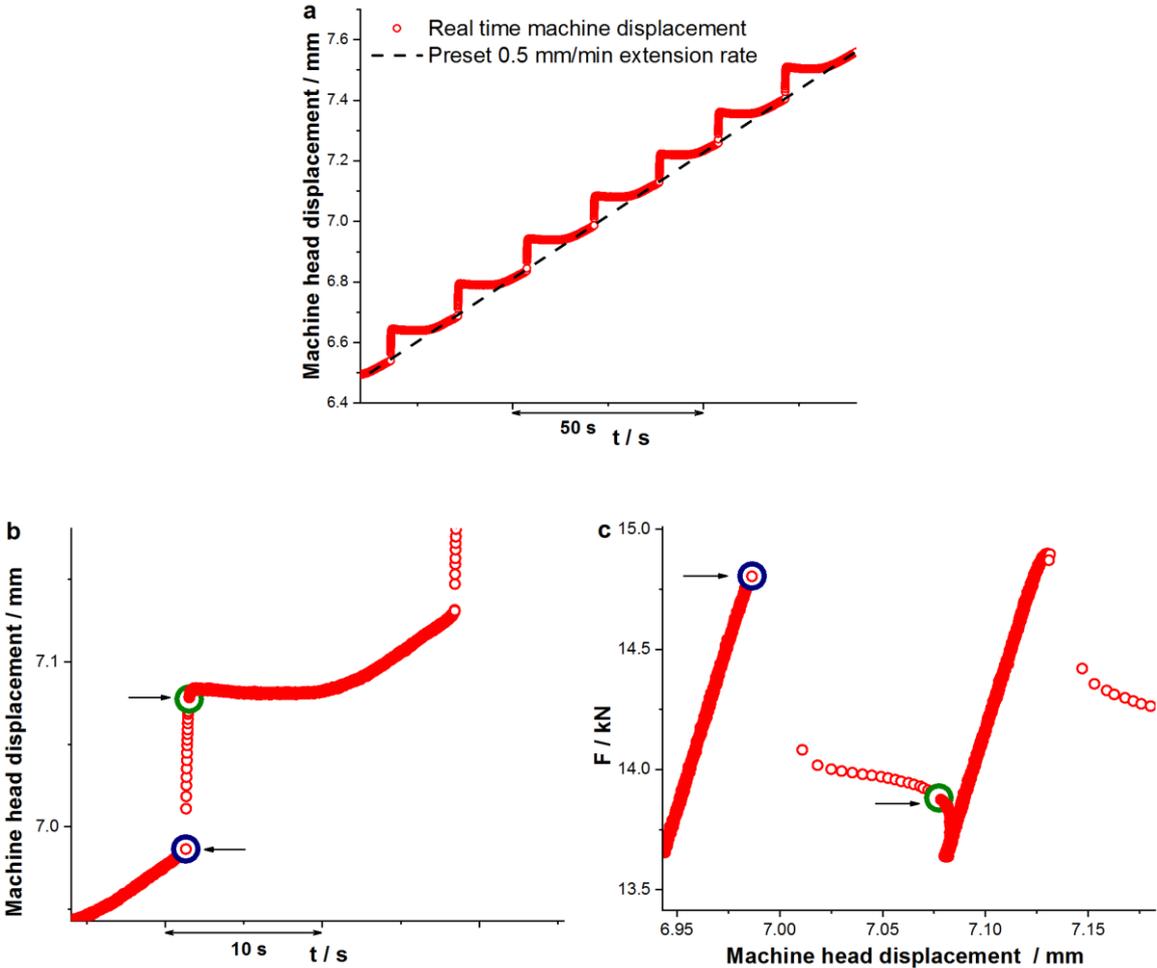


Figure 8: (a) Machine displacement vs. time, (b) close up of machine displacement vs. time and corresponding (c) force vs. machine displacement close up. Points marked in blue indicate local maxima while those marked in green indicate local minima. Both maxima and minima points are indicated by arrows as well. For details how these extreme were evaluated, please refer to the text.

490 Fig. 8(a) illustrates the variation of machine displacement as a function of time and Fig. 8(b) is a close-  
 491 up of the same. In the case of continuous deformation, the expectation is that of a positive linear variation  
 492 of machine displacement with time, equaling the extension rate of the machine cross-head (marked by  
 493 the black dashed line in Fig. 8(a)). Since the test is displacement controlled, and the test operates under  
 494 a preset extension rate a sudden stress drop would ideally be accommodated by a corresponding drop in  
 495 the force applied by the machine to maintain the constant extension rate. However, for a sudden drop in  
 496 stress (like in the case of a serration), due to limited stiffness of the machine and a finite reaction time,  
 497 there is no instantaneous drop in machine force to maintain the same extension rate. This results in a  
 498 sudden rapid extension event, as seen in Fig. 8(b), since the applied force has not been lowered  
 499 sufficiently yet, to accommodate the preset extension rate. Quickly, thereafter the applied force by the  
 500 machine is lowered. However, this drop in force is greater than the drop in force corresponding to stress  
 501 drop of the specimen. So only a part of the total observed drop in force is a result of contribution from

502 the specimen. To identify the point of transition from drop in force due to specimen to drop in force due  
503 to machine overcompensation, the machine displacement is examined. Essentially, since there is a  
504 greater drop in applied force than needed to cause plastic deformation in the specimen, the specimen is  
505 currently loaded below its elastic limit. Furthermore, the local machine displacement rate is higher than  
506 the preset 0.5 mm/min. This is accommodated by ensuring no further change in cross-head  
507 displacement. This can be seen as the plateau portion in Fig. 8(b) following the jump. This continues till  
508 the local extension rate is equal to the preset. This is clear from Fig. 8(a) where the dotted line  
509 representing the preset appears as the average of the step like serrated behavior. Based on the above  
510 sequence of events during a serration, there is a stress drop for the specimen followed by an additional  
511 stress drop contribution from the machine. The latter part provides no additional machine displacement.  
512 During the actual stress drop that is caused by the specimen there is a jump in the machine displacement.  
513 Therefore, the start of the serration is marked by the point immediately preceding the jump in machine  
514 displacement and the end is marked by the point immediately preceding the plateau of the machine  
515 displacement. These points are marked in Fig. 8(b) and correspondingly on the stress strain diagrams on  
516 Fig. 8(c). The stress maxima and minima determined by these methods are significantly more accurate  
517 than measurements of absolute maxima and minima of a given serration. This makes comparison  
518 between serrations under different experimental conditions plausible. In the case of test conducted in  
519 the ATLAS machine at 4.2 K the minima was taken as the absolute value. In this case the machine  
520 stiffness was extremely high making machine contribution to the stress drop practically negligible.

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