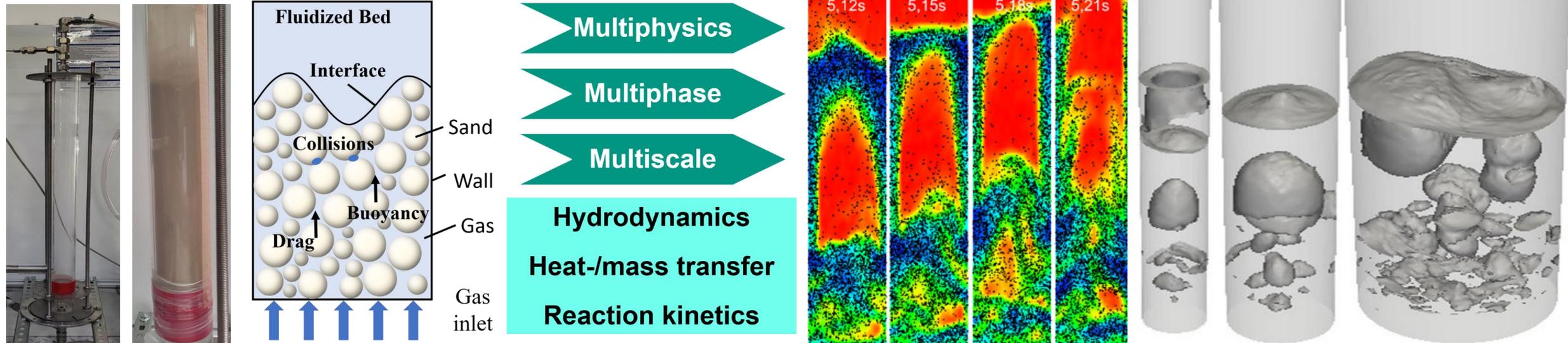


An assessment of fluidized bed dynamics with CPFD simulations

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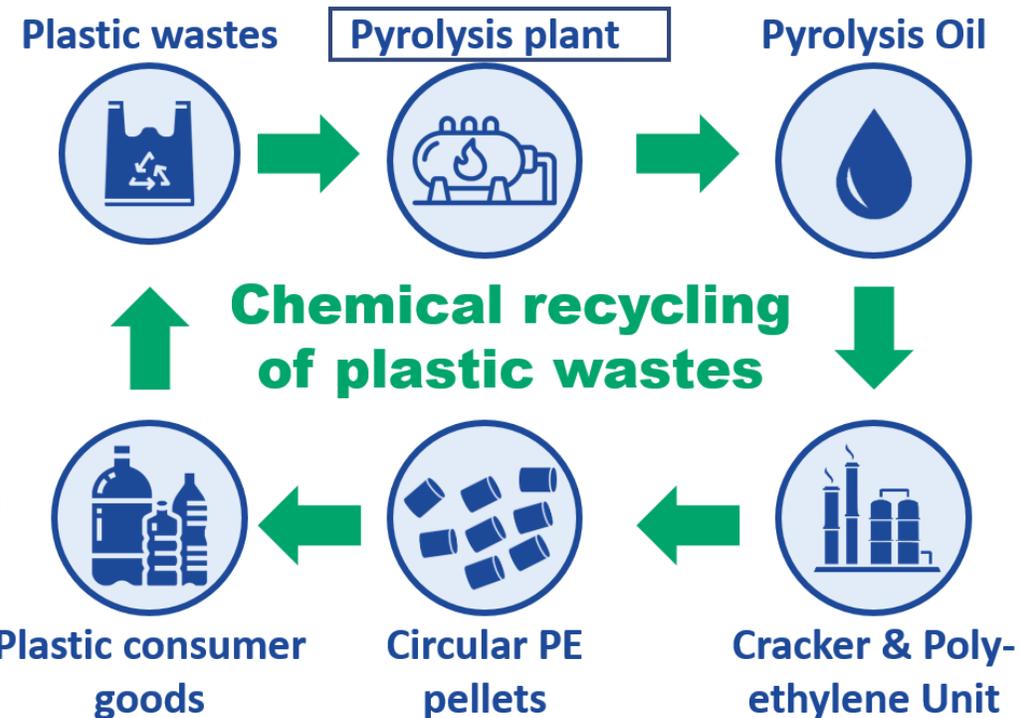
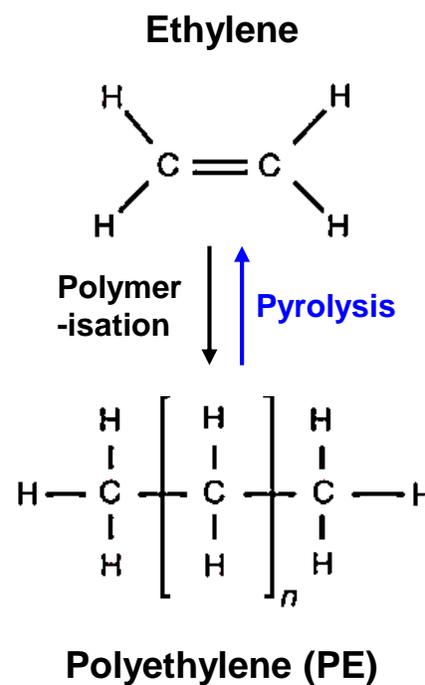


- Motivation**
- Simulation method**
- Numerical setups**
- Results**
 - Fluidization behavior**
 - Effect of gas temperature**
 - Effect of up-scaling**
- Summary**

Chemical recycling of plastic wastes

- ❑ ~350 Mt plastic waste per year worldwide
 - 22% mismanaged, 9% recycled
- ❑ Chemical recycling of plastic wastes
 - Contaminated/mixed plastics
- ❑ Challenges
 - Process design, efficiency, product yield, scale-up, economic viability
- ❑ Fluidized bed technology
 - Enhanced, homogeneous heating
 - Potential for scale-up
- ❑ Simulation of lab-scale fluidized bed
 - Model validation, hydrodynamics

Pyrolysis: Degradation of polymers at high temperature and oxygen-free environment into short-chain hydrocarbons



<https://www.oecd.org/environment/plastic-pollution-is-growing-relentlessly-as-waste-management-and-recycling-fall-short.htm>

Mismanaged 22%

Landfilled 49%

incinerated 19%

recycled

3D simulations of cold-mode fluidized bed

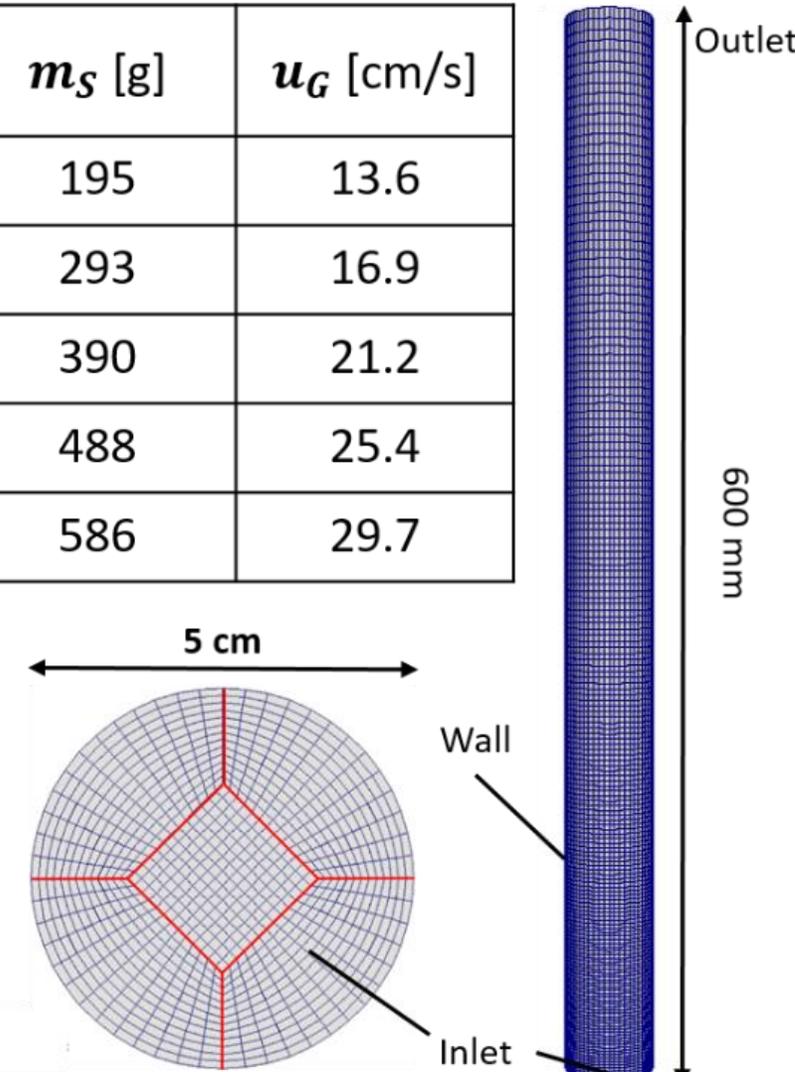
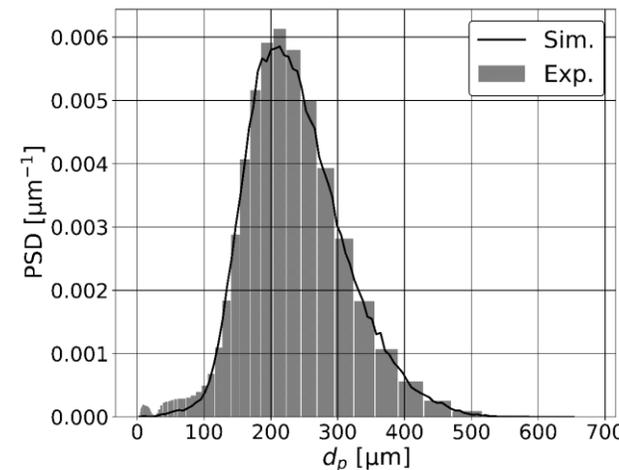
$$d_R = 5 \text{ cm}$$

□ Numerical setups

- Cylindrical reactor
- Bed material: quartz sand
- Fluidizing agent: N_2
- PSD: $d_{\text{mean}} = 2.3 \text{ mm}$
- Diameter: $d_R = 3, 5, 10 \text{ cm}$
- Gas temperature: $T_G = 25 \text{ and } 500 \text{ }^\circ\text{C}$
- OpenFOAM-v2206
- Grid resolution: 1 mm
- No. parcels: up to 32 mil.



m_S [g]	u_G [cm/s]
195	13.6
293	16.9
390	21.2
488	25.4
586	29.7



Computational particle fluid dynamics (CPFD)

- Euler-Lagrange modeling (4-way coupling)
- Multiphase particle-in-cell (MPPIC) for modeling collisional force

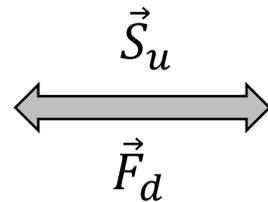
Continuous phase – gas

Balance of momentum
(Navier-Stokes equations)

$$\frac{\partial(\alpha_g \rho_g \vec{u}_g)}{\partial t} + \nabla(\alpha_g \rho_g \vec{u}_g \vec{u}_g)$$

$$= -\nabla p + \nabla(\alpha_g \vec{\tau}_{eff}) + \alpha_g \rho_g \vec{g} + \vec{S}_u$$

$$\vec{S}_u = -\frac{1}{V_{cell}} \sum_{i=1}^{n_{p,cell}} \vec{F}_d$$



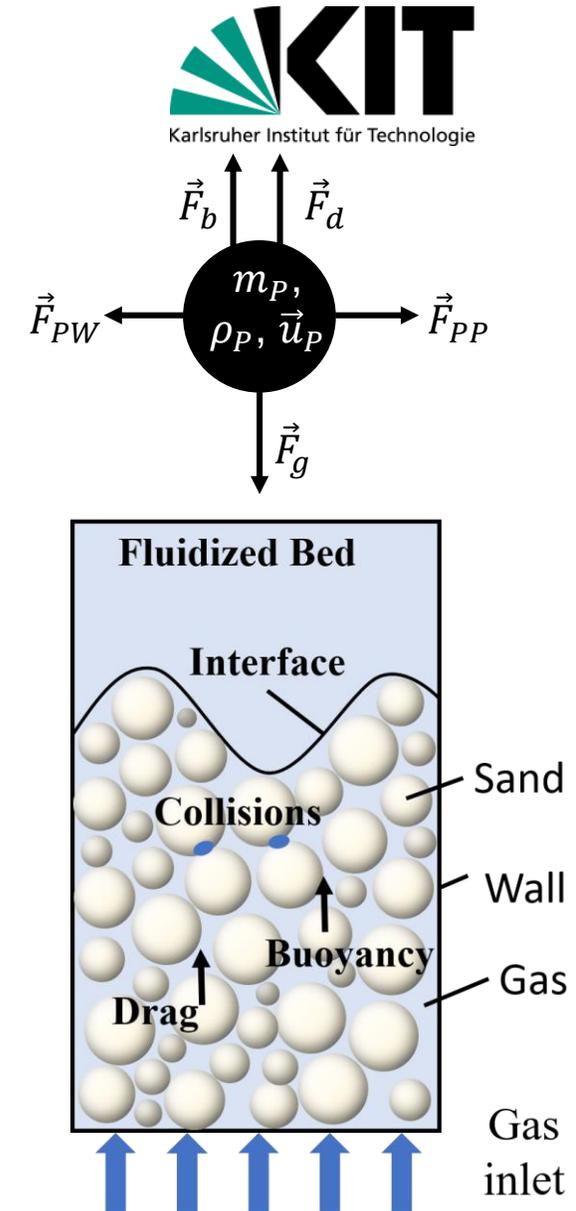
Disperse phase – particle

Conservation of momentum
(Newton's 2nd law)

$$m_p \frac{d\vec{u}_p}{dt} = \sum \vec{F}_{external}$$

$$= \vec{F}_d + \vec{F}_g + \vec{F}_c + \vec{F}_i$$

$$\vec{F}_c \propto \nabla \tau_p \quad \tau_p = \frac{p_s * \alpha_p^\beta}{\alpha_{packed} - \alpha_p}$$

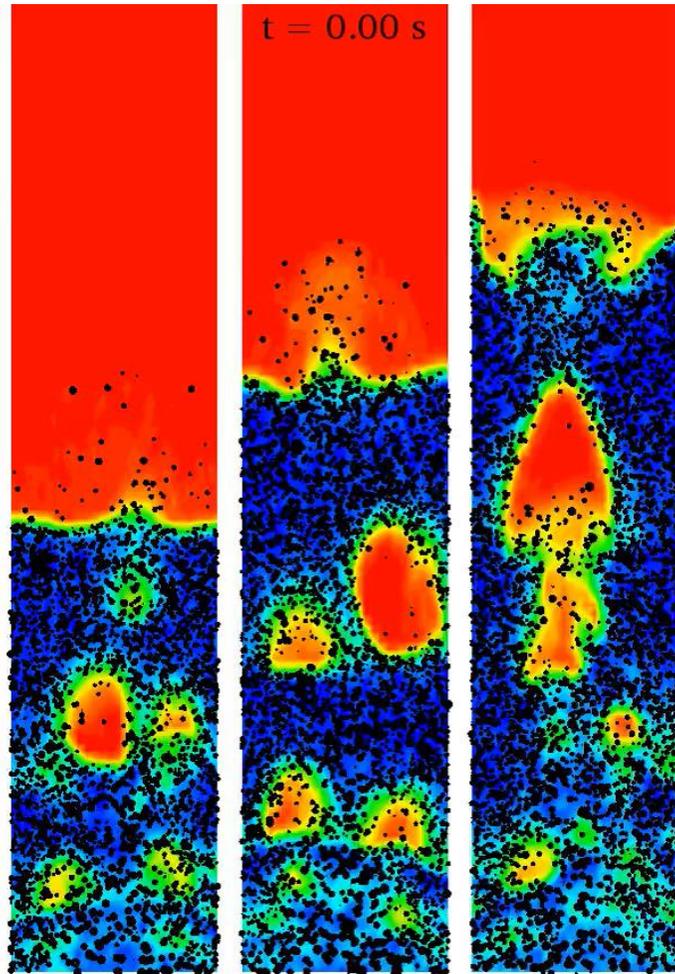


Results

Fluidization behavior

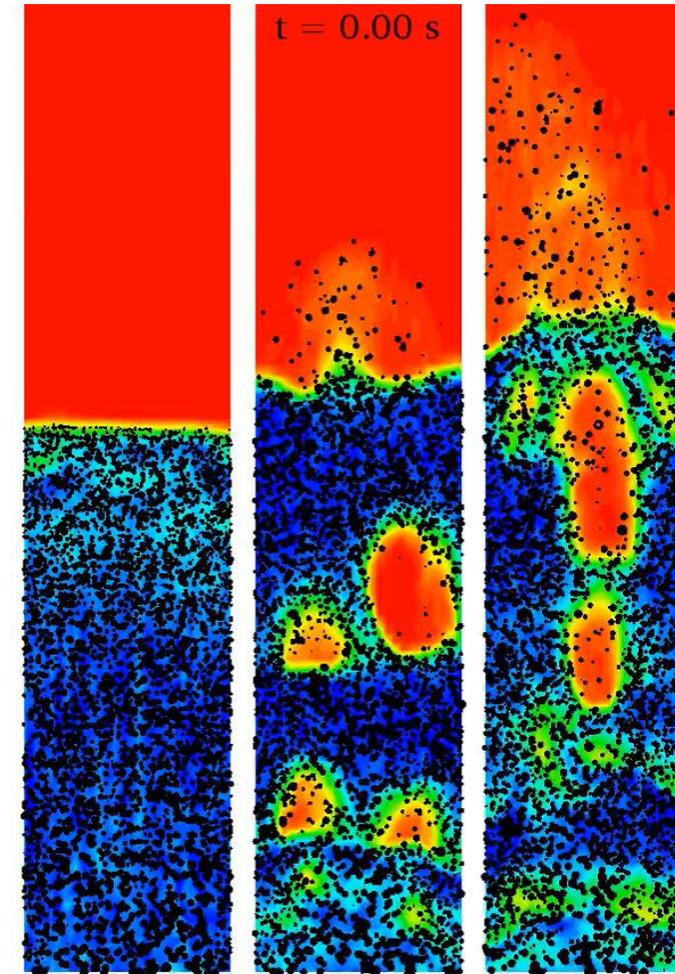
Bed inventory $m_S \uparrow$

293 g 390 g 488 g



Superficial velocity $u_g \uparrow$

13.6 cm/s 21.2 cm/s 29.7 cm/s



$\varepsilon [-]$
1
0.9
0.8
0.7
0.6
0.5
0.4
0.35

$\varepsilon [-]$
1
0.9
0.8
0.7
0.6
0.5
0.4
0.35

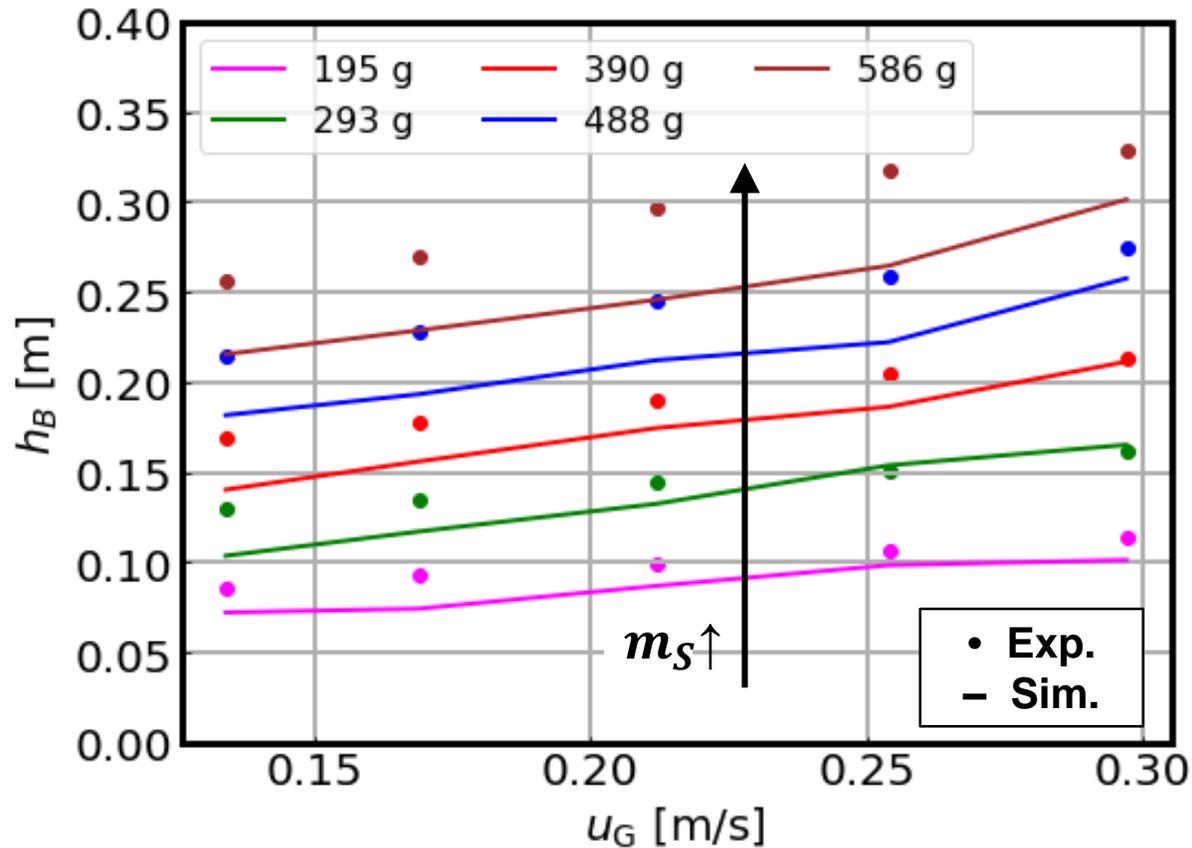
$u_g = 21 \text{ cm/s}$

$m_S = 390 \text{ g}$

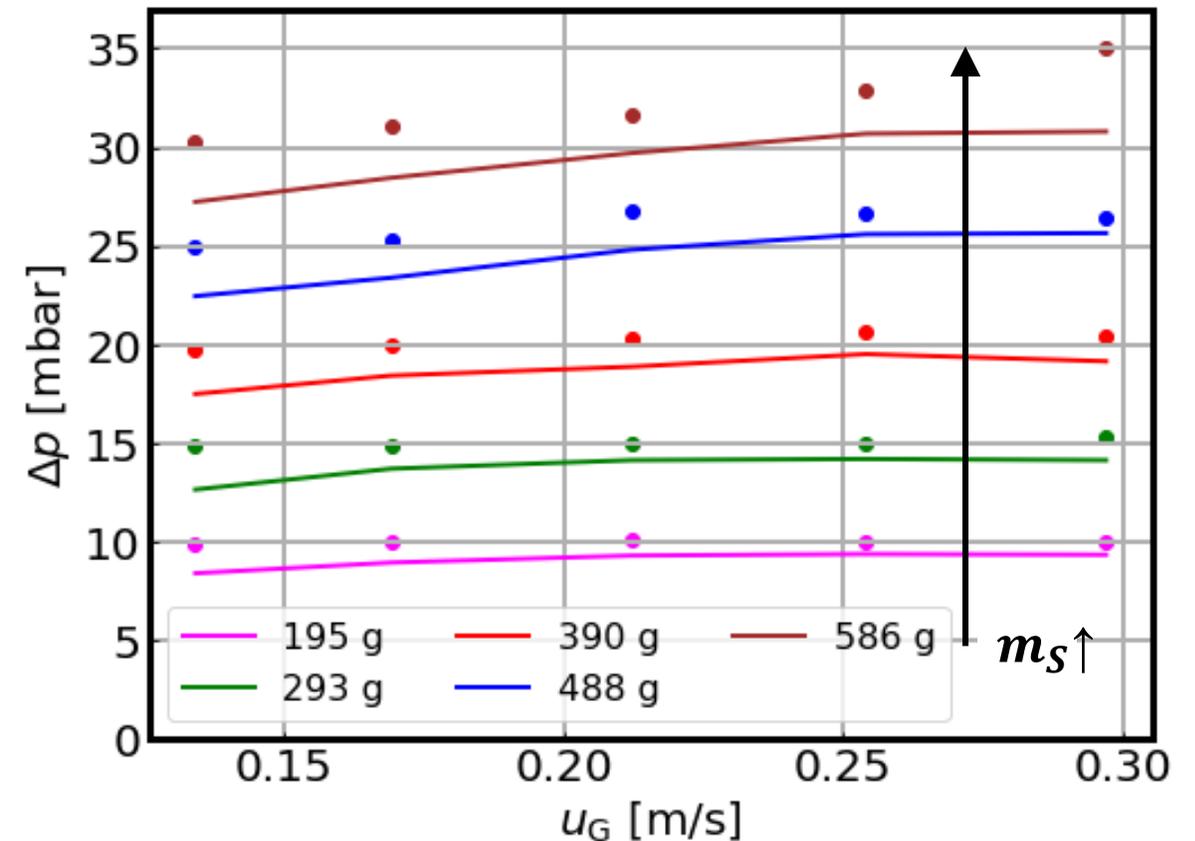
Comparison with experiments

- Bed height h_B increases with m_S and u_G
- Pressure drop Δp increases with m_S and remains almost constant with u_G

Bed height h_B



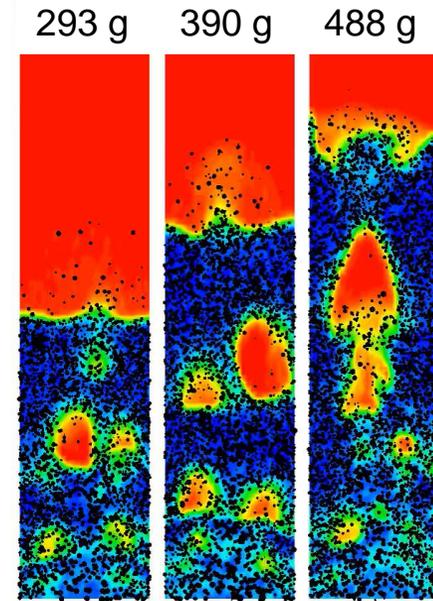
Pressure drop Δp



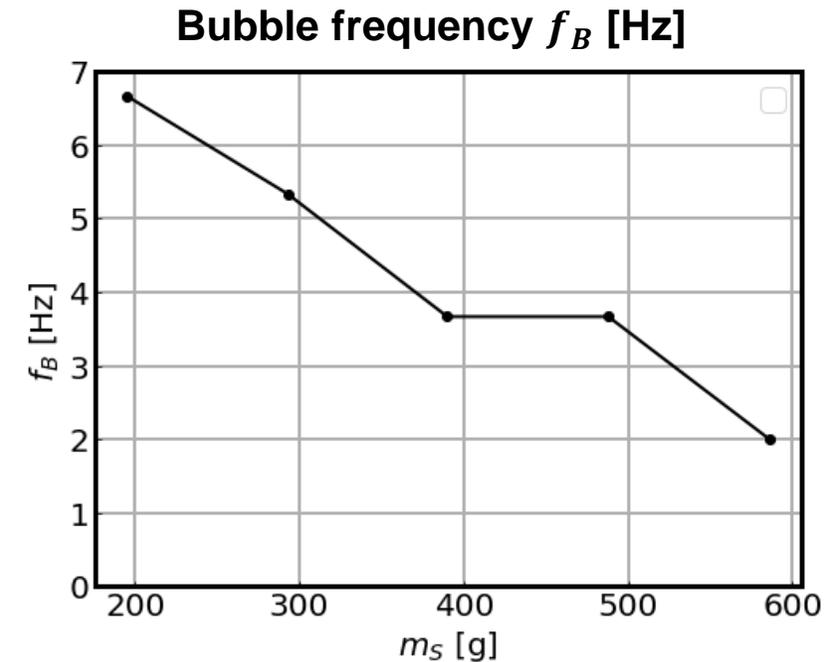
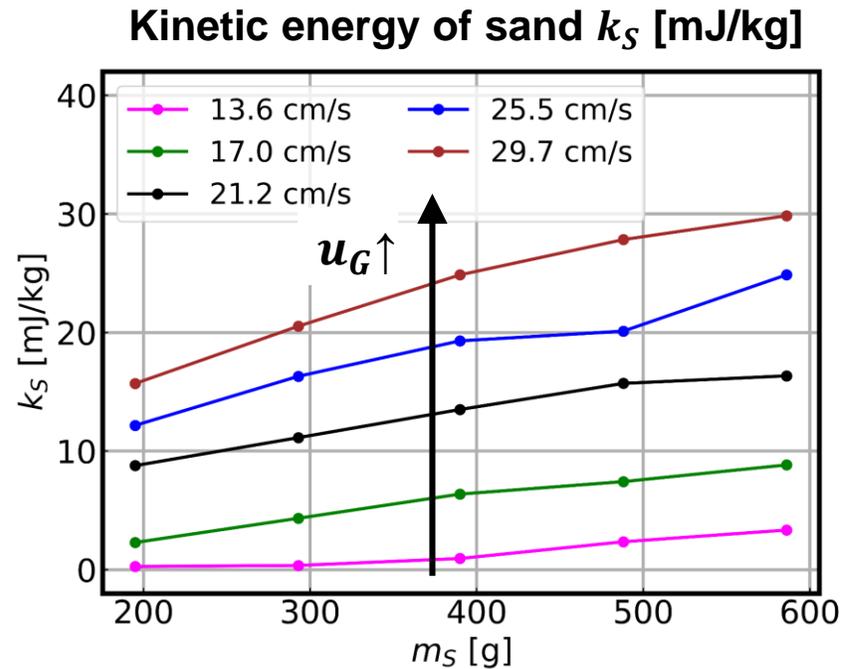
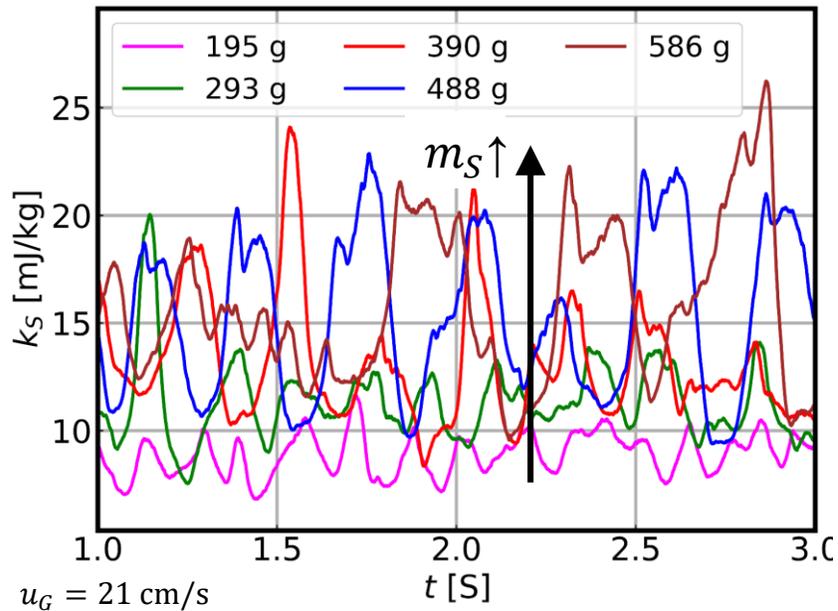
Dynamic properties of fluidized bed

Specific kinetic energy of sand k_S and bubble frequency f_B

- Increase of k_S with m_S and u_G
- f_B decreases inversely proportionally with m_S



$$K_S = \frac{1}{2} \sum_{i=1}^{N_p} m_{p,i} u_{p,i}^2, \quad k_S = K_S / m_S$$

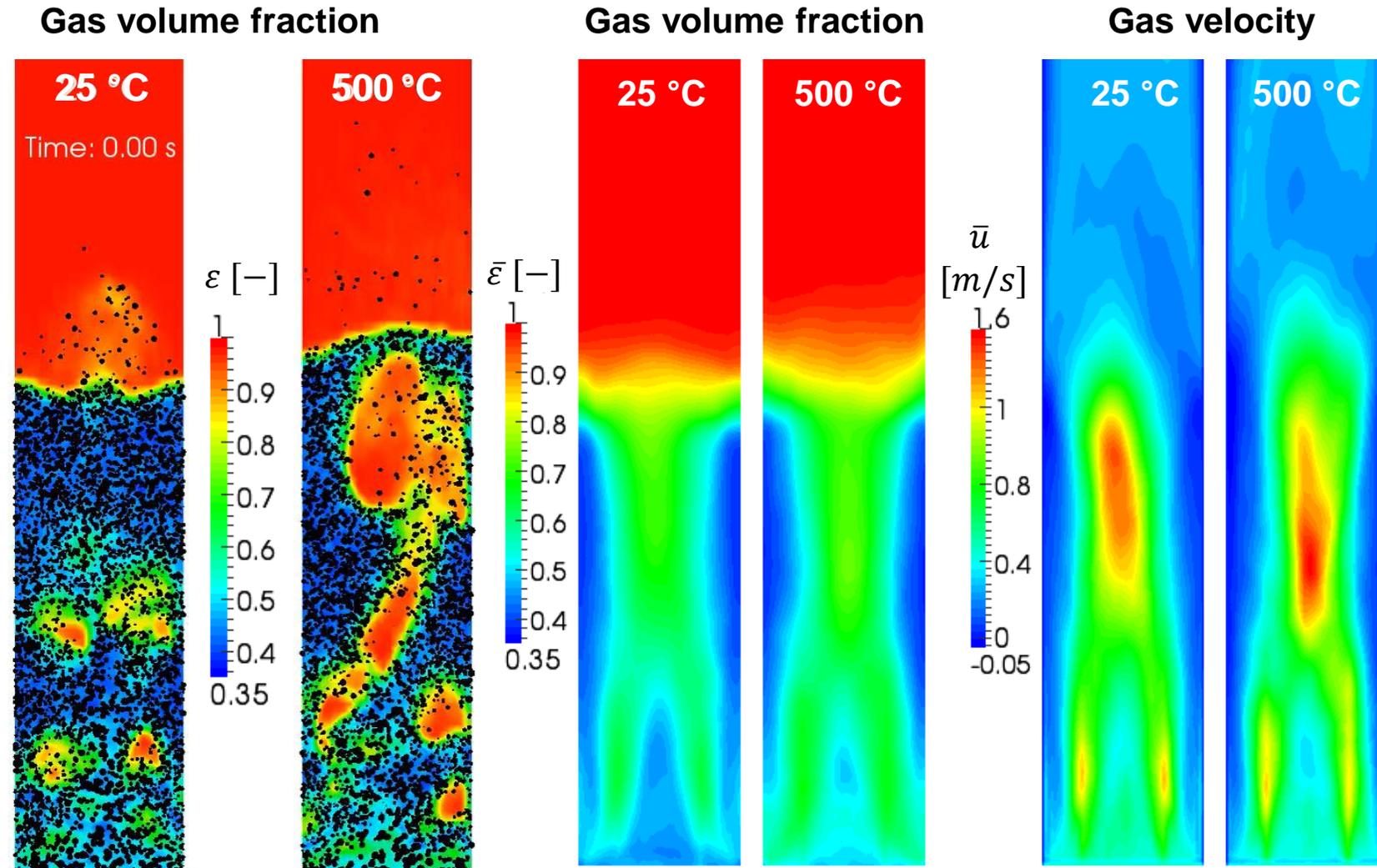


Impact of gas temperature

- ❑ Increase of gas density and viscosity with T_G
- ❑ Same fluidization behavior at increased T_G
- ❑ Slight increase of h_B and Δp

T_G [°C]	25	500
ρ_G [kg/m ³]	1.14	0.44
ν_G [m ² /s]	1.6e-5	8e-5
h_B [cm]	17.5	19.0
Δp [mbar]	18.9	19.8

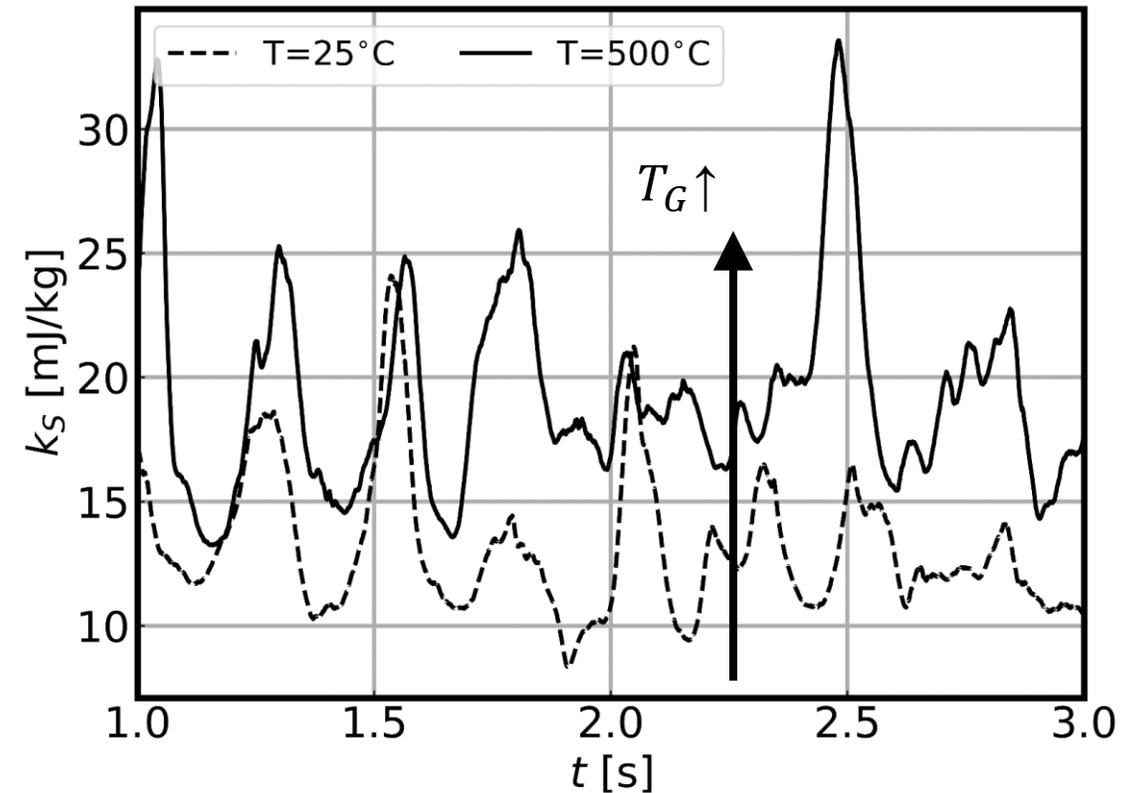
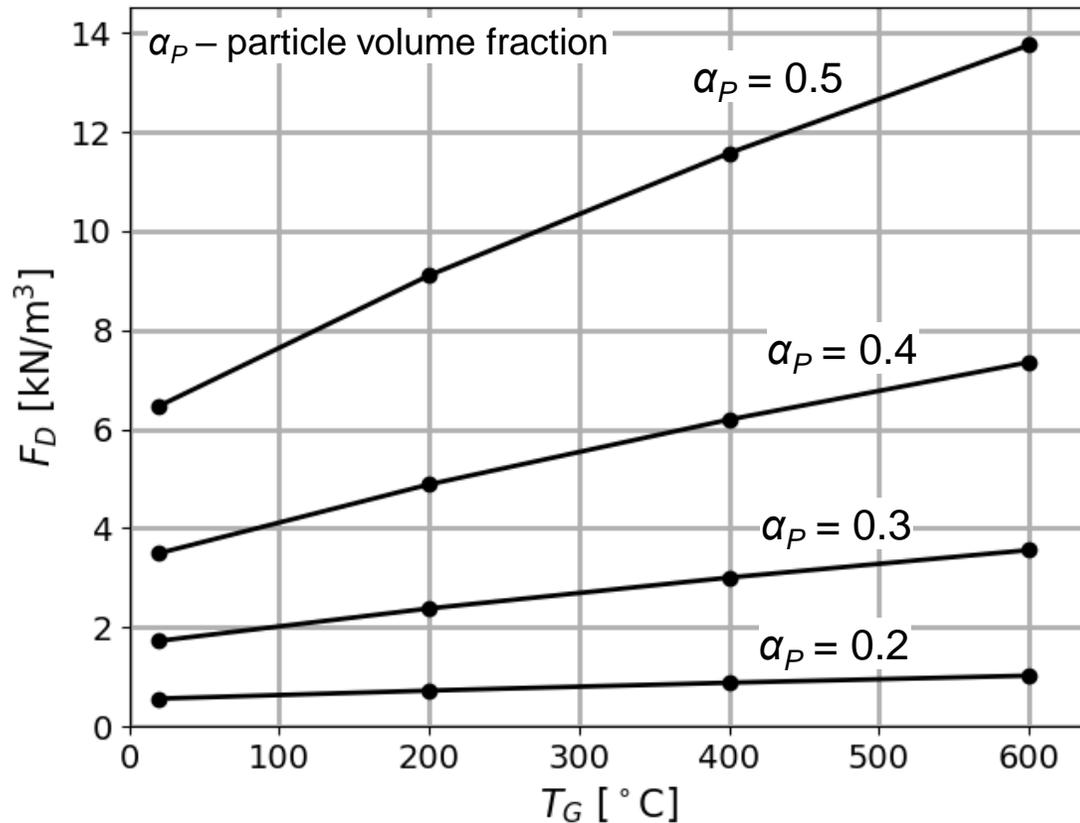
$m_S = 390 \text{ g}, u_G = 21 \text{ cm/s}$



Impact of gas temperature

- Increase of drag force with T_G
 - Increase of k_S by ca. 50%
 - f_B remains almost constant

T_G [°C]	25	500
k_S [mJ/kg]	13.6	19.2
f_B [Hz]	3.7	4.0



Impact of scale-up: setups

□ Up-scaling at

- Constant Δp and h_B
- Bubbling fluidization regime

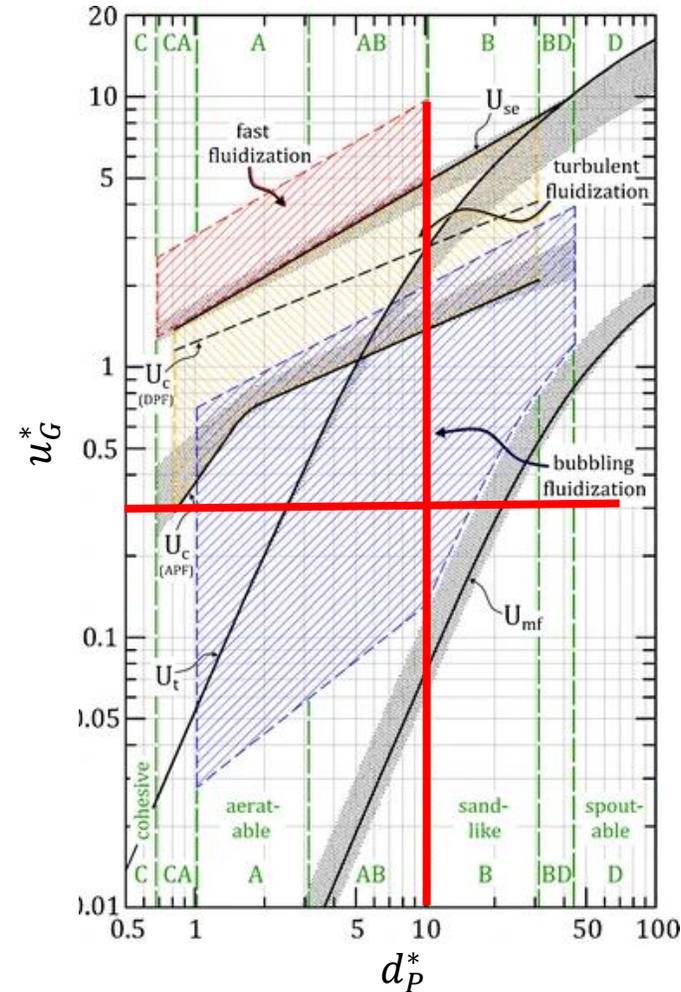
□ Increase of m_S with d_R : $m_S \propto d_R^2$

□ Simulation setups

- Same resolution for gas phase (1 mm)
- Proportionally increased No. of Lagrange parcels with m_S

d_R	3 cm	5 cm	10 cm
m_S	140 g	390 g	1600 g
u_G	21 cm/s	21 cm/s	21 cm/s
N_P	2.9 mil.	8.0 mil.	32.0 mil.

Regime diagram for gas-solid fluidized bed according to Grace



$$u_G^* = 0.30$$

$$d_p^* = 10.24$$

$$u_G^* = u_G \sqrt[3]{\frac{\rho_g^2}{\mu_g(\rho_s - \rho_g)g}}$$

$$d_p^* = d_p \sqrt[3]{\frac{\rho_g(\rho_s - \rho_g)g}{\mu_g^2}}$$

Grace JR, Contacting modes and behaviour classification of gas–solid and other two-phase suspensions.1986

Impact of scale-up: bubble formation

Gas volume fraction

3 cm

5 cm

10 cm

Time: 0.00 s



Iso-surface $\alpha_g = 0.65$

3 cm

5 cm

10 cm

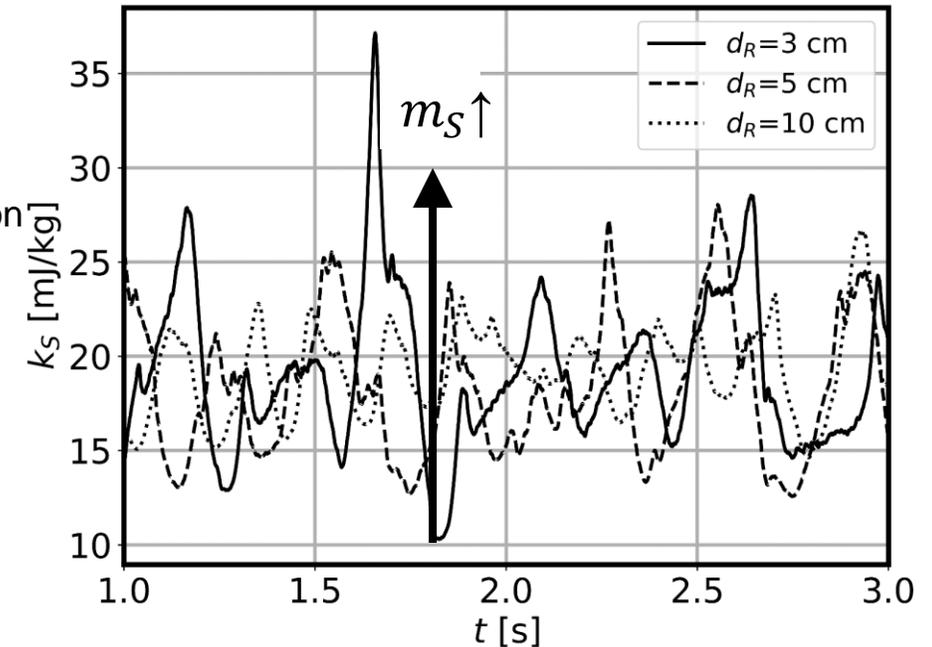
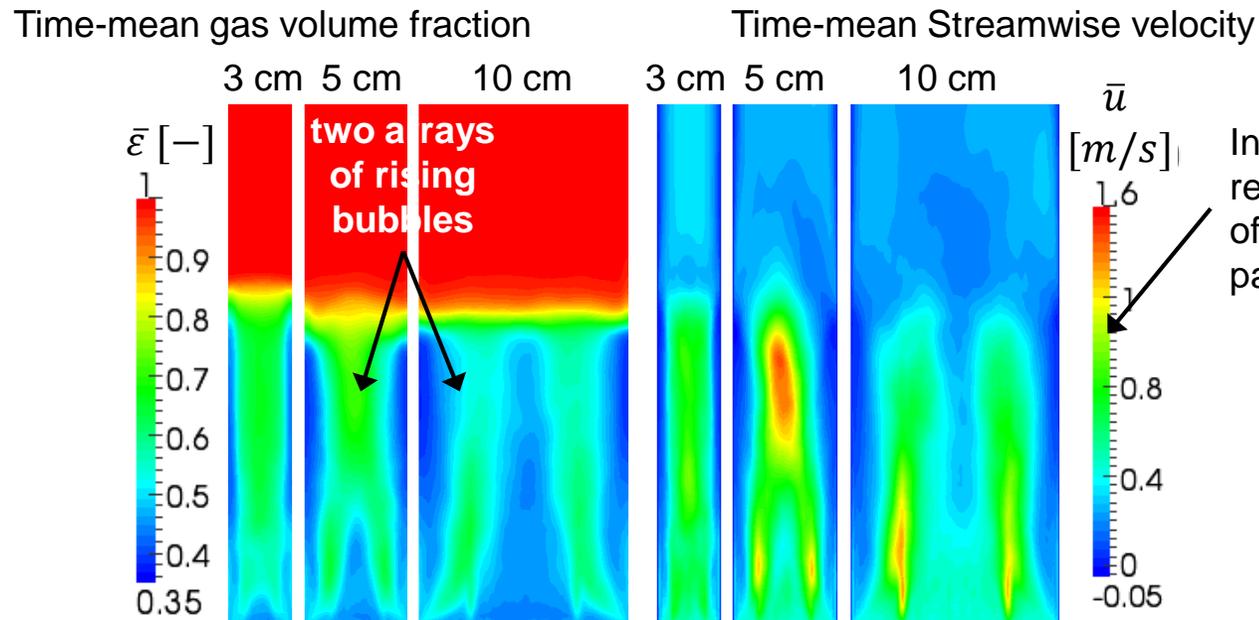
Time: 0.00 s

Impact of scale-up: dynamic properties

- ❑ Increased bubble-to-wall distance
- ❑ Enhanced bubble formation
- ❑ Multiple arrays of rising bubbles at $d_R = 10$ cm
- ❑ Specific kinetic energy remains constant
- ❑ Bubble frequency increases

$$\begin{aligned}
 & h_B, \Delta p \approx \text{const.} \\
 & k_S \approx \text{const.} \\
 & f_B \uparrow
 \end{aligned}$$

d_R [cm]	3	5	10
h_B [cm]	18.0	17.5	17.4
Δp [mbar]	21.0	20.2	20.0
\bar{k}_S [mJ/kg]	18.8	19.6	19.3
f_B [Hz]	2	3.2	3.8



Summary

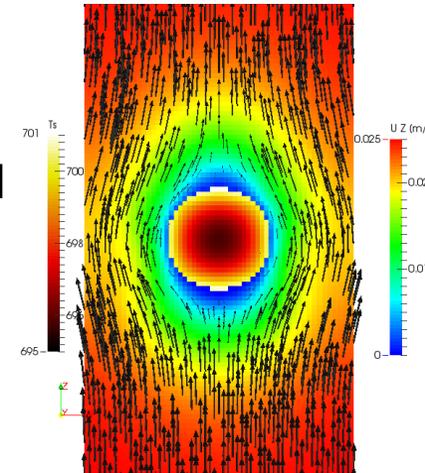
- ❑ Simulation of cold-mode fluidized bed
- ❑ k_S increases with m_S and u_G
- ❑ f_B decreases with m_S and remains constant with u_G
- ❑ k_S increases at elevated gas temperature, while $f_B \approx \text{const.}$
- ❑ Up-scaling leads to enhanced bubble formation and an increase of f_B while $k_S \approx \text{const.}$
- ❑ Importance of k_S and f_B for characterizing hydrodynamic behaviors of fluidized bed

Outlook

- Mixing of plastic particles, contact heat transfer, pyrolysis reactions
- Correlation of k_S and f_B with heating rate and pyrolysis reaction

Thank you for your attention!

Particle-resolved
simulation



Plastic pyrolysis
in fluidized bed

