

# Modelling the impact of flexible AC transmission systems on the operation of electrical transmission grids

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# Agenda

- Motivation
- FACTS overview
- Modelling approach
- Exemplary results
- Conclusion

# Motivation

- Increasing electricity demand, fluctuating generation from renewables and the missing, easily controllable generation from conventional power plants represent a great challenge for the German and European transmission grid
- Balance between generation and demand must be maintained at all times without violating voltage, frequency or transmission lines' thermal limits
- Grid expansion: building new transmission lines is necessary and in planning, but the process is expensive and time consuming
- Grid reinforcement: measures that help in utilizing the existing transmission lines to their full potential
- Flexible AC Transmission Systems (FACTS)
  - Provide reactive power and thus secure voltage stability and help to control power flows
  - Prevent and resolve congestions in the transmission grid and thus reduce redispatch volumes and costs, renewables curtailment and load shedding.
- Technical possibilities?
- Economic benefits?

# Flexible AC Transmission Systems Classification

## Parallel FACTS

→ Voltage control

- Static Var Compensator (SVC)
  - Adjustable capacitance and/or inductance connected to a busbar
- Static Synchronous Compensator (STATCOM)
  - Adjustable voltage source connected to a busbar

## Serial FACTS

→ Power flow control

- Thyristor Controlled Series Compensator (TCSC)
  - Adjustable capacitance in series with the transmission line
- Static Synchronous Series Compensator (SSSC)
  - Adjustable voltage source in series with the transmission line
- Universal Power Flow Controller (UPFC)
  - Combination of STATCOM and SSSC
  - Parallel and serial voltage impregnation
  - Reactive power feed-in and line power flow control

# Optimal powerplant operation

- Optimal power flow: „Find the optimal operating state for an electrical energy network!”

## Objective

- Minimize generation/redispach costs
- Minimize CO<sub>2</sub> emissions
- Minimize losses or renewables curtailment

## State variables

- Complex voltages
- Real and reactive power flows
- Pump-storage and battery state of charge

## Decision variables

- Generator dispatch/redispach
- Renewables curtailment
- Operating state of flexible network elements (FACTS, HVDC-converters, PST)
- ESS and pump-storage operation

## Constraints

- Power-flow equations
- Thermal branch flow limits
- Generator limits
- Voltage limits
- Components' technical limits
- Time dependencies

$$\min_{P_g} \sum_G c_i(P_{gi})$$

$$\text{s. t. } P_{i,g} - P_{i,d} - \sum_{k \in I} P_{ik} = 0,$$

$$Q_{i,g} - Q_{i,d} - \sum_{k \in I} Q_{ik} = 0,$$

$$\underline{V} \leq V \leq \bar{V},$$

$$F_{ik} \leq \bar{F},$$

$$\underline{P}_g \leq P_g \leq \bar{P}_g, \underline{Q}_g \leq Q_g \leq \bar{Q}_g$$

$G$ : Generators,  $D$ : Loads,

$I, K$ : Buses

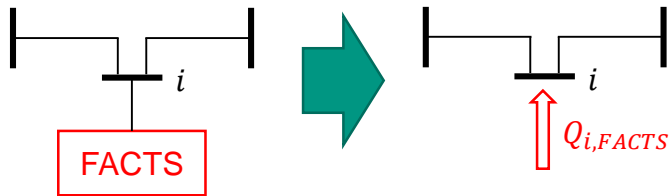
# FACTS modelling

## ■ Power injection model

- The impact of the network element is modelled by a power injection (active and reactive) at corresponding bus(es)  $i$  (and  $k$ )
- The injected power depends on the elements' operating state and the surrounding network status (e.g. bus voltage magnitude and phase angle)

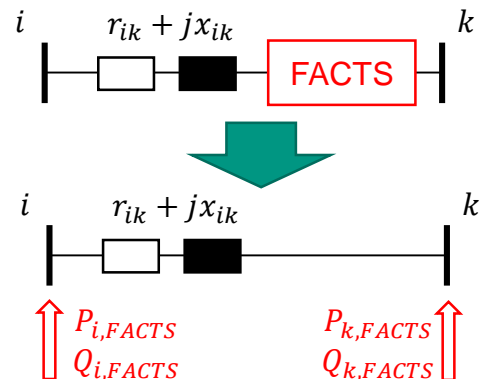
## Parallel FACTS

- Reactive power injection at bus  $i$



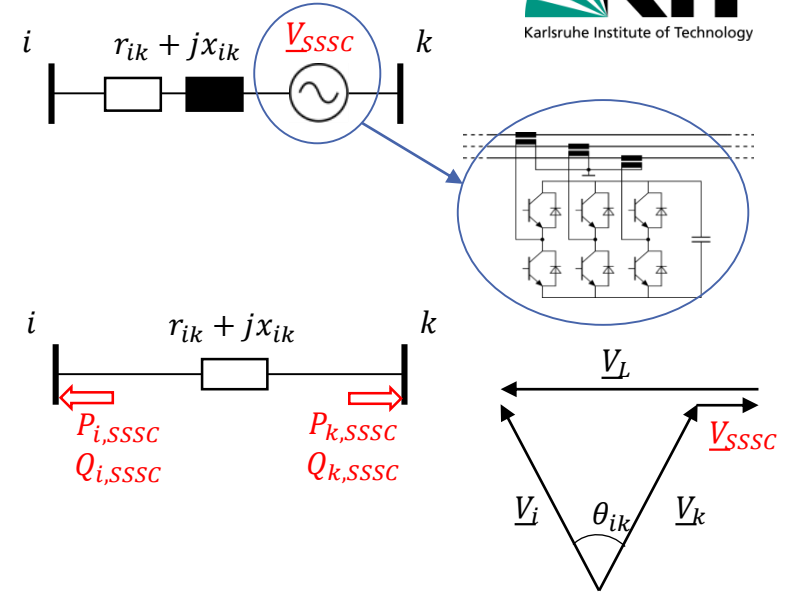
## Serial FACTS

- Active and reactive power injection at bus  $i$  and  $k$



# SSSC model

- Static Synchronous Series Compensator
- Adjustable voltage source in series to the transmission line
- Power flow control
- Injection model → power injection at the start and end bus of the line
- Steady state condition:  $P_{i,SSSC}^t + P_{k,SSSC}^t = 0$



$$P_{i,SSSC}^t = V_i^t V_{SSSC}^t [G_{ik} \cos(\theta_i^t - \delta_{SSSC}^t) + B_{ik} \sin(\theta_i^t - \delta_{SSSC}^t)]$$

$$Q_{i,SSSC}^t = V_i^t V_{SSSC}^t [G_{ik} \sin(\theta_i^t - \delta_{SSSC}^t) - B_{ik} \cos(\theta_i^t - \delta_{SSSC}^t)]$$

$$P_{k,SSSC}^t = -V_k^t V_{SSSC}^t [G_{ik} \cos(\theta_k^t - \delta_{SSSC}^t) + B_{ik} \sin(\theta_k^t - \delta_{SSSC}^t)]$$

$$Q_{k,SSSC}^t = -V_k^t V_{SSSC}^t [G_{ik} \sin(\theta_k^t - \delta_{SSSC}^t) - B_{ik} \cos(\theta_k^t - \delta_{SSSC}^t)]$$

$$P_{i,SSSC}^t + P_{k,SSSC}^t = V_i^t V_{SSSC}^t [G_{ik} \cos(\theta_i^t - \delta_{SSSC}^t) + B_{ik} \sin(\theta_i^t - \delta_{SSSC}^t)]$$

$$-V_k^t V_{SSSC}^t [G_{ik} \cos(\theta_k^t - \delta_{SSSC}^t) + B_{ik} \sin(\theta_k^t - \delta_{SSSC}^t)] = 0$$

$$V_{SSSC} \leq V_{SSSC}^t \leq \bar{V}_{SSSC}$$

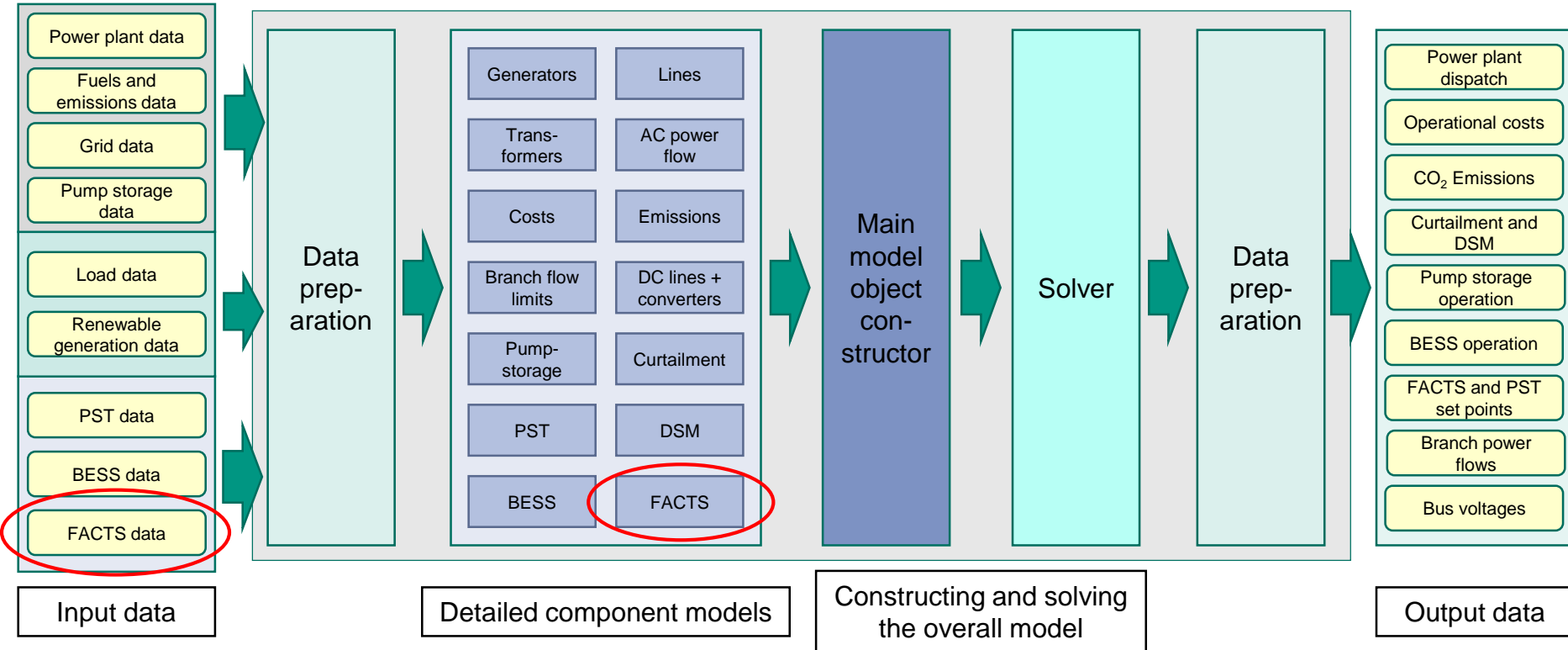
$$\delta_{SSSC} \leq \delta_{SSSC}^t \leq \bar{\delta}_{SSSC}$$

$$P_{i,g} - P_{i,d} - \sum_{k \in I} P_{ik} + P_{i,SSSC} = 0$$

$$Q_{i,g} - Q_{i,d} - \sum_{k \in I} Q_{ik} + Q_{i,SSSC} = 0$$

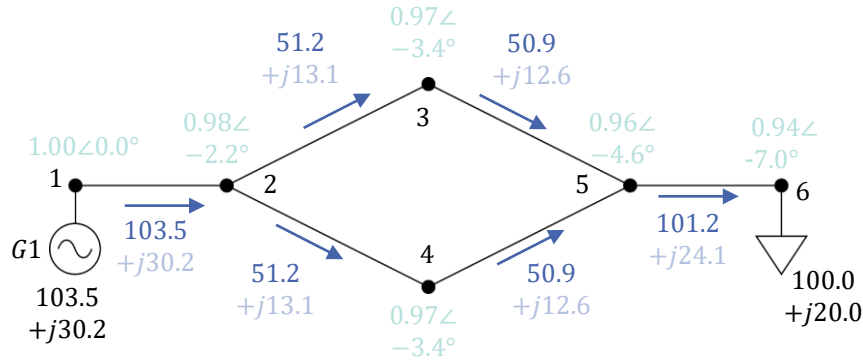
$$F_{ik} + F_{i,SSSC} \leq \bar{F}$$

# Overall OPF model overview





# Exemplary results



Line parameters:

$$r = 0.01$$

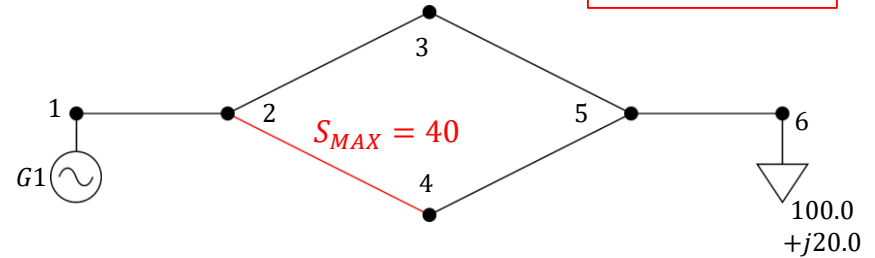
$$x = 0.04$$

$$b = 0.007$$

Voltage limits:

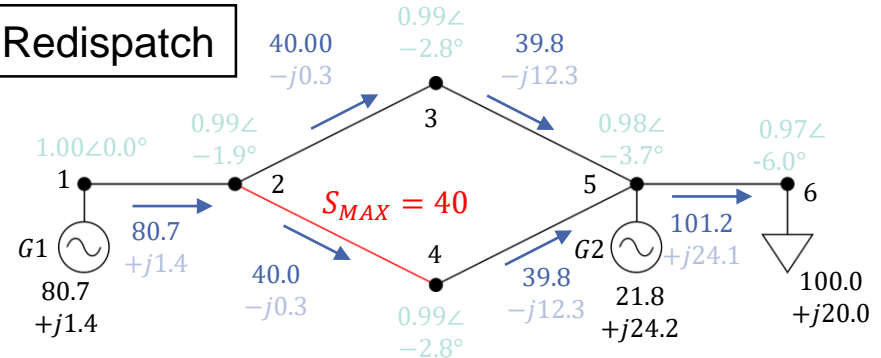
$$0.9 \leq V \leq 1.1$$

No measures



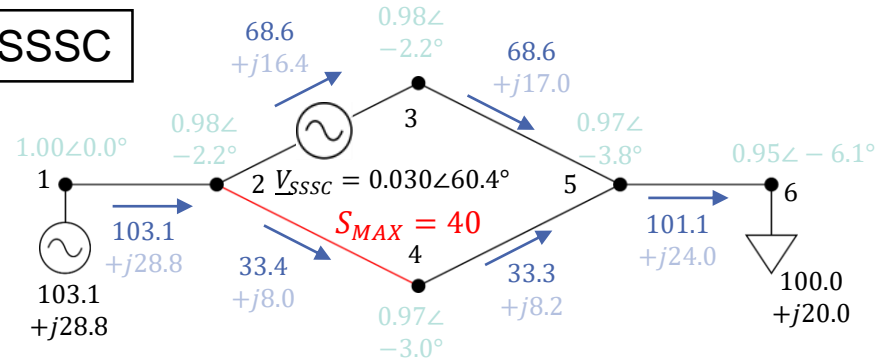
No possible solution

Redispatch

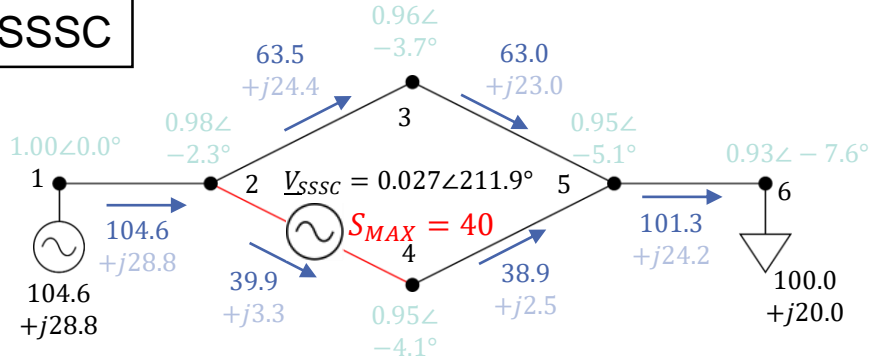


# Exemplary results

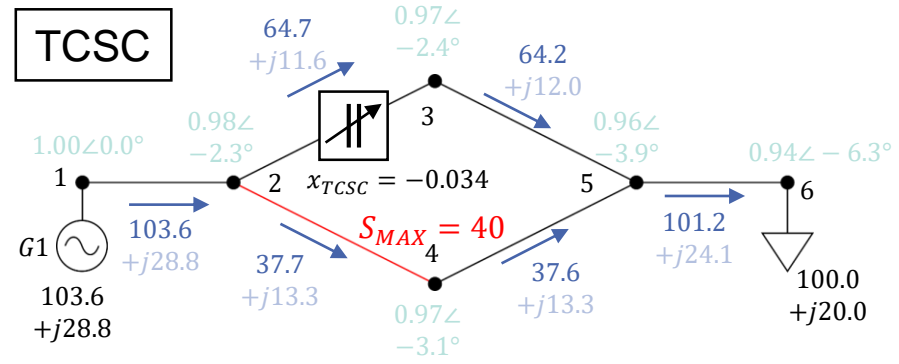
**SSSC**



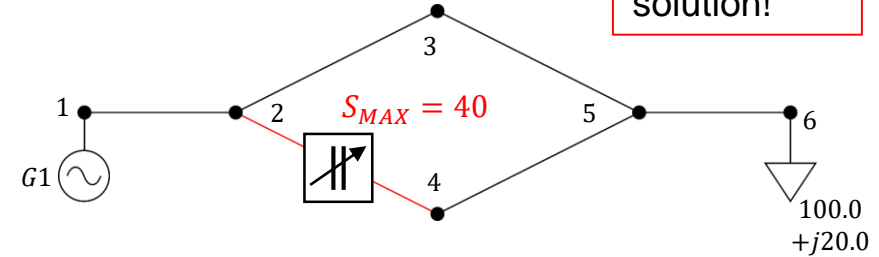
**SSSC**



**TCSC**



**TCSC**



# Conclusion

## Summary

- Models for different types of FACTS with a high level of technical detail have been developed and tested
- Models have been successfully implemented into a large-scale OPF model
- Applied on IEEE test cases and transmission grid of Germany + neighbors

## Outlook

- Case studies on a German/European scale
- Placement of new FACTS and other flexible network elements