



# Privacy-Preserving Flexibility Provisioning Approaches for Enhanced TSO-DSO Interaction

Xinliang Dai, Burak Dindar, Yanlin Jiang, Frederik Zahn, Dr. Hüseyin K. Çakmak, Prof. Dr. Veit Hagenmeyer

### Motivation

- As power systems continue to evolve, efficiently utilizing flexibility from the distribution system (DS) is becoming increasingly important for effective network management.
- Achieving this, however, depends on seamless interoperability between key stakeholders, such as Transmission System Operators (TSOs)
  and Distribution System Operators (DSOs).
- However, data privacy concerns such as potential exposure of network topology and customer load profiles among stakeholders
  present significant challenges for utilizing this flexibility effectively.

## Flexibility Aggregation Approach

#### Hierarchical graph abstraction of ITD systems

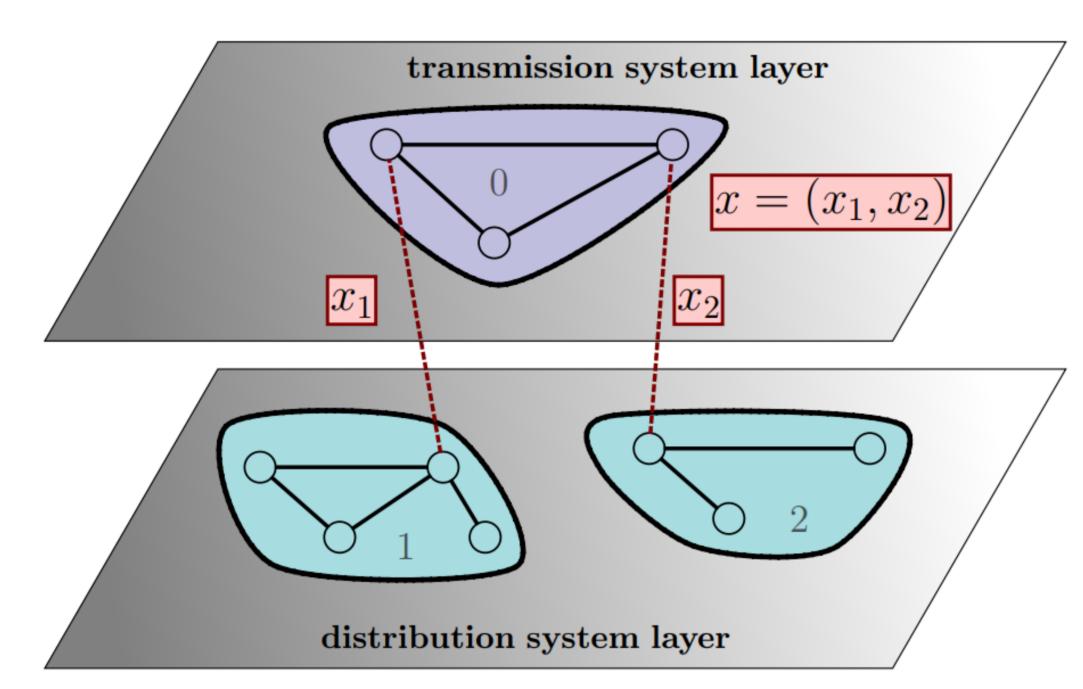


Figure 1: Hierarchical graph of an ITD system

Hierarchical optimization

$$\min_{x,y} f_0(x,y_0) + \sum_{\ell \in \mathcal{D}} f_\ell(x_\ell,y_\ell)$$

s.t. 
$$c_0(\mathbf{x}, y_0) = 0, \ y_0 \in \mathcal{Y}_0$$
  $c_\ell(\mathbf{x}_\ell, y_\ell) = 0, \ \mathbf{x}_\ell \in \mathcal{X}_\ell, \ y_\ell \in \mathcal{Y}_\ell, \quad \forall \ell \in \mathcal{D}$ 

Optimization without considering DS model explicitly

$$\min_{x,y} f_0(x,y_0) + \sum_{\ell \in \mathcal{D}} \hat{f}_{\ell}(x_{\ell})$$

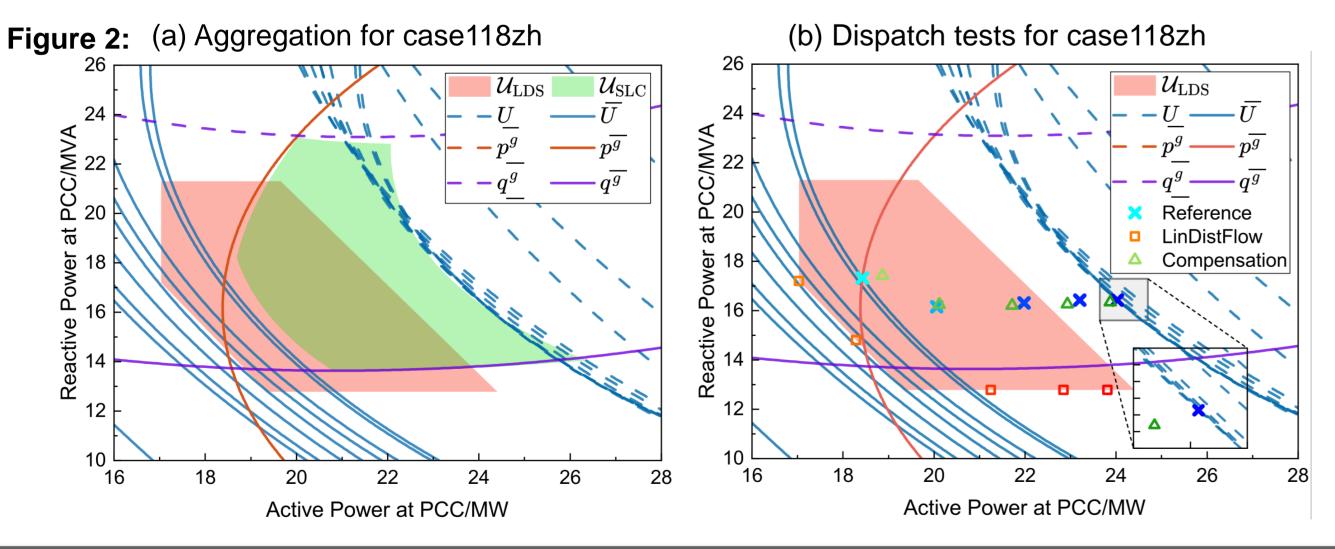
s.t. 
$$c_0(x,y_0)=0,\ y_0\in\mathcal{Y}_0$$
  $x_\ell\in\mathcal{X}_\ell^{\mathsf{imp}},$ 

 $\forall \ell \in \mathcal{D}$ 

Approximation of the implicit feasible set of the DS model

$$\mathcal{X}^{\mathsf{imp}}_{\ell} = \{x_{\ell} \in \mathcal{X}_{\ell} \mid g_{\ell}(x_{\ell}, y_{\ell}) = 0, \ y_{\ell} \in \mathcal{Y}_{\ell}\}$$

#### Results



# Machine Learning Approach

#### Representation of DS using ML models

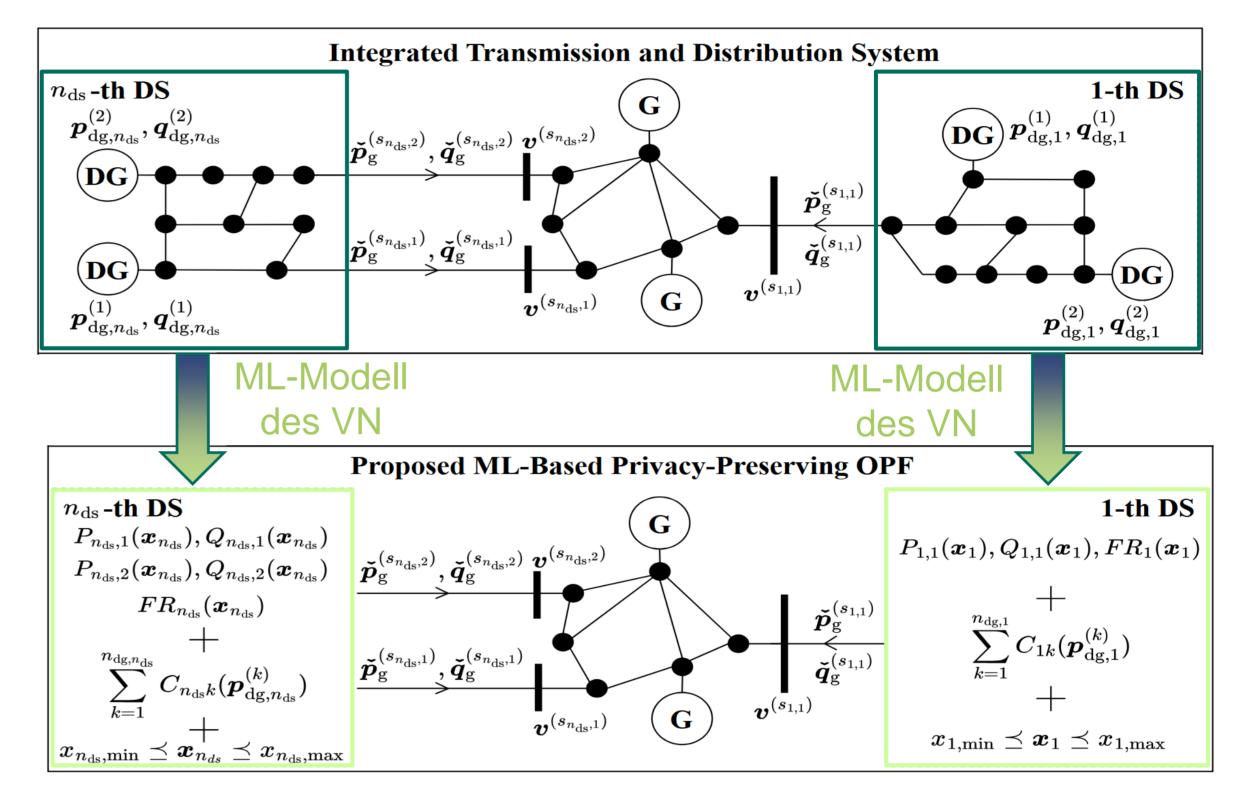


Figure 3: Schematic representation of the proposed ML-based method

With ML models the TSO can incorporate DGs located within the DS into dispatch decision.

#### Representation of DS feasible space

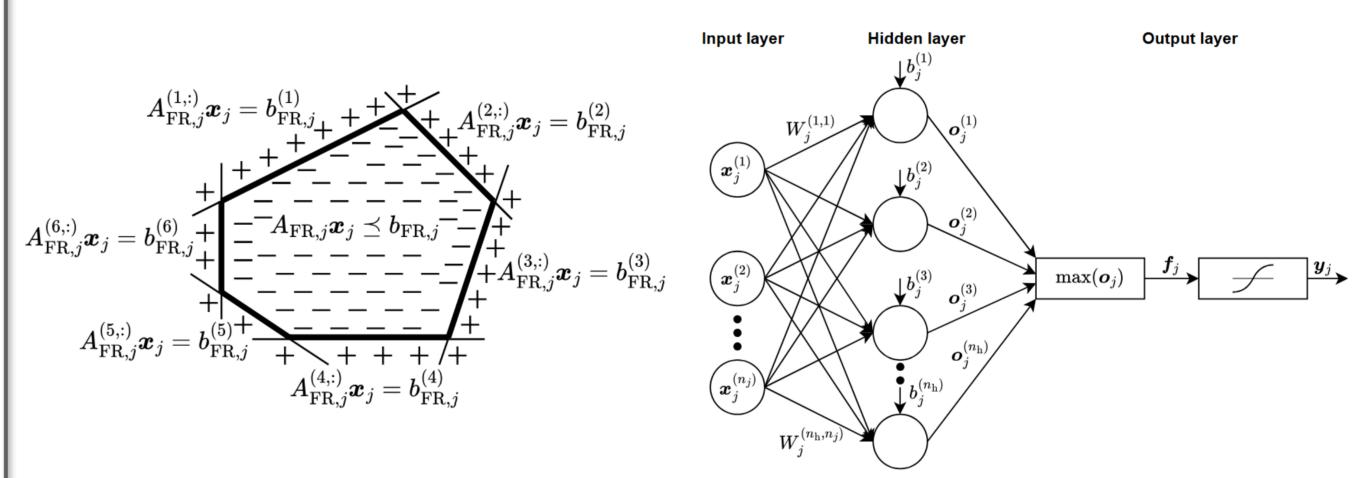


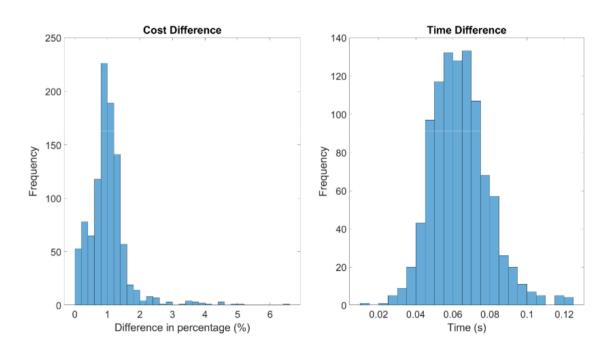
Figure 4: Schematic representation of the polytope Figure 5: The architecture of the novel tailored NN

 We represent the DS feasible region as a convex polytope by developing a novel NN architecture that defines this polytope using a set of linear inequalities with high computational efficiency.

#### Results

# **Table 1** Accuracy, Recall and Specificity Metrics of the NN Models

Model	Accuracy	Recall	Specificity
$FR_1(oldsymbol{x}_1) \ FR_2(oldsymbol{x}_2)$ - $FR_3(oldsymbol{x}_3)$	99.90% 94.79%	99.89% 93.03%	100.00% 97.01%



**Figure 6:** The histogram of the total cost and computational time differences taking AC-OPF as reference.

#### Conclusion

- Both methods enable fast flexibility calculation as non-iterative distributed approaches.
- Both of these approaches enable the effective use of DS flexibility in network management with subject to physical constraints.
- Both methods preserve data privacy, ultimately fostering greater interoperability among stakeholders.