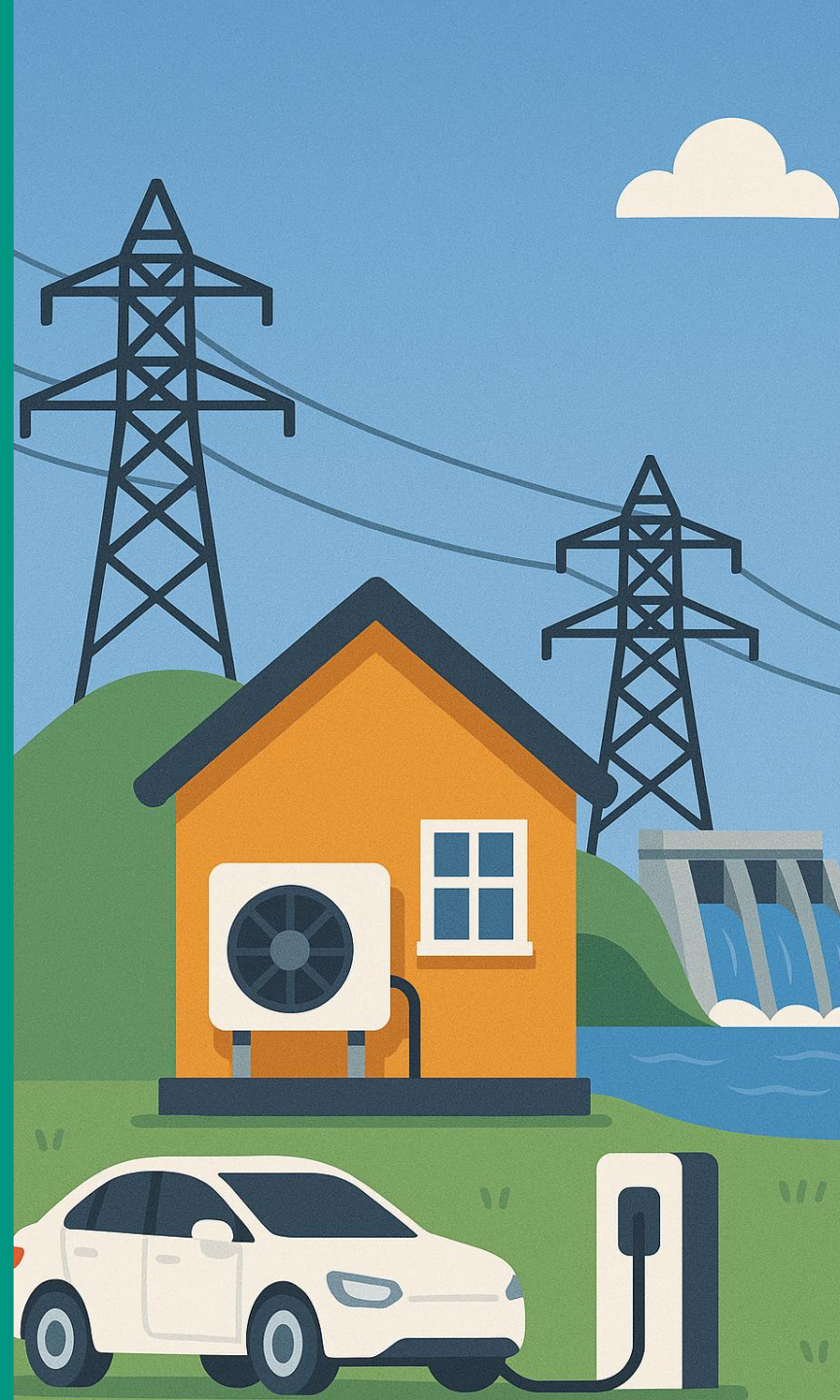


Welfare-Optimal Storage Integration in Agent-Based Electricity Market Models

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Motivation

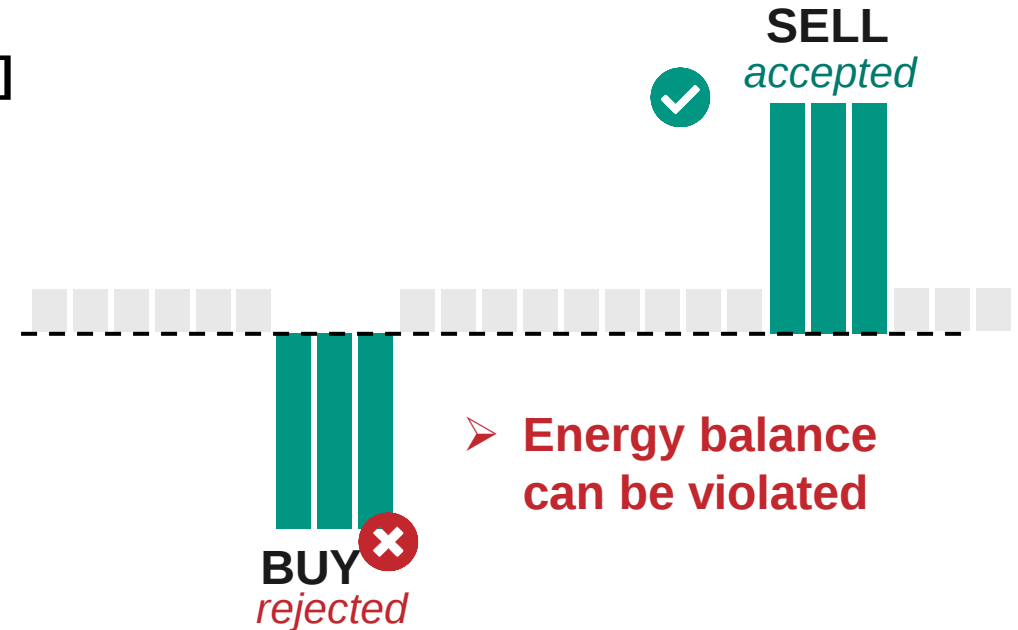
Storage has unique operational constraints

Storage plays an increasing role in electricity markets [4]

- Battery deployment, EV adoption (V2G), falling costs
- ABMs need a adequate approach to include storages [1][2][3]

ABMs typically use hourly simple bids for market clearing:

- Works well for conventional plants (no state coupling)
- **But storage has hard intertemporal constraints**
 - Becomes critical with high storage penetration
 - Price-taker to price-maker transition



Research question: How can storage be integrated into ABM market clearing while preserving convexity and individual rationality?

Storage integration in ABMs

Comparison of different established ABMs

X = No, ✓ = Yes

	AMIRIS [1]	ASSUME [2]	PowerACE [3]
DA clearing	Hourly	Hourly	Hourly
Storage agents included	✓	✓	✓
Bidding approach	Heuristic	Reinforcement Learning	Heuristic
Complex bidding formats	X	✓*	✓**
Intertemporal coupling of clearing	X	X	X

- All three ABMs delegate storage dispatch to the agent.
- No ABM couple storage clearing intertemporally

Welfare-Optimal Storage Integration

Modifying the market clearing to directly accommodate storage

Conventional Agents

- Submit bids (with mark-ups, RE-Policy, ...)
- No change to agent behavior

Storage Assets (incl. V2G)

- Submit no bids
- Technical parameters as input to clearing

Extended Economic Dispatch Problem (24h joint)
Storage integrated directly – welfare-optimal dispatch

**Bid acceptance
+ clearing prices**

**Storage dispatch
(welfare-optimal)**

➤ **Conventional bids + optimal storage dispatch in one clearing step**

Formulation

Extended Economic Dispatch with storage constraints (24h day-ahead horizon)

Objective:

$$\min \sum_t [\sum_i (bid_{i,t} \cdot q_{i,t})]$$

Subject to:

Energy balance: $\sum_i q_{i,t} + dis_t - ch_t = D_t$ Dual: λ_t

SoC dynamics: $SoC_t = SoC_{t-1} + \eta_c \cdot ch_t - dis_t/\eta_d$ Dual: μ_t

SoC bounds: $SoC_{min} \leq SoC_t \leq SoC_{max}$

Power limits: $0 \leq ch_t, dis_t \leq P_{max}$

$q_{i,t}$	accepted quantity
ch_t	charge power
dis_t	discharge power
SoC_t	state of charge
D_t	demand
η_c	charge efficiency
η_d	discharge efficiency
P_{max}	power limit
λ_t	clearing price
μ_t	shadow price of stored energy

- SoC dynamics couple all 24 hours → joint optimization instead of hourly clearing
- Linear problem

Price Formation

Storage has no bid price – how does the model assign one?

Every primal variable has a corresponding dual constraint.

For discharging (dis_t):

$$\lambda \leq \mu / \eta_d$$

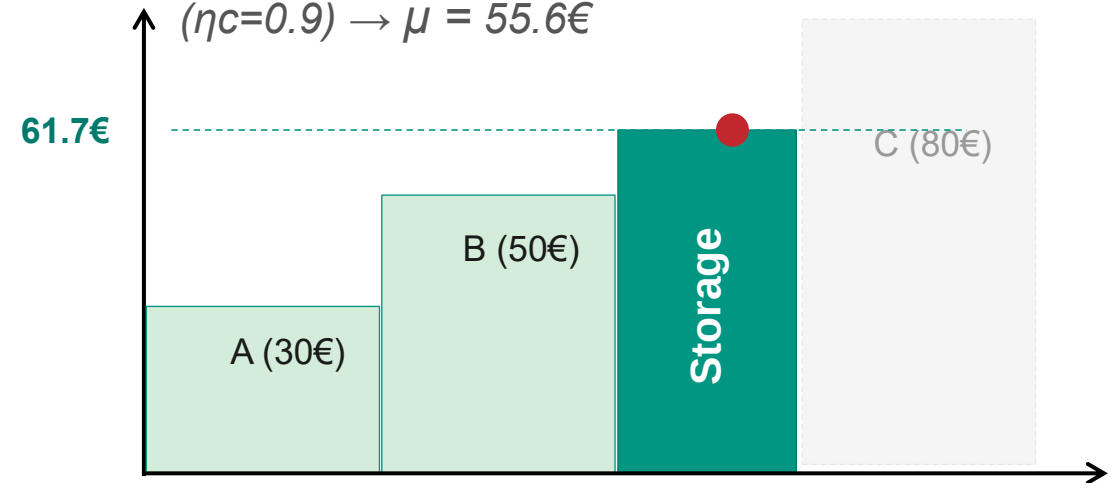
Links the value of stored energy (μ) to the MCP (λ).

Binds when dis > 0 (complementarity):

Partial:	$\lambda = \mu / \eta_d$	→ Storage sets price
Full:	$\lambda = \mu / \eta_d + \beta$	→ Conv. bid sets price
Idle:	$\lambda < \mu / \eta_d$	→ Not dispatched

Merit order (example)

*Storage charged at 50€
($\eta_c=0.9$) → $\mu = 55.6$ €*



MCP = $\mu / \eta_d = 61.7$ €
Storage marginal, C not accepted

**The clearing price emerges endogenously from the LP, no bid price required.
Storage enters the merit order at μ/η_d (opportunity cost).**

Storage Never Loses Money

Individual rationality follows directly from duality (Slide 6)

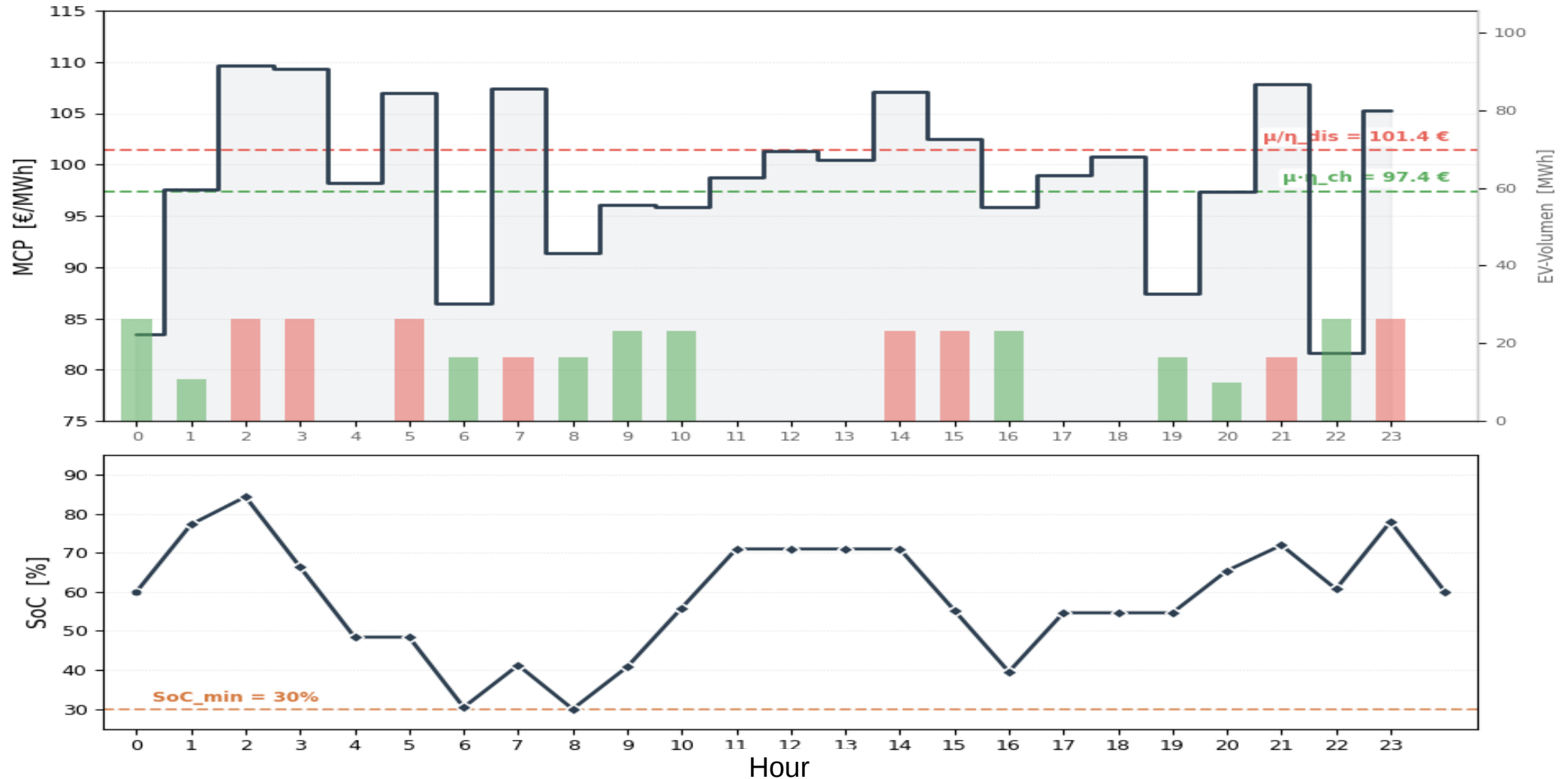


- Non-negative profit guaranteed by LP structure (not by heuristic)
- Welfare-optimal dispatch = opportunity-cost bidding strategy in a competitive market
- LP guarantees convexity $\rightarrow$ no paradoxically accepted orders (unlike block bids [5])

Convex formulation guarantees: clearing prices exist, storage profit ≥ 0 , and dispatch consistent with EUPHEMIA rules [6].

Dispatch Example

Based on the test model from [7], extended with welfare-optimal clearing



Conclusion & Outlook

Key findings:

- **Simple bids break for storage** – intertemporal constraints need new approaches
- **Welfare-optimal integration**: storage submits constraints, agents bid as usual
- **LP duality assigns implicit price** – standard merit order logic applies
- **No market rule violations**; storage never loses money
- **Computational overhead manageable** (~1.7x)

Outlook:

- **Integration into PowerACE** for long-term scenarios (2025–2040)
- **Goal is to use this approach for V2G** at varying EV uptakes

Thank you for your attention!



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