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**Forschungszentrum Karlsruhe**  
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**Wissenschaftliche Berichte**  
FZKA 7092

**The Role of Chemistry  
and Transport on NO<sub>y</sub>  
Partitioning and Budget  
during Austral Spring 2002  
as derived from MIPAS  
Measurements**

**G. Mengistu Tsidu**

Institut für Meteorologie und Klimaforschung

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Messungen)\***

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The Role of Chemistry and Transport on NO<sub>y</sub> Partitioning  
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Partitionierung und dem NO<sub>y</sub>-Budget während des Antarktischen  
Frühlings 2002, abgeleitet aus MIPAS Messungen)

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## Abstract

In 2002, the first time a split of the Antarctic stratospheric polar vortex was observed. An accurate and well characterized data set of nitrogen species ( $\text{HNO}_3$ ,  $\text{ClONO}_2$ ,  $\text{N}_2\text{O}_5$ ,  $\text{NO}$ ,  $\text{NO}_2$ ) and long-lived species ( $\text{N}_2\text{O}$ ,  $\text{CH}_4$ , CFC-11), retrieved from limb emission spectra recorded by the Michelson Interferometer for Passive Atmospheric Sounding (MIPAS) aboard the European ENVIRONMENTAL SATellite (ENVISAT) is used to study the nitrogen chemistry in this episode. The retrieval algorithm used in this context to derive temperature and composition of the atmosphere from measured limb radiances was tested and cross-checked against the conceptually different Hessian method. A retrieval strategy is proposed to distinguish background continuum emission from continuum-like emission of the  $\text{N}_2\text{O}_5$  signal. The diagnostics of the retrieved volume mixing ratios (VMR), using  $\text{N}_2\text{O}_5$  as example of the most difficult components of  $\text{NO}_y$  to retrieve, are presented.  $\text{NO}_y$  and two of its components, namely  $\text{HNO}_3$  and  $\text{N}_2\text{O}_5$ , are, as part of the validation activities, compared with measurements from other instruments. The  $\text{N}_2\text{O}_5$  VMRs at high latitudes outside the polar vortex are investigated to assess the impact of the stratospheric major warming during September 2002. Moreover, the retrieved nitrogen species and source gases during the major stratospheric warming, are analysed to study the role of chemistry and dynamics on the stratospheric  $\text{NO}_y$  partitioning and budget during this event.

For purposes of cross-validation of the routinely used Gauss-Newton algorithm and the improved Hessian method, test retrievals were carried out on the basis of simulated limb emission spectra. These show that both algorithms generally produce nearly identical results and error covariance matrices. Small differences are attributed to the different treatment of nonlinearity in the Hessian approach and differences in the calculation of the derivative of the forward model with respect to VMR. The results of the comparison of the two methods confirm the appropriate level of accuracy of the more efficient variant of the Gauss-Newton-based algorithm used to retrieve the constituent species.

The retrieval of  $\text{N}_2\text{O}_5$  is difficult due to the continuum-like emission feature of this species. The  $\text{N}_2\text{O}_5$  band covers a wide spectral region and is hardly distinguishable from background continuum emission. The method of constraining the background continuum in the spectral region used for  $\text{N}_2\text{O}_5$  analysis to the value determined in an  $\text{N}_2\text{O}_5$  free spectral region was found to be appropriate to solve this problem. Retrieved VMRs of  $\text{N}_2\text{O}_5$  exhibit features consistent with the dynamics prevalent at the time in the Antarctic and known  $\text{N}_2\text{O}_5$  chemistry governing diurnal variability. The observations of low  $\text{N}_2\text{O}_5$  inside vortex airmass and  $\text{N}_2\text{O}_5$  rich ex-vortex airmass are strongly consistent with the chemistry that governs the  $\text{N}_2\text{O}_5$  fraction within the  $\text{NO}_y$  family.

The comparison of MIPAS/ENVISAT  $\text{HNO}_3$  and  $\text{N}_2\text{O}_5$  with measurements by MIPAS-B (a MIPAS instrument onboard a stratospheric balloon-platform) indicates good agreement in cases when the coincidence in space and time of both measurements is very good. The comparison of MIPAS  $\text{NO}_y$  with measurements from the in-situ SIOUX instrument is affected by the difference in the vertical resolution, scarcity of measurements of good coincidence in space. However, the agreement is improved after degrading SIOUX  $\text{NO}_y$  vertical profiles by MIPAS averaging kernels. The MIPAS  $\text{HNO}_3$  equivalent latitude averages lie within the scatter of the 8-year climatology of  $\text{HNO}_3$  measured by the Microwave Limb Sounder (MLS) on Upper Atmospheric Research Satellite (UARS).

The enhanced nighttime high geographic latitude  $\text{N}_2\text{O}_5$  VMR with a peak of 4.4 ppbv in the alti-

tude range of 32-37 km during the last week of September 2002 is consistent with air mass transport from lower to high latitudes and temperature sensitive  $\text{N}_2\text{O}_5$  formation chemistry.  $\text{N}_2\text{O}_5$  enhancement up to 6 ppbv was also observed by the Cryogenic Limb Array Etalon Spectrometer (CLAES) and Improved Stratospheric and Mesospheric Sounder (ISAMS) experiments on UARS during northern hemisphere January 1992 stratospheric warming which was a factor of 3 larger than any measurements of  $\text{N}_2\text{O}_5$  prior to UARS. In contrast, a maximum of 4.4 ppbv  $\text{N}_2\text{O}_5$  VMR observed by MIPAS at 32-37 km is only a factor of 2 larger than its prewarming values.

The comparison of  $[\text{NO}_y]:[\text{N}_2\text{O}]$  correlation curve determined from MIPAS July data with the correlation curve determined from measurements by the Atmospheric Trace Molecule Spectroscopy Experiment (ATMOS) and that constructed from combined data (ground-based millimeter-wave spectrometer (GBMS) at the South Pole, Halogen Occultation Experiment (HALOE) aboard UARS, Polar Ozone and Aerosol Measurement II instrument (POAM II) aboard French SPOT-3 polar orbiting satellite and model calculations) suggests that the MIPAS July  $[\text{NO}_y]:[\text{N}_2\text{O}]$  correlation curve represents the transition period (late winter) in the polar stratosphere, during which the  $[\text{NO}_y]:[\text{N}_2\text{O}]$  correlation evolves continuously from the formation of the vortex during the preceding fall (as described by the correlation constructed from combined data) to its breakup in spring (as described by ATMOS correlation). The evolution of the MIPAS ex-vortex correlation curve from July to the September/October period is also in agreement with preceding observations. At the linear end of the correlation curve due to high bias in  $\text{N}_2\text{O}$  in September, no conclusion can be drawn on the evolution of the correlation curve.

The chemical and transport processes determining the  $\text{NO}_y$  deficit and partitioning are investigated. Most of the available  $\text{NO}_y$  in the polar vortex was in the form of  $\text{HNO}_3$  and  $\text{NO}_x$  in the lower stratosphere except for the period 22 - 27 September when  $\text{NO}_y$  was dominantly found in the form of  $\text{HNO}_3$  and  $\text{ClONO}_2$  between the 400 K and 475 K levels. The dominant process throughout the lower stratosphere was enhanced photolysis of  $\text{HNO}_3$  resulting in a steady increase of  $\text{NO}_x$  during the split of vortex. The enhanced photolysis was initiated following the displacement of the vortex to low and mid-latitudes. This observation was confirmed by the buildup of  $\text{HNO}_3$  after this period in mid-October following the vortex repositioning on the pole.  $\text{N}_2\text{O}_5$  inside the vortex increased above 625 K level during the 22-27 September period following the enhancement of  $\text{NO}_x$  from  $\text{HNO}_3$  photolysis. On the 475 K level, the  $\text{NO}_y$  volume mixing ratio (VMR) inside the vortex is lower than the reference value derived from its proxy early winter ex-vortex relation by  $\approx 12.5$  ppbv during the whole period. The artificial reference linear tracer method suggests that the  $\text{NO}_y$  deficit during the period accounted by descent followed by quasi-horizontal mixing and denitrification is approximately 25% and 75% respectively before the split of vortex and 40-45% and 55-60% respectively after the split of vortex. The quasi-isentropic mixing line approach overestimates mixing induced  $\text{NO}_y$  deficit due to indications for occurrences of several single mixing events and/or continuous mixing from the  $[\text{CH}_4]:[\text{N}_2\text{O}]$  vortex scatter plots and thus provides mixing values of 55-60% and 62% before and after the split of vortex respectively.



## Zusammenfassung

# Die Rolle von Chemie- und Transportprozessen bei der $\text{NO}_y$ -Partitionierung und dem $\text{NO}_y$ -Budget während des Antarktischen Frühlings 2002, abgeleitet aus MIPAS Messungen

Im Jahre 2002 wurde erstmals ein Aufspalten des Antarktischen Polarwirbels beobachtet. Zur Untersuchung der Stickstoffchemie während dieser Episode wurde ein genauer und gut charakterisierter Datensatz über Verbindungen aus der Stickstofffamilie ( $\text{HNO}_3$ ,  $\text{ClONO}_2$ ,  $\text{N}_2\text{O}_5$ ,  $\text{NO}$ ,  $\text{NO}_2$ ) und langlebigen Gasen ( $\text{N}_2\text{O}$ ,  $\text{CH}_4$ , CFC-11) herangezogen. Die Höhenprofile dieser Gase wurden aus Horizontsondierung-Emissionsspektren abgeleitet, die mit dem Michelson Interferometer für Passive Atmosphärische Sondierung (MIPAS) auf dem Europäischen Umweltforschungssatelliten ENVISAT gemessen wurden. Der hierzu verwendete Inversionsalgorithmus wurde anhand der konzeptuell unterschiedlichen Hesse-Methode Kreuzvalidiert. Ein Ansatz zur Unterscheidung des spektralen  $\text{N}_2\text{O}_5$ -Signals von der Hintergrundkontinuumsstrahlung wurde entwickelt. Die Charakterisierung der abgeleiteten Höhenprofile wird anhand von  $\text{N}_2\text{O}_5$ , dem am schwierigsten abzuleitenden Gas aus der  $\text{NO}_y$ -Familie, diskutiert.  $\text{NO}_y$  und zwei seiner Komponenten, nämlich  $\text{HNO}_3$  und  $\text{N}_2\text{O}_5$  werden im Rahmen von Validierungsaktivitäten mit Messungen von anderen Instrumenten verglichen. Die  $\text{N}_2\text{O}_5$ -Mischungsverhältnisse in hohen Breiten außerhalb des Polarwirbels werden verwendet, um den Einfluss der Stratosphärenenerwärmung im September 2002 abzuschätzen. Darüber hinaus wurden die abgeleiteten Höhenprofile der Stickstoffverbindungen und Quellgase verwendet, um die dynamischen und chemischen Prozesse, die die stratosphärische  $\text{NO}_y$ -Partitionierung und -Budget während dieser Episode regulieren, zu unterscheiden.

Zur Kreuzvalidierung des im Routinebetrieb verwendeten Gauss-Newton-Algorithmus und der verbesserten Hesse-Methode wurden Testrechnungen durchgeführt, bei denen simulierte Messungen invertiert wurden. Diese Testrechnungen liefern für beide Methoden im Allgemeinen beinahe identische Ergebnisse und Fehlerkovarianzmatrizen. Kleine Differenzen werden durch den unterschiedlichen Ansatz bezüglich der Nichtlinearität und verschiedenen Methoden der Approximation der Ableitung des Vorwärtsmodells bezüglich der Mischungsverhältnisse erklärt. Die Ergebnisse dieses Vergleichs bestätigen, dass die Verwendung des effektiveren Algorithmus auf Basis der Gauss-Newton-Methode in Hinblick auf die Genauigkeit der abgeleiteten Spurengasprofile gerechtfertigt ist.

Ein Problem bei der Auswertung von  $\text{N}_2\text{O}_5$  ist die Unterscheidung seines wenig strukturierten Spektralsignals vom Hintergrundkontinuum. Das Festhalten des Hintergrundsignals bei einem Wert, der in einem Teil des Spektrums ermittelt wird, der kein Spektralsignal von  $\text{N}_2\text{O}_5$  aufweist, löst dieses Problem hinlänglich. Die abgeleiteten Volumenmischungsverhältnisse von  $\text{N}_2\text{O}_5$  zeigen die Charakteristik, wie man sie auf Grund der zur Zeit der Wirbelaufspaltung vorherrschenden dynamischen Verhältnisse und des bekannten Tagesgangs erwartet. Die niedrigen  $\text{N}_2\text{O}_5$ -Werte innerhalb der Vortex und  $\text{N}_2\text{O}_5$ -reiche Luftmassen außerhalb der Vortex sind in Einklang mit den chemischen Prozessen, die die  $\text{NO}_y$ -Fraktionierung bezüglich  $\text{N}_2\text{O}_5$  bestimmen.

Der Vergleich von MIPAS/ENVISAT  $\text{HNO}_3$  und  $\text{N}_2\text{O}_5$  mit MIPAS-B (ein MIPAS Instrument auf einer Stratosphärenballongondel) Messungen zeigt gute Übereinstimmung in Fällen guter räumlicher und zeitlicher Übereinstimmung der Messungen. Der Vergleich des MIPAS  $\text{NO}_y$  mit in situ Messungen mit dem SIOUX-Instrument wird durch die unterschiedliche Höhenauflösung

beider Instrumente beeinflusst. Außerdem gab es wenige Messungen mit guter räumlicher Koinzidenz. Eine bessere Übereinstimmung wird jedoch erreicht, wenn man die SIOUX  $\text{NO}_y$  Vertikalprofile mit der für MIPAS charakteristischen Auflösungsmatrix verschmiert. Die über äquivalente Breiten gemittelten MIPAS  $\text{HNO}_3$ -Werte liegen im Streubereich der 8-Jahre-Klimatologie auf Basis der Messungen des Microwave Limb Sounder (MLS) auf dem Upper Atmospheric Research Satellite (UARS).

Erhöhte nächtliche  $\text{N}_2\text{O}_5$ -Mischungsverhältnisse in hohen Breiten mit Werten bis 4.4 ppbv im Höhenbereich 32-37 km in der letzten Septemberwoche 2002 sind in Einklang mit Transporten von niedrigen zu hohen Breiten und der Temperaturabhängigkeit der  $\text{N}_2\text{O}_5$ -Bildungsprozesse. Erhöhte Werte bis zu 6 ppbv – drei mal so viel als bis dahin jemals gemessen wurde – wurden auch schon mit dem Cryogenic Limb Array Etalon Spectrometer (CLAES) und dem Improved Stratospheric and Mesospheric Sounder (ISAMS) auf UARS während der nordhemisphärischen Stratosphärenenerwärmung im Januar 1992 gemessen. Dagegen sind die von MIPAS im Höhenbereich 32-37 km gemessenen Werte von maximal 4.4 ppbv nur doppelt so groß im Vergleich zu den Mischungsverhältnissen vor der Stratosphärenenerwärmung. Der Vergleich von  $[\text{NO}_y]:[\text{N}_2\text{O}]$  Korrelationskurven aus MIPAS-Daten, die im Juli gemessen wurden, mit entsprechenden Daten vom Atmospheric Trace Molecule Spectroscopy Experiment (ATMOS) und solchen, die durch synergistische Verwendung weiterer Daten konstruiert wurden (dem bodengebundenen Millimeterwellenspektrometer (GBMS) am Südpol, dem Halogen Occultation Experiment (HALOE) auf UARS, dem Polar Ozone and Aerosol Measurement II Instrument (POAM II) auf dem französischen polar umlaufenden SPOT-3 Satelliten und Modellrechnungen) deuten darauf hin, dass die  $[\text{NO}_y]:[\text{N}_2\text{O}]$ -Korrelationskurve der im Juli gemessenen MIPAS-Daten eine spätwinterliche Übergangsphase charakterisiert, während der die  $[\text{NO}_y]:[\text{N}_2\text{O}]$ -Korrelation sich kontinuierlich von der Vortexbildungsphase in Richtung Vortexauflösung im Frühling (ATMOS) entwickelt hat. Außerdem stimmt die Entwicklung der Korrelationskurve der Werte, die von Juli bis September außerhalb der Vortex gemessen wurden, mit früheren Messungen überein. Im linearen Bereich der Korrelationskurve kann aufgrund eines systematischen Fehlers in den  $\text{N}_2\text{O}$ -Daten im September keine Schlussfolgerung auf die Entwicklung der Kurve gezogen werden.

Die das  $\text{NO}_y$ -Defizit und die  $\text{NO}_y$ -Partitionierung bestimmenden chemischen und Transportprozesse wurden untersucht. Der größte Anteil des im Polarwirbel verfügbaren  $\text{NO}_y$  lag in der unteren Stratosphäre als  $\text{HNO}_3$  und  $\text{NO}_x$  vor, außer in der Zeit vom 22. bis - 27. September, als im Höhenbereich von 400 bis 475 Kelvin  $\text{HNO}_3$  und  $\text{ClONO}_2$  die Hauptbestandteile waren. Der dominierende Prozess in der gesamten unteren Stratosphäre war verstärkte Photolyse von  $\text{HNO}_3$ , die zu einer fortlaufenden  $\text{NO}_x$ -Zunahme während der Wirbelaufspaltung führte. Die verstärkte Photolyse kam durch die Verlagerung des Wirbels in Richtung niedrigeren Breiten zustande. Diese Beobachtung wurde durch die  $\text{HNO}_3$ -Bildung nach dieser Periode der Wirbelaufspaltung Mitte Oktober bestätigt, als sich der Wirbel wieder über dem Pol zentrierte. Infolge des aus der  $\text{HNO}_3$ -Photolyse stammenden erhöhten  $\text{NO}_x$  nahmen die  $\text{N}_2\text{O}_5$ -Mischungsverhältnisse innerhalb des Wirbels oberhalb 625 K vom 22. bis 27. September zu. Auf 475 K war das Volumenmischungsverhältnis von  $\text{NO}_y$  innerhalb des Wirbels während der gesamten Periode um etwa 12.5 ppbv niedriger als der Referenzwert, der aus der für Luftmassen außerhalb des Wirbels gebildeten Frühwinterkorrelation abgeschätzt wurde. Die Methode des künstlichen linearen Tracers deutet darauf hin, dass das  $\text{NO}_y$ -Defizit in diesem Zeitraum, das durch Absinken und anschließender quasi-horizontaler Mischung verursacht wurde, etwa 25% vor und 40-45% nach der Wirbelaufspaltung betrug, während Denitrifizierung mit 75 und 55-60% beitrug. Das Verfahren

der quasi-isentropischen Mischungslinie angewendet auf in der Vortex gemessene  $[\text{CH}_4]:[\text{N}_2\text{O}]$  Korrelationen überschätzt den durch Mischung verursachten Anteil des  $\text{NO}_y$ -Defizits aufgrund verschiedener einzelner Mischungsprozesse und/oder kontinuierlicher Mischung. Diese Methode erklärt 55-60% des  $\text{NO}_y$ -Defizits vor der Wirbelaufspaltung und 62% danach durch Mischungsprozesse.



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# Chapter 1

## Introduction

The principles of remote sensing are used for a wide variety of purposes, from examining the structure of the nucleus of an atom to the structure of stars, from oil exploration to medical tomography. The early development of remote sensing as a scientific field is closely tied to developments in photography. The first photographs were reportedly taken by Daguerre and Niepce in 1839.

A number of progress have been made in the development of remote sensing since then. Beginning in the mid-1960's, a large number of studies of the application of color infrared and multispectral photography were undertaken under the sponsorship of NASA, leading to the launch of multispectral imagers on the Landsat satellites in the 1970's which were initiated due to two principal events. The first of these, during and after world war II, was the concerted military development of sensitive, fast-response detectors and compatible optical materials and later computers. The second, during late 1960's and early 1970's, was the emerging perception that manufactured chemicals in the atmosphere could affect the long-term stability of stratospheric ozone layer and the overall radiation balance of the planet. The concerns generated by this realization lead to development of instrumentation capable of first detecting, and then monitoring on a global scale, the concentrations of numerous source, sink, reactive and reservoir molecular species involved in these potential changes.

To this end, IR spectroscopy is of very great importance because the atmosphere absorbs and radiates strongly in this spectral region. While there are several measurement techniques for the IR spectroscopy, Fourier Transform Infrared Spectroscopy (FTIR) using Michelson Interferometer is the most suitable for measuring most trace gases in the atmosphere simultaneously. As a result, there are several ground networks that monitor the atmosphere on nearly regular basis using FTIR spectroscopy. In addition, there have been several Balloon and Aircraft borne FTIR measurement campaigns in the past with different scientific objectives. However, these are limited in its temporal or spatial coverage which in turn limit the scope of the scientific study conducted using such measurements. Thus, atmospheric structures with short time and small spatial scales can only be captured by near continuous monitoring which can be realized from space-borne measurements. In the mid 1980's the Atmospheric Trace Molecular Spectroscopy (ATMOS) instrument which use FTIR measurement techniques flew on space shuttle and made solar occultation measurements. The solar occultation measurement, despite its high vertical resolution and good accuracy, has a poor spatial coverage fewer than 15 sunrise and sunset profiles in a given latitude band. Michelson

## CHAPTER 1. INTRODUCTION

Interferometer for passive atmospheric sounding (MIPAS) on Environmental Satellite (ENVISAT) [Fischer and Oelhaf, 1996; Endemann and Fischer, 1993; European Space Agency, 2000] is designed to overcome some of these limitations. The scientific objective of MIPAS/ENVISAT is primarily the understanding of stratospheric chemistry. Understanding of budget and partitioning of nitrogen reservoir ( $\text{NO}_y$ ) into its component species and its role in ozone chemistry are one of the key scientific issues to be addressed based on MIPAS measurements.

### 1.1 Stratospheric chemistry

#### 1.1.1 Observed ozone changes

Ozone is one of the most important trace species in the atmosphere. It removes most of the biologically harmful ultraviolet light before the light reaches the surface, and it plays an essential role in setting up the temperature structure and therefore the radiative heating/cooling balance in the stratosphere. The observed seasonal changes in amount of ozone in the south polar region is different from that which had been observed in the north. The seasonal ozone changes are basically determined by stratospheric circulation. Interseasonal variability in ozone abundance is linked to the 11-year solar cycle in UV output and the amount of aerosols in the stratosphere.

In the Arctic, for example, the total ozone amount grew rapidly in the late winter and early spring to about 500 DU. In contrast, the Antarctic early springtime amounts remained near 300 DU. Farman *et al.* [1985] showed that the springtime ozone amounts over Halley Bay had declined from about 300 DU in the early 1960s to about 180 DU in shortly before and mid 1980s. These large ozone changes implied that losses must be taking place in the lower stratosphere. The 1996-97 Northern Hemisphere winter experienced a significant ozone depletion over the Arctic and subsequent ozone values achieved record low values in the spring. Chlorine radicals have been identified as the causes of ozone depletion now in both hemispheres. Changes in the profile of ozone with altitude was observed between tropopause and 24 km altitude in midlatitude. Negative ozone trend in the lower stratosphere is also indicated for the tropics.

#### 1.1.2 Chemical Processes

The amount of ozone in the global stratosphere is determined by the magnitude of the production and loss processes and by the rate at which air is transported from the region of net production to those of net loss.

Production of ozone requires the breaking of an  $\text{O}_2$  bond, which then attaches to another  $\text{O}_2$  to form  $\text{O}_3$ . This happens mostly by photodissociation of  $\text{O}_2$  by solar UV radiation. In the troposphere and lower stratosphere ozone is produced by photochemical smog-like reactions in which H or  $\text{CH}_3$  or higher hydrocarbon radicals attach to an  $\text{O}_2$  forming  $\text{HO}_2$  or  $\text{CH}_3\text{O}_2$  which then react with NO. This reaction breaks the  $\text{O}_2$  bond by forming  $\text{NO}_2$  which photolyzes to form O that reacts with  $\text{O}_2$ . The loss of ozone occurs when O atom reacts with  $\text{O}_3$  to reform the  $\text{O}_2$  molecule. This loss process is catalyzed by the oxides of hydrogen, nitrogen, chlorine and bromine chemical cycles shown in Fig. 1.1.

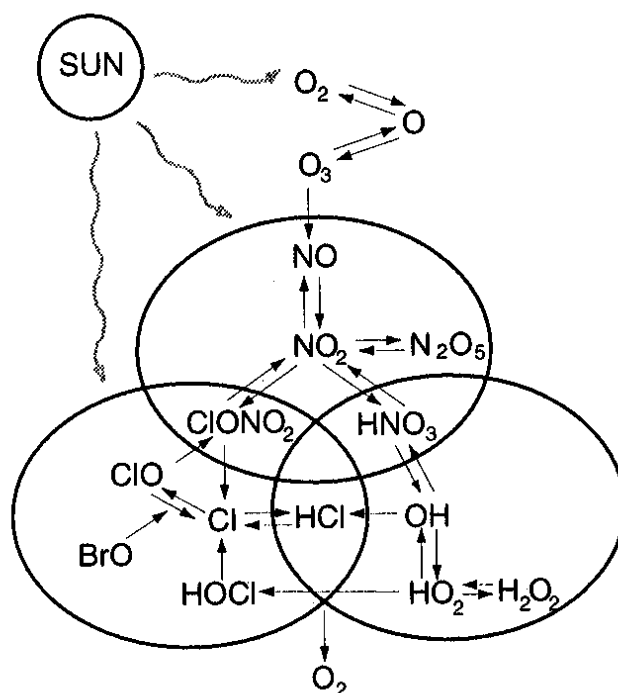


Figure 1.1: A simple scheme of the most gas phase reactions for the stratospheric chemistry. The ellipses include the nitrogen, chlorine and hydrogen families (taken from *Visconti* [2001]).

The sources of these radicals are source gases in the troposphere. Chlorine radicals are produced from the photodissociation of chlorofluorocarbons (CFC) but also from natural compounds. Nitrogen oxides are emitted directly in the atmosphere from combustion processes (in the upper troposphere by aircraft) or may be produced by oxide decomposition. The production of hydrogen radical is due mainly to the decomposition of water vapor through dissociative reaction with metastable oxygen ( $^1\text{O}$ ). The sources of bromine are methyl bromide ( $\text{CH}_3\text{Br}$ ) and the halons ( $\text{CF}_3\text{Br}$  and  $\text{CH}_2\text{ClBr}$ ).

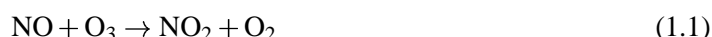
The catalytic efficiency of hydrogen, nitrogen, chlorine and bromine oxides is determined by a set of interlocking reactions which convert the active oxides to catalytically inactive temporary reservoirs, such as  $\text{HNO}_3$ ,  $\text{HCl}$ ,  $\text{ClONO}_2$ ,  $\text{H}_2\text{O}$ ,  $\text{HOCl}$ ,  $\text{HOBr}$ , and  $\text{BrONO}_2$  and vice versa. Part of this interlocking reactions is shown in Fig. 1.1, a simple scheme of the most important gas phase reaction. The photodissociation is the main mechanism through which the radicals are released from the reservoir species ( $\text{HCl}$ ,  $\text{N}_2\text{O}_5$ ,  $\text{ClONO}_2$ ,  $\text{HNO}_3$ ,  $\text{HOCl}$ ).

In the lower stratosphere, the balance between catalytic oxides and reservoir is strongly affected by reactions on the surfaces of stratospheric aerosols. It is even more profoundly affected in the polar winter by reactions on PSC particles.

### 1.1.3 Why is understanding of stratospheric NO<sub>y</sub> important?

Understanding the mechanisms controlling the abundance of NO<sub>y</sub> and its partitioning into component species is critical for understanding the chemistry of the ozone layer. The abundance of ozone in the stratosphere is controlled by odd hydrogen, odd nitrogen, and bromine and chlorine catalytic cycles and heterogeneous chemistry.

NO<sub>y</sub> species are involved in the odd nitrogen catalytic cycle and heterogeneous chemistry (e.g. *Brasseur and Solomon* [1986]; *Visconti* [2001]; *Jacobson* [1999] and references therein). Specifically, NO<sub>x</sub> (NO<sub>x</sub>=NO+NO<sub>2</sub>) catalytically destroys ozone via reactions:

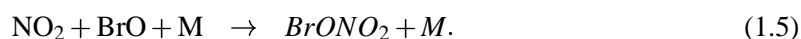
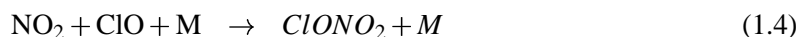


and

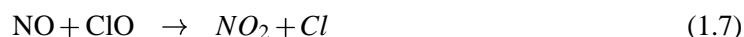


The cycle is catalytic since NO<sub>x</sub> is conserved (a simple interchange of NO and NO<sub>2</sub>). (1.1) and (1.2) also represent catalytic ozone loss cycle by reactive hydrogen (HO<sub>x</sub>), chlorine (ClO<sub>x</sub>) and bromine (BrO<sub>x</sub>) species if NO is replaced with OH, Cl, or Br respectively.

NO<sub>x</sub> buffers the ozone loss by HO<sub>x</sub>, ClO<sub>x</sub>, and BrO<sub>x</sub> by converting OH, ClO, and BrO into HNO<sub>3</sub>, ClONO<sub>2</sub>, and BrONO<sub>2</sub> which do not directly destroy ozone (and hence are called reservoir NO<sub>y</sub> species), via the following reactions:



The third body M represents the major atmospheric molecules N<sub>2</sub> and O<sub>2</sub>. The relative importance of catalytic loss cycles by HO<sub>x</sub>, ClO<sub>x</sub>, and BrO<sub>x</sub> is strongly dependent upon the NO<sub>x</sub> abundance. NO<sub>x</sub> buffers HO<sub>x</sub> and ClO<sub>x</sub> catalytic cycles also by the following interchange reactions:



by decreasing the levels of HO<sub>2</sub> and ClO respectively. On the other hand, these reactions increase the NO<sub>2</sub>/NO ratio, enhancing the ozone loss rate by the NO<sub>x</sub> cycles (since reaction (1.2) is rate determining and hence the loss rate is proportional to [NO<sub>2</sub>][O]).

The reactions that control N<sub>2</sub>O<sub>5</sub> in the NO<sub>y</sub> partitioning are



at night and collisional decomposition or photolysis in sunlight via

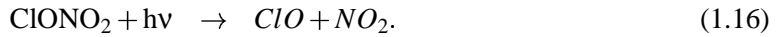


## 1.2. CURRENT UNDERSTANDING OF EVOLUTION OF STRATOSPHERIC NO<sub>y</sub>

at daytime. Therefore, the N<sub>2</sub>O<sub>5</sub> concentration shows pronounced diurnal variations and reaches its maximum before sunrise and its minimum shortly after sunset. N<sub>2</sub>O<sub>5</sub> is also lost due to heterogeneous reaction in the presence of aerosols via



As a result N<sub>2</sub>O<sub>5</sub> controls the level of NO<sub>x</sub> directly through reactions (1.8-1.11) and indirectly through reaction (1.12). HNO<sub>3</sub> and ClONO<sub>2</sub> produce NO<sub>x</sub> by photolysis and reactions with OH:



Heterogeneous chemistry in which chemical reactions may happen between different phases, like gas and liquids or solids also affect ozone abundance. Some of the reactions develop on the surface of sulfate particles, a thin aerosol layer present in the lower stratosphere. The dynamic isolation of the polar region determines the low temperatures in the winter stratosphere that cause the condensation of nitric acid or even water vapor, which leads to the formation of polar stratospheric clouds (PSC). These clouds have fundamental role in the ozone destruction in the polar region.

## 1.2 Current Understanding of Evolution of Stratospheric NO<sub>y</sub>

The volume mixing ratios of stratospheric trace species evolves according to continuity equation:

$$\frac{\partial q_i}{\partial t}(r, t) + \mathbf{v} \cdot \nabla \mathbf{q}_i(\mathbf{r}, \mathbf{t}) = C_i(r, t, q_1(r, t), \dots, q_i(r, t), \dots, q_n(r, t)) + D_i(r, t, q_1(r, t), \dots, q_i(r, t), \dots, q_n(r, t)), \quad (1.17)$$

where  $q$  is volume mixing ratio given by  $q = \frac{\rho_i}{\rho}$  and,  $\rho_i$  is the number density or concentration of species  $i$  and  $\rho$  is the number density of air.  $C_i$  accounts for chemical sources and sinks for species  $i$ , and  $D_i$  accounts for second order diffusive contribution which may include mixing processes, Fickian diffusivity, or even breaking waves (*Jacobson [1999]* and references therein).

It is natural to assume that the potential relation between two (or possibly more) mixing ratios of two simultaneously transported reactive species will result from a combination of chemical and diffusive effects. Correlation equations thus formed involving volume mixing ratios of some long-lived species, referred to as tracer:tracer relations, are often used to distinguish contributions of transport from chemistry to the evolution of the tracers in the atmosphere without employing the full chemistry-transport models. We use such relations extensively later to make distinction between denitrification-induced (complete removal of nitrogen species after condensation in PSCs by sedimentation) NO<sub>y</sub> deficit in the polar vortex from that induced by mixing with outside air-masses.

The changes in mid-stratospheric ozone abundance are largely controlled by the abundances of NO<sub>x</sub> ([NO<sub>x</sub>]=[NO]+[NO<sub>2</sub>]) and NO<sub>y</sub> ([NO<sub>y</sub>]=[HNO<sub>3</sub>]+[ClONO<sub>2</sub>]+[NO<sub>x</sub>]+2[N<sub>2</sub>O<sub>5</sub>]) and their partitioning (see Fig. 1.1 for an overview and reactions (1.1) to (1.16) for more details of the individual

## CHAPTER 1. INTRODUCTION

reaction pathways). Nitric acid ( $\text{HNO}_3$ ), which is a main reservoir for the reactive nitrogen oxides in the lower stratosphere for example, is important in the photochemistry of these regions of the atmosphere.  $\text{HNO}_3$  is photochemically linked to  $\text{NO}_x$  (see reaction (1.14)) which is directly involved in processes that control ozone abundance. Moreover, inside the polar vortex during mid-winter condensation of  $\text{HNO}_3$  in PSC and subsequent permanent removal through sedimentation delays chlorine deactivation (via reaction (1.4)) and allows longer period for ozone destruction by  $\text{ClO}$ . Therefore, the modeling of the  $\text{NO}_y$  budget and its partitioning requires accurate characterization of the chemical and transport processes. In the past, several works have been done which contributed towards better understanding and improvement in accuracy of measurements of the  $\text{NO}_y$  components, and better characterization of the chemical and transport processes affecting  $\text{NO}_y$  budget and its partitioning.

$\text{N}_2\text{O}_5$  is one of the dominant nighttime reservoirs for the active nitrogen species in the stratosphere. The catalytic destruction of ozone by  $\text{NO}$  and  $\text{NO}_2$  is reduced by the formation of  $\text{N}_2\text{O}_5$  (via reaction (1.9)). Therefore, it is a crucial part of the ozone chemical cycle in the stratosphere. However, knowledge on its variability and distribution is incomplete due to difficulty and scarcity of its measurements. As a result, dynamical-chemical models of the stratosphere were not adequately tested. The first  $\text{N}_2\text{O}_5$  measurement was conducted by *King et al.* [1976] who deduced its existence in the stratosphere from solar absorption spectra. *Roscoe* [1982] identified  $\text{N}_2\text{O}_5$  by measuring day-night difference in thermal emission near  $1240\text{ cm}^{-1}$  compared to that at  $1320\text{ cm}^{-1}$  from a balloon-borne limb scanning radiometer. This measurement was later confirmed by ATMOS experiment on Spacelab 3 [*Toon et al.*, 1986; *Toon*, 1987]. *Roscoe* [1991] has given the overview of available data and the difficulties of intercomparison due to the differences in measurement times and assumed spectroscopic parameters. Various earlier laboratory measurements of  $\text{N}_2\text{O}_5$  cross-sections and its temperature dependence differed substantially. However, quite good agreement between later measurements, e.g. by *Cantrell et al.* [1988] and *Newnham et al.* [1993], suggest that current  $\text{N}_2\text{O}_5$  cross-section data are rather consistent and do not show dependence on temperature between 233 K to 293 K.

The large uncertainties in the absolute strengths of all bands of  $\text{HNO}_3$  is a dominant contributor to the uncertainty in  $\text{HNO}_3$  VMR [*Goldman et al.*, 1998; *Perrin et al.*, 1998]. It has been reported that this large uncertainty in absolute band strengths contribute to most of the difference in  $\text{HNO}_3$  VMR derived from different bands (e.g. *Jucks et al.* [1999] and references therein). Current progress in measurements of  $\text{NO}_2$  and  $\text{NO}$  by spectroscopic remote sensing of the atmosphere are summarized (e.g. in *Funke et al.* [2004] and references therein).

The air inside the Antarctic polar vortex is fairly isolated during midwinter, but mixing with mid-latitude air occurs as the vortex begins weakening until its breakup. The vortex erosion and the accompanying mixing of air inside and outside the vortex is extensively discussed in *Russell III et al.* [1993]; *Gao et al.* [1999]; *Chen et al.* [1994]; *Manney et al.* [1994]; *Tao and Tuck* [1994]; *Rosenlof et al.* [1997]; and *Bühler and Haynes* [1999].

The fact that some long-lived tracers in the stratosphere tend to exhibit compact, robust relationships have been used by several authors for the study of Arctic and Antarctic polar vortices (e.g. *Fahey et al.* [1990]; *Rinsland et al.* [1999]). The observed change in the relationship is attributed to chemical processes. However, it has been recognised that tracer relationship can also be altered due to mixing processes [*Michelsen et al.*, 1998; *Kondo et al.*, 1999].

An extensive study to distinguish between contributions of mixing and chemistry to the altered  $[\text{NO}_y]:[\text{N}_2\text{O}]$  relationship was made by *Rex et al.* [1999]. The amount of mixing is estimated from the observed deviation from the standard midlatitude relationship of  $[\text{CH}_4]:[\text{N}_2\text{O}]$  which is not affected by denitrification. A number of studies have been accomplished using this method e.g. recently by *Wetzel et al.* [2002] for quantifications of denitrification of  $\text{NO}_y$  inside the Arctic vortex and quasi-horizontal mixing of airmasses across the vortex edge. The method, however, is valid under conditions in which mixing lines in tracer:tracer relations are assembled over single or fairly narrow range of potential temperatures from points in the profiles. Data points in tracer:tracer plots of profiles over wide range of potential temperatures can easily form a straight line if there is continuous mixing into the polar vortex coupled with airmass descent. Recently, *Esler and Waugh* [2002] proposed constructing artificial 'reference tracer' to distinguish mixing-induced changes in a sufficiently general way. The basis of the artificial reference tracer is that if a tracer happened to have a linear canonical relationship with  $\text{NO}_y$  (i.e.  $[\hat{\text{NO}}_y] \approx [x]$ , where  $x$  is artificial reference tracer constructed from linear combination of tracers such as  $\text{N}_2\text{O}$ ,  $\text{CH}_4$  and CFC-11) at the beginning of the winter, then mixing can only move parcels along it in tracer space. The estimated  $\hat{\text{NO}}_y$  can therefore be directly read from the canonical relationship, and denitrification is then determined by  $[\hat{\text{NO}}_y]-[\text{NO}_y]$ .

### 1.3 Motivation

While there are still discrepancies in our understanding of stratospheric chemistry and transport processes related to  $\text{NO}_y$  and subsequent impacts on ozone chemistry in the polar vortex, particularly on the gap between model predictions and measurements with respect to the ratio of  $[\text{NO}_x/\text{NO}_y]$ , the dynamics that lead to formation of the polar vortex and the wave activities that lead to its breakup are supposedly well understood. The Southern Hemisphere (Antarctic) polar vortex which forms in late autumn is different from the Northern Hemisphere (Arctic) polar vortex in its stability. This is due to the vigorous nature of the wave activity in the northern hemisphere which leads to a number of minor warmings of the polar vortex so that the vortex may break a few times and eventual exchange of air between polar and midlatitude regions can take place. In contrast, the southern hemisphere is well isolated until late spring. However, unusual major warming of southern hemisphere polar vortex in austral spring 2002 occurred following a number of stratospheric minor warmings in August and early September. This led to the split of the polar vortex, an event that has never before been observed in the Southern Hemisphere (SH). It has been proposed that a plausible cause for this event was the prevalence of very strong planetary waves, which led to the warming following the wave energy deposition in the stratosphere (*Varotsos* [2004] and references therein).

It is therefore of great interest to examine the impact of the sudden major warming of SH polar vortex on the  $\text{NO}_y$  constituent species which control the ozone abundances directly through odd nitrogen catalytic cycles and indirectly through the remaining catalytic cycles as mentioned in the previous sections. In this thesis, the  $\text{NO}_y$  budget, the partitioning among its constituents and the role of transport and chemistry on the  $\text{NO}_y$  budget and partitioning are investigated for this event using VMRs of  $\text{NO}_y$  and long-lived species  $\text{N}_2\text{O}$ ,  $\text{CH}_4$  and CFC-11 derived from limb radiance measurements made by MIPAS. Prior to the use of the data for the study, the accuracy and consistency of retrieval algorithm used to produce the data are investigated by comparing with

## CHAPTER 1. INTRODUCTION

conceptually different retrieval method in Chapter 3. This is an additional algorithm validation since it has already been intercompared with several others [von Clarmann *et al.*, 2003a]. Following algorithm testing, the diagnostics of the retrieved VMR from the limb radiance measurements is performed in Chapter 4. Since MIPAS on ENVISAT is a new instrument, its data products in the earlier step have to be compared with measurements from existing accurate instruments in Chapter 5 before the scientific exploitation of the data. Finally, the impact of the unusual major warming is examined whether it led to atypical  $\text{NO}_y$  budget and partitioning among its constituents in Chapter 6.



## Chapter 2

# Principles of Limb Sounding Instruments

Infrared limb sounding instruments obtain measurements of atmospheric variables by observing thermal emission at infrared wavelengths as the instrument field of view (FOV) is scanned across the atmosphere tangentially.

The signal detected by the sensor on the satellite contains implicit information of atmospheric variables. The extraction of the variables is possible first by simulating the signal and down grading by the instrument function. This part requires the radiative transfer model which simulates the measurement based on initially guessed state parameters. The simulated signal is compared with measurement and an update of the initial state parameters is performed and supplied to the forward model for improved estimate of the measured signal. This interface requires inverse modeling. In this chapter, we give an overview of measurement principle, MIPAS instrument, forward radiative transfer and inverse models.

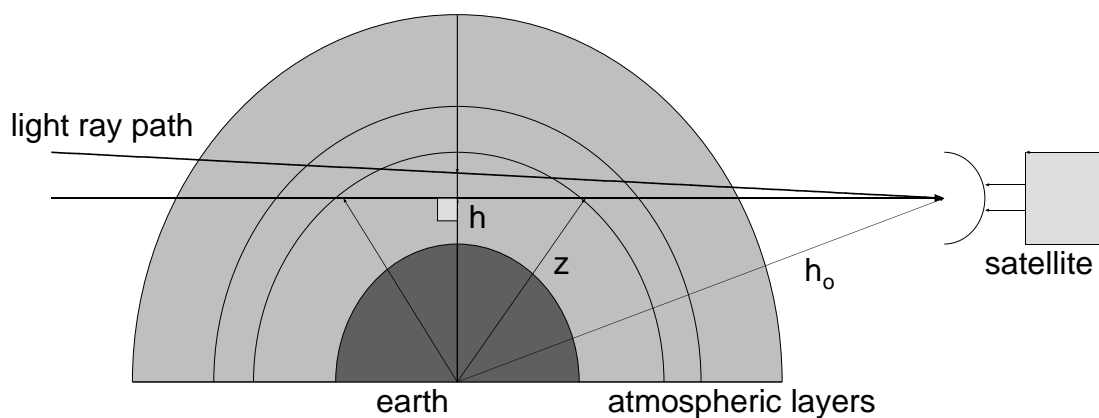


Figure 2.1: Limb viewing geometry.

## 2.1 The Measurement Principles

For a better understanding of remote sounding, certain basic concepts of electromagnetic (EM) theory is discussed. An EM wave propagating (say along z-axis) consists of two perpendicular fields, the electric and magnetic whose amplitudes oscillate periodically (characterized by speed of light  $c$ , wave length  $\lambda$  and frequency  $f$  satisfying relation:  $f = c/\lambda$ ) in the xy-plane:

$$\begin{aligned}
 E_x &= E_{0x} \cos(\omega t - kz - \phi_x) \\
 E_y &= E_{0y} \cos(\omega t - kz - \phi_y) \\
 B_x &= \frac{B_{0x}}{c} \cos(\omega t - kz - \phi_x) \\
 B_y &= \frac{B_{0y}}{c} \cos(\omega t - kz - \phi_y),
 \end{aligned}
 \tag{2.1}$$

where  $\omega$  is the angular velocity ( $2\pi f$ ),  $k$  is the wavenumber ( $\frac{2\pi}{\lambda}$ ), and  $E_0$  is the amplitude of the electric field. Most natural occurring EM radiation is incoherent or randomly polarized, meaning that the phases  $\phi_x - \phi_y$  are random. Scattered or artificially produced radiation may be completely or partly polarized i.e.  $\phi_x - \phi_y$  is a constant. Different quantities of the EM radiation may be used for different remote sensing applications (e.g. amplitude, frequency for radiometers, spectrometer; phase for Interferometer).

The central component of the MIPAS experiment is a Michelson interferometer. Therefore it is a phase-based remote sensing application of EM radiation. In such instruments amplitude division is usually performed through the use of a partially reflecting/transmitting surface called a beam-splitter. This generates two in-phase wave trains travelling in different directions. A phase shift is introduced into one or both beams, and the two are recombined at another (or the same) partially reflecting surface.

Single atoms or molecules can only emit and absorb photons with energy corresponding to certain transitions between discrete internal energy levels. Transitions between different rotational states have the lowest energy corresponding to wavelengths in the microwave and far-infrared regions. Vibrational transitions correspond to wavelengths in the infrared regions. Vibrational transitions can also involve rotational transitions. Transitions between electronic states are highly energetic with wavelengths in the near-infrared, visible and UV. Electronic transitions can also involve vibration and rotational transitions. In a scattering process, the incoming photon is absorbed to a virtual level and re-emitted in some directions. The size of the particle/molecule and the wavelength of the radiation determines the scattering attenuation and the probability distribution of the directions of the scattered light, i.e. the phase function. The so-called Mie scattering theory is applied for particles/molecules of the same size as the wavelength of the scattered light, e.g. atmospheric aerosols. The Mie phase function is more complicated than Rayleigh phase function (which is applicable to e.g. scattering particles much smaller than the wavelength of the radiation) since it varies with the shape, chemical composition, polarization of the incoming radiation, size and concentration of the particles. Modelling of measured radiation subjected to the above processes require application of forward radiative transfer theory.

## 2.2 The MIPAS Instrument

MIPAS [Fischer and Oelhaf, 1996] is part of the core payload of the ENVISAT environmental research satellite of the European Space Agency (ESA). ENVISAT has been launched into its polar sun-synchronous orbit on 1 March 2002. MIPAS measures mid-IR limb radiation emitted by the atmosphere with a spectral resolution of  $0.035 \text{ cm}^{-1}$  (unapodized). The field of view is 30 km in the horizontal and 3 km in the vertical at the tangent points. ENVISAT is a sun-synchronous polar-orbiting satellite at an altitude of 800 km with  $98.55^\circ$  inclination, having an orbital period of about 100 minutes. As a result, MIPAS observes the atmosphere with 14.3 orbits and 73 limb scans per day. The observation time is 10:00 local time at the descending equatorial overpath and 22:30 local time at the ascending equatorial overpath.

The spectral range of MIPAS is divided in five spectral bands: band A( $685\text{-}970 \text{ cm}^{-1}$ ), band AB( $1020\text{-}1170 \text{ cm}^{-1}$ ), band B( $1215\text{-}1500 \text{ cm}^{-1}$ ), band C( $1570\text{-}1750 \text{ cm}^{-1}$ ), and band D( $1820\text{-}2410 \text{ cm}^{-1}$ ). The noise equivalent spectral radiance (NESR) decreases with increasing wavenumber.

The instrument is designed to allow the simultaneous measurement of several trace gases including the nearly complete  $\text{NO}_y$  family and temperature. Aerosol particle distribution, tropospheric cirrus clouds and polar stratospheric clouds are additional atmospheric parameters that can be derived from MIPAS observations.

The measurements are obtained with complete global coverage, all seasons, and under both day and night conditions, allowing indirect monitoring of diurnal variations of species such as  $\text{N}_2\text{O}_5$ . The instrument performs measurements in either of two pointing regimes, rearward within a  $35^\circ$  wide viewing range in the anti-flight direction and sideways within a  $30^\circ$  wide range on the anti-sun side. The measurements used for the current data set were obtained using the rearward viewing range, since it provides good Earth coverage including the polar regions. A complete description of the instrument concept is given by Fischer and Oelhaf [1996]; Endemann and Fischer [1993] and European Space Agency [2000].

## 2.3 Forward radiative transfer model

The forward radiative transfer equation to calculate the spectral radiances for viewing angle  $\theta$  is

$$S_\theta(\nu, l_{obs}) = S_\theta(\nu, \infty)\tau(\nu, l_{obs}, \infty) + \int_{l_{obs}}^{\infty} J(\nu, l)\sigma_{a,tot}^{Vol}(\nu, l)\tau(\nu, l_{obs}, l)dl, \quad (2.2)$$

where  $J$  is source function,  $\tau$  is transmission between observer position  $l_{obs}$  and  $l$  at wavenumber  $\nu$ .  $dl$  is differential path element,  $\sigma$  is absorption coefficient including gases and aerosols, and  $S_\theta(\nu, \infty)$  is background radiances.

The radiative transfer (2.2) is integrated along the line of sight of the instrument traced according to law of refraction of light in atmospheric media. The atmosphere is divided into thin layers each of which is characterized by constant representative state parameters. The angular deviation in the ray path  $d\theta$  from its initial direction after traveling an infinitesimal distance  $dl$  through atmospheric

## CHAPTER 2. PRINCIPLES OF LIMB SOUNDING INSTRUMENTS

medium of refractive index  $n(l)$  is determined as

$$d\theta = dl \times \frac{e_s \cdot \nabla n}{n}$$

where  $e_s$  is a unit vector in the direction perpendicular to the initial direction. The refractive index  $n$  is calculated from the wavenumber dependent refractive index for dry air  $n_o$  at reference temperature and pressure  $T_o = 288.16$  K and  $p_o = 1013.25$  hpa as

$$n(l) = \sqrt{\frac{2kp(l) + T(l)}{T(l) - kp(l)}},$$

where  $k = \frac{T_o(n_o^2 - 1)}{p_o(n_o^2 + 2)}$ .

The dry air refractive index depends on wavenumber according to

$$(n_o - 1)10^{-6} = 83.4213 + \frac{24060.3}{130 - 10^8 \nu^2} + \frac{159.97}{38.9 - 10^8 \nu^2}$$

where  $\nu$  is in  $cm^{-1}$ . The constant representative state parameters for a thin atmospheric layer  $j$  are given by

$$p_{ave.,g,j} = \frac{1}{m_{g,j}} \int p(l) \rho_g(l) dl$$

and

$$T_{ave.,g,j} = \frac{1}{m_{g,j}} \int T(l) \rho_g(l) dl,$$

where the path segment  $l$ , the slant path column amount and particle density of species  $g$  in layer  $j$  are calculated from  $l_j = \int dl$ ,  $m_{g,j} = \int_{l_1}^{l_2} \rho_g(l) dl$ , and  $\rho_g(l) = C_{V,g} \frac{N_{avo}}{R} \frac{p(l)}{T_{kin}(l)}$  respectively.  $N_{avo}$ ,  $R$ ,  $C_{V,g}$  are Avogadro number, universal gas constant and volume mixing ratio of gas  $g$  while  $T_{kin}(l)$  is kinetic temperature and  $p$  is pressure at the position  $l$ .

The source function in (2.2) is the Planck function under local thermodynamic equilibrium (LTE). Its non-LTE version includes the ratio of populations  $r_1$  and  $r_2$  between the non-LTE and LTE for lower and upper states of transition respectively:

$$J^{NLTE}(\nu, l) = \frac{2hc^2 \nu^3}{r_2 \exp\left(\frac{hc\nu}{k_B T_{kin}(l)} - 1\right)} \cdot \frac{r_1}{r_2}$$

This can be simplified to scaled form of Planck function (see *Stiller* [2000] for details).

The spectral atmospheric transmittance  $\tau(\nu, l_1, l_2)$  between two points  $l_1$  and  $l_2$  along the line of sight is given by

$$\tau(\nu, l_1, l_2) = \exp - \left[ \int_{l_1}^{l_2} \sigma_{a,gas}^{Vol}(\nu, l) dl + \int_{l_1}^{l_2} \sigma_{e,aerosol}^{Vol}(\nu, l) dl \right]$$

where  $\sigma_{e,aerosol}^{Vol}$  and  $\sigma_{a,gas}^{Vol}$  are aerosol extinction coefficient calculated using Mie scattering theory and volume absorption coefficients of gases. The aerosol extinction coefficients include scattering as well while gas absorption coefficients include absorption coefficients due to molecular excitation, cross-section and gas continua. The absorption coefficients due to molecular transition can

be calculated under LTE and non-LTE conditions. We refer the reader to the original material (López-Puertas and Taylor [2001]; Stiller [2000] and references therein) for additional details on the calculation procedure and description of related quantities such as calculation of line intensities and different characterizations of line shape including line mixing.

The comparison of theoretical spectral radiances with measured ones is possible after convolution of the theoretical radiances with field of view (FOV) of the instrument as

$$S_{\theta_o}^{FOV}(\nu, I_{obs}) = \int_{-\theta_{max}}^{\theta_{max}} S_{\theta}(\nu, I_{obs}) W(\theta - \theta_o) d\theta$$

where  $W(\theta - \theta_o)$  is the weighting function related to FOV and  $\theta_{max}$  maximum angle covered by FOV. This has to be further convolved with the instrumental line shape to make accurate comparison of measurement and simulation.

## 2.4 The Inverse Model

### 2.4.1 The Retrieval Procedures

Remote sensing of the atmosphere is an indirect method. The instrument receives a spectrally resolved or integrated radiance signal which is described as

$$\mathbf{y} = \mathbf{F}(\mathbf{x}) + \boldsymbol{\varepsilon}_y, \quad (2.3)$$

where  $\mathbf{x}$  is the state vector related to the signal  $\mathbf{y}$  through a forward radiative transfer model  $\mathbf{F}$ , and  $\boldsymbol{\varepsilon}_y$  is the measurement error. The physics of the problem typically is such that (2.3) is not directly invertible to map the measurement vector  $\mathbf{y}$  onto state vector  $\mathbf{x}$ . Instead, (2.3) is discretized leading to overdetermined state parameters in the case of more measurements than unknowns. However, the inverse problem is often ill-posed. Thus, the retrieval is formulated in the context of estimation theory and allows for the inclusion of a priori information.

The retrieval of atmospheric state vector is based on the standard optimal estimation approach (e.g. Rodgers [1976, 2000]). The state vector is typically vertical profiles of temperature, composition and instrumental parameters such as offset, ILS, gain, frequency shift and line of sight (LOS). The limb emission radiances are represented by vector  $\mathbf{y}$ . The retrieval algorithm selects values for state vector  $\mathbf{x}$  at the  $i^{th}$  iteration which minimizes the quantity  $\chi^2$ , defined by

$$\chi^2 = (\mathbf{y} - \mathbf{F}(x_i))^T \mathbf{S}_y^{-1} (\mathbf{y} - \mathbf{F}(x_i)), \quad (2.4)$$

where  $\mathbf{S}_y$  is the error covariance matrix of the spectral radiance measurement vector  $\mathbf{y}$  and  $\mathbf{F}$  is the corresponding forward model. The Gauss-Newton solution to this minimization is:

$$\mathbf{x}_{i+1} = \mathbf{x}_i + (\mathbf{K}_i^T \mathbf{S}_y^{-1} \mathbf{K}_i)^{-1} \mathbf{K}_i^T \mathbf{S}_y^{-1} [\mathbf{y} - \mathbf{F}(x_i)], \quad (2.5)$$

where  $\mathbf{K}_i$  is the matrix of weighting functions or Jacobians.

Very often, the matrix to be inverted in (2.5) is singular. This indicates that there are aspects of the state vector about which the measurement has been unable to provide any information. This singularity can be avoided by including a constraining second term in (2.4):

$$\chi^2 = (\mathbf{y} - \mathbf{F}(\mathbf{x}_i))^T \mathbf{S}_y^{-1} (\mathbf{y} - \mathbf{F}(\mathbf{x}_i)) + (\mathbf{x}_i - \mathbf{x}_a)^T \mathbf{R} (\mathbf{x}_i - \mathbf{x}_a), \quad (2.6)$$

where  $\mathbf{R}$  is the regularization matrix and  $\mathbf{x}_a$  is the a priori profile.

The iterative solution now takes the form:

$$\hat{\mathbf{x}}_{i+1} = \hat{\mathbf{x}}_i + (\mathbf{K}_i^T \mathbf{S}_y^{-1} \mathbf{K}_i + \mathbf{R} + \lambda \mathbf{I})^{-1} (\mathbf{K}_i^T \mathbf{S}_y^{-1} [\mathbf{y} - \mathbf{F}(\hat{\mathbf{x}}_i)] - \mathbf{R}(\hat{\mathbf{x}}_i - \mathbf{x}_a)), \quad (2.7)$$

where  $\lambda \mathbf{I}$  is a damping term according to *Levenberg* [1944] and *Marquardt* [1963] in order to achieve better convergence.

The matrix of averaging kernel  $\mathbf{A}$  which is useful diagnostic tool for characterization of the retrieval is given by

$$\mathbf{A} = \frac{\partial \hat{\mathbf{x}}}{\partial \mathbf{x}_t} = \mathbf{G} \mathbf{K}$$

and  $\mathbf{G}$  is the gain matrix defined by

$$\mathbf{G} = \mathbf{S}_x \mathbf{K}^T \mathbf{S}_y^{-1},$$

where  $\mathbf{x}_t$  is the true profile and  $\mathbf{G}$  describes the sensitivity of the retrieval to changes in the measurement. The columns of  $\mathbf{A}$  describe the response of the retrieval system to delta function perturbations of the state parameter profile under investigation. The rows of  $\mathbf{A}$  indicate which parts of the atmosphere have contributed how much to each point of the retrieved profile. The widths of the peaks seen in the rows are a useful measure of the vertical resolution of the retrieved profiles. The covariance matrix  $\mathbf{S}_x$ , which characterizes the uncertainties of the retrieved state parameter  $\mathbf{x}$  caused by the observation error  $\varepsilon_y$  and the smoothing error caused by the constraining second term in (2.6), is given by

$$\mathbf{S}_x = (\mathbf{K}^T \mathbf{S}_y^{-1} \mathbf{K} + \mathbf{R})^{-1}.$$

## 2.4.2 Error Estimation

The random retrieval noise error  $\mathbf{S}_{random}$  and systematic errors  $\Delta \mathbf{x}_j$  due to uncertain parameter  $j$  are determined according:

$$\mathbf{S}_{random} = (\mathbf{K}^T \mathbf{S}_y^{-1} \mathbf{K} + \mathbf{R})^{-1} \mathbf{K}^T \mathbf{S}_y^{-1} \mathbf{K} (\mathbf{K}^T \mathbf{S}_y^{-1} \mathbf{K} + \mathbf{R})^{-1}, \quad (2.8)$$

and

$$\Delta \mathbf{y}_j = \mathbf{G} \Delta \mathbf{x}_j, \quad (2.9)$$

where  $\Delta \mathbf{y}_j$  is the difference between the reference spectrum calculated using the retrieved profile  $\hat{\mathbf{x}}$  and a spectrum calculated with parameter  $j$  perturbed by assumed  $1\sigma$  uncertainty.

The total systematic error includes the uncertainties from all gases which are not jointly retrieved with the target gas and uncertainties from temperature, disregarded horizontal temperature gradient, line of sight, instrumental line shape, spectral shift, gain, forward model and spectroscopy.

## Chapter 3

# Gauss-Newton method versus the Improved Hessian Method

Most retrieval schemes use a linear approximation of the radiative transfer function within each iteration as well as for error analysis. Like most standard methods, the Hessian approach relies on quadratic form of the cost function and linear approximation in the error analysis. However, there is no well established objective criterion on choice of step sizes in the discrete perturbative calculation of the error covariance matrix (inverse Hessian). The improved Hessian method overcomes this drawback using adaptive algorithm which uses small step sizes in steep and large step sizes in shallow directions of the cost function in the error analysis. This is believed to suppress problem related to numerical noise. The Gauss-Newton-type and the Hessian are conceptually different so that the results from the two methods can be used for consistency checkup of the retrieved profiles and the corresponding covariance matrices. In the following, the difference between Gauss-Newton error covariance matrix and the inverse Hessian is demonstrated, the theoretical basis for improved Hessian and the adaptive algorithm are introduced and results of ClONO<sub>2</sub> and H<sub>2</sub>O retrievals from simulated limb emission radiances by the two methods are compared.

### 3.1 Inverse Model Description

Suppose that we are seeking the minimum of the cost function at  $\mathbf{x}_{i+1} = \mathbf{x}_i + \delta\mathbf{x}$ , and the current estimate of the solution is  $\mathbf{x}_i$ . Then by Taylor expansion, the gradient of of the cost function in the  $x$ -space is

$$\nabla_x \chi^2(\mathbf{x}_{i+1}) = \nabla_x \chi^2(\mathbf{x}_i) + \nabla_x^2 \chi^2(\mathbf{x}_i)(\mathbf{x}_{i+1} - \mathbf{x}_i). \quad (3.1)$$

Minimizing (3.1) by setting its gradient to zero gives

$$\nabla_x^2 (\chi^2(\mathbf{x}_i))(\mathbf{x}_{i+1} - \mathbf{x}_i) = -\nabla \chi^2(\mathbf{x}_i). \quad (3.2)$$

The gradient  $\nabla_x \chi^2(x_i)$  is calculated from (2.6) as

$$\nabla_x \chi^2(\mathbf{x}_i) = -2(\mathbf{K}_i^T \mathbf{S}_y^{-1}(\mathbf{y} - \mathbf{F}(\mathbf{x}_i)) + \mathbf{R}(\mathbf{x}_i - \mathbf{x}_a)), \quad (3.3)$$

and the Hessian matrix  $\mathbf{H}$ , i.e.  $\nabla_x^2 \chi^2(\mathbf{x}_i) = \frac{\partial^2 \chi^2}{\partial x_m \partial x_n} |_{\mathbf{x}_i}$ , is calculated as

$$\mathbf{H} = \nabla_x^2 (\chi^2(\mathbf{x}_i)) = 2(\mathbf{K}_i^T \mathbf{S}_y^{-1} \mathbf{K}_i - \nabla_x \mathbf{K}_i^T \mathbf{S}_y^{-1} (\mathbf{y} - \mathbf{F}(\mathbf{x}_i)) + \mathbf{R}). \quad (3.4)$$

Now, using (3.3) and (3.4) in (3.2) and rearranging lead to an iterative solution for the optimum state vector:

$$\begin{aligned} \mathbf{x}_{i+1} &= \mathbf{x}_i - \left(\frac{1}{2}\mathbf{H}\right)^{-1} \nabla_x \chi^2(\mathbf{x}_i) \\ &= \mathbf{x}_i + (\mathbf{K}_i^T \mathbf{S}_y^{-1} \mathbf{K}_i - \nabla_x \mathbf{K}_i^T \mathbf{S}_y^{-1} (\mathbf{y} - \mathbf{F}(\mathbf{x}_i)) + \mathbf{R})^{-1} \\ &\quad \times (\mathbf{K}_i^T \mathbf{S}_y^{-1} (\mathbf{y} - \mathbf{F}(\mathbf{x}_i)) + \mathbf{R}(\mathbf{x}_i - \mathbf{x}_a)). \end{aligned} \quad (3.5)$$

Assuming  $\mathbf{F}(\mathbf{x})$  is moderately nonlinear allows to set  $\nabla_x \mathbf{K}_i^T$  to zero, which gives the widely used iterative retrieval equation

$$\mathbf{x}_{i+1} = \mathbf{x}_i + (\mathbf{R} + \mathbf{K}_i^T \mathbf{S}_y^{-1} \mathbf{K}_i)^{-1} [\mathbf{K}_i^T \mathbf{S}_y^{-1} (\mathbf{y} - \mathbf{F}(\mathbf{x})) - \mathbf{R}(\mathbf{x}_i - \mathbf{x}_a)], \quad (3.6)$$

which is often used as a solution to a small residual moderately nonlinear problem. It is worth noting that the covariance matrix  $\mathbf{S}_x$  is related to the Hessian via  $\mathbf{S}_x^{-1} \approx \frac{1}{2}\mathbf{H}$ . As pinpointed by *Rodgers* [2000], both nonlinearity and noise contribute to the size of the ignored term,  $\mathbf{K}_i^T \mathbf{S}_y^{-1} (\mathbf{y} - \mathbf{F}(\mathbf{x}_i))$ . However, the small residual assumption may not always be satisfied. Large residuals may correspond to parameter changes beyond the linear domain of the solution, which may lead to an inaccurate error estimate. Inclusion of higher order terms in the Gauss-Newton iteration is computationally costly. Indeed, it is common to find retrieval algorithms which approximate even the forward model derivative with respect to VMR by its analytic form to reduce computational burden due to a repeated call to forward model. This is true for the variant of Gauss-Newton iterative formulation used here. On the other hand, the discrete evaluation of the Hessian directly from the cost function may be inaccurate because of significantly different scale of sensitivity of the cost function along different directions in the parameter space. The use of large step size along steep direction or a small step size along shallow directions leads to numerical noise and may enhance contributions from higher order terms. This suggests that when the range of eigenvalues of the inverse error matrix or alternately that of Hessian is large, efficient calculation of the uncertainties can be achieved by using an adaptive algorithm, which uses small step sizes in steep directions and large step sizes in flat directions of the cost function.

## 3.2 Calculation of Hessian

### 3.2.1 Discrete calculation of the Hessian

In this section we describe how the Hessian is calculated and how related numeric problems are solved. The dependence of  $\chi^2$  on the retrieval state vector,  $\mathbf{x}_i$ , near its minimum provides information on their uncertainties, i.e. the variations of  $\chi^2$  as a function of  $\mathbf{x}_i$  is used to estimate the Hessian and the error matrix. These are usually characterized by the error matrix and the Hessian matrix  $\mathbf{H}$ . The equation describing the variation of the cost function near the minimum can be obtained from second order Taylor series expansion:

$$\chi^2(\mathbf{x}) = \chi^2(\mathbf{x}_0) + \frac{1}{2}(\mathbf{x} - \mathbf{x}_0)^T \nabla_x^2 (\chi^2(\mathbf{x}_0))(\mathbf{x} - \mathbf{x}_0), \quad (3.7)$$



where  $\mathbf{x}_0$  is the solution vector and  $\mathbf{x}$  is a vector perturbed by small displacement from the solution. The first order term vanishes since the gradient is zero at  $\mathbf{x}_0$  which is the minimum point in the parameter space. This is rewritten component-wise

$$\chi^2(\mathbf{x}) = \chi^2(\mathbf{x}_0) + \frac{1}{2} \sum_{m,n} \mathbf{H}_{m,n}(\mathbf{x}_m - \mathbf{x}_{0m})(\mathbf{x}_n - \mathbf{x}_{0n}), \quad (3.8)$$

from which the components  $\mathbf{H}_{m,n}$  of the Hessian can easily be extracted by discrete perturbation without differentiating the forward model explicitly. However, the accuracy of Hessian from such perturbative calculation heavily depends on the right step size used, since the uncertainties are usually disparate for different directions in the n-dimensional parameter space, i.e. the eigenvalues of  $\mathbf{H}$  span many orders of magnitude. Too large step sizes cause errors due to higher order terms while too small step size cause numerical noise. In order to estimate the Hessian with sufficient accuracy, the choice of appropriate step sizes for perturbative calculations is made by an adaptive algorithm.

### 3.2.2 Adaptive algorithm for calculation of Hessian

We impliment an iterative procedure which adapts the step sizes used in the numerical calculation of the Hessian to the uncertainties in each eigenvector direction as implimented by *Pumplin et al.* [2001] where this approach is used in different context. The Hessian defined in terms of its component,  $\mathbf{H}_{m,n} = \frac{\partial^2 \chi^2}{\partial \mathbf{x}_m \partial \mathbf{x}_n}$ , and its eigenvector representations are extensively used in this paper.

The Hessian is a symmetric matrix by definition and satisfies the eigenvalue equation:

$$\mathbf{H}\mathbf{V} = \Lambda\mathbf{V}, \quad (3.9)$$

where  $\Lambda$  is a diagonal square matrix consisting of eigenvalues:

$$\Lambda_{mn} = \epsilon_m \delta_{mn}.$$

The eigenvectors satisfy orthonormality conditions:

$$\sum_m \mathbf{V}_{mn} \mathbf{V}_{mk} = \delta_{nk}.$$

When the cost function has a quadratic form given in 3.7, an ellipsoid in parameter space is traced by a given value of  $\chi^2$ . When the directions of the major axis of the ellipsoid coincide with the directions of the parameter coordinate system, the Hessian matrix is diagonal and the parameters are said to be uncorrelated. If this is not the case, the Hessian can be made diagonal by a coordinate transformation to the major axes. The eigenvectors provide a natural basis to express arbitrary variations around the minimum by making a rotation in parameter space around the centre of the ellipsoid, given by vector equation:

$$\mathbf{x} - \mathbf{x}_0 = \mathbf{V}\mathbf{E}\mathbf{z}, \quad (3.10)$$

where  $\mathbf{E}$  is square matrix given by

$$\mathbf{E}_{i,j} = \frac{1}{\sqrt{\epsilon_i}} \delta_{ij}$$

and  $\mathbf{z}$  is a vector consisting of displacement of each parameter from minimum in natural coordinate and  $\mathbf{x} - \mathbf{x}_0$  is displacement vector in the parameter coordinate.

Under this transformation, (3.8) becomes

$$\chi^2(\mathbf{x}) - \chi^2(\mathbf{x}_0) = \frac{1}{2}(\mathbf{x} - \mathbf{x}_0)^T \mathbf{H}(\mathbf{x} - \mathbf{x}_0) = \sum_i \mathbf{z}_i^2, \quad (3.11)$$

and Hessian and its inverse are given by:

$$\mathbf{H} = \mathbf{V}\mathbf{\Lambda}\mathbf{V}^T, \quad (3.12)$$

and

$$\mathbf{H}^{-1} = \mathbf{V}\mathbf{\Lambda}^{-1}\mathbf{V}^T. \quad (3.13)$$

The parameters  $\mathbf{z}_i$  are the natural choice for accurately estimating the Hessian by sampling the values of  $\chi^2$  in the parameter space. However, they are not available in advance. Therefore, we employ an iterative procedure as described in *Pumplin et al.* [2001]. This approach tries to seek the right step size in calculating the Hessian by iteratively determining the natural coordinate. It chooses the optimum step size which balances the errors from higher order terms for too large increment and numerical noise from too small increment.

The algorithm for the adaptive procedure is:

1. Define a new set of coordinates  $\zeta_j$  by

$$\mathbf{x}_i - \mathbf{x}_0 = \sum_j \mathbf{U}_{ij} \mathbf{t}_j \zeta_j$$

where  $\mathbf{U}_{ij}$  is orthogonal matrix and  $\mathbf{t}_i$  are scale factors. As the iteration proceeds,  $\mathbf{U}_{ij}$ ,  $\mathbf{t}_i$  and  $\zeta_i$  converge to  $\mathbf{V}_{ij}$ ,  $\sqrt{(2/\epsilon_i)}$ , and  $\mathbf{z}_i$  respectively.

2. Compute pseudo Hessian in  $\zeta_i$

$$\tilde{\mathbf{H}} = \frac{\partial^2 \chi^2}{\partial \zeta_i \partial \zeta_j}$$

and transform (3.8):

$$\chi^2(\zeta) = \chi^2(\zeta_0) + \frac{1}{2} \sum_{m,n} \tilde{\mathbf{H}}_{m,n} (\zeta_m - \zeta_{0m}) (\zeta_n - \zeta_{0n}). \quad (3.14)$$

The step size  $(\zeta_m - \zeta_{0m})$  is selected such that the change of  $\chi^2$  due to the diagonal element  $\frac{1}{2} \frac{\partial^2 \chi^2}{\partial \zeta_j^2} \zeta_j^2$  is approximately equal to one. This is an appropriate choice for a  $\chi^2$  function obeying ideal statistical requirements. However, the results are not sensitive to that choice.

3. Compute the Hessian by coordinate transformation

$$\mathbf{H}_{ij} = \sum_{i,j} \frac{\tilde{\mathbf{H}}_{mn} \mathbf{U}_{im} \mathbf{U}_{jn}}{\mathbf{t}_m \mathbf{t}_n}$$

4. Find the normalized eigenvectors of the Hessian according to (3.12) and (3.13).

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5. Replace  $\mathbf{U}_{ij}$  by  $\mathbf{V}_{ij}$ ,  $\mathbf{t}_j$  by  $\sqrt{(2/\epsilon_j)}$  and then go to step 1 until pseudo Hessian converges to  $\delta_{ij}$ .

The gradient of the cost function,  $\nabla_x \chi^2(\mathbf{x}_i)$ , is also calculated during each iteration with the same step size used to calculate the Hessian matrix for updating the retrieval vector.

Using  $\mathbf{S}_x^{-1} = \frac{1}{2}\mathbf{H}$ , the errors of retrieval state vector  $\mathbf{x}_m$  can be calculated as:

$$(\delta x_m)^2 = 2(\chi^2(\mathbf{x}) - \chi^2(\mathbf{x}_0)) \sum_n \frac{\mathbf{V}_{mn}^2}{\epsilon_n}. \quad (3.15)$$

This equation can be used to see if each element of state vector is appropriately well determined. The eigenvectors  $\mathbf{V}_{mn}$  dominating the retrieval error can be easily identified.

## 3.3 Application to Atmospheric Spectroscopy

For this case study we have generated synthetic measurements in the ClONO<sub>2</sub> v<sub>4</sub> Q-branch region at 780.2 cm<sup>-1</sup> and H<sub>2</sub>O over selected spectral microwindows from 760.625 cm<sup>-1</sup> to 1657.35 cm<sup>-1</sup> for tangent heights from 12 to 50 km at 3 km vertical spacing with the KOPRA radiative transfer algorithm [Stiller, 2000]. Spectral noise of 50 nW/(cm<sup>2</sup> sr cm<sup>-1</sup>) has been superimposed to the spectra. These synthetic measurements have been used for a H<sub>2</sub>O and ClONO<sub>2</sub> profiles retrieval study using the retrieval processor which is employed at IMK to infer atmospheric state parameters from MIPAS measurements [von Clarmann et al., 2003b]. This retrieval algorithm uses the conventional Gauss-Newton approach in a sense that the curvature (residual) term in the retrieval equation is ignored. Starting from these results the Hessian method is then used for both refinement of results and to achieve a more accurate error estimate.

### 3.3.1 Comparison method

The comparison of two retrieval algorithms should include the averaging kernels, to characterize the altitude resolution, the retrieval noise covariance matrix, to characterize the accuracy and precision of the retrieval and the degree of freedom of retrieval by direct analogy of intercomparison of two observing systems [Rodgers and Connor, 2003]. Following the approach of Rodgers [1990, 2000]; Rodgers and Connor [2003], the retrieved profile  $\mathbf{x}$  is related to the true profile  $\mathbf{x}_t$  and a priori information used in its retrieval by

$$\mathbf{x} - \mathbf{x}_a = \mathbf{A}(\mathbf{x}_t - \mathbf{x}_a) + \sigma_{random}, \quad (3.16)$$

where  $\sigma_{random}$  is the square root of the diagonal elements of random noise covariance  $\mathbf{S}_{random}$  and  $\mathbf{A}$  is the averaging kernel. However, comparison of two retrieval algorithms is far less complicated than intercomparison of two observing systems in many ways. The random noise errors from the two retrieval algorithms, which are due to errors (noise plus systematic) in the measured signal and the forward model, differ only in the forward model approximation such as, e.g. approximate equivalence of the Hessian and inverse error matrix. Moreover, in the case of simulated measurement the true state is known and the a priori used can be made the same for both retrievals. The difference between profile calculated according to (3.16) and the actual retrieved profile should be

within the bound of the smoothing error which is not included in the former for a linear forward model. The departure from this limit highlights the extent of how far the solution is from linear region.

The difference between profiles calculated from (3.16) should come from difference in the averaging kernel and the random noise error as shown below:

$$\mathbf{x}_{GN} - \mathbf{x}_H = (\mathbf{A}_{GN} - \mathbf{A}_H)(\mathbf{x}_t - \mathbf{x}_a) + \boldsymbol{\sigma}_{random,GN} - \boldsymbol{\sigma}_{random,H}, \quad (3.17)$$

where subscript *GN* and *H* refer to corresponding quantities as determined by Gauss-Newton and Hessian algorithms respectively.

The averaging kernel  $\mathbf{A}$  is given by

$$\mathbf{A}_{GN} = \frac{\partial \mathbf{x}}{\partial \mathbf{x}_t} = (\mathbf{K}^T \mathbf{S}_y^{-1} \mathbf{K} + \mathbf{R})^{-1} \times \mathbf{K}^T \mathbf{S}_y^{-1} \mathbf{K},$$

for Gauss-Newton algorithm which translates to

$$\mathbf{A}_H = \left(\frac{1}{2}\mathbf{H}\right)^{-1} \left(\frac{1}{2}\mathbf{H} - \mathbf{R}\right),$$

for Hessian retrieval algorithm. The averaging kernel is a useful diagnostic tool apart from quantifying the contribution of measurement and a priori information to the retrieved profile. It provides the degree of freedom of the retrieval as a sum of its diagonal elements and the vertical resolution of the retrieval as full width at half maximum (FWHM) of its columns.

The random retrieval noise covariance matrix  $\mathbf{S}_{random,GN}$ , from which  $\boldsymbol{\sigma}_{random,GN}$  is extracted, is given by

$$\mathbf{S}_{random,GN} = (\mathbf{K}^T \mathbf{S}_y^{-1} \mathbf{K} + \mathbf{R})^{-1} \mathbf{K}^T \mathbf{S}_y^{-1} \mathbf{K} (\mathbf{K}^T \mathbf{S}_y^{-1} \mathbf{K} + \mathbf{R})^{-1}. \quad (3.18)$$

The corresponding equation for  $\mathbf{S}_{random,H}$  by the same analogy is given by

$$\mathbf{S}_{random,H} = \left(\frac{1}{2}\mathbf{H}\right)^{-1} \left(\frac{1}{2}\mathbf{H} - \mathbf{R}\right) \left(\frac{1}{2}\mathbf{H}\right)^{-1}.$$

The extent of forward model nonlinearity can be appreciated by comparing the maximum and minimum curvature radii  $r_{max} = \sqrt{\frac{1}{1-\lambda_{max}}}$  and  $r_{min} = \sqrt{\frac{1}{1-\lambda_{min}}}$  with unity.  $\lambda_{max}$  and  $\lambda_{min}$  are the maximum and minimum eigenvalues of the  $\mathbf{B}$  matrix, related to the Hessian by

$$\mathbf{B} = \mathbf{I} - \frac{1}{2}\mathbf{C}^{-1}\mathbf{H}(\mathbf{C}^{-1})^T, \quad (3.19)$$

where  $\mathbf{C}^T \mathbf{C}$  is the Cholesky decomposition of  $\mathbf{K}^T \mathbf{S}_y^{-1} \mathbf{K} + \mathbf{R}$ . The closer they are to unity the smaller is the curvature (i.e. second derivative of the forward model) [Bates and Watts, 1980].

The measurement error can be characterized by diagonal elements of the error covariance matrix which are the traditional variance of the retrieval at each level. However, because of the correlations between levels, this is underestimate of the knowledge of the retrieved profile [Rodgers, 1990]. Therefore, a more general approach to understanding of correlated errors is to work in a coordinate system orthogonally transformed from the original state space. In such coordinate system, e.g. the natural coordinate formed by inverse transformation of (3.10), the quantity  $\mathbf{z}_i$  are

independent with unit variances. This is indeed the coordinate system used to calculate the inverse error matrix in the Hessian approach. Therefore, the  $\chi^2$  in this coordinate system as a function of distance from the minimum should obey ideal  $\chi^2$  quadratic behavior for a perfect retrieval as given in (3.11).

### 3.3.2 Results and Discussion

#### Water vapour (H<sub>2</sub>O)

The retrieved profiles and their estimates from (3.16) under moderately non-linear assumption are shown in Fig. 3.1 for Hessian and Gauss-Newton algorithms in top left and bottom left quadrants respectively. The corresponding difference between retrievals and their linear estimates are shown in the top right and bottom right quadrants of the same Figure. The differences are as high as 117 ppmv and 157 ppmv at lowest retrieval grid for retrieved H<sub>2</sub>O by Hessian and Gauss-Newton methods respectively. The departures from linear estimates diminish with altitude up to 10 km and 11 km for the Hessian and Gauss-Newton method respectively. Above the respective altitudes, the linear approximations seem to be very sufficient as indicated by quite good agreement between retrieved profiles and their linear approximations. The deviations at lower altitudes are also beyond the range covered by smoothing error, e.g about 80 ppmv and 77 ppmv at lowest altitudes as compared to 117 ppmv and 157 ppmv in this order. Therefore, the linear approximations at lower altitudes are not representative of the retrieved profiles, being worse in Gauss-Newton than the Hessian.

The random noise retrieval errors for Hessian and Gauss-Newton retrievals are shown in the left panel of Fig. 3.2. The random noise error from Gauss-Newton retrieval is larger than that estimated from error covariance matrix of the Hessian retrieval method at altitudes below 10 km with maximum of 1.3 ppmv at 5 km level. The random noise error from Hessian method is larger than corresponding estimate from Gauss-Newton above 48 km by about 0.1 ppmv. The large values at lower levels are probably due to the positive contribution of the curvature term to the Hessian matrix which has the inverse effect in the inverse Hessian (error matrix). This point will be further investigated by assessing the extent of forward model nonlinearity as described in the preceding section. The random noise retrieval errors estimated from the two methods within altitude range of 10-48 km are in quite good agreement.

The extent of forward model nonlinearity can be assessed based on the minimum and maximum curvature radii calculated from minimum and maximum eigenvalues of  $\mathbf{B}$  matrix given in (3.19). The minimum curvature radius is about 0.89 while the maximum is about 1.06 which differ from unity by 0.11 and 0.06 in this order. At first glance, the departures from unity seem to be insignificant, however, this can only be appreciated by comparing with other species which exhibit weaker nonlinearity as compared to water vapour. These values, for instance, are significantly larger than deviations in curvature radii from unity calculated for ClONO<sub>2</sub> in the next section.

The eigenvalues of the inverse error matrix (Hessian) spans a range of 0.36e-04 to 96.496300 i.e. several order of magnitude difference between the flattest and steepest directions as shown in Fig. 3.3 (left panel). The contour plot in Fig. 3.3 (right panel) shows the contributions of each eigenvector directions to uncertainties of elements of state vector (i.e. elements of the quantity

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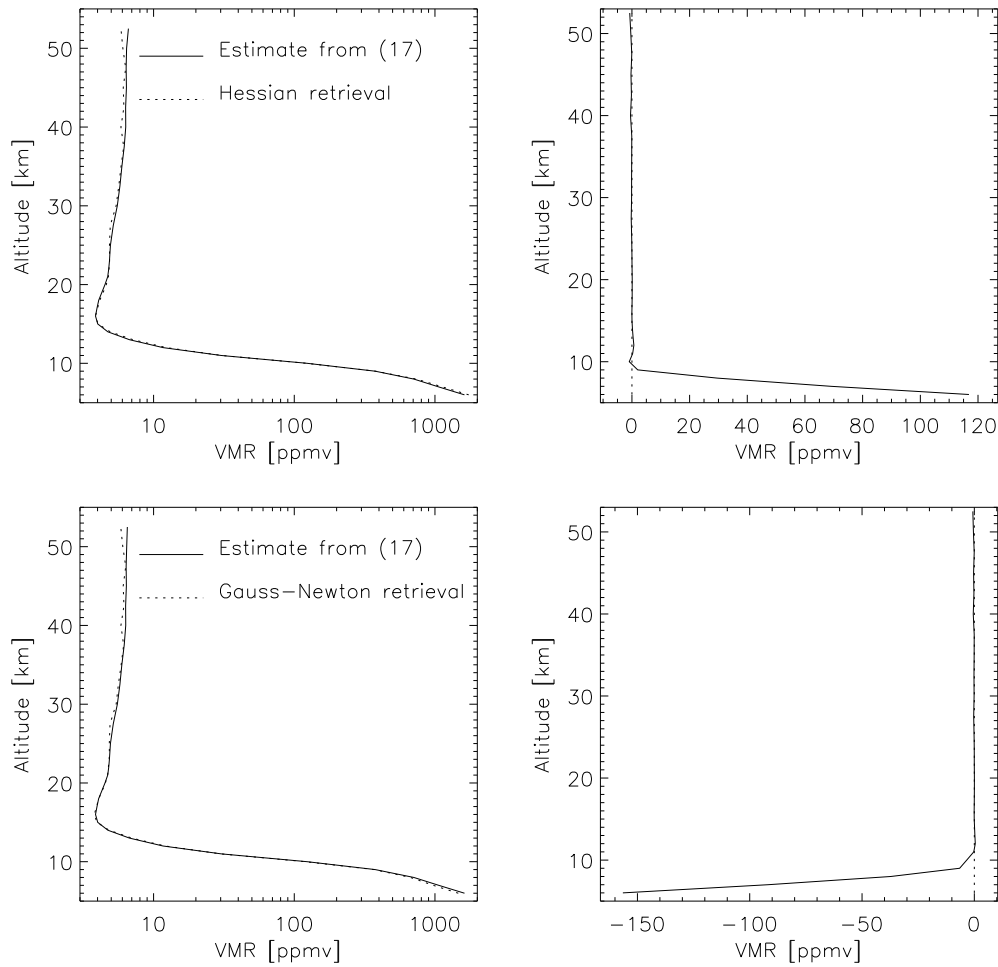


Figure 3.1: Retrieved profiles and their linear estimates for H<sub>2</sub>O according to Hessian (top left) and Gauss-Newton methods (bottom left). The top right and bottom right panels represent the difference between the retrieval and linear estimate for the respective methods.

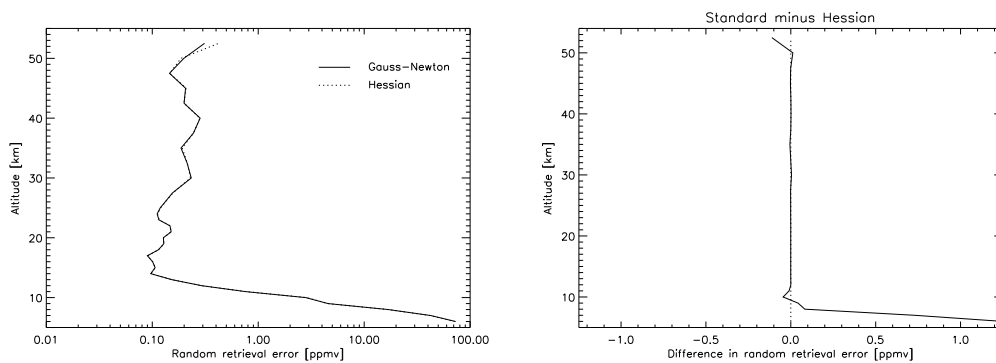


Figure 3.2: The bottom left and right panels represent the random errors estimated using the two algorithms and their difference respectively.

### 3.3. APPLICATION TO ATMOSPHERIC SPECTROSCOPY

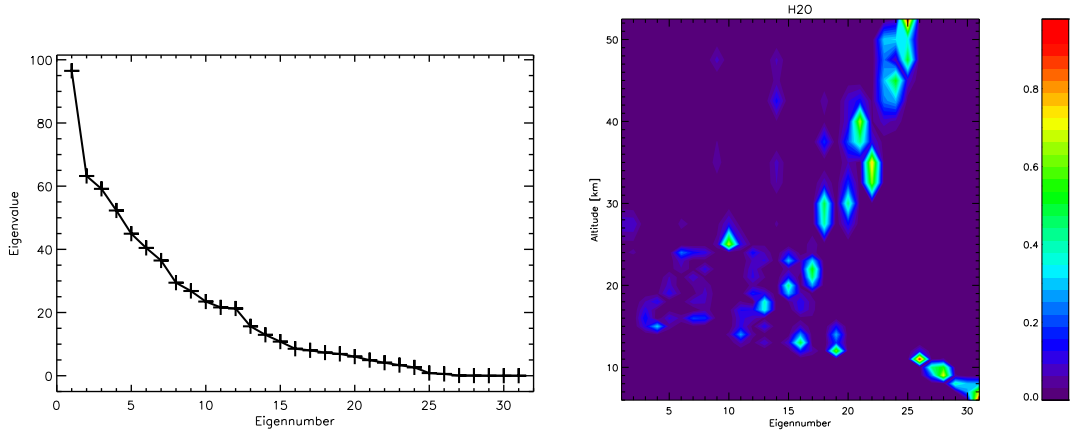


Figure 3.3: Left: Eigenvalue of the inverse error matrix for H<sub>2</sub>O. Right: The contributions of each eigenvector direction (along the horizontal axis) for a unit change in  $\chi^2$  along each state parameter  $\mathbf{z}_i$  (at altitudes  $i$  along the vertical axis) for H<sub>2</sub>O retrievals.

$\mathbf{z}$ , the natural coordinate system orthogonally transformed) at the given altitudes. The wide range of the eigenvalues makes the smaller eigenvalues and their eigenvectors more sensitive to fine details of the Hessian matrix. This problem has been tamed by computing the eigenvalues and eigenvectors by successive approximations as described in Section 3.2 in the improved Hessian approach that converge even in the presence of numerical noise and non-quadratic contribution to  $\chi^2$ . The uncertainties in the quantity  $\mathbf{z}$  at and below altitude of 10 km are governed mostly by flattest eigenvector directions which contribute to more than 80% of the variance as indicated in the color coding. These eigenvector directions are highly sensitive to fine details of the inverse covariance matrix. The uncertainties of  $\mathbf{z}$  in the altitude range of approximately 11-28 km spread over a wide range of eigenvector directions from 1 to 19. The uncertainties in  $\mathbf{z}$  in the altitude range of 29-48 come from eigenvector directions from 18 to 24 with significant proportion coming from increasing eigenvector directions with altitude. The cause of the difference can not be numerical calculations since the Gauss-Newton method uses analytic Jacobians with respect to VMR. However, the implementation of the analytic Jacobian is realized after ignoring terms involving the derivative of the source function and the absorption coefficient through the dependence of the Curtis-Godson temperature value on VMR which are likely contributing factors. The comparison of the analytic Jacobian with numerically calculated Jacobian has already indicated differences which can be minimized by reducing the thickness of atmospheric layers and can also be ignored as a trade-off between accuracy and computational time [Stiller, 2000]. But the numerical approach in that study is different from the improved Hessian method which optimally balances numerical noise and higher order contributions.

We further explored the behaviour of  $\chi^2$  in this new coordinate system as function of  $\mathbf{z}_i$  at selected altitudes  $i$ . Figs. 3.4-3.5 show the functional response of  $\chi^2$  with displacement from minimum for altitudes of 6, 11, 27.5 and 52.5 kms for both retrieval results. The dominating contribution of observed uncertainties at lower altitudes from flattest directions makes difficult to accurately estimate the variance in  $\mathbf{z}_i$  at these altitudes. This is highlighted by the significant departure of  $\chi^2$  from quadratic as a function of  $\mathbf{z}_i$  at 6 km for Gauss-Newton algorithm and slightly improving at 11 km following significant reduction in the contribution of the most flattest eigenvector directions to the uncertainty (see left panel of Fig. 3.3). The  $\chi^2$  as function of  $\mathbf{z}_i$  based on Hessian retrieval

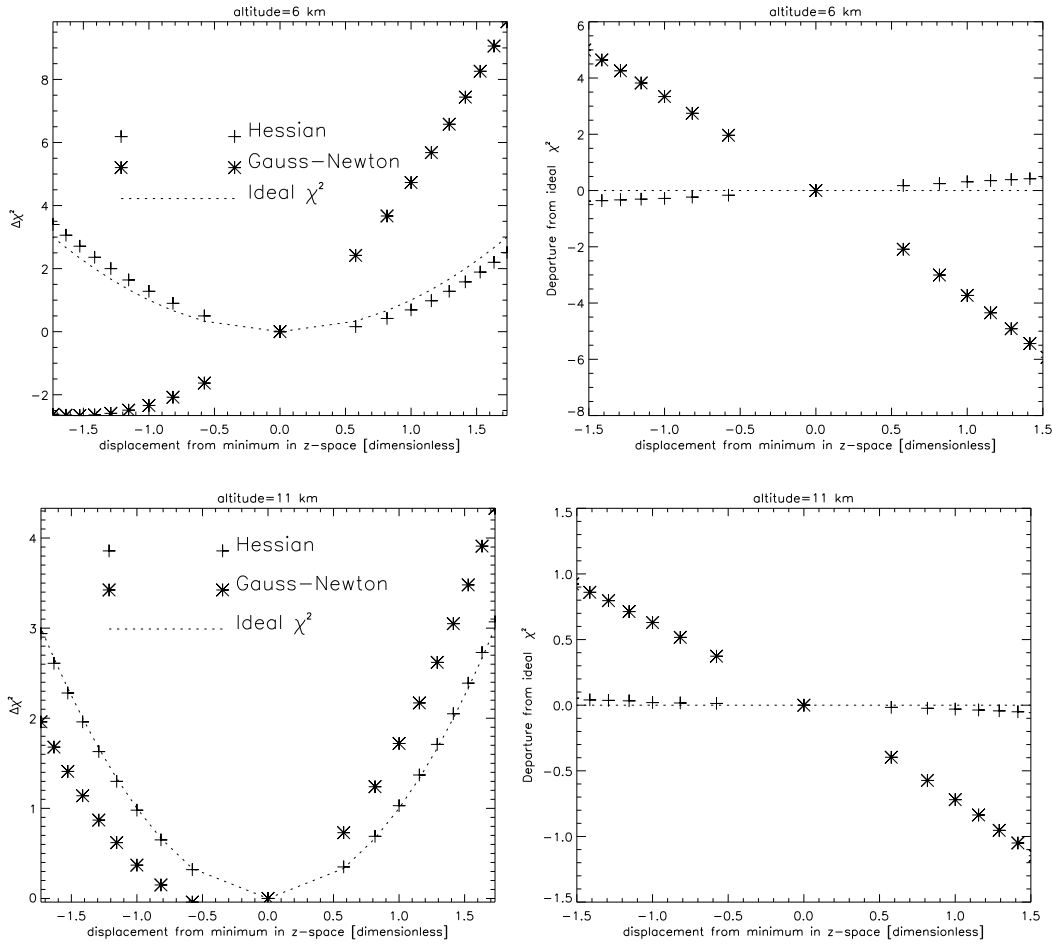


Figure 3.4: Left: The distribution of  $\Delta\chi^2$  as a function of a departure of profile from minimum in  $\mathbf{z}$ -space for  $\text{H}_2\text{O}$  for altitudes of 6 and 11 kms. Right: The departure of  $\chi^2$  from ideal quadratic form indicated by the same symbols in the left panel for Hessian and Gauss-Newton.

is fairly quadratic though not perfect. The Hessian method overcomes the problem related with flattest and highly sensitive eigenvector directions by successive approximations described above. The accuracy improves for both Hessian and Gauss-Newton methods for higher altitudes which are governed by steepest to moderately steep eigenvector directions, e.g. as shown for 27.5 and 52.5 kms in Fig. 3.5.

Another way to compare the two methods is to look at whether there is additional information content due to the implicit inclusion of the curvature term in the Hessian method and/or improved accuracy in calculation of the Hessian matrix. The degree of freedom calculated from the corresponding averaging kernel is increased from 10.93 to 10.99, though it could be considered the same in practical terms. The vertical resolution improved by about 0.5 km near altitude of 10 km, slightly deteriorating by a small fraction of a kilometer near 30 km and again improving around 35 km (see Fig. 3.6). The most dramatic improvement in the vertical resolution of Hessian retrieval is above 48 km which is better than the vertical resolution of Gauss-Newton retrieval by 4 km.



### 3.3. APPLICATION TO ATMOSPHERIC SPECTROSCOPY

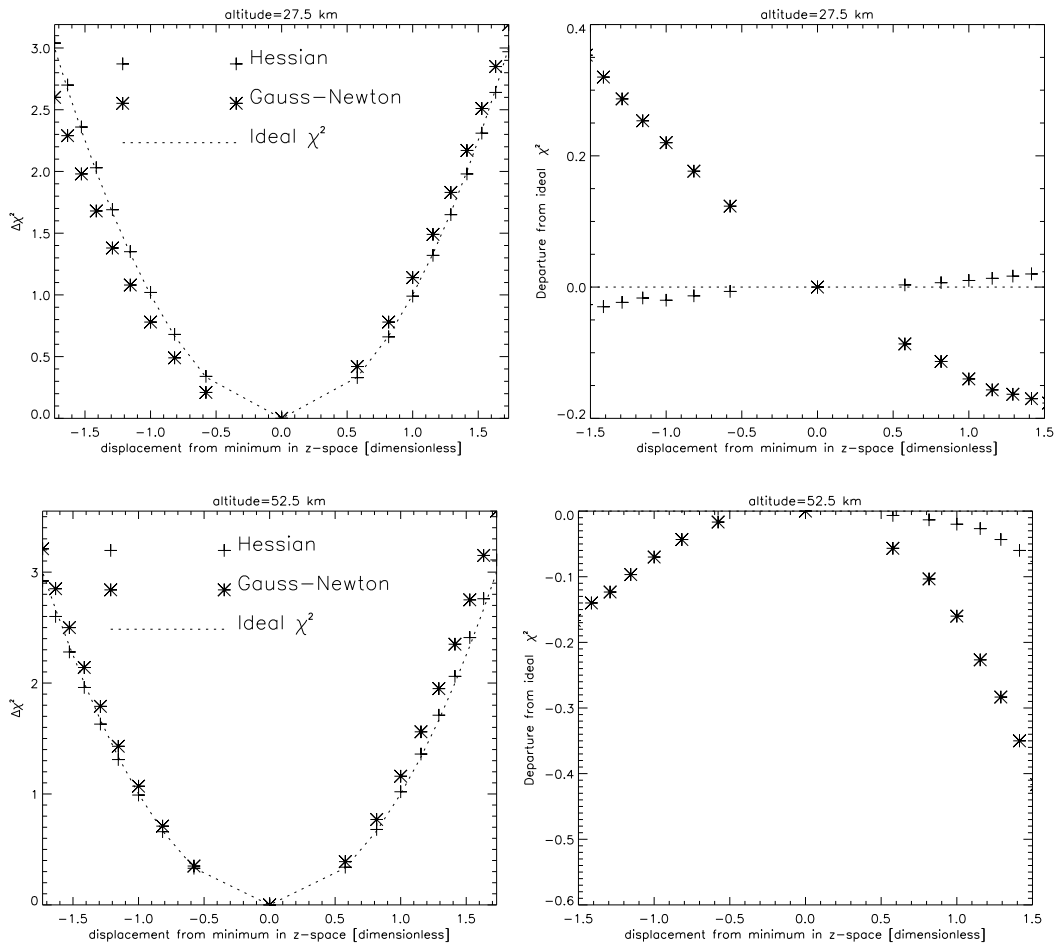


Figure 3.5: Left: The distribution of  $\Delta\chi^2$  as a function of a departure of profile from minimum in natural coordinate for  $\text{H}_2\text{O}$  for altitudes of 27.5 and 52.5 kms. Right: The departure of  $\chi^2$  from ideal quadratic form indicated by the same symbols in the left panel for Hessian and Gauss-Newton.

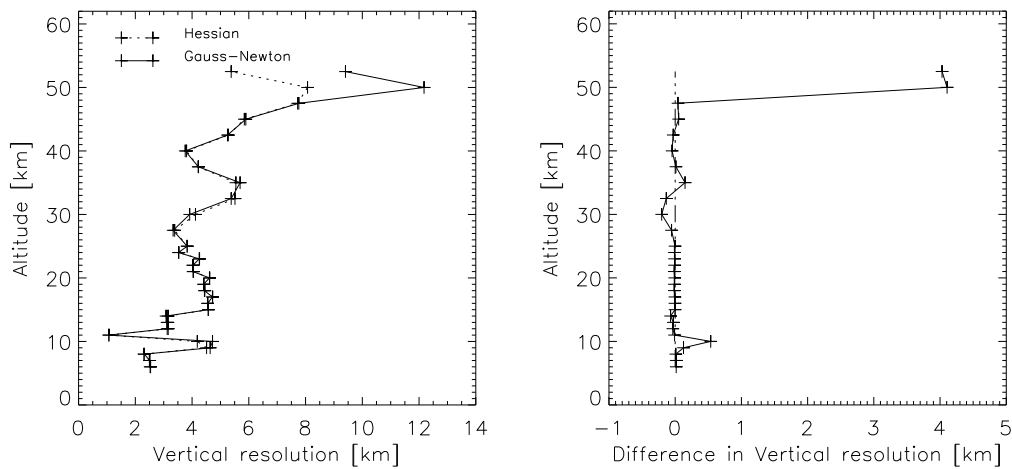


Figure 3.6: The vertical resolutions of  $\text{H}_2\text{O}$  retrievals from the two methods as noted in the legend and their differences.

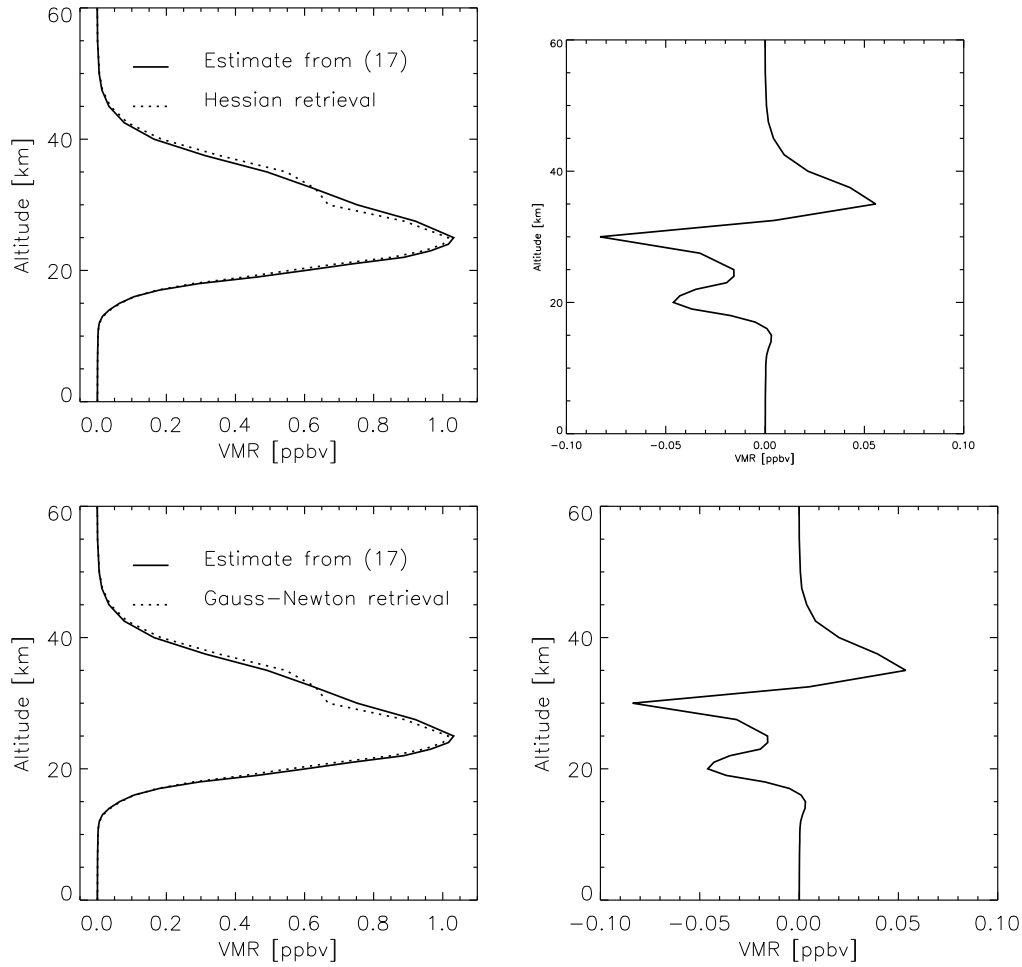


Figure 3.7: As in Fig. 3.1 but for  $\text{ClONO}_2$  profiles and their departure from linear estimates.

### Chlorine nitrate ( $\text{ClONO}_2$ )

Retrieved  $\text{ClONO}_2$  profiles and their linear approximations are given in Fig. 3.7 for Hessian in top left quadrant and Gauss-Newton in bottom left quadrant. The differences between retrieved values and linear approximations near 35 km are about 8% which lie within the smoothing error bound of approximately 8% for both retrievals. However, the departures of about 0.85 ppbv at 30 km are beyond the limit allowed by the smoothing error.

The random noise retrieval errors for Hessian and Gauss-Newton retrievals are shown in the left panel of Fig. 3.8. The random noise error from Gauss-Newton retrieval is larger than that estimated from error covariance matrix of the Hessian retrieval method at altitudes above 30 km with maximum of 0.14 pptv at 35 km level. Between 15-30 km, the random noise error from Hessian method is larger than corresponding estimate from Gauss-Newton by about at most 0.13 pptv. The altitude of maximum differences is located in the range of 27-37 km.

The nonlinearity does not seem to contribute much to the observed discrepancies since the minimum and maximum curvature radii for  $\text{ClONO}_2$  are about 0.99 and 1.01 respectively in contrast

### 3.3. APPLICATION TO ATMOSPHERIC SPECTROSCOPY

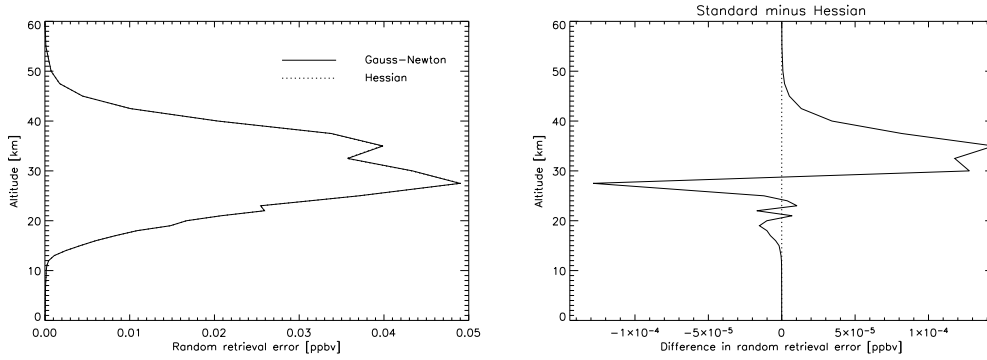


Figure 3.8: As in Fig. 3.2 but for  $\text{ClONO}_2$  random noise error and difference in these values from the two methods.

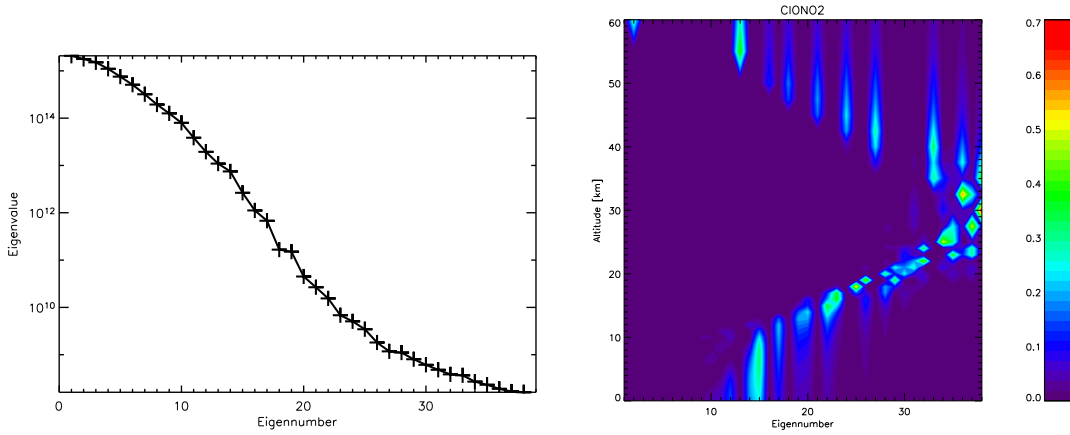


Figure 3.9: As in Fig. 3.3 but for  $\text{ClONO}_2$  retrievals based on the two methods.

to corresponding values for  $\text{H}_2\text{O}$ . The contributions of eigenvector directions to a unity variance in the transformed quantity  $\mathbf{z}_i$  at each altitude  $i$  in right panel of Fig. 3.9 show that the variance contributions to  $\mathbf{z}_i$  at altitudes of 27-37 mainly come from shallowest directions. The departure from linear approximation at 30 km (see Fig. 3.7) is also related to the shallowest eigenvector directions indicating that the source of the problem is the high sensitivity of this direction in the fine details of Hessian matrix calculation or equivalently the inverse Hessian.

The variation of  $\chi^2$  in  $\mathbf{z}$  coordinate as a function of displacement from the solution is expected to be quadratic. This is shown for  $\text{ClONO}_2$  in Fig. 3.10-3.11 for altitudes of 10, 25, 37.5 and 50 kms. Unlike the water vapour retrievals,  $\chi^2$  is nearly quadratic far beyond the proximity of minimum for both retrieval results suggesting that effect of model nonlinearity is minimal. The accuracy with which the uncertainties are determined, however, is affected by the wide range of eigenvalues. The performance of the Hessian approach in estimating the uncertainties in  $\mathbf{z}_i$  which come mainly from shallow directions is better than the Gauss-Newton method. A good example in support of this argument is the behaviour of  $\chi^2$  as a function of  $\mathbf{z}_i$  at 37.5 km in Fig. 3.11. The variance in  $\mathbf{z}_i$  at this altitude is governed by shallow directions (see Fig. 3.9) as compared to other levels in the same plot of Fig. 3.11 and Fig. 3.10.  $\chi^2$  as a function of  $\mathbf{z}_i$  shows asymmetric variance. Moreover, at a distance equal to  $1\sigma$  of  $\mathbf{z}_i$  i.e. unity the  $\chi^2$  value deviates by 10% from expected value of unity.

CHAPTER 3. GAUSS-NEWTON METHOD VERSUS THE IMPROVED HESSIAN METHOD

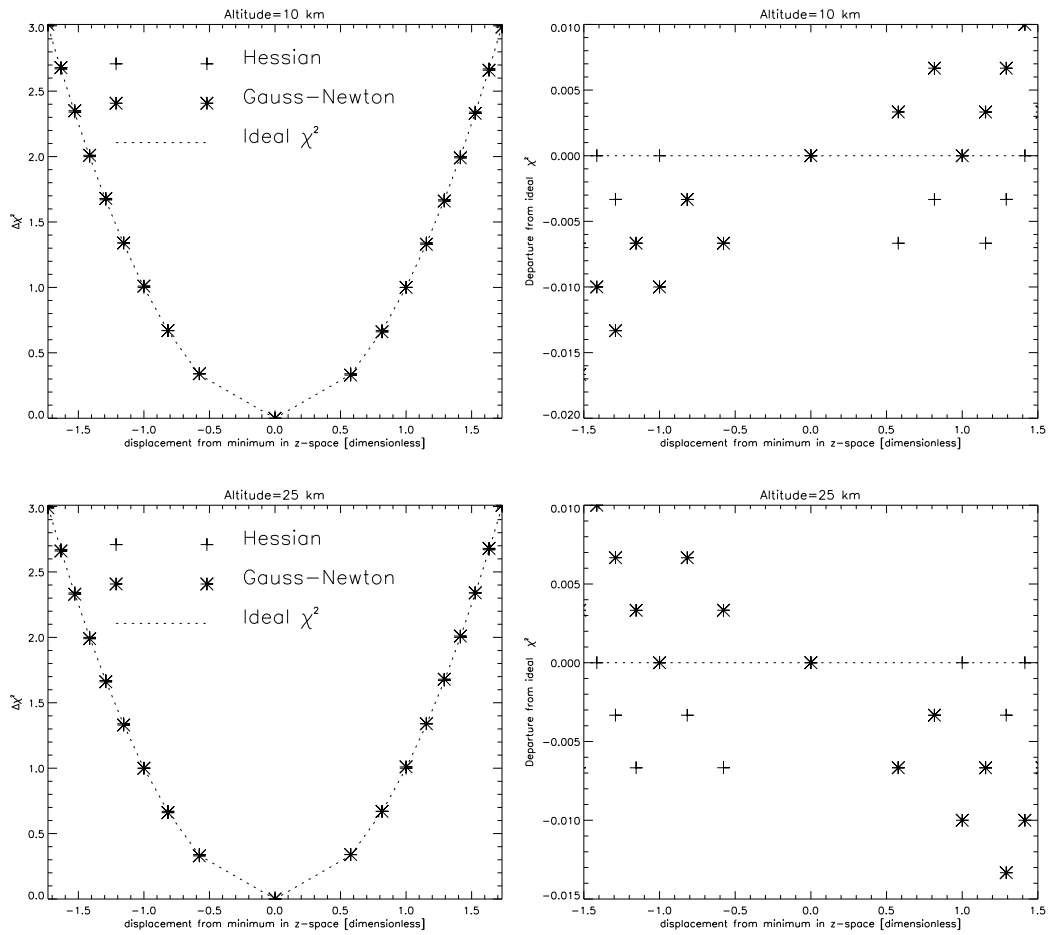


Figure 3.10: Left: The distribution of  $\Delta\chi^2$  as a function of a departure of profile from minimum in  $z$ -space for  $\text{ClONO}_2$  for altitudes of 10 and 25 kms. Right: The departure of  $\chi^2$  from ideal quadratic form indicated by the same symbols in the left panel for Hessian and Gauss-Newton.

### 3.3. APPLICATION TO ATMOSPHERIC SPECTROSCOPY

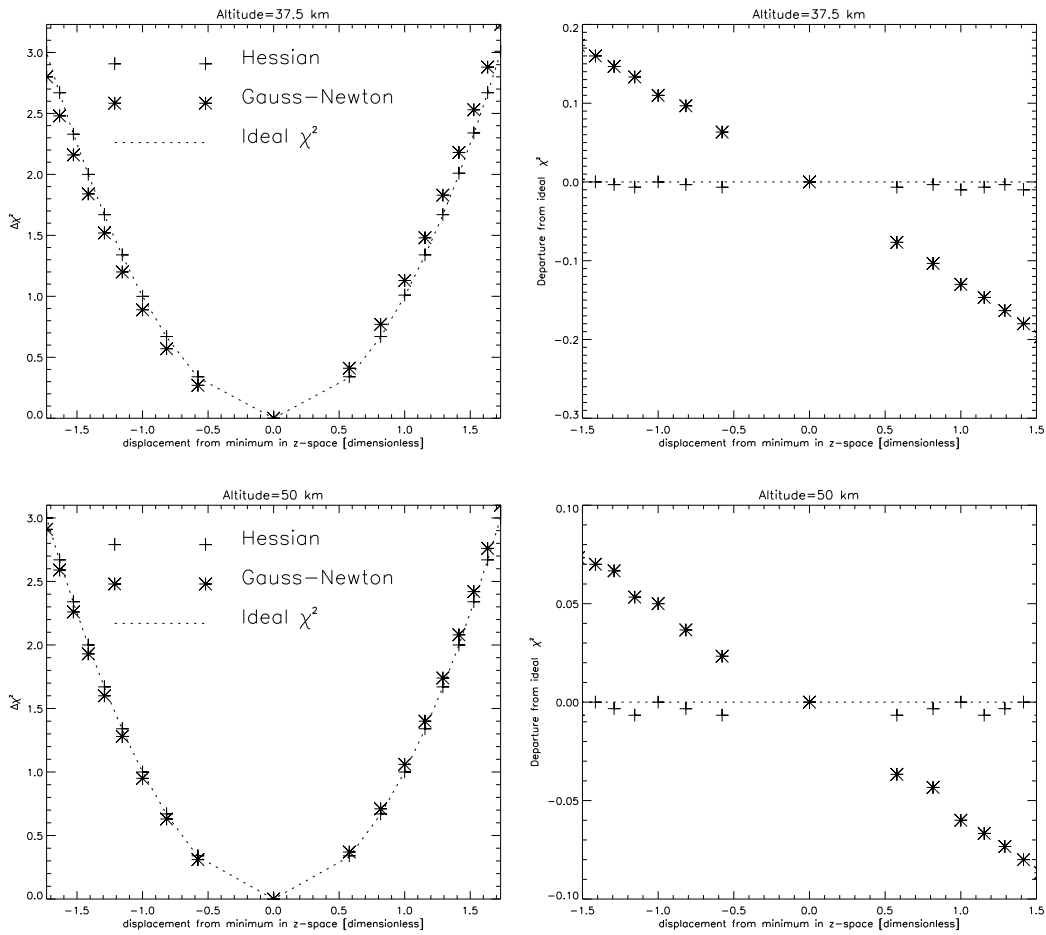


Figure 3.11: Left: The distribution of  $\Delta\chi^2$  as a function of a departure of profile from minimum in  $\mathbf{z}$ -space for  $\text{ClONO}_2$  for altitudes of 37.5 and 50 kms. Right: The departure of  $\chi^2$  from ideal quadratic form indicated by the same symbols in the left panel for Hessian and Gauss-Newton.

CHAPTER 3. GAUSS-NEWTON METHOD VERSUS THE IMPROVED HESSIAN METHOD

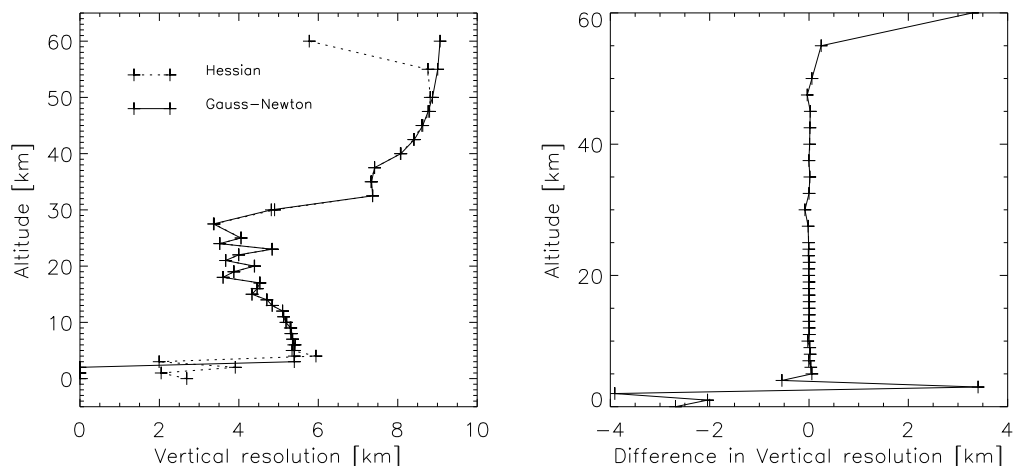


Figure 3.12: The vertical resolutions of  $\text{ClONO}_2$  retrievals from the two methods as noted in the legend and their differences.

The degrees of freedom of retrieval, i.e. trace of the averaging kernel, as computed from the averaging kernels are 5.0 in both retrievals. The vertical resolution of the retrievals showed some differences. The vertical resolution of retrievals which were not possible to calculate for the lowest three altitudes in the case of Gauss-Newton averaging kernel turned out to be between 2 to 4 km in the case of Hessian retrievals as indicated in Fig. 3.12. There are also some improvement in the resolution above 50 km while at most retrieval grids the vertical resolution is identical (see left panel of Fig. 3.12).

## Chapter 4

# Retrieval of $\text{N}_2\text{O}_5$ , an important component of $\text{NO}_y$

In this chapter we present and discuss an approach to the retrieval of  $\text{N}_2\text{O}_5$ , which solves the problem to distinguish between the continuum-like  $\text{N}_2\text{O}_5$  spectral signature and the background continuum radiance signal, and apply this approach to a MIPAS data set recorded in Austral spring 2002.

### 4.1 Retrieval of $\text{N}_2\text{O}_5$

#### 4.1.1 General Retrieval Sequence and Specific Strategy for Retrieval of $\text{N}_2\text{O}_5$

Species retrievals are the third step in the retrieval chain, after retrieval of spectral shift, temperature and pointing information [von Clarmann *et al.*, 2003b]. The retrieval processor derives the atmospheric and instrumental state parameters by constrained nonlinear least squares fit, using the Karlsruhe Optimized and Precise Radiative Transfer Algorithm (KOPRA) for the forward modeling of radiative transfer [Stiller, 2000]. For retrieval of  $\text{N}_2\text{O}_5$ , the radiative transfer modeling assumes local thermodynamic equilibrium (LTE). The spectroscopic data were taken from the HITRAN database [Rothman *et al.*, 1998], which includes cross-section data for  $\text{N}_2\text{O}_5$  [Cantrell *et al.*, 1988].

The abundance profiles of  $\text{N}_2\text{O}_5$  are retrieved from its  $\nu_{12}$  vibration-rotation band. While  $\nu_{12}$  is a prominent band, this spectral region also contains significant contributions from  $\text{CH}_4$ ,  $\text{N}_2\text{O}$  and  $\text{H}_2\text{O}$ . Furthermore, the  $\text{N}_2\text{O}_5$  line widths are larger than line spacings such that its signal is continuum-like. In effect, the quasi-continuum made up by far line wings of other species of uncertain abundances and particle continua from aerosols and clouds contribute to the continuum-like signal, which makes it difficult to separate the  $\text{N}_2\text{O}_5$  emission.

The background continuum in the  $\nu_{12}$  band is assumed to be approximately the same as that found in the spectral region near the  $\nu_{12}$  band. On the basis of this assumption, we propose a retrieval scheme which includes a spectral region virtually free of any  $\text{N}_2\text{O}_5$  signal and constrains contin-

uum signal of other species and particle continuum in the  $\nu_{12}$  band to values in the  $N_2O_5$ -free spectral region. Two so-called microwindows within the  $\nu_{12}$  band and one external microwindow were selected for this purpose. The  $N_2O_5$ -free spectral microwindow covers spectral region 1215.725 - 1216.725  $cm^{-1}$  while the target analysis windows cover 1239.0 - 1243.0  $cm^{-1}$  and 1275.0 - 1276.0  $cm^{-1}$  of the  $\nu_{12}$  band. These microwindows belong to band B of MIPAS instrument with NESR between 12 and 16  $nW/(sr\ cm^2\ cm^{-1})$  inferred from inflight measurements. These values are slightly higher than the preflight estimates but lower than the requirements. In analysis of spectra recorded from a balloon-borne platform (MIPAS-B), the continuum problem was solved by using a large analysis window, which contains also regions of negligible  $N_2O_5$  signal [Wetzel *et al.*, 1995]. Excessive computational requirements of this approach, however, are prohibitive for analysis of large amounts of data as in the case of MIPAS/ENVISAT.

#### 4.1.2 Elements of the state vector and regularization in $N_2O_5$ retrieval

The nominal strategy in IMK retrieval processor for inferring geophysical variables is the joint retrieval of target gas, main interfering species (optional) in the retrieval spectral window, a constant absolute radiance offset per spectral window for compensation of zero-level radiance calibration uncertainties and continuum absorption coefficients for altitudes below 33 km and per spectral window. Therefore, the state vector of unknown variables in (2.7) consists of the VMRs of the target gas and main interfering species at altitudes of the retrieval grid, altitude-constant absolute radiance offset per spectral window and continuum optical thickness per altitude and spectral window. The main interfering species in the case of  $N_2O_5$  retrieval are  $CH_4$ ,  $N_2O$  and  $H_2O$ , which are included in the state vector. All further interfering gases are considered in the forward calculation but not adjusted during the retrieval. The regularization matrix  $\mathbf{R}$  for the state vector consists of block matrices along its diagonal i.e.

$$\mathbf{R} = \begin{bmatrix} \mathbf{R}_{N_2O_5} & (0) & (0) & (0) & (0) & (0) \\ (0) & \mathbf{R}_{CH_4} & (0) & (0) & (0) & (0) \\ (0) & (0) & \mathbf{R}_{N_2O} & (0) & (0) & (0) \\ (0) & (0) & (0) & \mathbf{R}_{H_2O} & (0) & (0) \\ (0) & (0) & (0) & (0) & (\mathbf{R}_{cont}) & (0) \\ (0) & (0) & (0) & (0) & (0) & (\mathbf{R}_{offset}) \end{bmatrix},$$

where  $\mathbf{R}_{N_2O_5}$ ,  $\mathbf{R}_{CH_4}$ ,  $\mathbf{R}_{N_2O}$ ,  $\mathbf{R}_{H_2O}$ ,  $\mathbf{R}_{cont}$ , and  $\mathbf{R}_{offset}$  are regularization matrices for  $N_2O_5$ ,  $CH_4$ ,  $N_2O$ ,  $H_2O$ , continuum and offset respectively. The regularization matrices,  $\mathbf{R}_{N_2O_5}$ ,  $\mathbf{R}_{CH_4}$ ,  $\mathbf{R}_{N_2O}$ , and  $\mathbf{R}_{H_2O}$ , are constructed based on a variant of Tikhonov's first derivative operator for smoothing the profiles [Steck, 2002]. The off-diagonal matrices are filled with zeros.

The altitude grid used for  $N_2O_5$  retrieval consists of 60 levels with 1 km altitude width up to 44 km and 2-10 km width up to 120 km. The initial guess profiles used for retrieval, which is the same as the a priori profiles in our application, are achieved from various sources ranging from remote to in-situ measurements which allows differences in the climatology of the geolocations. The joint-fit gases  $CH_4$ ,  $N_2O$  and  $H_2O$  are also retrieved on the same altitude grid as  $N_2O_5$ . The initial guesses are equal to the a priori in the case of joint-fit gases as well.

The observed spectral lines are superimposed on some spectrally flat signal which arises through



both instrumental effects such as possible radiative calibration errors and atmospheric effects such as continuum emission. The gas continua caused by interaction of molecular pairs N<sub>2</sub>-O<sub>2</sub> and O<sub>2</sub>-O<sub>2</sub> and superposition of line wings from strong lines of H<sub>2</sub>O and N<sub>2</sub>O, as well as broadband continuum due to atmospheric aerosol contribute to continuum signal in the vicinity of N<sub>2</sub>O<sub>5</sub>. While all these continua except particle continua are modelled explicitly by KOPRA, any signature due to unknown aerosol or less than perfect modeling of the other sources of continuum emission can alter the background radiance signal (e.g., due to forward model approximations or spectroscopic uncertainties). Therefore, a purely empirical vertical profile of extinction coefficients is additionally retrieved in the IMK processing scheme in order to compensate continuum signal uncertainties described above.

The retrieval grid for continuum per spectral microwindow used consists of 60 levels with the same altitude spacing as the gases, however, continuum is forced to zero above 33 km. The initial guess continuum is always set to zero. Formally individual continuum profiles are retrieved per microwindow. In fact, through strongly constraining them in the wavenumber domain to each other, a common continuum profile for all three microwindows is retrieved. This is achieved by the continuum regularization matrix  $\mathbf{R}_{cont}$ . The part of  $\mathbf{R}_{cont}$  that smoothes the vertical profile of continuum,  $\mathbf{R}_{profile}$ , is constructed using Tikhonov's first derivative operator in the altitude domain in the same manner as for trace gas abundances while the other part relates the profiles in different microwindows.

The continuum regularization  $\mathbf{R}_{cont}$  for three microwindows is constructed as:

$$\mathbf{R}_{cont} = \mathbf{R}_{profile} + \alpha_{mw}^2 \begin{bmatrix} I \frac{1}{(v_1 - v_0)^2} & (0) & (0) \\ (0) & I \left( \frac{1}{(v_1 - v_0)^2} + \frac{1}{(v_2 - v_1)^2} \right) & (0) \\ (0) & (0) & I \frac{1}{(v_2 - v_1)^2} \end{bmatrix},$$

where  $v_i$ ,  $i = 0, 1, 2$  is the central wavenumber of the microwindows and  $\alpha_{mw}$  is a parameter which determines the strength of the regularization.  $\mathbf{I}$  is identity matrix of dimension  $n \times n$  where  $n$  equals the number of vertical grids at which continuum is retrieved. The regularization parameter  $\alpha_{mw}$  was determined to be  $9.0 \times 10^5$  on the basis of test retrievals.

Test calculations justify our assumption that aerosol contributes to the residual radiance at nearly equivalent level in the three selected spectral regions. Aerosol continuum is estimated for two sulphate aerosol species containing H<sub>2</sub>SO<sub>4</sub> as shown in Fig. 4.1 for maximum volume density of  $0.025 \frac{\mu m^3}{cm^3}$ . While the effects of scattering of radiation along the line of sight for the selected aerosol species can be neglected, our simulation includes the scattering into the line of sight. The simulation results as shown in the difference plot (left column of Figure 1) revealed for both equatorial and midlatitude model atmospheres that continuum emissions in the spectral regions are identical. Thus MIPAS measurements contain virtually no independent information on continuum in the various analysis windows used, allowing  $\alpha_{mw}$  to be adjusted in a way that the continuum in all the microwindows is approximately the same, following the rationale discussed above.

In order to compensate for calibration uncertainties, along with the retrieval of state parameters an altitude independent absolute radiance offset is retrieved per analysis window. The initial guess as well as a priori is zero. Unlike other elements of the state vector, no smoothing constraint is applied so that  $\mathbf{R}_{offset}$  equals zero.

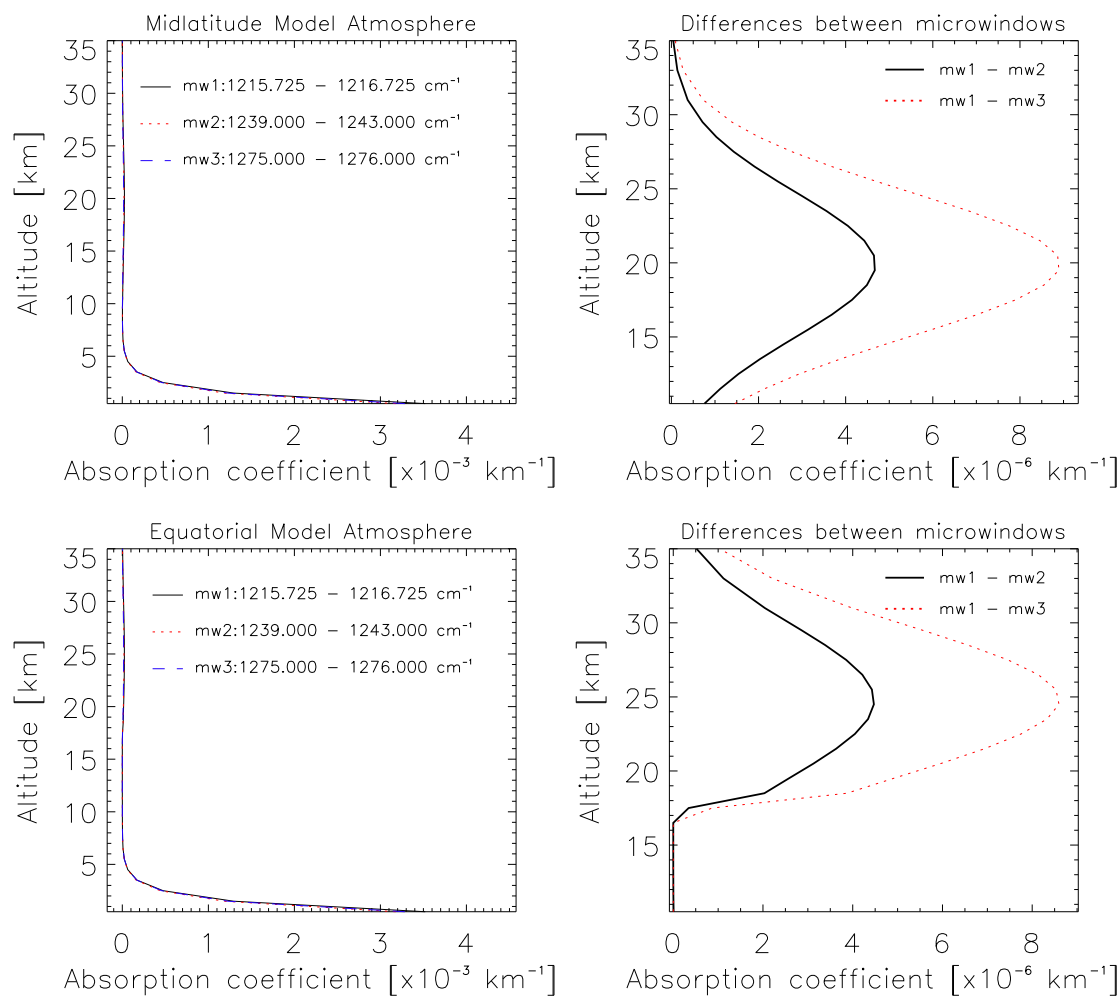


Figure 4.1: The broadband background continuum simulated for two sulphate aerosol species containing  $H_2SO_4$  of sizes  $0.04 \mu\text{m}$  and  $0.68 \mu\text{m}$  for midlatitude and equatorial model atmospheres. The difference of the two microwindows in  $\nu_{12}$  band of  $N_2O_5$  from the external microwindows is hardly seen in the left panel. The right panel shows the differences which is slightly visible below 5 km and in the altitude ranges centered on 20 km and 25 km for midlatitude and equatorial atmospheres respectively.

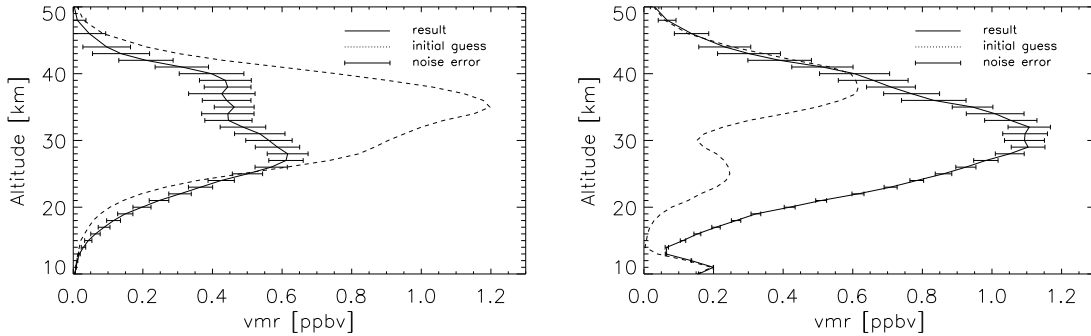


Figure 4.2: Daytime  $\text{N}_2\text{O}_5$  profiles (solid lines) as retrieved from measurements taken when the satellite is in orbit 02994 for geolocation inside (left) and outside (right) of the southern polar vortex on September 26, 2002. The dotted line is the a priori. The error bars represent noise induced errors.

## 4.2 Results and Diagnostics

Fig. 4.2 shows representative daytime profiles for inside vortex (left) and outside vortex (right) derived from measurements taken when the satellite was in orbit 02994 on September 26, 2002. The initial guess for inside vortex region has a single maximum at 35 km of 1.2 ppbv. The retrieved peak VMR inside vortex is about 0.65 ppbv and shifted to lower altitude of 28 km. On the other hand, the outside vortex first guess has triple maxima at 11, 25 and 35 kms. The retrieved profile exhibits two peaks at 11 km and about 31 km. While the pronounced differences between a priori information and results prove that in general the retrievals are not overconstrained, the  $\text{N}_2\text{O}_5$  peak at the altitude of 11 km is a mapping of a priori information onto the retrieval and thus not significant. The latter is reflected by the very low diagonal value of the averaging kernel at this altitude which is only 0.0014. In contrast, the main peak VMR near 31 km comes from information in the recorded  $\text{N}_2\text{O}_5$  emission signal. This is reflected by the large values of the averaging kernel of 0.285 and further supported by the fact that the two daytime profiles retrieved with the peak in the a priori profiles at the same altitude have their maximum in different altitudes. The degree of freedom,  $d_r = \text{tr}(A)$ , of the retrieved  $\text{N}_2\text{O}_5$  profile allowed by the smoothing constraint is 6 on average. The altitude resolution, which is the full width at half maximum (FWHM) of columns of the averaging kernel, for the ex-vortex profile is given in Fig. 4.3 (top, right panel). The vertical resolution in the altitude range near the peak VMR is only slightly larger than 3 km which is the nominal vertical resolution of a limb sounder with 3 km tangent altitude spacing. This coincides very well with the strong sensitivity of  $\text{N}_2\text{O}_5$  signal as shown in the averaging kernel (bottom panel). Useful information can also be obtained down to an altitude of 15 km, however with degraded altitude resolution in the range of 5-9 km. The noise-induced percentage estimated standard deviation (ESD) for the ex-vortex profile is also given in Figures 3 (top, left panel). The percentage ESD is better than 5% in the altitude range of 10-35 kms while steadily rising to above 40% at 50 km. The vertical resolution is approximately equal to 3 km, the nominal vertical resolution of the instrument in the altitude range near the peak VMR. The results of linear error analysis are listed for representative retrievals inside and outside the polar vortex for nighttime measurements on September 26, 2002 in Table 1. The estimates on systematic uncertainties given in Table 1 are based on climatological variability for interfering species, uncertainty of 1 K for temperature, gain calibration error of 1%, 15% error in linear modulation efficiency of instrumental line shape,

CHAPTER 4. RETRIEVAL OF  $N_2O_5$ , AN IMPORTANT COMPONENT OF  $NO_y$

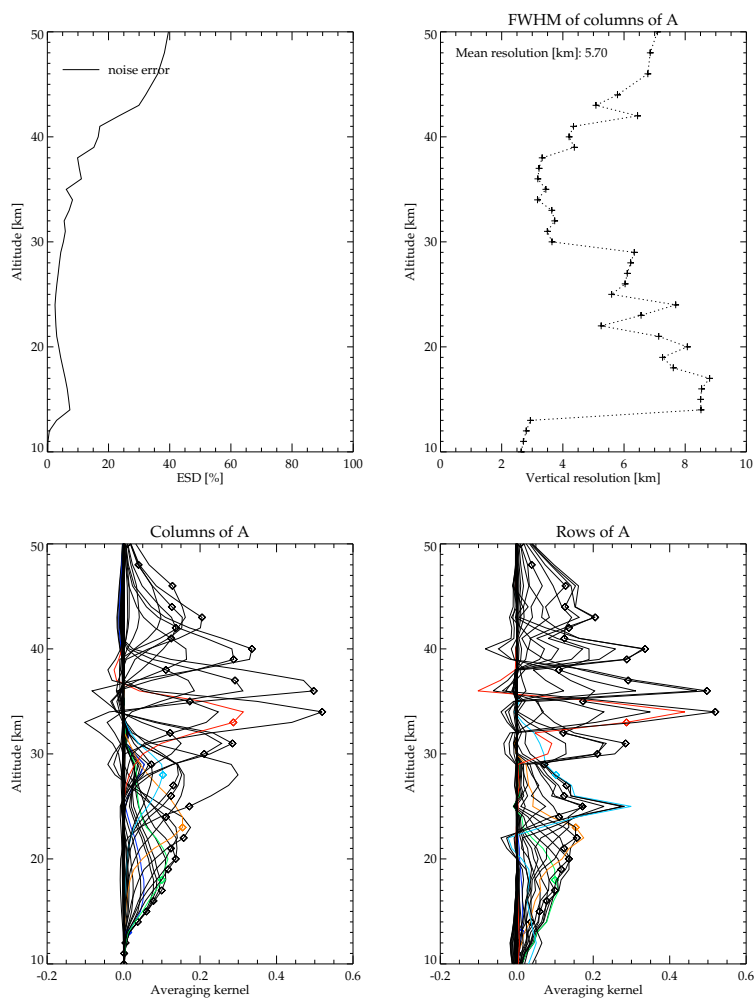


Figure 4.3: The relative random error and vertical resolution (top) and the averaging kernel(A) (bottom) corresponding to the profile outside the vortex

## 4.2. RESULTS AND DIAGNOSTICS

Altitude [Km]	total error	spectral noise	syst. error	Interf. gases	Temp.	Spectro. data	Point.	Spectral shift	Gain	ILS	non-LTE
15.0	19(76)	8(35)	17(68)	2(9)	1(6)	15(60)	5(20)	<1(<1)	<1(1)	2(9)	<1(2)
20.0	47(28)	20(12)	43(26)	10(6)	2(1)	40(24)	8(4)	<1(<1)	<1(<1)	7(4)	<1(<1)
25.0	71(9)	37(4)	61(7)	18(2)	7(<1)	53(6)	14(1)	<1(<1)	4(<1)	18(2)	2(<1)
30.0	150(12)	64(5)	140(11)	38(3)	20(1)	130(10)	18(1)	4(<1)	18(1)	14(1)	18(1)
35.0	230(27)	82(9)	220(26)	31(3)	59(7)	180(21)	62(7)	1(<1)	14(1)	85(10)	6(<1)
40.0	210(53)	110(27)	180(45)	32(8)	34(8)	95(23)	46(11)	1(<1)	<1(<1)	140(35)	14(3)

Altitude [Km]	total error	spectral noise	syst. error	Interf. gases	Temp.	Spectro. data	Point.	Spectral shift	Gain	ILS	non-LTE
15.0	34(78)	10(23)	32(74)	18(41)	1(3)	25(57)	6(15)	<1(<1)	<1(<1)	4(9)	<1(<1)
20.0	73(36)	26(13)	68(34)	38(19)	1(<1)	53(26)	13(6)	<1(<1)	<1(<1)	13(6)	<1(<1)
25.0	83(16)	43(8)	71(14)	45(8)	3(<1)	48(9)	1(<1)	1(<1)	1(<1)	26(5)	<1(<1)
30.0	140(24)	67(11)	120(21)	39(7)	20(3)	110(19)	19(3)	3(<1)	10(1)	9(1)	3(<1)
35.0	150(32)	57(12)	130(28)	38(8)	66(14)	82(17)	64(13)	2(<1)	11(2)	37(8)	3(<1)
40.0	170(42)	93(23)	140(35)	58(14)	22(5)	90(22)	20(5)	1(<1)	7(1)	84(21)	1(<1)

Table 4.1: The estimated total error, random error due to spectral noise, the total systematic error, systematic error due to interfering gases, temperature, spectroscopic data (due to uncertainty in band intensity), pointing information, residual spectral shift, gain calibration, instrumental line shape and non-LTE for typical profiles of daytime midlatitude (top) and nighttime polar vortex (bottom) for selected altitudes for measurements on September 26, 2002. The errors are given in absolute unit [pptv] and relative unit [%] (number in bracket). The species that are assumed to interfere in retrieval spectral regions of  $N_2O_5$  are  $CO_2$ ,  $O_3$ ,  $SO_2$ ,  $NO_2$ ,  $HNO_3$ ,  $HOCl$ ,  $H_2O_2$ ,  $C_2H_2$ ,  $COF_2$ , F14, and  $ClONO_2$ .

$0.0005 \text{ cm}^{-1}$  spectral shift error, tangent altitude uncertainty of 150 m, and model error estimated as a climatological difference of non-LTE and LTE forward calculations. The uncertainty of the  $N_2O_5$  band intensity is assumed to be 5%; all uncertainties are  $1\sigma$ .

The retrieved profiles of the continuum absorption coefficient decrease from about  $4.0 \times 10^{-4} \text{ km}^{-1}$  at and below 8 km to  $3.0 \times 10^{-5} \text{ km}^{-1}$  from 17-33 km. These are an order of magnitude lower than those simulated for the two-mode background sulphate aerosol within the framework of test calculations described in Section 3.2. This implies that the approximation of locally wavenumber-independent continuum propagates no noticeable error contribution to the  $N_2O_5$  retrieval. These are also low compared to  $1.2 \times 10^{-3} \text{ km}^{-1}$  at 11 km,  $2.5 \times 10^{-4} \text{ km}^{-1}$  at 16 km and  $5 \times 10^{-5} \text{ km}^{-1}$  at 19 km reported by *Echle et al.* [1998] for the Mt. Pinatubo aerosol. The degree of freedom for continuum is approximately 15 which slightly less than the number of tangent altitudes, due to the smoothing constraint.

Fig. 4.4 shows the measured and fitted spectra at a tangent altitude of 29 km on the left side and their difference on the right side for all three spectral intervals used. The measured spectra at this altitude is one of 16 limb sequences used to retrieve the profile shown on the right side in Fig. 4.2. The retrieval noise error at this altitude is approximately 5% (see Fig. 4.3, top left). The spectra calculated using the retrieved profile fits well with the measured spectra in all the three spectral intervals. The residual radiances lie within the range of NESR in all parts of the spectral intervals with strong signatures.

CHAPTER 4. RETRIEVAL OF  $N_2O_5$ , AN IMPORTANT COMPONENT OF  $NO_y$

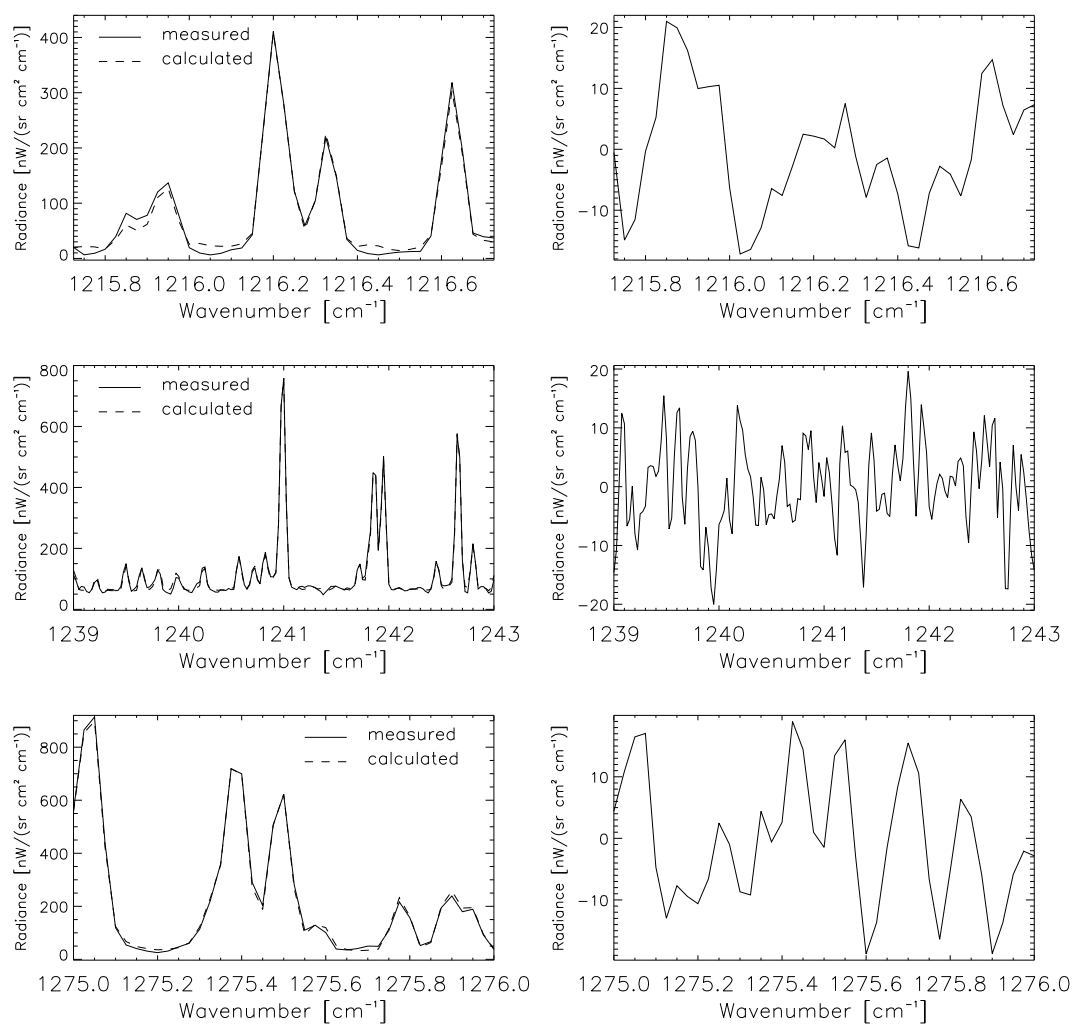


Figure 4.4: The measured and calculated spectra in all three spectral intervals for tangent altitude of 29 km. The right column represents the residual spectra (fitted spectra subtracted from measured spectra). The spectra correspond to the retrieved profile shown in Fig. 4.2 (right).

## Chapter 5

# Validation of MIPAS/ENVISAT $\text{NO}_y$ , $\text{HNO}_3$ and $\text{N}_2\text{O}_5$

### 5.1 Brief Description of Instruments

#### 5.1.1 MIPAS-B2 FTIR Spectrometer

MIPAS-B2 is a balloon-borne limb-emission sounder for atmospheric research. The heart of the instrument is a Fourier spectrometer that covers the mid-infrared spectral range (4 to 14  $\mu\text{m}$ ) and operates at cryogenic temperatures. Essential for this application is the sophisticated line of sight stabilization system, which is based on an inertial navigation system and supplemented with an additional star reference system. The major scientific benefit of the instrument is the simultaneous detection of complete trace gas families in the stratosphere, without restrictions concerning time of the day and viewing directions. Specifications, the design considerations, the actual realization and characterization of the instrument are described by *Friedl-Vallon et al.* [2004]. The nitrogen reservoir species  $\text{N}_2\text{O}_5$  was measured the first time by MIPAS-B2 during its first flight in February 1995 [Wetzel et al., 1997].

#### 5.1.2 MkIV Interferometer

The Jet Propulsion Laboratory (JPL) MkIV balloonborne instrument is a high resolution Fourier transform spectrometer that is operated in solar occultation mode. The MkIV uses a double-passed optical configuration for compactness and to provide passive shear compensation. Two parallel detectors, an HgCdTe photoconductor covering 650-1950  $\text{cm}^{-1}$  and an InSb photodiode covering 1850-5650  $\text{cm}^{-1}$ , allow the entire mid-infrared spectrum to be measured simultaneously. High signal-to-noise ratio solar occultation spectra will be measured throughout the mid-infrared region (650-5650  $\text{cm}^{-1}$ ) at high spectral resolution (0.01  $\text{cm}^{-1}$ ) at sunrise or sunset.

### 5.1.3 SIOUX in situ chemical instrument

The SIOUX instrument onboard M55-Geophysica aircraft is an in situ chemical instrument which is operated by German Aerospace Center (DLR). It is a 2-channel  $\text{NO}-\text{O}_3$  chemiluminescence system. In one of the two channels, the single  $\text{NO}_y$  species are first converted into  $\text{NO}$  by the help of an Au converter heated at  $300^\circ\text{C}$  with  $\text{CO}$  (0.2%) as the reduction agent. The nominal detection limit at 1 Hz sampling frequency is 15 pptv of  $\text{NO}_y$ . The accuracy of the measurement is 15% for  $\text{NO}_y$ .

### 5.1.4 Microwave Limb Sounder (MLS) on UARS

MLS is the first satellite experiment using limb sounding techniques at microwave frequencies. The latitudinal coverage of the MLS measurements extended from  $80^\circ$  on one side of the equator to  $34^\circ$  on the other due to the  $57^\circ$  inclination of UARS orbit.  $\text{HNO}_3$  is secondary MLS measurement goal. A polarization grid separates signals to different frequency radiometers (e.g. the 183-GHz radiometer for 183.310-GHz  $\text{H}_2\text{O}$  and 184.378 GHz  $\text{O}_3$ ; the 205-GHz radiometer for 204.352-GHz  $\text{ClO}$ , 206.132-GHz  $\text{O}_3$  and several weak lines of  $\text{HNO}_3$ ) [Barath *et al.*, 1993].

## 5.2 Comparison

The selection of profiles for comparison from MIPAS/ENVISAT measurements and measurements from instruments described above are based on best temporal and spatial match. In addition, when the number of coincident measurements are large enough then quantities such as fractional difference, average of fractional difference and standard deviation of the average are calculated.

The fractional difference  $D_{i,Z}$  at each altitude  $Z$  for each pair of profiles  $i$  is given as

$$\mathbf{D}_{i,Z} = \frac{2([\text{NO}_y]_{(\text{MIPAS/ENVISAT})} - [\text{NO}_y]_{(\text{other})})_{i,Z}}{([\text{NO}_y]_{(\text{MIPAS/ENVISAT})} + [\text{NO}_y]_{(\text{other})})_{i,Z}}. \quad (5.1)$$

The average fractional difference for  $N$  pairs of profiles is calculated as

$$\mathbf{D}_{Z\text{ave}} = \frac{1}{N} \sum_{i=1}^N \mathbf{D}_{i,Z},$$

and the standard deviation of the mean difference  $\sigma_D$  is calculated as

$$\sigma_D = \sqrt{\left( \frac{[\sum_{i=1}^N (\mathbf{D}_{i,Z} - \mathbf{D}_{Z\text{ave}})^2]}{N(N-1)} \right)}.$$

Comparison of measurements from instruments with substantial difference in vertical resolution requires degrading of the profiles measured by the high resolution instrument to a low resolution instrument. The transformation of this kind can be made following the approach of Rodgers [1990,



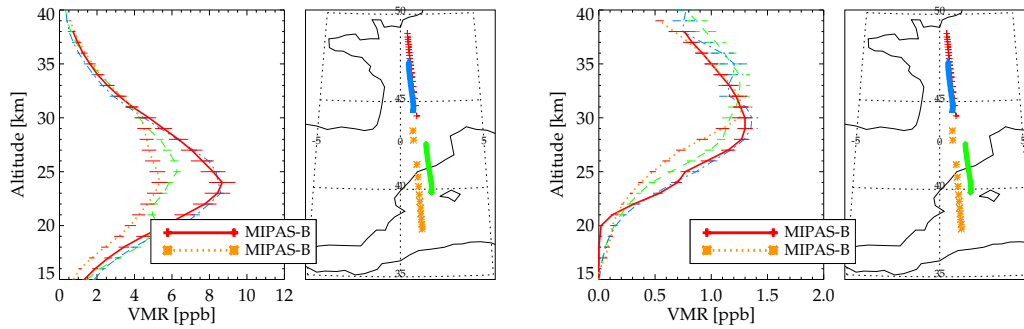


Figure 5.1: MIPAS/ENVISAT  $\text{N}_2\text{O}_5$  (right panel) and  $\text{HNO}_3$  (left panel) profiles in September compared with MIPAS-B2 profiles (red for Northern flight and orange for the southern flight). MIPAS/ENVISAT profiles as well as satellite tracks are indicated by green and blue colors.

2000]; *Rodgers and Connor* [2003]. The retrieved profile  $\mathbf{x}$  is related to the true profile  $\mathbf{x}_t$  and a priori information  $\mathbf{x}_a$  used in its retrieval by

$$\mathbf{x} - \mathbf{x}_a = \mathbf{A}(\mathbf{x}_t - \mathbf{x}_a) + \sigma_{\text{random}}, \quad (5.2)$$

where  $\sigma_{\text{random}}$  is the square root of the diagonal elements of random noise covariance  $\mathbf{S}_{\text{random}}$  and  $\mathbf{A}$  is the averaging kernel. Assuming the high resolution represents quite closely the true state of the atmosphere,  $\mathbf{x}_t$  can be taken as measurements from the high resolution instrument. We applied this transformation only to the in-situ SIOUX measurements which has a vertical resolution of approximately 7 m. In this circumstance,  $\mathbf{x}_t$  is the profile constructed from SIOUX measurements.

### 5.2.1 Comparison With MIPAS-B2

Two validation campaigns in September 24, 2002 and March 20, 2003 over Kiruna are made with MIPAS-B2. On September 24, 2002 two profiles were determined from balloon flights near  $40^\circ$  N and  $46^\circ$  N. The MIPAS/ENVISAT coincident measurement for flight near  $46^\circ$  N covered nearly the same latitudes and longitudes along track of the flight while the flight near  $40^\circ$  N is slightly different from MIPAS/ENVISAT trajectory. The March measurement was taken near  $66^\circ$  N,  $15^\circ$  E and covered a wide range of longitudes (greater than  $10^\circ$ ).

The agreements between MIPAS/ENVISAT and MIPAS-B2  $\text{HNO}_3$  and  $\text{N}_2\text{O}_5$  profiles derived from September 24, 2002 radiance measurements are very good while  $\text{HNO}_3$  profiles derived from March 20, 2003 have shown significant differences. The discrepancies in March measurements might be related to horizontal inhomogeneity within a wide range of longitudes covered by MIPAS-B2. Moreover, the measurements are made near the vortex boundary where the variation of  $\text{NO}_y$  species is highly pronounced due to difference in chemical processes on either sides of the vortex edge. The disagreements which are more pronounced for  $\text{HNO}_3$  than  $\text{N}_2\text{O}_5$  support the horizontal inhomogeneity as the main cause since  $\text{HNO}_3$  exhibits stronger latitudinal gradient than  $\text{N}_2\text{O}_5$ , particularly near the vortex edge.

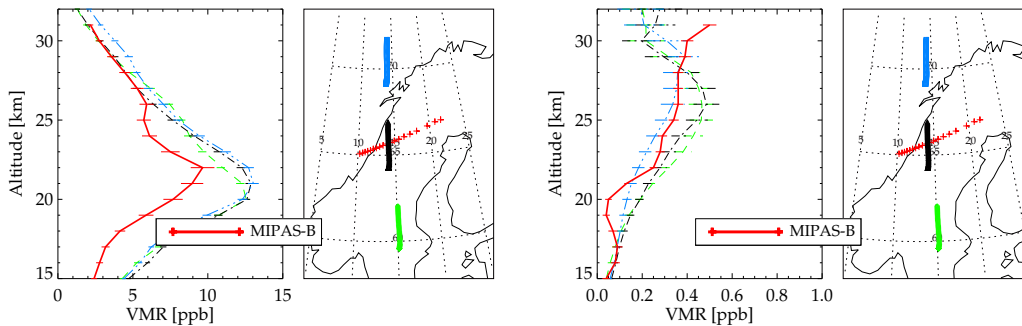


Figure 5.2: MIPAS/ENVISAT  $\text{N}_2\text{O}_5$  (right panel) and  $\text{HNO}_3$  (left panel) profiles in March compared with MIPAS-B2 profiles.

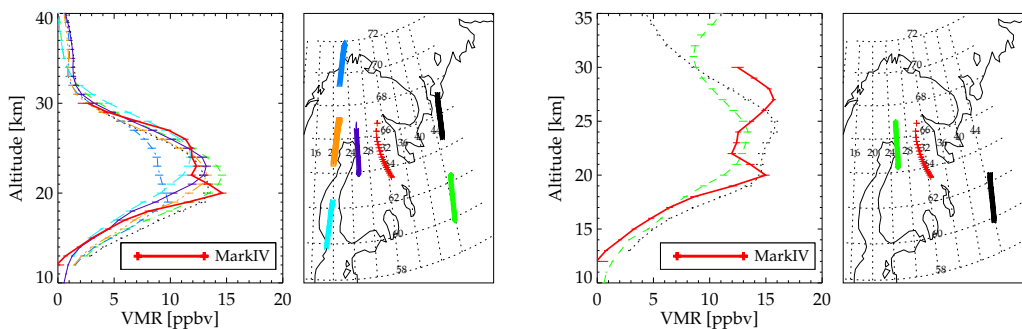


Figure 5.3: MIPAS/ENVISAT  $\text{NO}_y$  (right panel) and  $\text{HNO}_3$  (left panel) profiles in December compared with MkIV profiles (red).

## 5.2.2 Comparison With MkIV

There were two sunrise measurements over Esrange, Sweden in December 16, 2002 and April 1, 2003 during SOLVE2/VINTERSOL campaigns. MkIV Balloon Interferometer detects most of  $\text{NO}_y$  species, however, comparison of species that show diurnal variations with other instruments requires normalization to the same solar zenith angle (SZA). In this work, only  $\text{HNO}_3$  and  $\text{NO}_y$  from MkIV were compared to MIPAS/ENVISAT  $\text{HNO}_3$  and  $\text{NO}_y$  without such adjustment. There were 6 coincident MIPAS/ENVISAT profiles corresponding to MkIV December, 16, 2002  $\text{HNO}_3$  and only 2 of these are available for comparison with MkIV  $\text{NO}_y$ . The comparison of the December measurements shows substantial differences since the MkIV measurements were taken near the vortex edge and  $\text{NO}_y$  is sensitive to both latitudinal and longitudinal differences in this region. As shown in Fig. 5.3, the three MIPAS measurements centered near  $65^\circ$  as MkIV measurement exhibit better agreements than those profiles which are completely inside and outside (centered near  $70^\circ$  and  $61^\circ$  respectively) vortex. In contrast, MIPAS and MkIV April  $\text{NO}_y$  and  $\text{HNO}_3$  measurements are in reasonable agreements due to homogeneous airmasses though there were the same level of spatial mismatch.

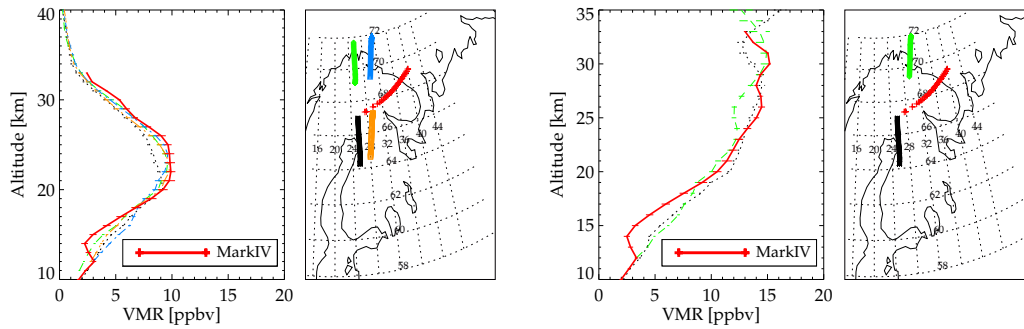


Figure 5.4: MIPAS/ENVISAT NO<sub>y</sub> (right panel) and HNO<sub>3</sub> (left panel) profiles in April compared with MkIV profiles (red).

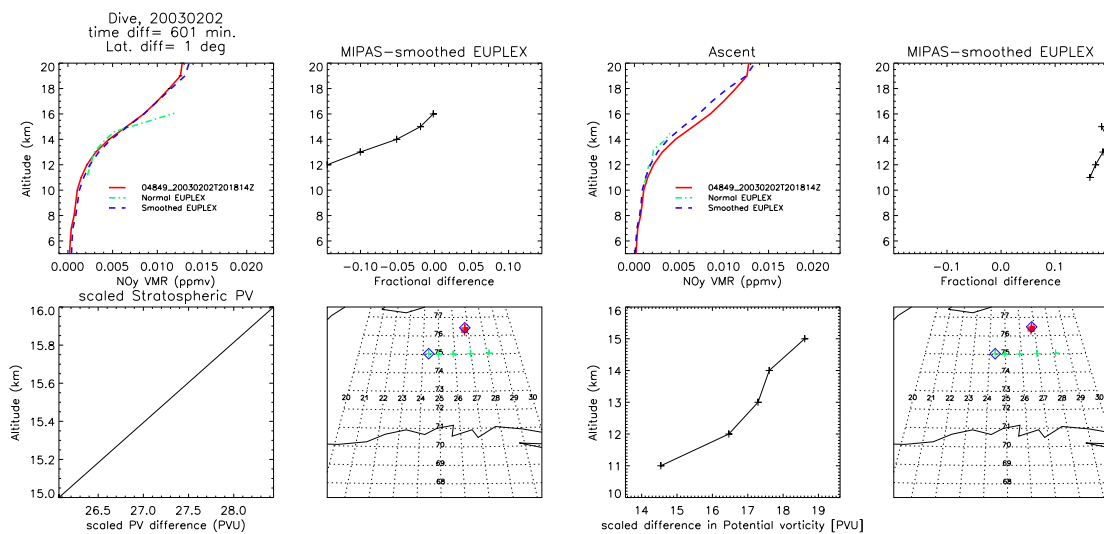


Figure 5.5: Example of MIPAS/ENVISAT profile comparison with SIOUX profiles. Left: The dive part of SIOUX NO<sub>y</sub> compared with coincident MIPAS/ENVISAT measurement from scan 04849\_20030202T201814Z. Right: The same scan compared to the ascent part of SIOUX measurements.

### 5.2.3 Comparison With SIOUX

M55-Geophysica aircraft flew 3 times in January, 2003 and 4 times in February, 2003, during the EUPLEX campaigns. NO<sub>y</sub> was measured by in-situ particle counter based on the chemiluminescence technique. In a single flight the SIOUX measures NO<sub>y</sub> during ascent, constant level and dive part of the flight. From the ascent and dive parts of the flight, profiles for an average geolocation can be derived. The main problem encountered in comparing MIPAS/ENVISAT NO<sub>y</sub> with SIOUX is the large area covered by M55-Geophysica within a small altitude range of approximately 12 km allowing for a possible sampling of different airmasses. The dive part of the SIOUX NO<sub>y</sub> in green and MIPAS NO<sub>y</sub> in red (Fig. 5.5 top left panel) differ substantially above 15 km. When SIOUX NO<sub>y</sub> is degraded by the averaging kernel of SIOUX NO<sub>y</sub> according to (5.2) (see black dash line in the same figure), however, the agreement has improved dramatically to better than 5% of the mean VMR above this altitude. The differences at altitudes lower than this

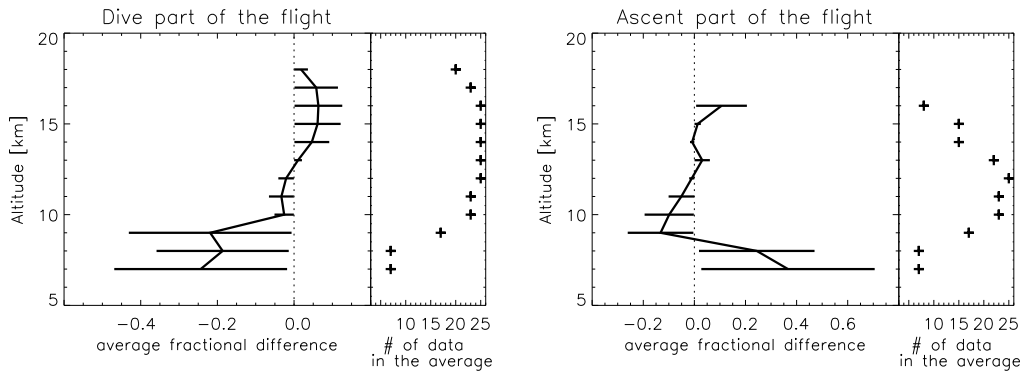


Figure 5.6: MIPAS/ENVISAT-SIOUX average fractional difference profile comparison. The dive part (left) and ascent part (right) along with the number of data points used for the calculation of average and standard deviation of the average fractional difference.

altitude have not shown significant improvements, instead, the differences became more apparent (second column, top panel). Nevertheless, these differences are very small in absolute units due to low VMR there. Likewise, agreements between ascent part of SIOUX  $\text{NO}_y$  and MIPAS  $\text{NO}_y$  have improved following smoothing of SIOUX  $\text{NO}_y$  by MIPAS  $\text{NO}_y$  averaging kernel. The differences between the two measurements for the ascent part of SIOUX measurements increase with increasing differences in PV suggesting the remaining discrepancy, after smoothing is applied, is attributable to airmass inhomogeneity (see bottom panel, third column).

In Fig. 5.6, the average fractional difference profile remained near the zero line in general. Moreover, the mean standard deviation include the unbiased line (zero line) as shown by error bars for altitude higher than 10 km. In general,  $\text{NO}_y$  from SIOUX on M55-Geophysica during EUPLEX campaigns in January and February, 2003 agree within average difference of less than 10% between 10-18 km. Scarcity of good coincidence in space and horizontal inhomogeneity, that could arise due to a wider range of longitude sampled by SIOUX measurements, might have contributed to much of the observed differences.

Not all fractional differences are meaningful since in some cases the MIPAS/ENVISAT  $\text{NO}_y$  averaging kernels are limited to altitude higher than shown in the comparison. The fractional differences below altitude indicated by averaging kernels is then the difference between a priori profiles and the SIOUX profiles which come from climatology. Two extreme examples of averaging kernels are shown in Fig. 5.7.

#### 5.2.4 Comparison of MIPAS $\text{HNO}_3$ with MLS $\text{HNO}_3$ climatology

We made comparison of MIPAS  $\text{HNO}_3$  with the Microwave Limb Sounder (MLS) onboard the Upper Atmosphere Research Satellite (UARS)  $\text{HNO}_3$  climatology in order to assess whether MIPAS  $\text{HNO}_3$  lies within the limit of scatter of MLS  $\text{HNO}_3$  over the 8-year period.

The UARS MLS  $\text{HNO}_3$  data set is by far the complete observational record which includes the global distribution of stratospheric  $\text{HNO}_3$  over annual cycles for much of the 1990s. This data set was examined previously by *Santee et al.* [1999] and very recently some of the limitations in that

## 5.2. COMPARISON

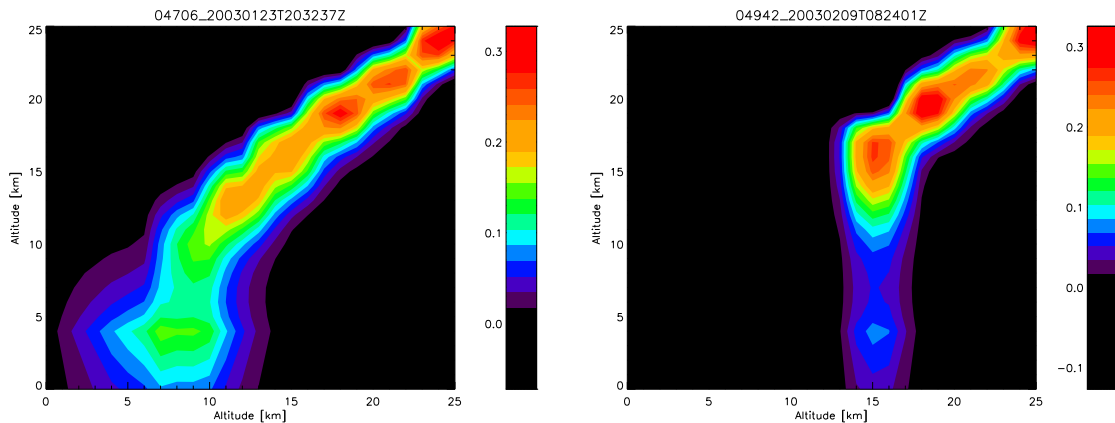


Figure 5.7: MIPAS/ENVISAT averaging kernels (left: information comes from measurements down to 7 km) and (right: information comes from measurements only above 15 km).

study were removed by the use of version 6 data set and calculation of zonal mean using equivalent latitude data bins [Santee *et al.*, 2004].

Santee *et al.* [2004] have made averages from  $5^\circ$  equivalent latitude bands which were used to look at interannual and interhemispheric differences in the  $\text{HNO}_3$  seasonal cycle for seven years at 585 K. MIPAS  $\text{HNO}_3$  at the same theta level, which are averages of  $4^\circ$  equivalent latitude band for the periods in September/October, 2002 are compared with MLS  $\text{HNO}_3$  of September period. The MLS  $\text{HNO}_3$  climatology at 585 K shows that Southern hemisphere  $\text{HNO}_3$  in the region South of  $75^\circ$  is approximately 4.0 ppbv averaged over the 1991-98 period. The MIPAS  $\text{HNO}_3$  for the same equivalent latitude band in Fig. 6.3 exhibits the same value of 4.0 ppbv. The MIPAS  $\text{HNO}_3$  near the vortex edge region ( $55\text{-}60^\circ$ ) increases to a value over 9 ppbv while MLS  $\text{HNO}_3$  varies between 8-12 ppbv showing annual variation. The values agree within the uncertainty of 2 ppbv of MLS  $\text{HNO}_3$ .

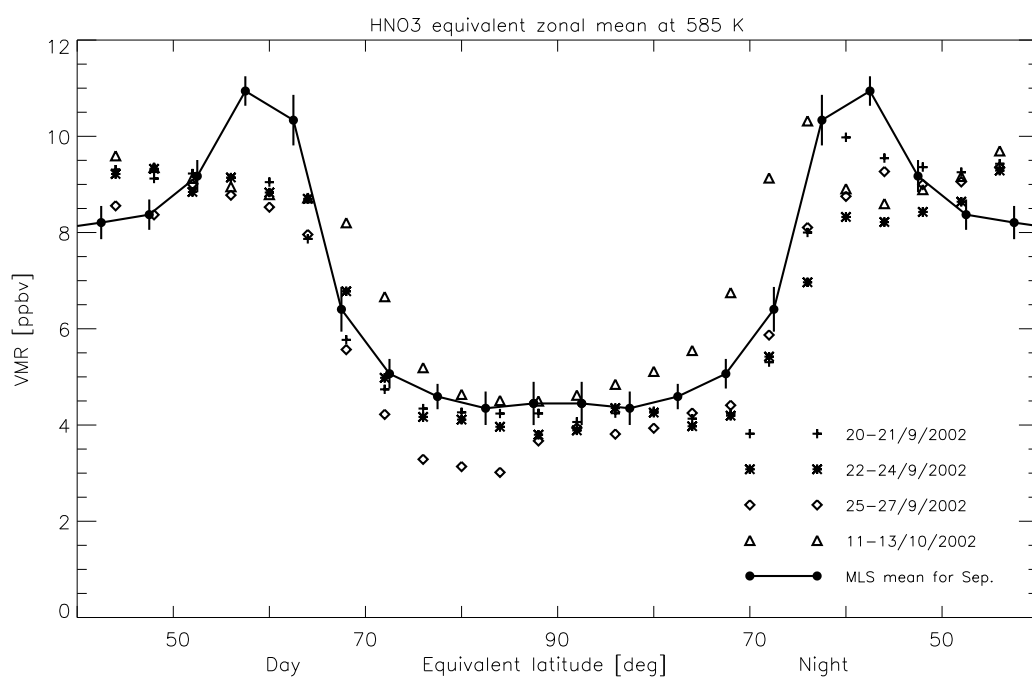


Figure 5.8:  $\text{HNO}_3$  on 585 K level to facilitate comparison with MLS  $\text{HNO}_3$  Climatology. The zonal mean is calculated from data binned in to  $4^\circ$  equivalent latitude.

## Chapter 6

# NO<sub>y</sub> in the Austral Spring 2002

The Antarctic polar vortex split in September/October is an unusual event which was reasonably well covered during its evolution by MIPAS measurements. The large data set was used to retrieve the volume mixing ratios of reactive nitrogen compounds (NO<sub>y</sub>), and the source gases CFC-11, N<sub>2</sub>O and CH<sub>4</sub>. In this chapter, the implication of major warming on N<sub>2</sub>O<sub>5</sub> VMR, the NO<sub>y</sub> budget and its partitioning as well as denitrification and mixing in the lower and middle stratosphere are studied for four periods: early presplit period (20-21 September), presplit period (22-24 September), split period (25-27 September), and early mid-October (postsplit, 11-13 October). The time categories are fairly reasonable and justifiable owing to the different dynamics and conditions for chemical processing at these times. Mixing processes during the event have been investigated using source gases and ozone distributions [Glatthor *et al.*, 2004]. Examination of possible isentropic mixing has indicated that mixing points or clusters instead of mixing lines were observed. As noted in that paper, [CH<sub>4</sub>]:[N<sub>2</sub>O] relations inside the vortex are more linear for N<sub>2</sub>O between 50 and 300 ppbv, from which relatively straight lines can be obtained over a wide range of theta levels. Quantification of mixing-induced deficit in NO<sub>y</sub> from such 'mixing lines' leads to over-estimation of the deficit due to mixing. On the other hand, the accuracy of the artificial-reference tracer method is limited if the number of long-lived species used in its construction is not high enough. We therefore consider both mixing line approach and constructing artificial 'reference tracer' to distinguish mixing-induced changes from the contribution of denitrification to the observed NO<sub>y</sub> deficit inside the polar vortex and compare the results.

## 6.1 Data

### 6.1.1 MIPAS NO<sub>y</sub> and Long-lived Species

The volume mixing ratios of NO<sub>y</sub>, CH<sub>4</sub>, CFC-11 and N<sub>2</sub>O used for this study were derived from infrared limb spectral radiances observed by MIPAS on board of ENVISAT during a period of eleven days from September 20 to October 13, 2002. Data are missing between September 28 and October 10 due to MIPAS switch off resulting from a failure of the stirling cooler.

The NO<sub>y</sub> compounds retrieved from the limb emission radiances are HNO<sub>3</sub>, ClONO<sub>2</sub>, N<sub>2</sub>O<sub>5</sub>, NO

No.	Microwindow [cm <sup>-1</sup> ]	Height occupation 5-56 km in 3km steps
1	861.575 - 864.550	===T T=====T T T T = T = T =
2	865.225 - 868.200	== T T T T T = T T T T T = T = T =
3	865.225 - 868.200	== T =====T T T T T T T = T = T =
4	871.225 - 873.975	= T =====T T T T T T T = T = T =
5	877.075 - 877.425	== T T T T T T = T T T T = T = T =
6	878.375 - 881.350	T T = T T = == = T T T T T = T = T =
7	881.625 - 884.600	= T T =====T T T T T T = T = T =

Table 6.1: Occupation matrix used for joint retrieval of HNO<sub>3</sub> and O<sub>3</sub>. The columns represent from left to right: the microwindow number, the microwindow and the height at which it is used (label "T" indicates the microwindow is used at the given height beginning with 5 km (left corner of the column) and 56 km (right corner of the column)).

and NO<sub>2</sub>. Mixing ratios of the long-lived species CFC-11, N<sub>2</sub>O and CH<sub>4</sub> were taken from *Glatthor et al.* [2004]. The N<sub>2</sub>O<sub>5</sub> profiles are retrieved as described in previous chapter. NO and NO<sub>2</sub> were retrieved as reported by *Funke et al.* [2003] and ClONO<sub>2</sub> was retrieved as reported by *Höpfner et al.* [2004].

HNO<sub>3</sub> was retrieved jointly with ozone using optimized spectral regions with respect to total retrieval error [*von Clarmann and Echle*, 1998] in its ν<sub>5</sub> and 2ν<sub>9</sub> bands. Not all selected spectral regions are used for all observation geometries in order to optimize computation time and minimize systematic errors. Therefore, height dependent combinations of microwindows (so-called occupation matrices) are selected with a trade-off between computation time and total retrieval error [*Echle et al.*, 2000] as listed in Table 6.1. For the MIPAS spectroscopic database, the HNO<sub>3</sub> band intensity is scaled by a factor of 0.879 (*Flaud et al.*, pers. communication) with respect to the HITRAN database [*Rothman et al.*, 1998] which led to an average of 12% increase in HNO<sub>3</sub> VMR.

### 6.1.2 Potential Vorticity and related Quantity derived from Meteorological Data

For the assessment of mixing through the vortex boundary an appropriate definition of the edge of the polar vortex is needed. Very often, the vortex edge is defined as the maximum meridional gradient of a conserved tracer. A tracer, such as potential vorticity (PV), may not be a monotonic function of geographical latitudes particularly during the perturbed atmosphere, e.g. during major warming. Under such circumstances, appropriate transformation is required such that the tracer is a monotonic function of the transformed quantity. Since PV is used as a dynamical tracer, mapping of PV values into their equivalent latitudes is made by comparing the areas enclosed by the isolines of PV with those enclosed by the latitudinal circles. Applying the procedure described by *Nash et al.* [1996] can then give a reasonably accurate vortex edge. Specifically, the equivalent latitude of the vortex edge can be obtained by the maximum of the average wind multiplied by PV. After having determined the equivalent latitudes from the potential vorticity derived from United Kingdom Meteorological Office (METO) assimilated winds, this method is used to mark the vortex edge (see Figs. 6.1-6.2 for the vortex edge averaged over the days in the respective period). The vortex edge region is referred to as a wide area enclosed by ±5 degree equivalent latitude from the edge.



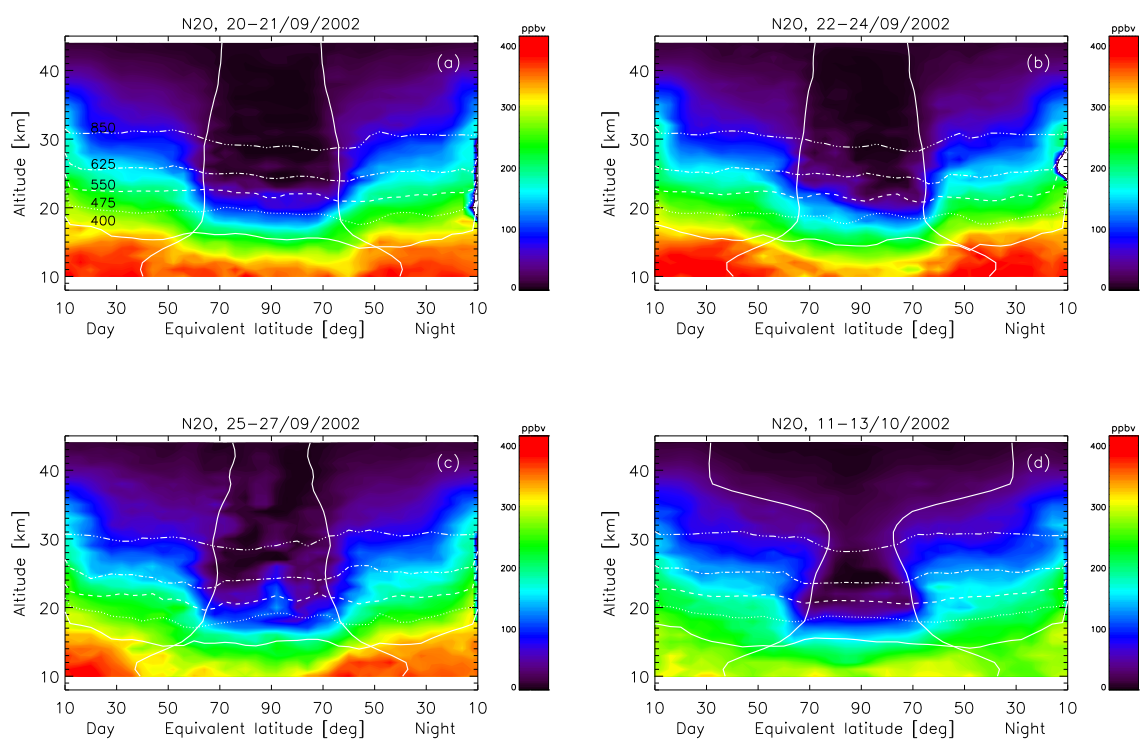


Figure 6.1:  $\text{N}_2\text{O}$  as a function of equivalent latitudes. The vortex edge is overlaid by white solid line extending along the altitude axis and a wide vortex edge region is assumed to lie within 5 degree equivalent latitude width from the edge in either sides. White lines indicate potential temperature levels of 400 (solid), 475, 550, 625, 850 K (dash-dot-dot).

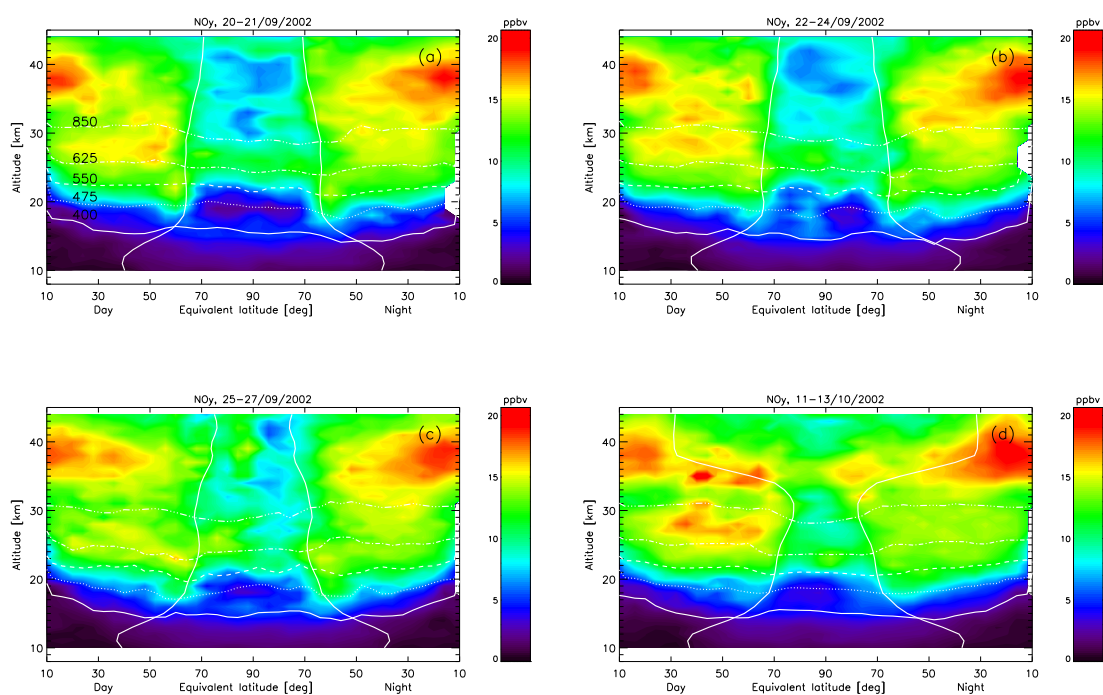


Figure 6.2: NO<sub>y</sub> as a function of equivalent latitudes. The vortex edge is overlaid by white solid line extending along the altitude axis and a wide vortex edge region is assumed to lie within 5 degree equivalent latitude width from the edge in either sides. White lines indicate potential temperature levels of 400 (solid), 475, 550, 625, 850 K (dash-dot-dot).

Nighttime midlatitude											
Altitude [Km]	Total error	Spectral noise	Syst. error	Interf. gases	Temp.	Spectro. data	LOS	Spectral shift	Gain calib.	ILS	Forward model
10	77(56)	27(19)	72(53)	3(2)	<1(<1)	68(50)	4(2)	<1(<1)	3(2)	23(16)	<1(<1)
15	110(7)	49(3)	95(6)	12(<1)	17(1)	86(5)	20(1)	<1(<1)	18(1)	22(1)	2(<1)
20	380(6)	200(3)	330(5)	85(1)	18(<1)	170(3)	100(1)	16(<1)	110(1)	210(3)	8(<1)
25	680(6)	290(2)	610(6)	14(<1)	262(2)	140(1)	38(<1)	33(<1)	180(1)	500(5)	13(<1)
30	790(11)	190(2)	770(11)	7(<1)	270(4)	310(4)	300(4)	2(<1)	140(2)	560(8)	44(<1)
35	630(37)	81(4)	630(37)	7(<1)	170(10)	480(28)	340(20)	<1(<1)	69(4)	98(5)	<1(<1)
40	150(50)	37(12)	150(50)	1(<1)	33(11)	110(36)	91(30)	<1(<1)	15(5)	22(7)	6(2)
44	63(53)	19(16)	60(50)	<1(<1)	13(11)	45(38)	37(31)	<1(<1)	5(5)	9(8)	2(2)

Nighttime polar vortex											
Altitude [Km]	Total error	Spectral noise	Syst. error	Interf. gases	Temp.	Spectro. data	Point.	Spectral shift	Gain calib.	ILS	Forward model
10	54(7)	28(3)	46(6)	2(<1)	15(2)	42(5)	5(<1)	<1(<1)	12(1)	1(<1)	1(<1)
15	81(3)	55(2)	59(2)	5(<1)	32(1)	24(1)	2(<1)	<1(<1)	37(1)	22(<1)	4(<1)
20	390(16)	180(7)	350(15)	56(2)	77(3)	310(13)	3(<1)	4(<1)	44(1)	130(5)	5(<1)
25	310(7)	250(6)	180(4)	9(<1)	51(1)	47(1)	42(1)	5(<1)	42(1)	150(3)	6(<1)
30	250(24)	170(16)	190(18)	6(<1)	52(5)	57(5)	94(9)	5(<1)	28(2)	140(13)	26(2)
35	110(27)	48(11)	100(24)	5(1)	16(3)	84(20)	53(13)	<1(<1)	11(2)	9(2)	6(1)
40	50(40)	34(27)	37(29)	1(1)	5(4)	31(24)	18(14)	<1(<1)	4(3)	5(4)	<1(<1)
44	24(58)	18(43)	16(38)	<1(1)	2(5)	13(31)	7(18)	<1(<1)	1(4)	2(6)	<1(<1)

Table 6.2: The estimated total error, random error due to spectral noise, the total systematic error, systematic error due to interfering gases, temperature, spectroscopic data (due to uncertainty in band intensity and half line width), line of sight (LOS), residual spectral shift, gain calibration, instrumental line shape and forward model for typical profiles of nighttime midlatitude (top) and nighttime polar vortex (bottom) for selected altitudes for measurements on September 26, 2002. The errors are given in absolute unit [pptv] and relative unit [%] (number in bracket). The species that are assumed to interfere in the microwindows selected for HNO<sub>3</sub> retrieval are H<sub>2</sub>O, CO<sub>2</sub>, O<sub>3</sub>, NO<sub>2</sub>, N<sub>2</sub>O, CH<sub>4</sub>, C<sub>2</sub>H<sub>6</sub>, CFC-11, CFC-12, ClO, OCS and NH<sub>3</sub>.

The analysis of daytime and nighttime NO<sub>y</sub> partitioning is separately based on average of data within the same airmass as well as individual data points. The latter may help understanding finer details that could be smoothed out in the mean values. Understanding of the zonal mean values of geographic latitudes may not be straightforward due to the large geographical as well as dynamical latitude range covered by the vortex during the course of the observation time, particularly when comparing averages from different periods. The equivalent latitude zonal mean gives a much more representative view of the behaviour of NO<sub>y</sub> and its constituents in the context of stratospheric flow and vortex evolution than the usual zonal mean from geographic latitudes, particularly during the major warming.

### 6.1.3 Error Estimation for NO<sub>y</sub>

The random retrieval noise error and systematic errors due to the uncertain parameters are available from the original papers [Glatthor *et al.*, 2004; Höpfner *et al.*, 2004; Funke *et al.*, 2003] and in Chapter 4 for N<sub>2</sub>O<sub>5</sub>, which are determined for each constituent species according to linear error analysis. The random retrieval noise error and systematic errors of HNO<sub>3</sub> for representative nighttime inside polar vortex and midlatitude retrievals for measurements on September 26, 2002 are tabulated in Table 2.

The random retrieval noise error and systematic errors of NO<sub>y</sub> are determined from the estimated errors of its components. The total systematic error of the constituent species includes the uncertainties from all interfering gases which are not jointly retrieved with the constituent gas and uncertainties from temperature, line of sight, instrumental line shape, spectral shift, calibration

## CHAPTER 6. NOY IN THE AUSTRAL SPRING 2002

Nighttime midlatitude											
Altitude [Km]	Total error	Spectral noise	Syst. error	Interf. gases	Temp.	Spectro. data	LOS	Spectral shift	Gain calib.	ILS	Forward model
10	101(29)	22(6)	79(23)	2(<1)	9(2)	46(13)	3(1)	<1(<1)	6(1)	9(2)	<1(<1)
15	269(12)	56(2)	212(9)	8(<1)	41(1)	94(4)	19(<1)	<1(<1)	26(1)	19(<1)	1(<1)
20	799(11)	183(2)	615(8)	73(1)	17(<1)	158(2)	84(1)	13(<1)	90(1)	170(2)	7(<1)
25	1229(8)	274(1)	954(6)	17(<1)	178(1)	151(1)	35(<1)	25(<1)	133(<1)	404(2)	8(<1)
30	1674(11)	315(2)	1359(9)	69(<1)	180(1)	245(1)	166(1)	15(<1)	84(<1)	576(4)	21(<1)
35	2206(19)	694(6)	1511(13)	64(<1)	274(2)	810(7)	257(2)	22(<1)	53(<1)	29(<1)	<1(<1)
40	1526(19)	449(5)	1077(13)	5(<1)	112(1)	362(4)	89(1)	36(<1)	73(<1)	397(4)	<1(<1)
44	1360(18)	204(2)	1155(16)	4(<1)	163(2)	333(4)	52(<1)	2(<1)	89(1)	509(7)	<1(<1)

Nighttime polar vortex											
Altitude [Km]	Total error	Spectral noise	Syst. error	Interf. gases	Temp.	Spectro. data	Point.	Spectral shift	Gain calib.	ILS	Forward model
10	162(15)	33(3)	129(12)	2(<1)	16(1)	36(3)	6(<1)	1(<1)	8(<1)	56(5)	1(<1)
15	489(13)	99(2)	390(10)	6(<1)	42(1)	45(1)	13(<1)	3(<1)	24(<1)	251(6)	3(<1)
20	766(16)	169(3)	596(12)	33(<1)	58(1)	233(4)	10(<1)	9(<1)	28(<1)	215(4)	6(<1)
25	937(8)	312(2)	625(5)	25(<1)	89(<1)	152(1)	25(<1)	57(<1)	75(<1)	134(1)	65(<1)
30	2455(27)	282(3)	2173(24)	112(1)	198(2)	1127(12)	127(1)	4(<1)	66(<1)	501(5)	35(<1)
35	1942(26)	208(2)	1734(24)	62(<1)	169(2)	1039(14)	58(<1)	29(<1)	107(1)	208(2)	59(<1)
40	2140(21)	250(2)	1890(18)	12(<1)	229(2)	604(5)	32(<1)	26(<1)	114(1)	592(5)	276(2)
44	2566(32)	220(2)	2345(29)	8(<1)	301(3)	552(6)	218(2)	4(<1)	118(1)	651(8)	490(6)

Table 6.3: The same as Table 6.2, but for NO<sub>y</sub>.

uncertainty, forward modelling and spectroscopic errors.

The random noise error and uncertainty in spectroscopic data in NO<sub>y</sub> are considered as random errors among all NO<sub>y</sub> components and determined by adding VMR weighted individual values of the constituent species quadratically. All the remaining components are assumed to be systematic among all NO<sub>y</sub> components and estimated from VMR weighted linear sum. The estimates determined in this manner for the same representative geolocations as HNO<sub>3</sub> are listed in Table 3.

## 6.2 Vortex as observed from evolution of NO<sub>y</sub> and N<sub>2</sub>O

The vortex was approximately centred on the pole in the early-presplit period of MIPAS measurements, and shifted towards lower latitudes during the presplit period. During the split period, MIPAS observed airmasses at high-latitudes South of 80°S above 475 K that originated from lower latitude, as shown in Figs. 6.3-6.4. MIPAS sampled ex-vortex air of mid-latitude origin even in the presplit periods at and above 475 K levels at these latitudes suggesting that the vortex has weakened in the region connecting the two vortices evolving from the strong pole-centered vortex prior to the major warming. In the early mid-October, the vortex re-centred on the pole.

The size of the vortex prior to the split and in split periods was large and remained nearly constant at a radius of approximately 30° as inferred from equivalent latitude of the vortex edge in contrast to its radius which decreased with altitude from about 25° at 400 K to 12° at 850 K (see Figs. 6.3-6.4) in the postsplit period. The shrinkage in size determined from equivalent latitude of PV fields is in good agreement with that implied by the strong chemical tracer gradients of N<sub>2</sub>O and NO<sub>y</sub> at the vortex edge shown in Figs. 6.1-6.2. The weakening of the PV gradient and the weaker vortex barrier above 33 km in the postsplit is also captured by the equivalent zonal mean of N<sub>2</sub>O and NO<sub>y</sub> since comparable values are observed across the edge.

The change in vortex size and position over the course of the study period implies that the vortex airmass was subject to different underlying meteorological conditions characteristic to the lati-

## 6.2. VORTEX AS OBSERVED FROM EVOLUTION OF $\text{NO}_y$ AND $\text{N}_2\text{O}$

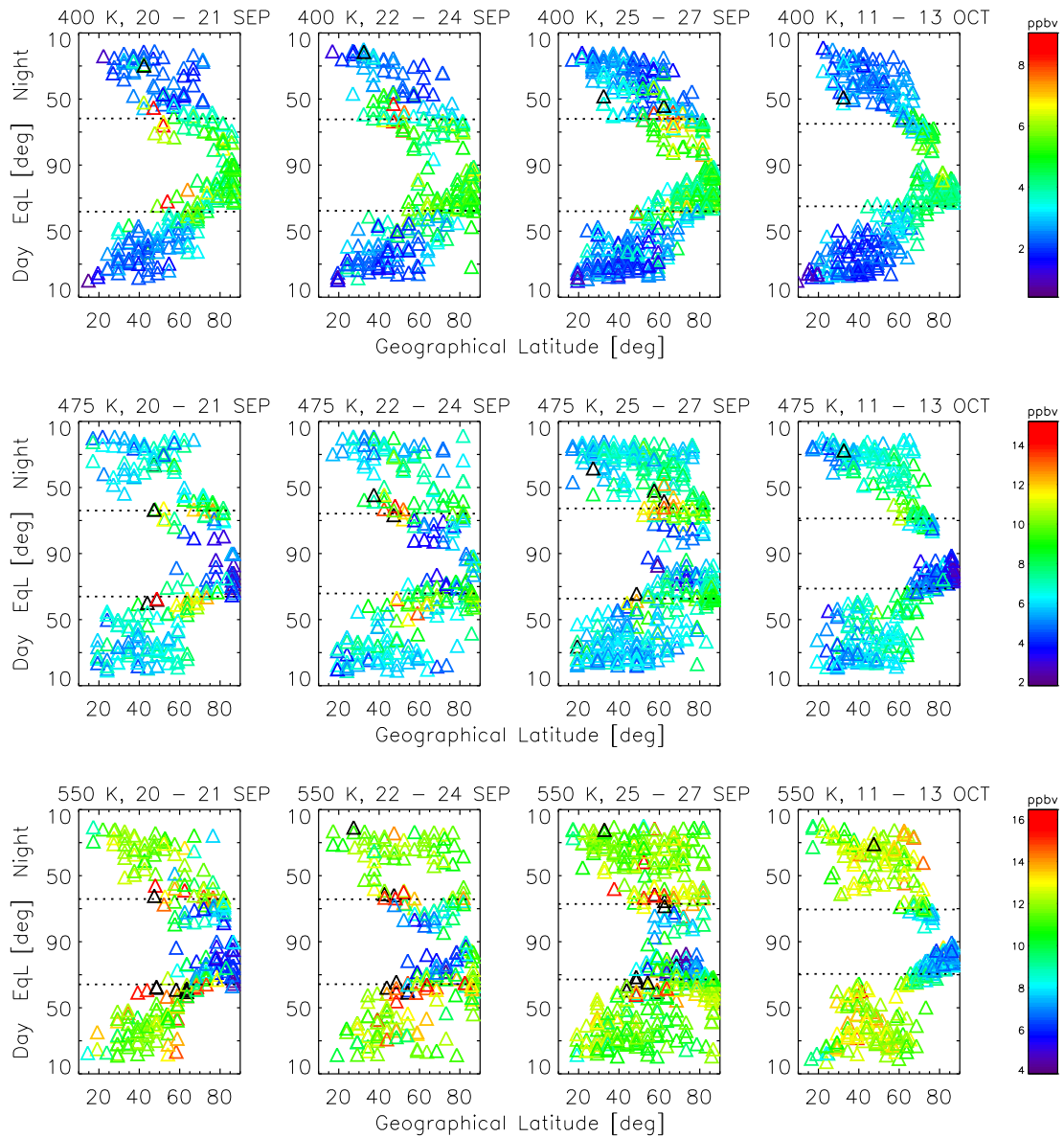


Figure 6.3: The evolution vortex position and size as seen from  $\text{NO}_y$  VMR, geographic latitudes and equivalent latitudes at a potential temperature of 400 K (top), 475 K (middle) and 550 K (bottom) for the periods indicated at the top of each panel. The dotted horizontal lines represent the vortex edge barrier on the day and night sides of the vortex.

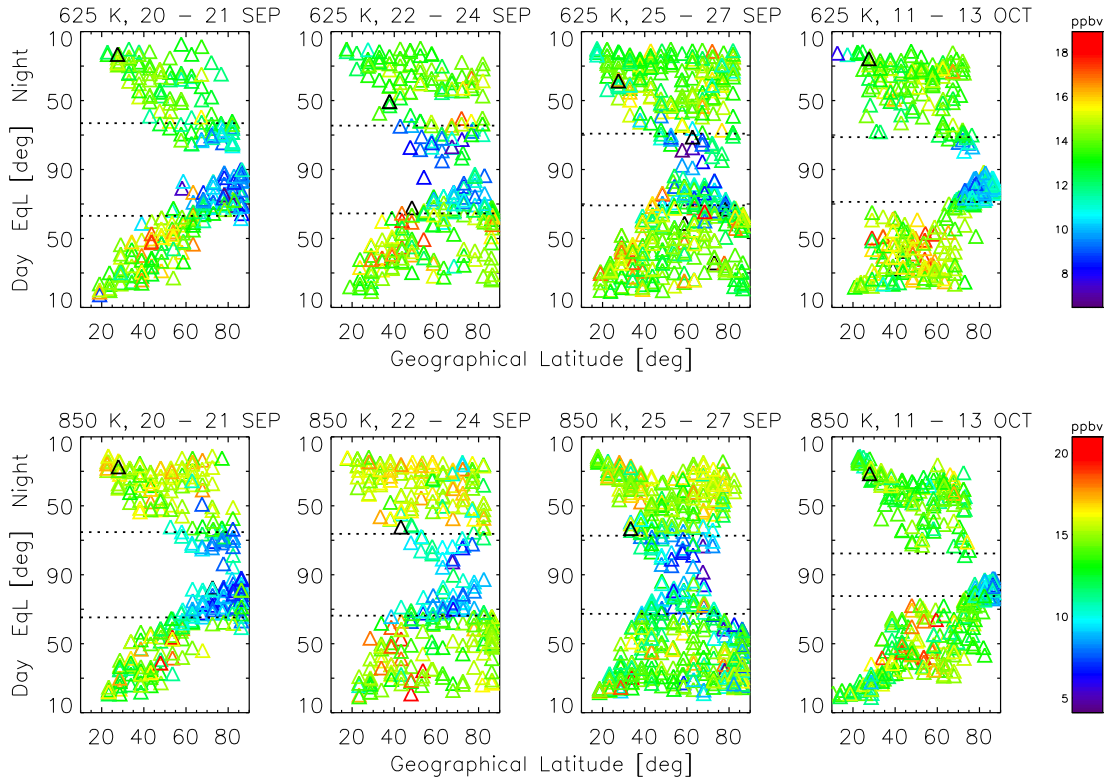


Figure 6.4: the same as Fig. 6.3 at a potential temperature of 625 and 850 K.

tudes. The geographic latitudes of the vortex airmass, for instance, cover  $60\text{--}90^\circ$ ,  $55\text{--}85^\circ$ ,  $45\text{--}80^\circ$  and  $65\text{--}90^\circ$  in early presplit, presplit, split phases and early mid-October, respectively, at 550 K. There is a variation in the latitudes of vortex airmass with altitude which is pronounced during the split period, e.g. from  $45\text{--}80^\circ\text{S}$  at 550 K to  $40\text{--}70^\circ\text{S}$  at 850 K. This indicates that the chemical processes governing the partitioning inside the vortex during these periods have taken place under different conditions, e.g. the photochemistry which is particularly important. Therefore, our analysis of NO<sub>y</sub> partitioning treats individual data points as well as equivalent latitude zonal mean.

### 6.3 Stratospheric N<sub>2</sub>O<sub>5</sub>: Application to the major warming event

In the following, we discuss the retrieved N<sub>2</sub>O<sub>5</sub> VMR in the context of an unprecedented Antarctic major warming. Altitude-latitude cross-sections of N<sub>2</sub>O<sub>5</sub> VMR measured on 21-22 and 26 September, and 13 October are shown in Fig. 6.5 as examples of three typical situations during the vortex split event. On 21 September, the very low VMR between day (left of  $90^\circ\text{S}$ ) and night (right of  $90^\circ\text{S}$ ) cross-sections of the orbit indicates that the vortex was slightly displaced away from the pole with its center close to  $80^\circ\text{S}$ . On 22 September, a sharp buildup of N<sub>2</sub>O<sub>5</sub> VMR was observed for nighttime observations. There was also a buildup for daytime observations though not as distinct as that seen in nighttime observations. On 26 September, the vortex was displaced farther away close to  $65^\circ\text{S}$  on the day side of the hemisphere and  $50^\circ\text{S}$  on the night side with very high VMR over the pole both on the day and night side of the hemisphere. These features are

### 6.3. STRATOSPHERIC $N_2O_5$ : APPLICATION TO THE MAJOR WARMING EVENT

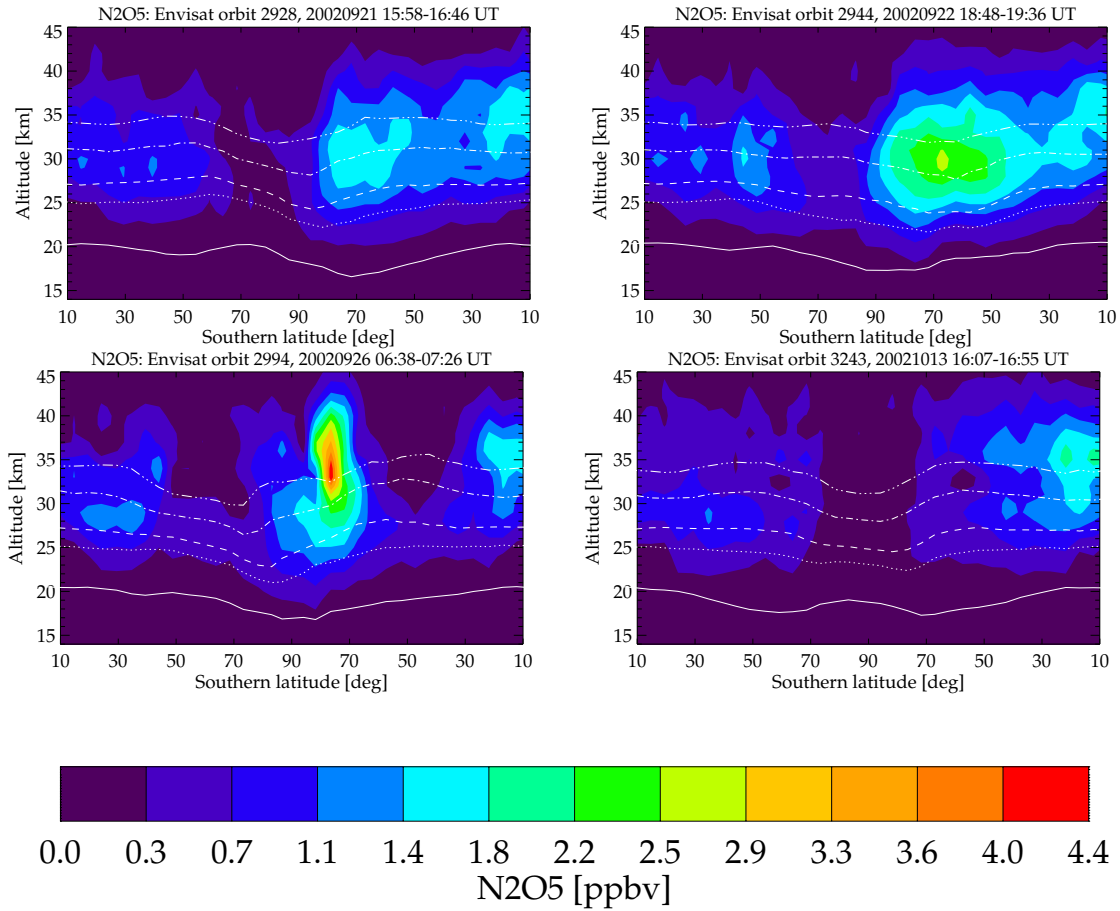


Figure 6.5: VMR along the orbit track on September 21, 22, 26 and October 13. The first row represents conditions during the presplit vortex while the second row denotes that of a split and postsplit of the vortex. Left of  $90^\circ$  is the daytime (descending) and right of  $90^\circ$  is the nighttime (ascending) part of the orbit. White lines indicate potential temperature levels of 625 (solid), 700, 850, 1000, 1200 K (dash-dot-dot).

further exhibited in the polar orthographic projections given in Fig. 6.6 for all orbits on selected observation days. This indicates the surge of midlatitude airmasses in between the two fragments of the vortex. Exceptionally high  $N_2O_5$  VMR of up to 4.4 ppbv was observed at high latitudes beginning 22 September, after the vortex was fully displaced from the pole, and lasted throughout the split period. This enhancement can be seen from both Fig. 6.5 (in the range of 850-1200 K for single orbit) and Fig. 6.6 at 850 K for all the orbits. On 13 October, the vortex is reestablished and showed better symmetry with respect to the pole than at the beginning of the investigation period as seen from very low  $N_2O_5$  concentrations.

The day-night asymmetry expected from the known chemistry of  $N_2O_5$  is clearly exhibited in Fig. 6.5. The nighttime values on the right side of  $90^\circ S$  differ from the daytime measurements by 1-3 ppbv at the peak altitude of  $N_2O_5$  VMR around 35 km.

Due to the orbital geometry of ENVISAT and the equinox conditions during the measurement period, the variation of SZA over the period of the observations is more of a reflection of the vari-

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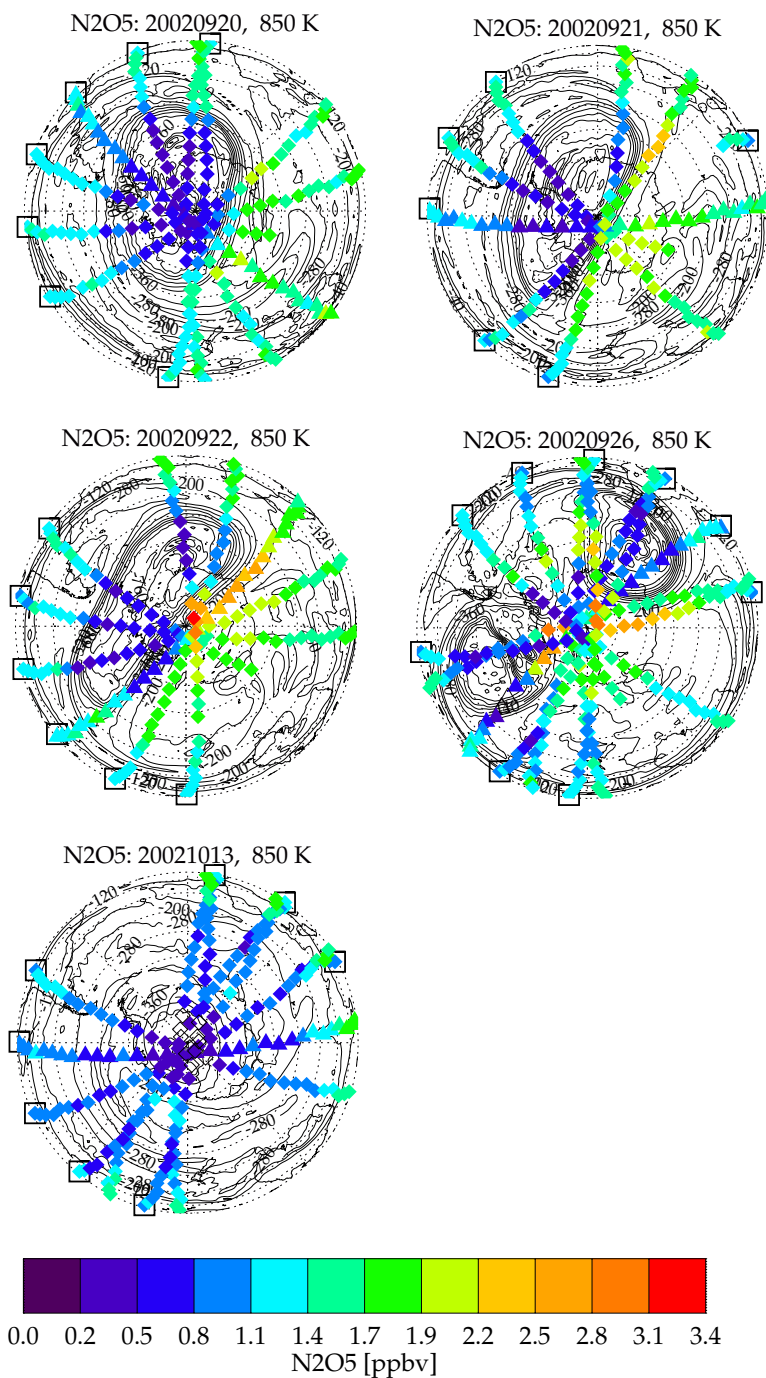


Figure 6.6:  $\text{N}_2\text{O}_5$  distributions on 850 K level of potential temperature. The measurements during 20-22 September, 2002 represent presplit of the vortex while that during 26 September and 13 October, 2002 represent split and postsplit periods in this order. The underlying contour lines show potential vorticity. Symbols enclosed by boxes mark the beginning of each orbit on the dayside.



### 6.3. STRATOSPHERIC $N_2O_5$ : APPLICATION TO THE MAJOR WARMING EVENT

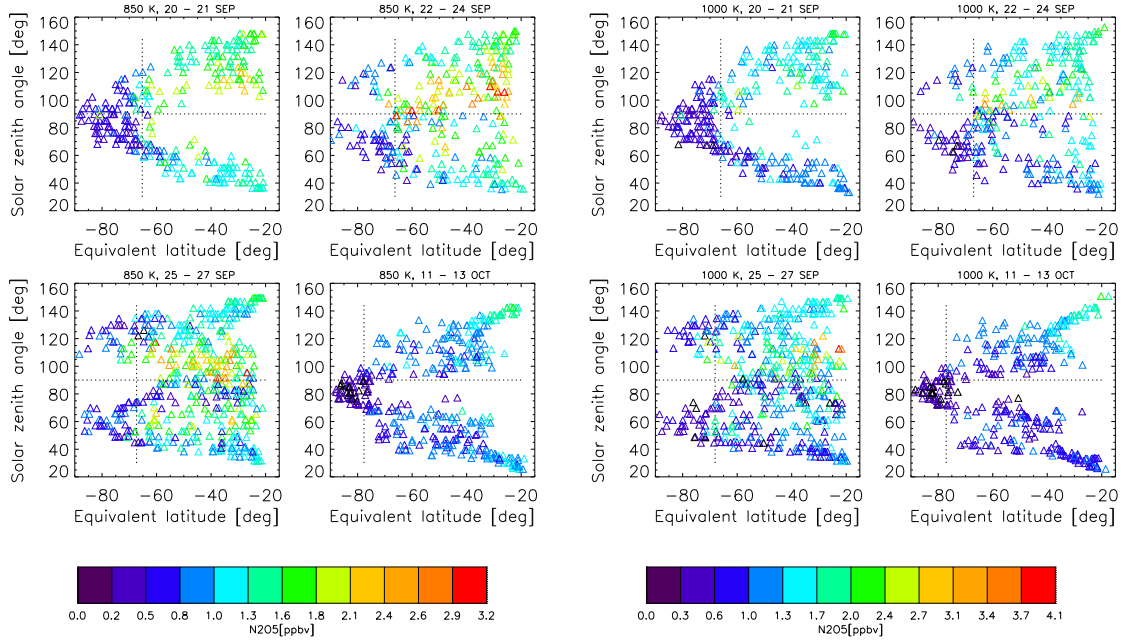


Figure 6.7: The solar zenith angle dependence of  $N_2O_5$  VMR as a function of equivalent latitudes at a potential temperature of 850 K (left) and 1000 K (right). The dotted vertical and horizontal lines represent the vortex edge and  $SZA=90^\circ$  respectively. The vortex edge is determined according to *Nash et al. [1996]* using METO analysis data and averaged over the number of days in the respective periods.

ation of geographic latitudes than of the local observation time (note that there are only two local observation times corresponding to day and nighttimes as described in section 2.2 of Chapter 2).

The SZA-equivalent latitude cross-sections of  $N_2O_5$  VMR at 850 and 1000 K potential temperature levels in Fig. 6.7 show the day-night asymmetry in  $N_2O_5$  concentrations for all individual measurement locations of all observation days separated into four periods. They characterize the early presplit, presplit, split and postsplit situations. MIPAS sampled the vortex air mass within SZA ranging from  $70^\circ$  to  $120^\circ$ ,  $65^\circ$  to  $125^\circ$ ,  $50^\circ$  to  $130^\circ$ , and  $65^\circ$  to  $100^\circ$  in early presplit, presplit, split and early mid-October respectively. Quantitative comparison of  $N_2O_5$  evolution during these periods is not straightforward due to different SZAs sampled (see Fig. 6.7 and Fig. 6.8 (left panel)) in addition to difference in day length between September and October. The latter led to a significant decrease of VMR in the vortex and ex-vortex regions from September to early mid-October.

The distribution of SZA versus equivalent latitudes reflects the displacement from the pole and split of the vortex during 22-27 September. The nighttime ex-vortex observations (triangular data points in the upper right quadrants in the plots) always exhibit the highest  $N_2O_5$  VMR observed, reaching the maximum in the pre-split and split periods. Within the nighttime ex-vortex the highest VMRs are reached for the lowest SZA around  $100^\circ$ , i.e. for locations closest to the pole. VMRs are generally smaller in the vortex than outside for both day and nighttime observations. The dependence on SZA is further highlighted in Fig. 6.8 (left and middle panels), which shows variation of  $N_2O_5$  VMR with SZA for sections of air masses of Fig. 6.7 located within the vortex and the equiv-

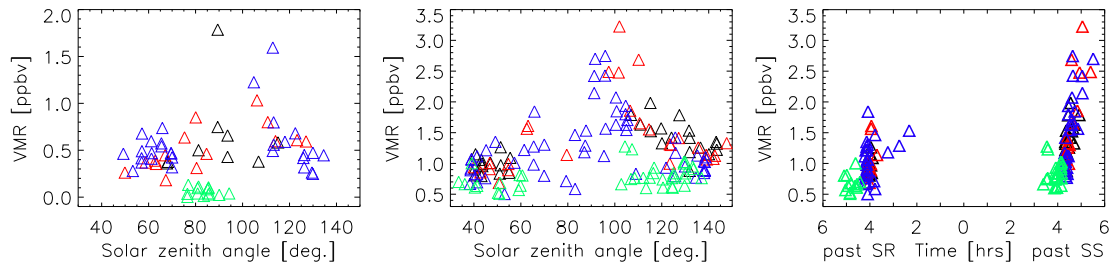


Figure 6.8: The solar zenith angle dependence of  $\text{N}_2\text{O}_5$  VMR for inside vortex (left panel) and equivalent latitude bin of  $35\text{--}40^\circ$  S (middle panel) at 850 K theta level extracted from the data shown in Figure 7. The right panel shows the observed VMR as a function of time since sunrise (SR) and sunset (SS) for data shown in the middle panel. The black, red, blue and green triangles represent the 20-21, 22-24, 25-27 September and 11-13 October periods respectively.

alent latitude bin of  $35\text{--}40^\circ$  for all periods at the 850 K theta level. The latter equivalent latitude bin is so small, e.g. the CLAES nighttime zonal mean is about 2.7 ppbv between 28 and 34 km from 25 to  $55^\circ$  S in September (see [http://www.lmsal.com/9120/CLAES/n2o5\\_night\\_v8.html](http://www.lmsal.com/9120/CLAES/n2o5_night_v8.html)), that virtually no variation in the composition of airmass is expected. This means that we expect constant values of  $\text{N}_2\text{O}_5$  VMR for nighttime observations ( $\text{SZA} > 90^\circ$ ) within the equivalent latitudes of  $5^\circ$  width. What is observed, however, is a maximum in  $\text{N}_2\text{O}_5$  VMR near  $\text{SZA}=100^\circ$  or near geographic latitude of  $80^\circ$  S for 22-27 September periods (representing presplit and split periods). The maxima belong to the region of enhanced  $\text{N}_2\text{O}_5$  VMR close to the pole which are also obvious in the maps of Fig. 6.6 and which will be analyzed in detail below. The difference between day and nighttime values is less evident in the October data for the midlatitude airmass (Fig. 6.8, middle panel, green triangles). Moreover, there is no variation in  $\text{N}_2\text{O}_5$  VMR for the vortex airmass (see Fig. 6.8, left panel, green triangles) due to small range of SZA sampled.

The variation in the time of measurements since sunrise and sunset is important for the diurnal cycle in  $\text{N}_2\text{O}_5$  concentrations. The time since sunrise of daytime measurements for October data (Fig. 6.8, right panel, green triangles) increased in comparison to that of periods in September. In parallel, the time since sunset of nighttime measurements decreased from September to October indicating shorter time for buildup of  $\text{N}_2\text{O}_5$  VMR before the measurements were taken. This decrease in time during which  $\text{N}_2\text{O}_5$  builds up is the main reason for the decline in the difference between daytime and nighttime  $\text{N}_2\text{O}_5$  VMR in October. However, the large scatter in nighttime  $\text{N}_2\text{O}_5$  VMR during the periods of 22-27 September can not be due to diurnal variation alone since such a large scatter over a time interval less than half an hour is not expected from previous observations and model calculations [Smith *et al.*, 1996].

The vertical cross-sections of  $\text{N}_2\text{O}_5$  VMR with respect to equivalent latitudes in Fig. 6.9 exhibit the chemical vortex boundary which is shown by the sharp VMR gradient with respect to equivalent latitudes. This boundary is consistent with the dynamical potential vorticity (PV) boundary indicated by the white solid lines. The low  $\text{N}_2\text{O}_5$  VMR in October shows expected seasonal evolution due to lengthening of sunshine duration. Moreover, the vortex low VMRs progress towards the pole with recentering of the vortex. The nighttime average VMR with maximum at approximately 850 K potential temperature level for the period 22-24 September in the equivalent latitude range of  $30$  to  $60^\circ$  in Fig. 6.9 results partly from the enhanced  $\text{N}_2\text{O}_5$  VMR observed at geographical high latitudes (see Fig. 6.7 (left panel) along  $\text{SZA}=100^\circ$  for unusual high VMRs and

### 6.3. STRATOSPHERIC $N_2O_5$ : APPLICATION TO THE MAJOR WARMING EVENT

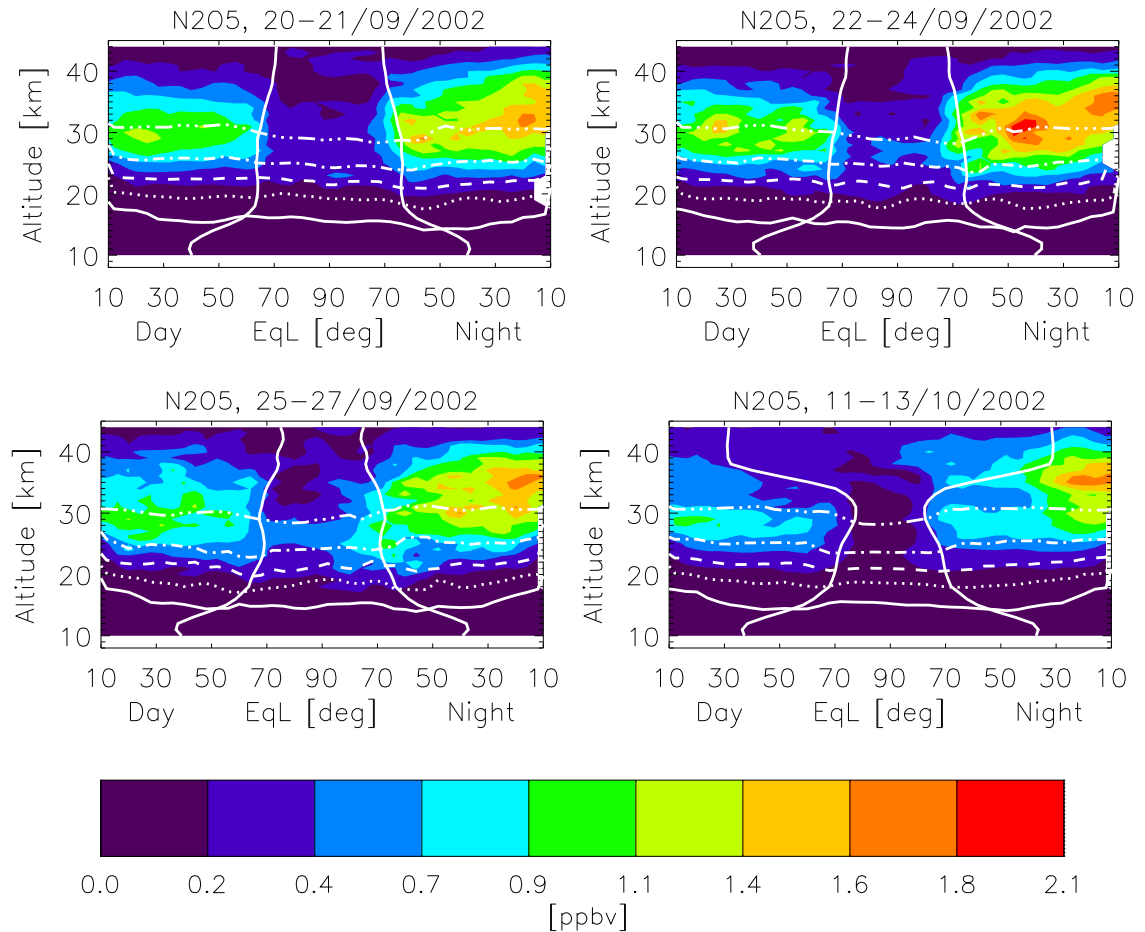


Figure 6.9: Vertical profiles of  $N_2O_5$  VMR averaged over 4 degree equivalent latitude for early presplit, presplit, split and postsplit of the vortex. The vortex edge is overlaid by white solid line extending along the altitude axis and a wide vortex edge region is assumed to lie within 5 degree equivalent latitude width from the edge in either sides. White lines indicate potential temperature levels of 400 (solid), 475, 550, 625, 850 K (dash-dot-dot).

corresponding equivalent latitudes). This also holds for the period 25-27 September with a peak at approximately 1000 K theta level which is, however, less pronounced. This is an indication that low PV/low-latitude airmasses moved to these high latitude regions following the displacement of the vortex from the pole. The presence of airmasses corresponding to lower equivalent latitudes at high geographic latitudes in connection with generally high VMR during 22-27 September (shown in Fig. 6.7) suggests that subtropical air, relatively rich in NO<sub>x</sub> and O<sub>3</sub>, was being advected along the track of high N<sub>2</sub>O<sub>5</sub>. This argument will be substantiated later in section on NO<sub>y</sub> partitioning.

The high VMRs observed between 22 and 27 September at high latitudes in regions which had been occupied by vortex airmasses earlier in the period are exceptionally larger than VMR which were seen in the airmasses outside the vortex on 20 September. This holds even when considering the higher VMRs outside the vortex as far away as 30°S on 20 September. This excludes the possibility that the transport of ex-vortex air mass to high latitudes is the only factor for high VMR there. The high N<sub>2</sub>O<sub>5</sub> VMRs must have been chemically produced. This is not the first time such a local enhancement of N<sub>2</sub>O<sub>5</sub> VMR at high latitudes has been observed. *Kumer et al.* [1997] reported on high N<sub>2</sub>O<sub>5</sub> up to a maximum of 6 ppbv at 1200 K on January 11, 1992 at high latitudes which were observed by ISAMS and CLAES on UARS during the January 1992 stratospheric warming of the northern hemisphere. They attribute the enhancement partly to locally fast chemical processes which follow the temperature contrast produced by the stratospheric warming in the order of 80 K. The temperature contrast produced by the stratospheric warming of the southern hemisphere 2002 is of similar strength between the cold pool at the pole and hot pool outside the vortex (compare the temperature on 20 September with 22 and 26 September over the high latitude regions shown in Fig. 6.10). However, the CLAES maximum enhanced N<sub>2</sub>O<sub>5</sub> VMRs of 6 ppbv at 1200 K theta level are a factor of 3 larger than any measurements prior to UARS [*Kumer et al.*, 1997] and also higher compared to a value of 4.4 ppbv observed by MIPAS. The peak enhanced MIPAS N<sub>2</sub>O<sub>5</sub> value is only a factor of 2 larger than its maximum values observed at the beginning of the warming. This difference might result from the fact that MIPAS measurements are taken after sunset at about 22:30 hrs local solar time while ISAMS and CLAES measurements include the maximum N<sub>2</sub>O<sub>5</sub> VMR values just before sunrise. The CLAES zonal mean cited above for 25-55°S in September at altitudes of 28-34 km is higher than the MIPAS equivalent zonal mean (see Fig. 6.9) due to the same measurement time difference that accounts for difference in the observed enhanced maximum values.

Examination of the evolution of the PV field and movement of the vortex in Fig. 6.6 shows that enhancement occurs as the warmer low latitude ex-vortex air mass (compare Fig. 6.10) moves into the region previously colder and occupied by the vortex air mass. Though the enhancement could not be investigated more closely (e.g. by back trajectories calculations), the exceptional high N<sub>2</sub>O<sub>5</sub> formation is believed to follow the production of relatively large amounts of NO<sub>3</sub> in transit through the hot pool in a similar manner as in the northern hemisphere observations of January 1992.

## 6.4 NO<sub>y</sub> Budget and Partitioning

The budget and partitioning of the reactive nitrogen reservoir (NO<sub>y</sub>) are examined using altitude-equivalent-latitude cross-sections of HNO<sub>3</sub>, ClONO<sub>2</sub>, NO<sub>x</sub>, and N<sub>2</sub>O<sub>5</sub> derived from MIPAS in the vortex, vortex edge and ex-vortex air covering the regions from vortex edge to 10°.

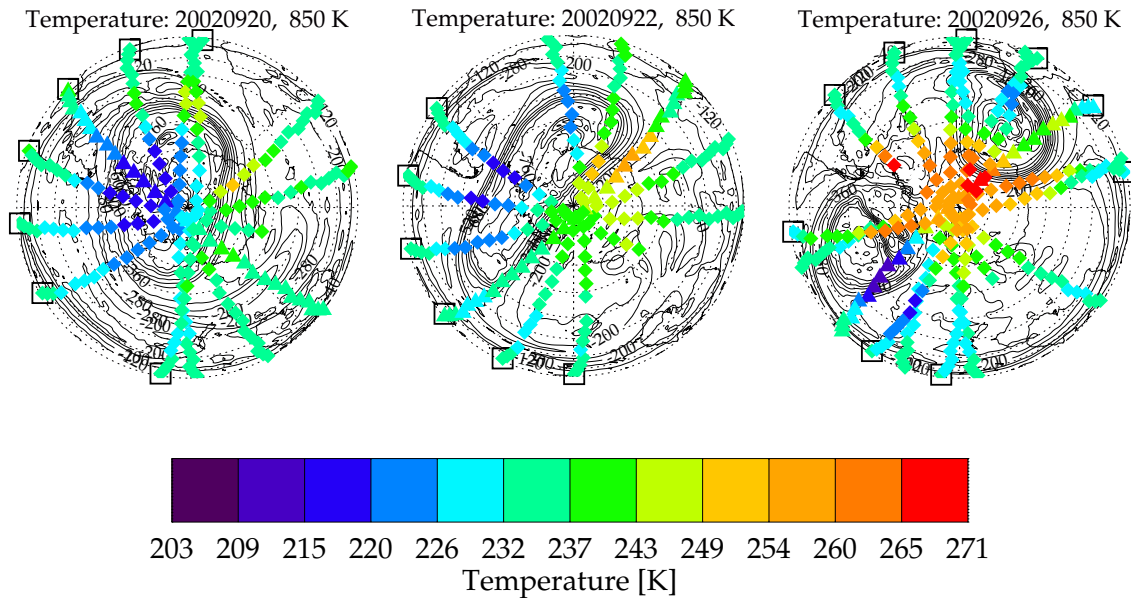


Figure 6.10: MIPAS temperature distribution at 850 K theta level for 20, 22, and 26 September measurements. The underlying contour lines show potential vorticity.

As shown in Fig. 6.11, all  $\text{NO}_y$  species have higher VMR values inside the vortex than in the vortex edge and ex-vortex regions at 400 K level (solid white line extending along horizontal axis, see also Fig. 6.3 in the total  $\text{NO}_y$  of individual data points) which is also true for all lower levels. This feature is also apparent in the equivalent zonal mean of  $\text{NO}_y$  in Fig. 6.2 constructed using  $4^\circ$  equivalent latitude bins. We can exclude that this is a retrieval artefact since the maximum of the reference VMR profiles of all the species is at altitudes higher than this level. Therefore, we argue in favor of an unmixed diabatic descent or a re-nitrification caused by evaporation of PSCs. Beginning at 475 K the vortex  $\text{NO}_y$  is lower than vortex edge and ex-vortex values which is exhibited in Figs. 6.2-6.11.

The high spatial variability of  $\text{NO}_y$  constituents (not shown) and the total  $\text{NO}_y$  (Figs. 6.3-6.4) during presplit and split periods within the vortex indicates that the vortex was not homogeneous. In early mid-October, the vortex became homogeneous except for the diurnal variability. These features are expected due to the fact that the vortex covered wider geographical latitudes and was thereby affected by a different degree of solar insolation and temperature distribution.

#### 6.4.1 Inside-vortex region

We have studied daytime and nighttime partitioning of  $\text{NO}_y$  inside the vortex airmass (see Figs. 6.11-6.12). Fig. 6.12 depicts fraction of  $\text{NO}_y$  available in its constituent species in the altitude range of 10-44 km. The vortex region is bounded by two solid white lines extending along the altitude axis. The corresponding absolute values are shown in Fig. 6.11. The vortex region decreases with altitude for the whole study period with the exception of mid-October during which the vortex weakened above approximately 33 km (approximate theta level of 1000 K) and enclosed a wider area.

## CHAPTER 6. NO<sub>y</sub> IN THE AUSTRAL SPRING 2002

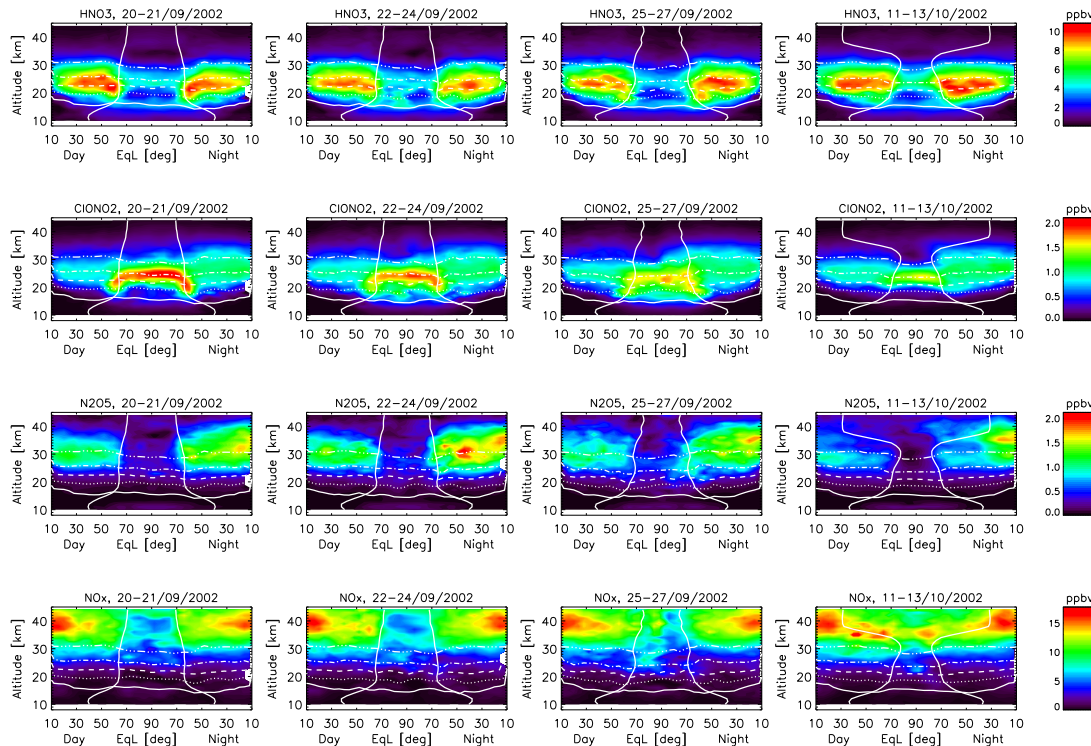


Figure 6.11: The same as Fig. 6.2 but showing daytime and nighttime NO<sub>y</sub> partitioning in the stratosphere for individual components.

In the early presplit period and early mid-October, significant fraction of NO<sub>y</sub> is in the form of HNO<sub>3</sub> and NO<sub>x</sub> above the 400 K level which is true for other periods as well above the 550 K level (see Fig. 6.12). The two periods differ in that there was more NO<sub>y</sub> in the form of NO<sub>x</sub> in early mid-October than in the early presplit period. In contrast to this, most of the available day and nighttime nitrogen is in the form of HNO<sub>3</sub> and ClONO<sub>2</sub> between 400 K and 475 K levels during the perturbed atmosphere situation (presplit and split periods). This indicates that chlorine deactivation (via (1.4)) had taken place during the periods which is also supported by the last observation of polar stratospheric clouds by MIPAS on September 21 (for more on chlorine deactivation, see Höpfner *et al.* [2004]).

On 475 K level in Fig. 6.12, the fraction of NO<sub>y</sub> in the form of HNO<sub>3</sub> decreased from about 90% in the early presplit to 60% in mid-October concurrent with a buildup of fraction of NO<sub>y</sub> in the form of NO<sub>x</sub> from close to zero to nearly 35%. On the 625 K level, the fraction of NO<sub>y</sub> in the form of HNO<sub>3</sub> decreased from about 45% in the presplit to 30% in the split accompanied by a buildup in NO<sub>x</sub> (via (1.14)) from approximately 30% to 40%. During the postsplit period in October, a shift in the NO<sub>y</sub> fractioning from NO<sub>x</sub> to HNO<sub>3</sub> was observed. The situation on 850 K for HNO<sub>3</sub> is similar to 625 K while the NO<sub>x</sub> fraction increased from about 50% to 60% during the split and remained at this value in the postsplit period. The buildup of HNO<sub>3</sub> from NO<sub>x</sub> (via (1.3)) is compensated by a sharp decline in N<sub>2</sub>O<sub>5</sub> (via possibly reactions (1.10) or (1.11) or both) in the postsplit period so that NO<sub>x</sub> remained roughly constant. This pattern of NO<sub>y</sub> partitioning observed in equivalent zonal means is also clearly manifested in the individual data points shown in Fig. 6.13. Source/sink relations can easily be seen from such plots. The general trend towards

## 6.4. NO<sub>y</sub> BUDGET AND PARTITIONING

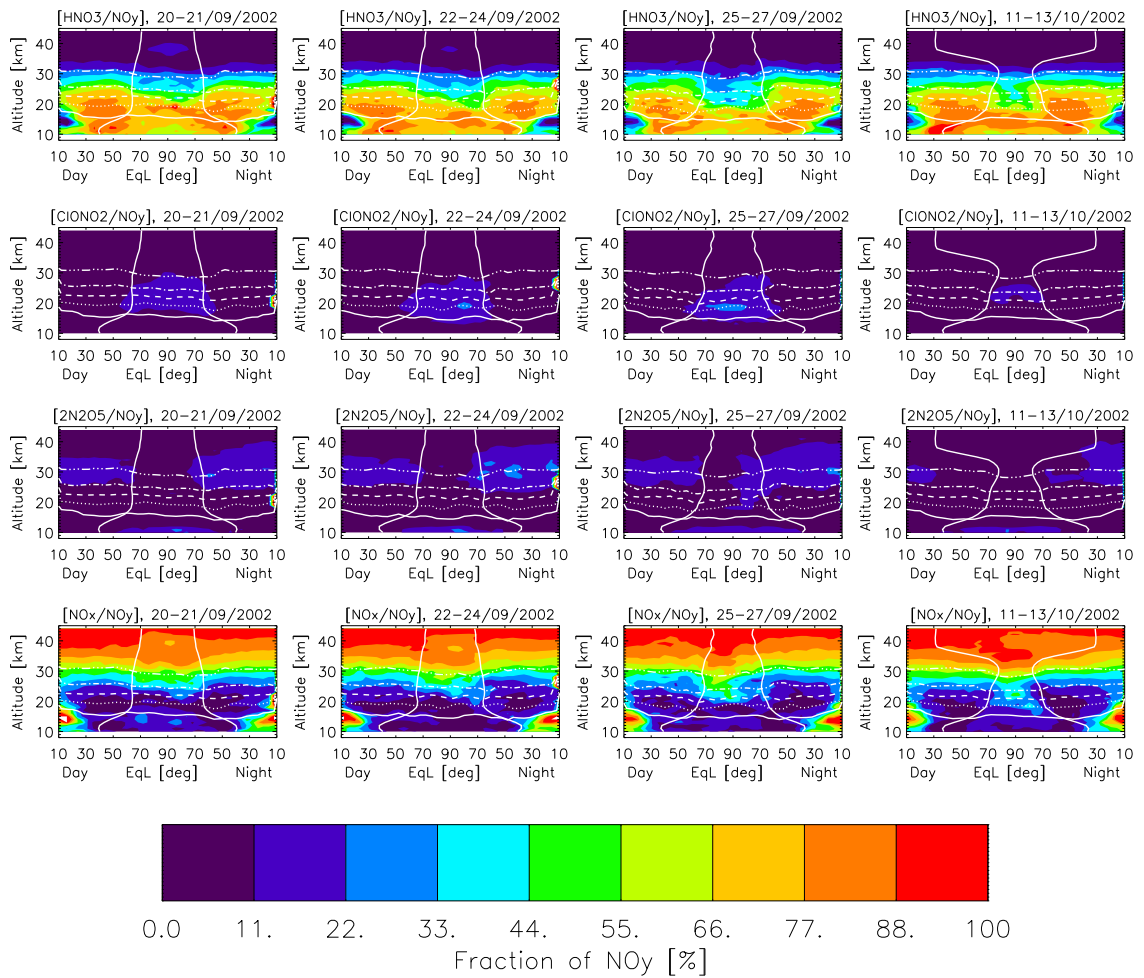


Figure 6.12: the same as Fig. 6.11 but showing daytime and nighttime NO<sub>y</sub> fraction.

CHAPTER 6. NO<sub>y</sub> IN THE AUSTRAL SPRING 2002

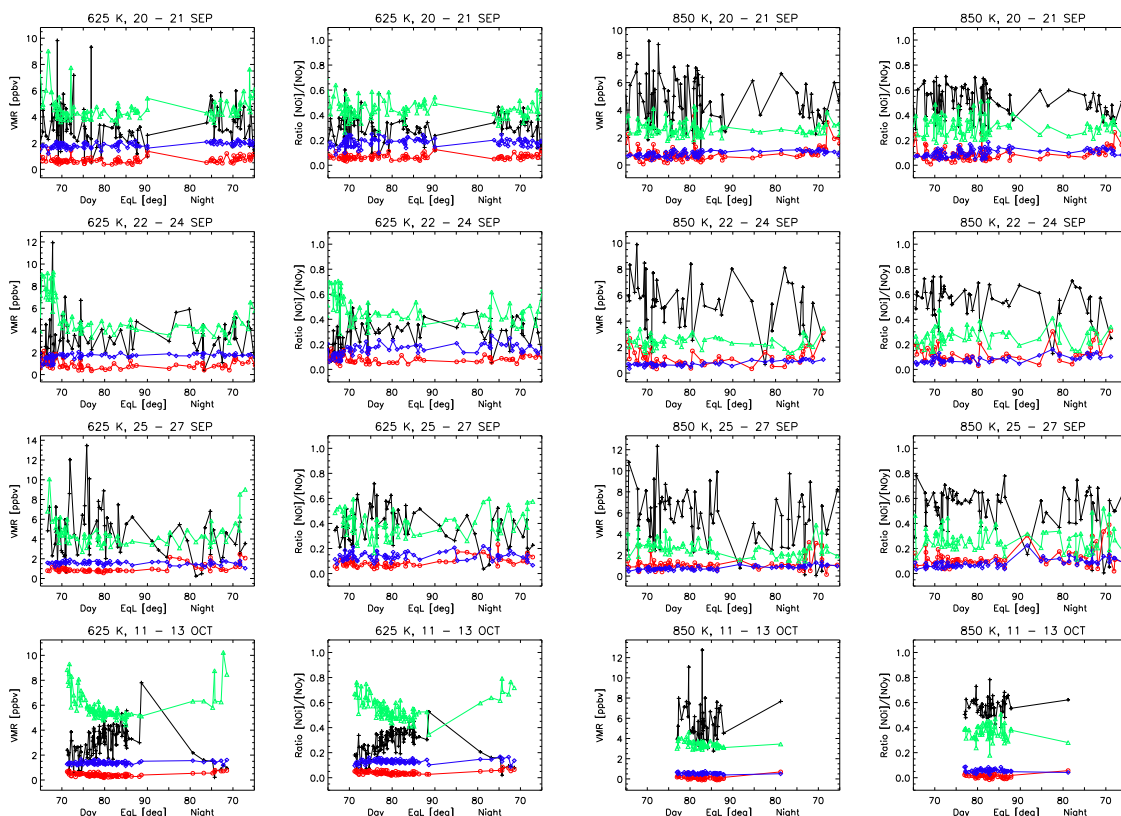


Figure 6.13: Vortex NO<sub>y</sub> partitioning at potential temperature of 625 and 850 K. The ratio of individual NO<sub>y</sub> components to total NO<sub>y</sub> is plotted on the left side to separate dynamical from chemical effects. Green, black, blue and red lines represent HNO<sub>3</sub>, NO<sub>x</sub>, ClONO<sub>2</sub> and 2N<sub>2</sub>O<sub>5</sub> respectively.

enhanced conversion of HNO<sub>3</sub> into NO<sub>x</sub> during the period 22 - 27 September on theta levels above 475 K is consistent with the displacement of the vortex from high to mid-latitudes thereby experiencing different photochemistry. The opposite trend in mid-October at 625 K is due to weak photolysis in the polar region.

There was a clear anticorrelation of ClONO<sub>2</sub> and NO<sub>x</sub> before the vortex split so that the fraction of NO<sub>y</sub> in the form of ClONO<sub>2</sub> has reduced remarkably from 21-25% before the vortex split to 15-16% and 10-12% during the split and early mid-October periods at 625 K level (while these numbers refer to the range of values over all data points in the vortex, one can see this trend also in the altitude-equivalent-latitude cross-sections in Figs. 6.11-6.12). However, the dominant chemical processing during the split and afterwards was the general buildup of NO<sub>x</sub> from HNO<sub>3</sub>.

N<sub>2</sub>O<sub>5</sub> increased substantially in the period 22 - 27 September at levels above 625 K (Figs. 6.11-6.12). In early mid-October, N<sub>2</sub>O<sub>5</sub> decreased significantly leading to most part of nitrogen being found in the form of HNO<sub>3</sub> and NO<sub>x</sub>. It remained at a constant value of vortex average of 1.0 ppbv before the split and during the split and sharply decreased in mid-October.

NO<sub>x</sub> VMR in the vortex during the presplit is smaller than 7 ppbv in the altitude range of 30-40 km. Significant buildup to values larger than 10 ppbv during the split and to about 15 ppbv in October



## 6.5. DENITRIFICATION AND MIXING EFFECTS IN $\text{NO}_y$ DEFICIT

were observed.  $\text{NO}_x$  fractions in  $\text{NO}_y$  practically remained at 75-100% for the period as a whole implying the major part of the observed buildup during the split and afterwards is transport related. However, the observed buildup in the altitude range of 20-30 km is related to photochemistry. On levels higher than 1000 K (about 33 km),  $\text{NO}_x$  accounted for most  $\text{NO}_y$  with minor contribution from  $\text{N}_2\text{O}_5$  throughout the whole period. Observations of over 15 ppbv of  $\text{NO}_x$  in the vortex in mid-October is related to massive mixing following weakening of the mixing barrier. This is also evident in the total  $\text{NO}_y$  in Fig. 6.2.

### 6.4.2 Vortex edge and ex-vortex regions

A band of higher  $\text{HNO}_3$  of up to 10 ppbv was observed in vortex edge region between 475 and 550 K levels (see the  $5^\circ$  wide region on either side of the vortex edge in Fig. 6.11) in early split period. This band of higher  $\text{HNO}_3$  was also apparent in the split period but the values on the dayside of the vortex edge was smaller by 2 ppbv. The high  $\text{HNO}_3$  along the vortex edge is known to arise from lower minimum temperature in the Antarctic vortex core than near the edge and it is known as "collar" region [Toon *et al.*, 1989]. The decrease in the values of  $\text{HNO}_3$  in the collar region in the following days might be due to dilution of  $\text{HNO}_3$  resulting from transport of denitrified air from the vortex interior. Further evidence in support of mixing of denitrified air from the vortex interior is the fact that values in the collar region are mainly decreased on 475 K in all three periods of September, a level which is characterized by severe denitrification as shown in Figure 2 of  $\text{NO}_y$ . The collar region is also characterized by high  $\text{ClONO}_2$  VMR (for more discussion on chlorine deactivation see Höpfner *et al.* [2004] which exhibit similar decline at the same levels).

$\text{ClONO}_2$  abundance during day and nighttime in the vortex edge region (collar region) is generally higher than inside vortex values for all periods for the levels between 400 K and 550 K (see Fig. 6.11). The  $\text{ClONO}_2$  VMR in the collar region as well as that in the vortex declined from early presplit to split period and significantly in mid-October. Having removed transport from chemical effects (using the ratio of individual components to the total  $\text{NO}_y$  since transport part has second order contribution in the continuity equation), the fraction of  $\text{ClONO}_2$  in the vortex as well as in its edge region shows the same evolution observed in the absolute values indicating that chemical effects on partitioning are dominant factors.

The  $\text{N}_2\text{O}_5$  buildup near the vortex edge in the latitude band of 28-35 km during presplit and split period (which is discussed in the preceding section and indicated to be related with temperature sensitive  $\text{N}_2\text{O}_5$  chemistry and dynamic situation during the major warming) has appeared in both Figs. 6.11-6.12. Furthermore, in the ratio of  $\text{NO}_x$  to  $\text{NO}_y$ , a sharp decline in  $\text{NO}_x$  fraction on the nightside of the plots is shown as a step function in connection with rise in the fraction of  $\text{N}_2\text{O}_5$ , a strong evidence for the formation of  $\text{N}_2\text{O}_5$  from  $\text{NO}_x$  supporting the conclusion in that section.

## 6.5 Denitrification and mixing effects in $\text{NO}_y$ deficit

A mixing line which refers to the tracer:tracer correlation pattern that results from various mixtures of two airmasses at the same potential temperature level is a key in estimating the amount of

descent followed by quasi-horizontal mixing of two airmasses along isentropic surfaces. The correlation of long-lived tracers  $[\text{CH}_4]:[\text{N}_2\text{O}]$  was used to quantify the effects of transport on the anomalous  $[\text{NO}_y]:[\text{N}_2\text{O}]$  canonical relationships of vortex air using the mixing line. Unlike the majority of the previous results in the literature, which used only very few observations [e.g. measurements from balloon by *Wetzel et al.* [2002]] to represent vortex and ex-vortex air, our measurements inside the vortex and midlatitudes consist of a large number of geolocations. As a result, the observed canonical relation is weakly affected by the outliers in the retrievals.

We construct compact canonical relations from measurements in the vortex and ex-vortex for the four periods. However, the vortex canonical relation constructed from these measurements is already altered by denitrification over the period of the winter. Therefore, we used the ex-vortex correlation as a proxy to early winter vortex correlation. The ex-vortex correlation might have also been altered slightly due to mixing of vortex air into the ex-vortex region since a number of minor warmings had already occurred as early as August. We therefore constructed canonical relations from MIPAS measurements on 24 July, 2004 from only three orbits available to us before September, 2002. These relations are constructed as shown in Fig. 6.14. The  $[\text{NO}_y]-[\text{N}_2\text{O}]$  correlation for the three orbits in July is shown in the top left panel of Figure 10. The Atmospheric Trace Molecule Spectroscopy Experiment (ATMOS) ex-vortex and Fall-95 vortex [*Muscari et al.*, 2003] relations are overlaid. *Muscari et al.* [2003] derived the  $\text{NO}_y$  estimates, used to construct the Fall-95 vortex correlation, from measurements of  $\text{HNO}_3$  by ground-based millimeter-wave spectrometer (GBMS) at the South Pole;  $\text{NO}$  and  $\text{NO}_2$  by the Halogen Occultation Experiment (HALOE; data version 19) aboard UARS;  $\text{NO}_2$  by the Polar Ozone and Aerosol Measurement II instrument (POAM II; data version 6) aboard the French SPOT-3 polar orbiting satellite; and calculations of minor  $\text{NO}_y$  constituents such as  $\text{N}_2\text{O}_5$ ,  $\text{ClONO}_2$  and  $\text{HO}_2\text{NO}_2$  from a photochemical box model. They obtained  $\text{N}_2\text{O}$ , used for the correlation, from measurements by GBMS. The peak in  $\text{NO}_y$  VMR in ATMOS ex-vortex correlation occurred at 50 ppbv of  $\text{N}_2\text{O}$  in contrast to 73 ppbv of MIPAS July measurement and 90 ppbv of Fall-95 vortex relation. Moreover, the peak  $\text{NO}_y$  values decreased from 21 ppbv in Fall-95 vortex relations to 18 ppbv in MIPAS measurement and 16 ppbv in ATMOS ex-vortex relation. *Muscari et al.* [2003] found that a difference of 3.0 ppbv between their fall  $\text{NO}_y$  and ATMOS ex-vortex relation at most levels. They also found that the ATMOS ex-vortex curve measured in mid-spring shows close agreement with their polynomial fit for early summer period of 1993. On the basis of the observed agreement, they argued that ATMOS ex-vortex curve represents probably the transition period in the polar stratosphere, during which the  $[\text{NO}_y]:[\text{N}_2\text{O}]$  correlation evolves continuously from the breakup of the vortex in spring to its reformation during the following fall. The additional source of discrepancy between Fall-95 vortex relation and ATMOS ex-vortex could be the descent of mesospheric  $\text{NO}_x$  inside the vortex. MIPAS July correlation curve as well as correlations during the periods in September/October (see Figs. 6.15-6.18) reinforce their hypothesis showing a shift from July to October towards lower  $\text{NO}_y$  and  $\text{N}_2\text{O}$ . However, there is a difference between austral spring MIPAS ex-vortex curve and mid-spring ATMOS ex-vortex curve.

We apply two approaches described in Chapter 1 to distinguish mixing induced changes in  $\text{NO}_y$  from denitrification. The ex-vortex relations between  $[\text{CH}_4]:[\text{N}_2\text{O}]$  and  $[\text{CFC-11}]:[\text{N}_2\text{O}]$  are shown in the top right and bottom left panel of Fig. 6.14. In the bottom right panel,  $\text{NO}_y$  versus artificial reference tracer constructed from  $\text{CH}_4$ ,  $\text{N}_2\text{O}$  and  $\text{CFC-11}$  as described in *Esler and Waugh* [2002] is shown. The artificial reference tracer formed from these tracers is given by

$$[x]_{ppbv} = 0.0232[\text{CH}_4]_{ppbv} - 0.0102[\text{CFC} - 11]_{pptv} - 0.1142[\text{N}_2\text{O}]_{ppbv} + 2.5549$$

## 6.5. DENITRIFICATION AND MIXING EFFECTS IN $\text{NO}_y$ DEFICIT

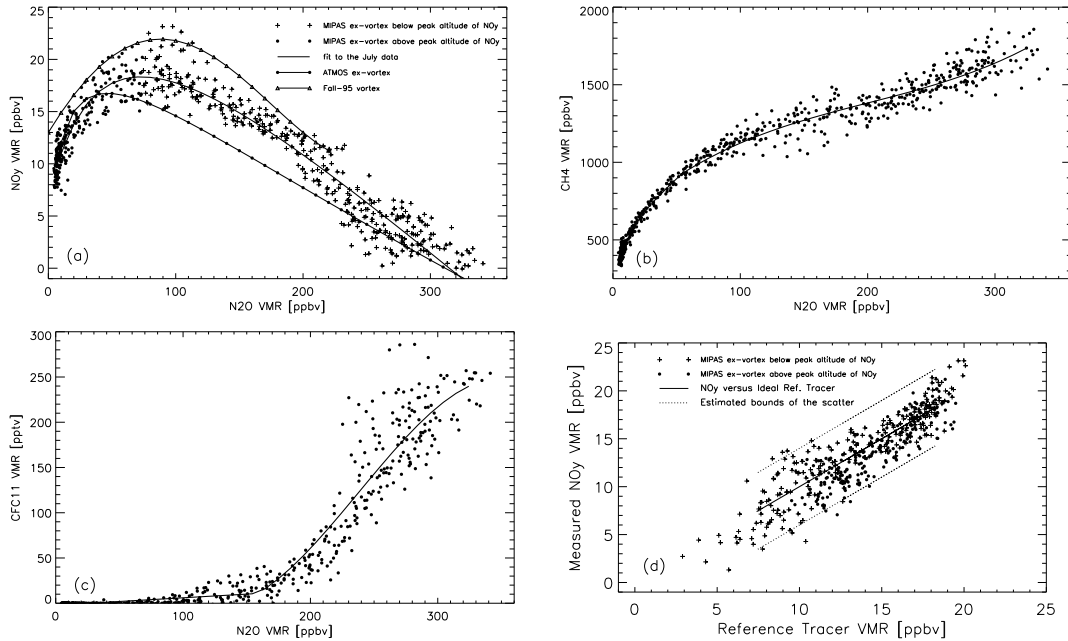


Figure 6.14: MIPAS (a).  $[\text{NO}_y]:[\text{N}_2\text{O}]$ , (b).  $[\text{CH}_4]:[\text{N}_2\text{O}]$ , (c).  $[\text{CFC-11}]:[\text{N}_2\text{O}]$  and (d).  $\text{NO}_y$  versus artificial tracer relationships. ATMOS ex-vortex mid-spring and Fall-95 Antarctic vortex correlation curves are overlaid in panel a.

over a range of 6 - 300 ppbv  $\text{N}_2\text{O}$  VMR. If mixing of air mass containing  $\text{N}_2\text{O}$  outside this range at the beginning of the winter with air mass in this range later in the spring occurs then it is unlikely to account for it as mixing and hence can be an accounted source of uncertainty in the estimated denitrification. In panel (a) of Figs. 6.15-6.18,  $[\text{CH}_4]:[\text{N}_2\text{O}]$  reference July data, correlation curve, vortex and ex-vortex data, and linear fit to vortex data are plotted for the four periods. As noted by *Glatthor et al.* [2004], the high bias in  $\text{N}_2\text{O}$  in the September data set does not affect the correlation in the important range of 0-250 ppbv  $\text{N}_2\text{O}$  where mixing could significantly influence quantitative determination of denitrification. A straight line can easily be drawn through the vortex data for the four periods over nearly the whole range smaller than 250 ppbv which indicates that a number of single mixing events and/or continuous mixing throughout the winter have taken place during the winter. The use of these lines, however, can significantly overestimate mixing-induced changes in  $\text{NO}_y$  abundances. The artificial reference tracer method, in contrast, is valid equally for all mixing scenarios.

In panel (c) of Figs. 6.15-6.18,  $\text{NO}_y$  versus the reference tracer is shown. The data points representing ex-vortex measurements are well contained within the bound allowed by the scatter (approximately  $1.7\sigma$ ,  $1\sigma$  represents absolute mean of the deviation from ideal straight line) in the reference tracer determined from July measurements. Much of the data points, measured in vortex air mass having 73-250 ppbv of  $\text{N}_2\text{O}$  and  $\text{NO}_y$  smaller than 5 ppbv shown in panel (b) in Fig. 6.15 for the early presplit period, lie below the bound of mixing scatter in panel (c), i.e. these represent denitrified air mass. Denitrification is also observed for air masses containing  $\text{N}_2\text{O}$  smaller than 70 ppbv (see open circles). The  $\text{NO}_y$  anomaly accountable to denitrification is determined in a straight forward manner by subtracting expected  $\text{NO}_y$  according to artificial reference tracer from measured  $\text{NO}_y$ . The mean denitrification and total  $\text{NO}_y$  anomaly for the early presplit period are

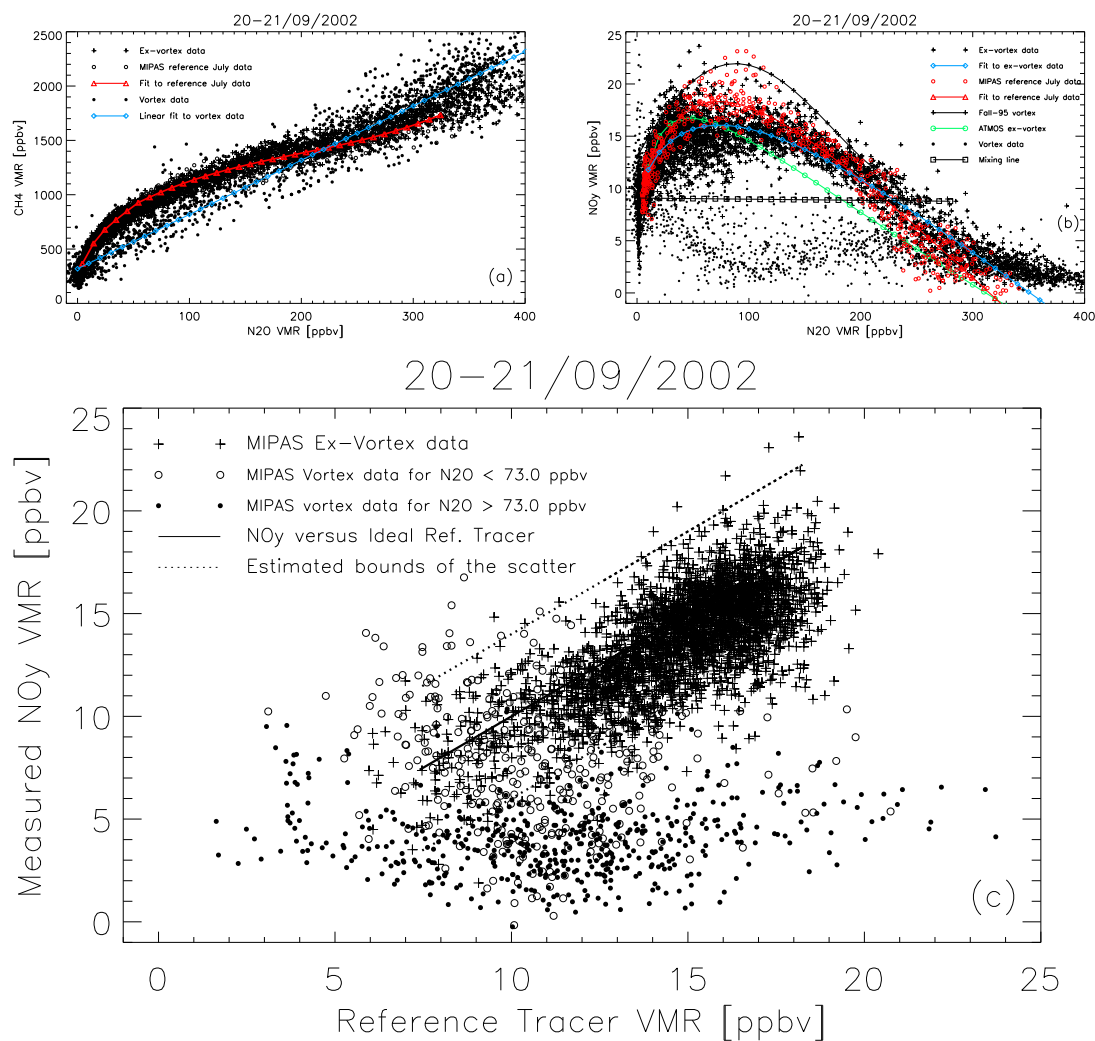


Figure 6.15: MIPAS (a). [CH<sub>4</sub>]:[N<sub>2</sub>O], (b). [NO<sub>y</sub>]:[N<sub>2</sub>O], and (c). NO<sub>y</sub> versus artificial tracer relationships built from July data for the early presplit period. Vortex scatter points above the altitude of peak NO<sub>y</sub> VMR are shown by open circles and those below these levels are shown by filled circles. Note that most of the data shown by open circles are contained within the bounds of mixing scatter.

## 6.5. DENITRIFICATION AND MIXING EFFECTS IN $\text{NO}_y$ DEFICIT

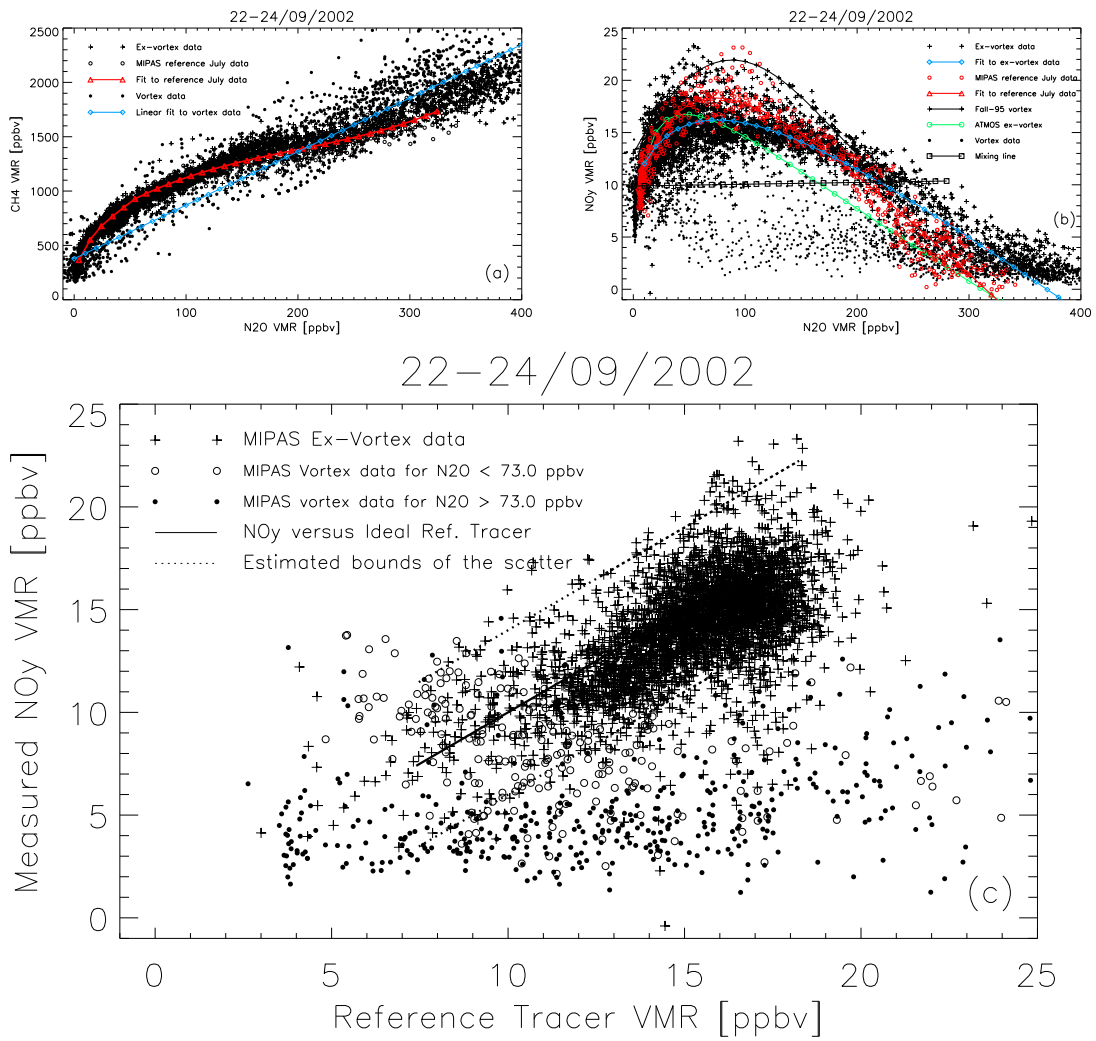


Figure 6.16: The same as Fig. 6.15, but for the presplit period.

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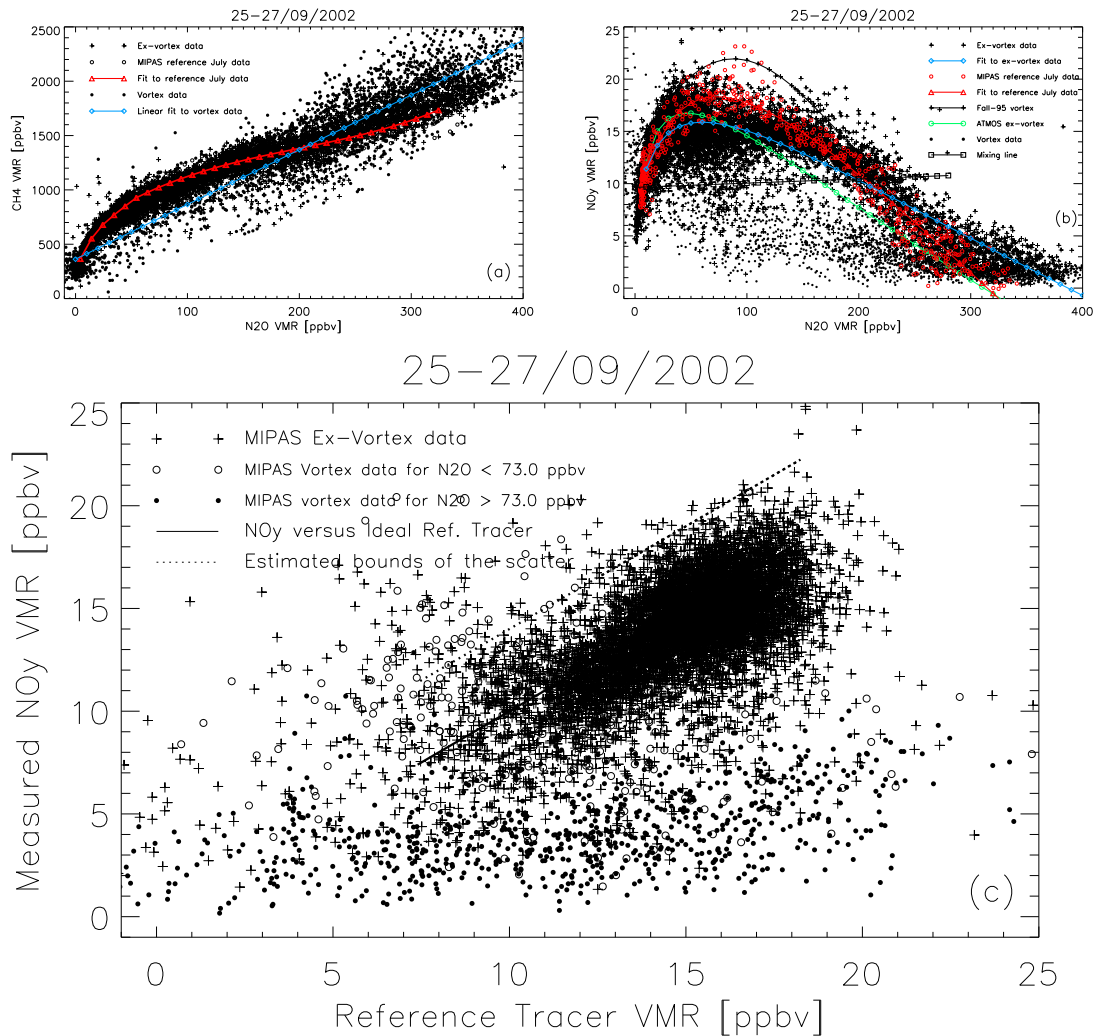


Figure 6.17: The same as Fig. 6.15, but for the split period.

given in panel (a) of Fig. 6.19. The error bar represents the standard deviation of the mean, i.e.  $\frac{\sigma}{n}$ . The maximum NO<sub>y</sub> deficit of 12.5 ppbv occurred near 475 K of which denitrification accounted for approximately 9.0 ppbv. On the other hand, the denitrification estimated from the mixing line method is about 6.0 ppbv and thus lower by 30% than that estimated by the artificial reference tracer method.

The NO<sub>y</sub> deficit above altitude of 73 ppbv N<sub>2</sub>O (peak altitude of NO<sub>y</sub> in the reference data) are accounted mostly by mixing as shown by data points labelled by open circle in panel (c) of Fig. 6.16 for the presplit period. The mean deficit and denitrification inside the vortex are shown in panel (b) of Fig. 6.19. The mean deficit on 475 K level is 11.3 ppbv of which about 9.0 ppbv is denitrification-induced changes. The split period correlation of [NO<sub>y</sub>]:[N<sub>2</sub>O] vortex data in panel (b) of Fig. 6.17 showed large scatter. The ex-vortex data exhibited similar behaviour. Consequently, the number of data points in the ex-vortex which lies below the bound of mixing scatter have appreciably increased. The mean NO<sub>y</sub> deficit on 475 K (panel (c) of Fig. 6.19) is 12.5 ppbv and denitrification contributed 7.5 ppbv of this value. A reduction by about 1.5 ppbv in denitrification from the pre-

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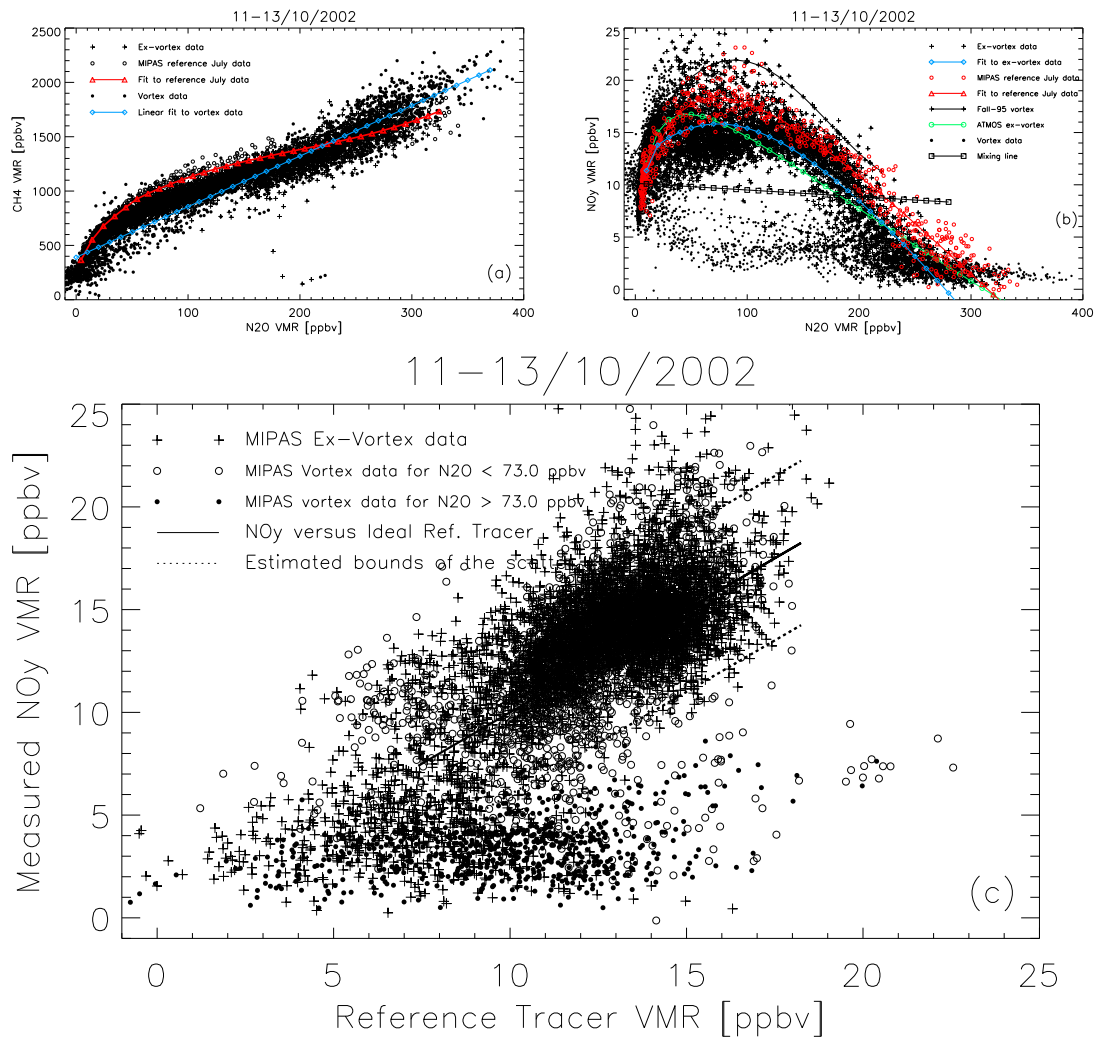


Figure 6.18: The same as Fig. 6.15, but for the postsplit period.

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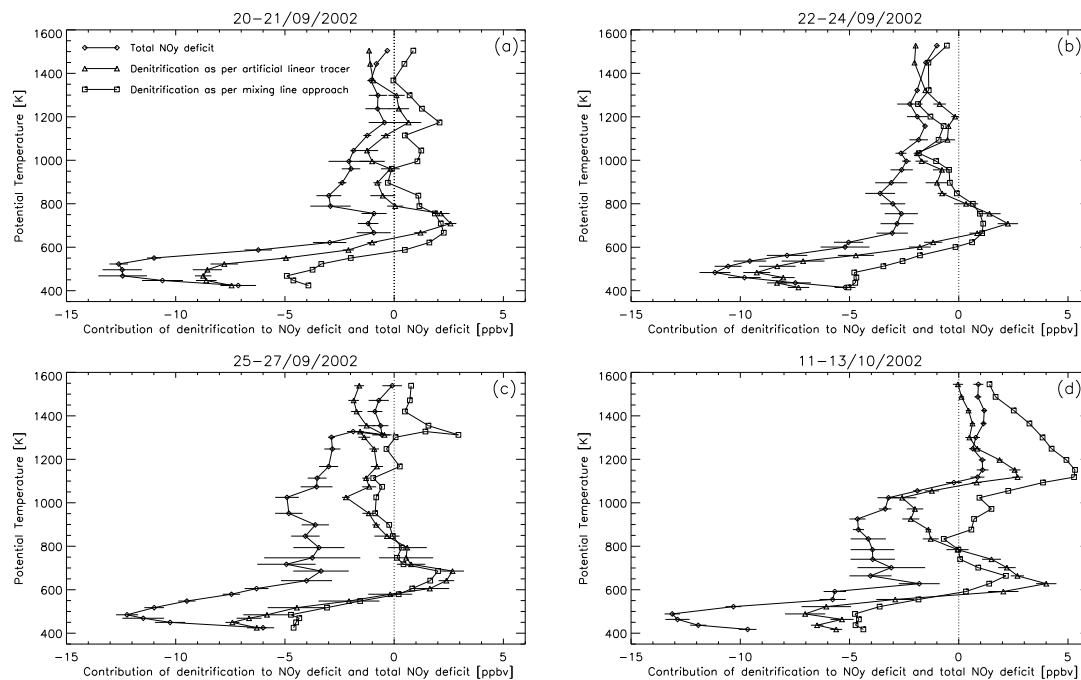


Figure 6.19: Vertical distribution of the NO<sub>y</sub> deficit and contribution of the denitrification as estimated by the two different methods (indicated by the legend in panel (a)). The error bar is the standard deviation of the mean while the scatter in the data is much higher. The theta range covers the range of N<sub>2</sub>O between 6-300 ppbv in which the artificial reference tracer is constructed. Data outside this range is not considered since the reference tracer method can not capture mixing outside the range of data used for its definition.

ceeding periods is slightly higher than the standard deviation of the mean. On the other hand, the mixing line approach gives estimates of about 5.0 ppbv denitrification-induced and the remaining to mixing-induced deficits for both presplit and split periods.

The postsplit ex-vortex as well as vortex data points showed less scatter in comparison to the measurements in September in all three panels of Fig. 6.18. The mean estimated denitrification accounted for 7.0 ppbv of 13.0 ppbv mean deficit (see panel (d) of Fig. 6.19). The ex-vortex data are well contained within the bounds of mixing scatter. The remaining deficit in vortex NO<sub>y</sub> at 475 K, accountable to mixing, increased from approximately 3.0 ppbv during presplit to 5.0 and 6.0 ppbv during the split and postsplit periods. A reduction of NO<sub>y</sub> deficit above 1000 K in postsplit period is due to mixing of NO<sub>x</sub> across weak vortex barrier (panel (d) of Fig. 6.19). The estimated denitrification from mixing line is 5.5 ppbv during the postsplit period which is lower than the linear reference tracer estimates of 7.0 ppbv.



## Chapter 7

# Conclusion

The highlight on the history of remote sensing and factors that contribute to its evolution to current state is briefly introduced. The importance of IR spectroscopy and one of the techniques in the IR spectroscopy, Fourier Transform Infrared Spectroscopy (FTIR) using Michelson Interferometer are described. The retrieval algorithm used to derive temperature and composition of the atmosphere from limb radiances measured by MIPAS is tested for consistency with the conceptually different Hessian method. The diagnostics of the retrieved VMR using the most difficult components of  $\text{NO}_y$ ,  $\text{N}_2\text{O}_5$  as an example, are given. The impact of major warming on stratospheric  $\text{N}_2\text{O}_5$  chemistry is discussed. Moreover, the analysis of stratospheric nitrogen species and source gases derived from limb radiances measured by MIPAS during the major stratospheric warming of Antarctic polar vortex has shown that the instrument is vital for capturing important information useful to reinforce as well as improve our current understanding of the role of chemistry and dynamics on  $\text{NO}_y$  partitioning and budget in the stratosphere. In line with, the findings in this thesis are summarized as follows.

We have compared the conventional Gauss-Newton-type retrieval algorithm with conceptually different and recently improved Hessian approach for testing the consistency of results. The derived profiles and uncertainties using the two methods are practically identical in the original state vector coordinate system. Due to interlevel correlations, the agreement in the uncertainties in the original state vector coordinate system is partly lost in a space in which the elements of transformed state vector are independent. After orthogonal coordinate transformation in which an independent quantity  $\mathbf{z}$  is defined, noticeable differences on the accuracy of the uncertainties in  $\mathbf{z}$  are observed. The significant discrepancies between the uncertainties estimated by the two methods are shown to be related with elements of parameter vector  $\mathbf{z}$  which are dominantly controlled by flattest eigenvector directions. The improved Hessian method determines the uncertainties in these shallowest directions with better accuracy as confirmed by good agreement of variation of computed  $\chi^2$  around the minimum of  $\mathbf{z}$  with ideal  $\chi^2$ . The performance of the Hessian method is also found to be better in resolving structures related to the shallowest directions as revealed by better vertical resolutions for both  $\text{H}_2\text{O}$  and  $\text{ClONO}_2$ . The main causes for these differences are the contribution of nonlinearity in the Hessian approach and analytical approximation of derivative of the forward model with respect to VMR in the Gauss-Newton algorithm. The results of comparison of the two methods can only serve to appreciate the level of accuracy and consistency of the variant of the Gauss-Newton algorithm used to retrieve the  $\text{NO}_y$  constituent species and

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long-lived species since the differences are minor to affect results and conclusion of the study on the impact of the sudden major warming of SH polar vortex on  $\text{NO}_y$  budget and partitioning reported in the thesis in the original state vector space. Moreover, the disadvantage of the Hessian approach over the traditional nonlinear optimization such as Gauss-Newton is its excessive computation time since successive approximation for the right step size in each eigenvector direction is done separately in subspace of each parameter. This hinders its applicability to operational processing of atmospheric parameters. However, when the accurate estimate of error matrix and when testing of scientific retrieval algorithm such as the one used to generate the data set in this study are required, the Hessian method is worthy to use. In addition, when the size of retrieval parameters is small, such as for example retrieval of instrumental parameters (e.g. instrumental line shape, residual spectral shift etc.), it can be applied with less computation time.

$\text{N}_2\text{O}_5$  was retrieved for the first time from MIPAS/ENVISAT limb emission radiances on a global scale since ISAMS and CLAES measurements in 1992. The spectral background continuum is shown to be uniform for the selected spectral regions for the retrieval of  $\text{N}_2\text{O}_5$ . Thus, constraining the background continuum in the  $\nu_{12}$  band to that in the external microwindows avoids erroneous propagation of continuum-like  $\text{N}_2\text{O}_5$  signal to background continuum or vice versa. The approach proposed in this thesis is robust enough to isolate background continuum and  $\text{N}_2\text{O}_5$  signatures at least for application to an atmosphere with low aerosol loading. The regularization parameter selected on the basis of some test retrievals has been found to be valid for most cases as confirmed from consistency of over 1400 profiles retrieved for the period September/October 2002 in the Southern hemisphere with the observed dynamics and chemistry. This work verifies that the methodology that overcomes the problem of distinguishing the rather flat  $\text{N}_2\text{O}_5$  spectral signature from background radiances is suitable and it has been identified and tested for consistency with dynamical and chemical processes.

The main characteristic features such as diurnal variation, the link to the chemistry that governs its partitioning within the  $\text{NO}_y$  family and its decline in mid-October due to increased day length are observed. The retrieved  $\text{N}_2\text{O}_5$  VMR from high resolution atmospheric limb emission spectra measured by MIPAS during the major warming over Antarctica in September 2002 exhibits expected dynamical features such as a clear boundary between inside vortex and outside vortex air, movement of the vortex boundary from September to October, and day-night asymmetry due to photolysis of  $\text{N}_2\text{O}_5$ . Moreover, the enhanced  $\text{N}_2\text{O}_5$  VMR at high latitudes is found to result from a combination of transport of  $\text{NO}_x$  rich air through the hot pool yielding a relatively large amount of  $\text{NO}_3$  in transit together with the highly temperature sensitive  $\text{N}_2\text{O}_5$  formation chemistry.

$\text{NO}_y$  partitioning inside the vortex is found to be less driven by isentropic mixing processes during the course of the vortex split in the lower stratosphere as seen from inter-periodical variation. However, transport in the context of displacement of massive airmasses, e.g. vortex air to lower latitudes and low or midlatitude airmasses to high latitudes have affected  $\text{NO}_y$  partitioning. Some of the chemical reactions that govern  $\text{NO}_y$  partitioning are temperature sensitive. The enhancement in  $\text{N}_2\text{O}_5$  during the split of the vortex at high latitudes, during which there was major mass transport from and to polar regions, was initiated due to its temperature sensitive formation from  $\text{NO}_2$  and availability of  $\text{NO}_2$  and  $\text{O}_3$  rich midlatitude air. In parallel, the vortex air mass transport to lower latitudes (as low as  $30^\circ$ ) enhanced photochemical production of  $\text{NO}_x$  from  $\text{HNO}_3$  inside the vortex. The important role of transport in preconditioning onset or cessation of photochemical reactions was also demonstrated by the buildup of  $\text{HNO}_3$ , at the same levels where  $\text{HNO}_3$  was depleted during the split of vortex, in October after the vortex recentered itself on the pole. On

the other hand, the increase in  $\text{NO}_x$  inside the vortex at altitude between 30-40 km from September to October is mostly related with transport of midlatitude  $\text{NO}_x$  rich air. Small fraction of the enhancement in  $\text{NO}_x$  in October resulted from lengthening of day which inhibit  $\text{N}_2\text{O}_5$  conversion.

The reference  $[\text{NO}_y]:[\text{N}_2\text{O}]$  correlation curve determined from MIPAS July data seems to represent the transition period (late winter) in the polar stratosphere, during which the  $[\text{NO}_y]:[\text{N}_2\text{O}]$  correlation evolves continuously from the formation of the vortex during the preceding fall (Fall-93 relation) to its breakup in spring (ATMOS ex-vortex relation). The evolution of the MIPAS ex-vortex correlation curve from July to the September/October period of this study is also in agreement with hypothesis forwarded by *Muscari et al.* [2003]. At the linear end of the correlation curve due to high bias in  $\text{N}_2\text{O}$  in September, no conclusion can be drawn on the evolution of the correlation curve.

The mean  $\text{NO}_y$  deficit has been established using the values estimated from the observed  $\text{N}_2\text{O}$  values employing the  $[\text{NO}_y]:[\text{N}_2\text{O}]$  relationship determined from ex-vortex profiles. A possible quasi-isentropic mixing event scenario is established over a wide range of theta levels from correlations of the two inert gases  $\text{CH}_4$  and  $\text{N}_2\text{O}$  for each period under study to distinguish denitrification induced changes in  $\text{NO}_y$  from that due to a descent followed by quasi-horizontal mixing. The estimates of denitrification induced deficit from this approach is compared to that derived from a linear artificial reference tracer approach and turned out to be lower than the latter by 30% for presplit periods (20-24 September). This difference is reduced to approximately 20% during the split and postsplit periods.

The mean  $\text{NO}_y$  deficit at 475 K remained on average at 12.5 ppbv throughout the period. However, the fractions of the deficit accountable to descent followed by mixing and denitrification have shown a different behaviour in the period before the split and after the split of vortex according to the reference tracer method. Mixing-induced changes accounted only for nearly 25% of the deficit before the split of the vortex and it increased to nearly 40-45% during and in the postsplit period in October. As a result, contribution of denitrification to the  $\text{NO}_y$  deficit has fallen from 75% to 55-60%. In contrast, the mixing line approach gives approximately 55-60% of deficit as due to mixing before and during the split period and 62% of deficit as due to mixing in the postsplit period which shows a high bias for mixing-induced changes due to a wider range of theta levels used to construct the mixing line. The evolution in time of the changes from artificial reference tracer method shows better consistency with altitude-equivalent latitude cross-sections of  $\text{N}_2\text{O}$ ,  $\text{NO}_y$  and its components (e.g. excess  $\text{NO}_y$  above 1000 K in October compared to expected values due to horizontal mass influx into the vortex).

The permanent removal of  $\text{NO}_y$  from lower stratosphere embedded in polar stratospheric clouds accounted for the major part of the  $\text{NO}_y$  deficit. The decrease in denitrification during and after the split while the total deficit remained at its presplit value is an indication of a possible renitrification compensated by further descent and mixing.

The  $\text{NO}_y$  partitioning and budget observed during the unusual major warmings of the Antarctic stratosphere, though atypical for the Southern Hemisphere, are within scope of current understanding of stratospheric chemistry.

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