

## Numerical Simulation of Interfacial Mass Transfer Accompanied by a First-Order Chemical Reaction in Segmented Gas-Liquid Flow within a Mini-Channel

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### Introduction

Advantages and applications of segmented gas-liquid flow in square narrow channels:

- Monolithic catalyst reactor: gas bubbles segment the liquid and enhance its mixing
- Micro bubble column: efficient mass transfer due to high interfacial area per unit volume
- **Goal:** Get insight in local instantaneous mass transfer phenomena by means of direct numerical simulations

### Numerical method

- In-house code TURBIT-VOF solves incompressible Navier-Stokes equation with surface tension by a Volume-of-Fluid method with local planar interface reconstruction
- Implementation of species transport equation under assumption of no feed-back on hydrodynamics
- The physical concentration field  $c$  is transformed into  $\%$  which is continuous at the interface

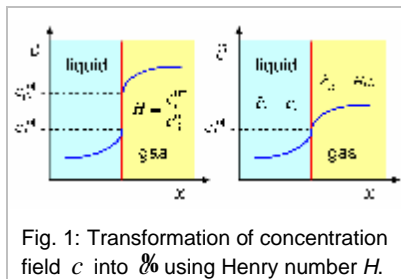


Fig. 1: Transformation of concentration field  $c$  into  $\%$  using Henry number  $H$ .

### Bubble train flow

#### Hydrodynamics

- Developed bubble train flow (BTF) is fully described by a unit cell (UC) with one bubble and one liquid slug
- BTF is numerically represented by one unit cell and periodic boundary conditions in vertical axial direction (see Fig. 2)

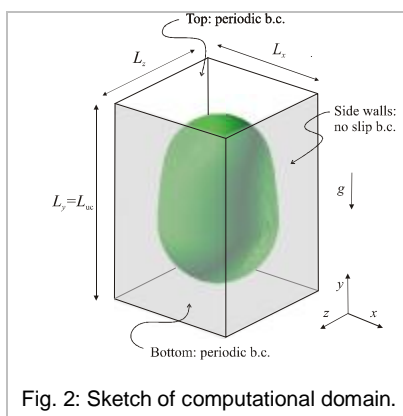


Fig. 2: Sketch of computational domain.

- Simulations of air / silicon oil BTF in a square channel with  $L_x = L_z = 2$  mm for three different unit cell length  $L_{uc} = 2, 2.75$  and  $3.5$  mm and a void fraction  $\epsilon = 33\%$
- Computed bubble diameter and velocity are in good agreement with experimental data [1]

#### Mass transfer

- Mass transfer of an artificial species from gas phase (initial concentration  $c_G^0$ ) into the liquid phase (initial concentration 0)
- Simulations for mass transfer with and without 1<sup>st</sup> order homogeneous (liquid bulk) and heterogeneous (channel walls) chemical reaction
- Henry number  $H \equiv (c_L / c_G)_{eq.} = 0.03$  and  $3$ ,  $D_L / D_G = 0.31$ ; liquid phase Schmidt number =  $0.8$ ; bubble Reynolds number =  $10$

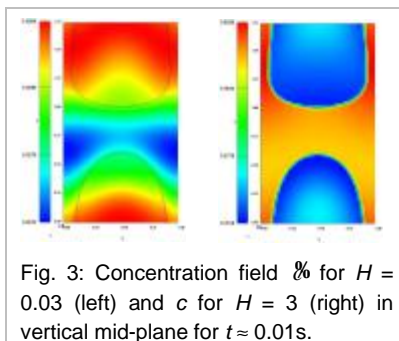


Fig. 3: Concentration field  $\%$  for  $H = 0.03$  (left) and  $c$  for  $H = 3$  (right) in vertical mid-plane for  $t \approx 0.01s$ .

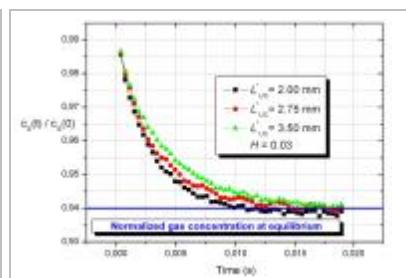


Fig. 4: Mean concentration  $c_G(t)$  for  $H = 0.03$  and different values of  $L_{uc}$ . For small  $L_{uc}$  the equilibrium concentration  $c_G^{eq} = c_G^0 / (1 + H(1/e - 1))$  is reached faster.

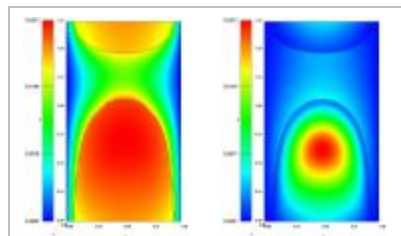


Fig. 5: Concentration field  $\%$  for  $H = 0.03$  (left) and  $H = 3$  (right) in a vertical mid-plane for mass transfer with heterogeneous chemical reaction.

### Conclusions

- Mass transfer occurs mainly across the bubble tip and bottom (in agreement with [3]), while the liquid film is saturated (Fig. 3)
- Short unit cells are more efficient for mass transfer with / without homog. chemical reaction (Fig. 4)
- Long unit cells are slightly more efficient for mass transfer with heterogeneous chemical reaction in case of small Henry number and fast film saturation

#### Literature:

- [1] Thulasidas, Abraham, Cerro: *Chem. Eng. Sci.* **50** (1995) 183-199
- [2] Ghidersa, Wörner, Cacuci: *Chem. Eng. J.* **101** (2004) 285-294
- [3] Berčić & Pintar: *Chem. Eng. Sci.* **52** (1997) 3709-3719