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KARLSRUHE**

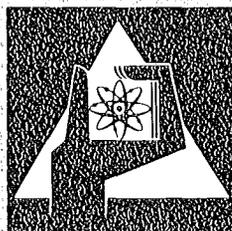
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Institut für Angewandte Kernphysik

**PROGRESS REPORT
of the
Teilinstitut Nukleare Festkörperphysik
(1.6.1974 — 31.5.1975)**

L. Pintschovius



**GESELLSCHAFT
FÜR
KERNFORSCHUNG M.B.H.**

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KERNFORSCHUNGSZENTRUM KARLSRUHE

KFK 2183

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P R O G R E S S R E P O R T

of the

Teilinstitut Nukleare Festkörperphysik

(1.6.1974 - 31.5.1975)

Editor: L. Pintschovius

Gesellschaft für Kernforschung mbH., Karlsruhe

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This progress report of the Teilinstitut Nukleare Festkörperphysik covers the period from 1st June 1974 - 31st May 1975. The arrangement has been chosen to emphasize the main areas of research in which the institute is presently involved.

These areas are Dynamics of Solids and Liquids, Electronic Structure and Magnetism of Solids and Development of Materials. Some of the technical developments relevant to these topics are also included.

Dieser Progress-Report des Teilinstituts Nukleare Festkörperphysik erfaßt den Zeitraum vom 1. Juni 1974 - 31. Mai 1975. Die Darstellung betont die Hauptforschungsgebiete, auf denen das Institut zur Zeit tätig ist. Diese sind: Dynamik von Festkörpern und Flüssigkeiten, Elektronenstruktur und Magnetismus von Festkörpern und die Entwicklung neuer Materialien. Einige technische Entwicklungen, die für die Forschungsarbeiten wichtig sind, wurden ebenfalls in den Bericht aufgenommen.

In dem vorliegenden Bericht gibt das Teilinstitut IAK I "Nukleare Festkörperphysik" einen Überblick über die wissenschaftlichen Arbeiten in dem Zeitraum vom 1. Juni 1974 bis 31. Mai 1975. Das Forschungsprogramm des Instituts hat derzeit folgende drei Hauptrichtungen:

- Untersuchungen zur Struktur und Dynamik von kondensierter Materie
- Untersuchungen der elektronischen und magnetischen Eigenschaften von Festkörpern
- Herstellung neuer Materialien mittels Ionenimplantation, Kathodenzerstäubung und simultanem Aufdampfen.

Mit den Methoden der Neutronenspektroskopie werden am Forschungsreaktor FR2 in Karlsruhe und am Hochflußreaktor in Grenoble Experimente zur Bestimmung der Phononendispersion und Phononenzustandsdichten von Festkörpern sowie der Streugesetze von Flüssigkeiten durchgeführt. Zur Zeit stehen Untersuchungen an supraleitenden Materialien im Vordergrund. Hierdurch soll ein Beitrag zum besseren Verständnis der Wechselwirkung zwischen gitterdynamischen und supraleitenden Eigenschaften von Festkörpern geleistet werden. Von besonderem Interesse ist ferner das Studium der Dynamik von eindimensionalen metallischen Systemen.

Bei den Untersuchungen von elektronischen und magnetischen Eigenschaften von Festkörpern werden die Methoden der ^{61}Ni -Mößbauerspektroskopie und der Neutronenstreuung eingesetzt, um Information über Hyperfeinfelder, Spindichteverteilungen und magnetische Anregungen zu erhalten. Es wird hier die Möglichkeit genutzt, die sehr kurzlebigen ^{61}Ni -Quellen am Zyklotron des Kernforschungszentrums herzustellen. Daher werden zur Zeit vorwiegend Verbindungen und Legierungen des Nickels untersucht.

Die Methoden der Ionenimplantation, Kathodenzerstäubung und des simultanen Aufdampfens werden derzeit ausschließlich zur Herstellung von Supraleitern und zur gezielten Veränderung ihrer supraleitenden Eigen-

schaften eingesetzt. Im Rahmen dieses Programms werden auch Fragen der Strahlenschädigung untersucht. Als wichtiges Hilfsmittel für die Charakterisierung der hergestellten Materialien dient die He-Rückstreuungstechnik. Diese Arbeiten werden am Van-de-Graaff Beschleuniger des Institutes durchgeführt.

Die experimentellen Arbeiten werden durch eine kleine Theoriegruppe unterstützt, die sich zur Zeit vorwiegend mit Fragen der Elektron-Phonon Wechselwirkung sowie der Dynamik von Festkörpern und Flüssigkeiten beschäftigt.

Im Berichtszeitraum hat sich die Zusammenarbeit mit externen Forschungsgruppen wesentlich verstärkt. Dies betrifft insbesondere das Gebiet der Neutronenspektroskopie. Es zeigt sich, daß durch die Einrichtung des Hochflußreaktors in Grenoble die Neutronenstreuung als Meßmethode in der Festkörperforschung immer mehr an Bedeutung gewinnt. Dies bedingt eine verstärkte Nutzung des FR2 zur Vorbereitung von Experimenten für den HFR-Grenoble sowie zu einer Entlastung, wenn die Experimente auch an einem Reaktor mittleren Flusses durchgeführt werden können.

Das Teilinstitut IAK I hatte im Berichtsjahr 26 wissenschaftliche und technische Mitarbeiter. Ein Mitarbeiter ist für die Betreuung von Gastgruppen bei der Nutzung der beiden zum FR2 gehörenden Strukturspektrometer zuständig. Der größte Teil dieser Arbeiten erfolgt außerhalb des Forschungsprogramms des IAK I und wird daher in dem vorliegenden Bericht nicht berücksichtigt. Dagegen wird über Arbeiten von Mitarbeitern der technisch wissenschaftlichen Infrastruktur des Gesamtinstitutes berichtet, sofern sie das Forschungsprogramm des Teilinstituts IAK I betreffen.

Von den Arbeiten, die bereits veröffentlicht bzw. zur Veröffentlichung eingereicht sind, werden nur Kurzfassungen oder Literaturhinweise angegeben. Erste Ergebnisse von laufenden Arbeiten werden dagegen etwas ausführlicher beschrieben.

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1. INVESTIGATIONS ON THE DYNAMICS
OF SOLIDS AND LIQUIDS

1.1. INVESTIGATIONS ON THE PHONON DISPERSIONS

1.1.1. Phonon Dispersion of MnO

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W. Kress, MPI für Festkörperforschung, Stuttgart

W. Reichardt

Measurements of Haywood and Collins /1/ seemed to indicate that the phonon dispersion of MnO is quite different from those of the closely related compounds CoO and NiO and that the shell model is not applicable to this material. As this would have serious consequences concerning the lattice dynamical models for the transition metal oxides we have started measurements of the phonon dispersion of MnO on the triple axis spectrometer TAS 1 at the FR2. The sample is a single crystal of about 6 cm³ grown by Crystal Tec with the flame fusion technique.

The results obtained so far at 296K are shown in fig. 1. The arrows mark the IR data of Plendl et al /2/. The curves are the result of a fit with a 7 parameter shell model, where only the negative ion was allowed to be polarisable. The overall fit is quite good. Discrepancies occur mainly for the LA branch in the [111] direction indicating that the polarisability of the Mn-ion cannot be neglected. However as the investigations have not been completed it does not seem reasonable to use more elaborate models. Nevertheless we can already conclude that the measured phonons of MnO can be well described within the framework of a simple shell model.

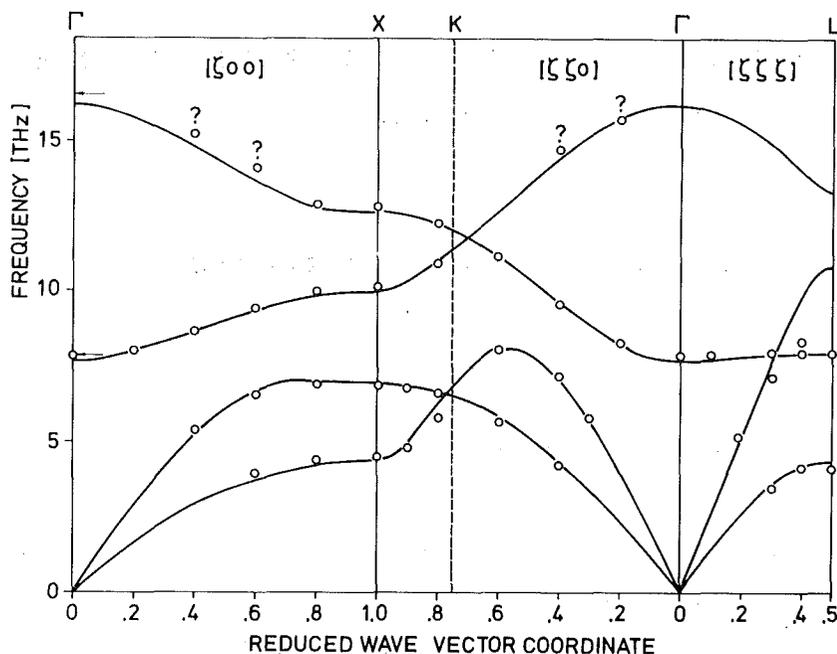


Fig. 1 Phonon dispersion of MnO at room temperature

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- /1/ B.C. Haywood and M.F. Collins, J. Phys. C 4, 1299 (1971)
- /2/ J.N. Plendl, L.C. Mansur, S.S. Mitra and I.F. Chang, Solid State Commun. 7, 109 (1969)

1.1.2, Lattice Dynamics of Strontium Oxide ⁺)

K.H. Rieder and R. Migoni, Max-Planck-Institut für Festkörperforschung, Stuttgart, Federal Republic of Germany

B. Renker

Abstract

The phonon dispersion relations of SrO at 300°K for the $|\zeta 0 0|$, $|\zeta \zeta 0|$ and $|\zeta \zeta \zeta|$ directions of propagation have been measured using inelastic neutron scattering. A shell model with seven parameters gives a good overall description of the phonon dispersion relations. The phonon frequency

⁺) Phys. Rev. B, in press

distribution calculated with this model yields a temperature dependence of the characteristic Debye temperature which is in satisfactory agreement with results derived from specific heat measurements. The second order Raman spectrum of SrO is discussed on the basis of the neutron data and a calculated two-phonon-density-of-states.

1.1.3. Lattice Dynamics of NiO

W. Reichardt

V. Wagner, Phys. Institut der Universität Würzburg und ILL Grenoble

W. Kress, MPI für Festkörperforschung, Stuttgart

The investigations of the phonon dispersion of NiO /1/ at room temperature have been continued by measurements of the optic branches in the symmetry directions Δ , Σ and Λ on the triple axis spectrometer IN1 at the HFR Grenoble.

The experimental data are well reproduced within the framework of a shell model. It was found that both ions are highly polarizable. In the model the overlap polarization was taken into account by a positive shell charge y_1 of the Ni^{2+} ion. Table 1 list the parameters of a model with 7 open parameters where Y_1 was set equal to $-Y_2$ and the ionic charge Z was assumed to be $2e$. Releasing these restrictions did not improve the fit significantly.

A_{12}	B_{12}	A_{22}	B_{22}	Y_1	Y_2	k_1	k_2	Z
$35.93 \frac{e^2}{v}$	$-5.34 \frac{e^2}{v}$	$-3.08 \frac{e^2}{v}$	$0.35 \frac{e^2}{v}$	$+3.13e$	$-3.13e$	$99.16 \frac{e^2}{v}$	$82.70 \frac{e^2}{v}$	$2e$

Table 1: Shell model parameters of NiO

References

/1/ W. Reichardt, Progress Report, KFK 2054, 3 (1974)

1.1.4. Lattice Dynamics of Non-stoichiometric Niobium Carbide

L. Pintschovius and W. Reichardt

The dispersion relations of the acoustic phonons of $\text{NbC}_{.89}$ have been investigated on the TAS 1- and TOF3 - spectrometers at the FR2 at Karlsruhe. The sample is a single crystal of 0.6 cm^3 grown by B. Scheerer using the floating zone method. The stoichiometry was checked by chemical analysis, measurement of the lattice parameters and of the superconducting transition temperature ($T_c \approx 4 \text{ K}$).

Stoichiometric NbC ($T_c = 12 \text{ K}$) as well as other superconducting transition metal carbides show strong anomalies in their dispersion relations /1/. For $\text{NbC}_{.89}$ we have found less pronounced anomalies at the same points in q -space as in the case of $\text{NbC}_{.98}$. Fig. 1 shows a comparison of the dispersion relations in $|\zeta\zeta\zeta|$ -direction for $\text{NbC}_{.98}$, $\text{NbC}_{.89}$ and $\text{NbC}_{.76}$ ($T_c = 0$).

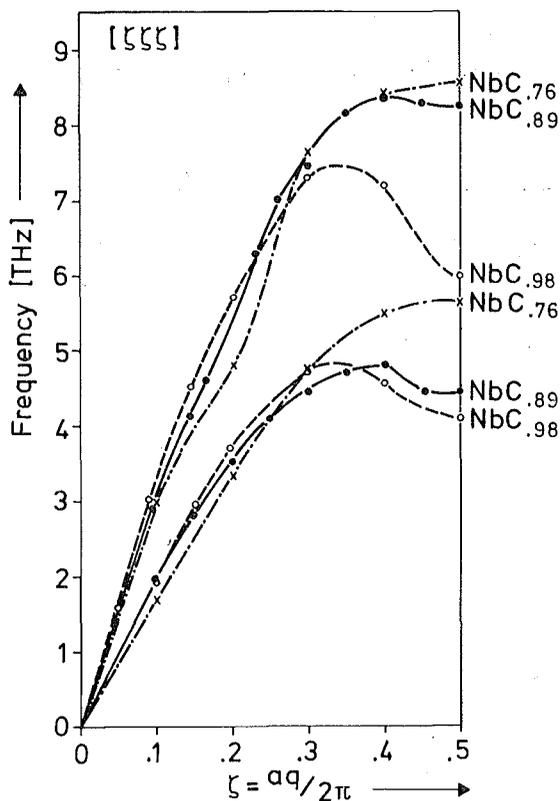


Fig. 1 Phonon dispersion of NbC_x in $|\zeta\zeta\zeta|$ -direction

In the region of the anomalies most phonon lines were considerably broadened. Furthermore the intensity distributions were not only dependent on the reduced wave number but also on the momentum transfer.

The double-shell model of Weber /2/ was used to analyze the data. Fig. 2 shows the experimental values and the results of a least squares fit. The dashed lines indicate the widths of the neutron groups in the regions of the anomalies.

It is intended to complete these investigations at the HFR at Grenoble.

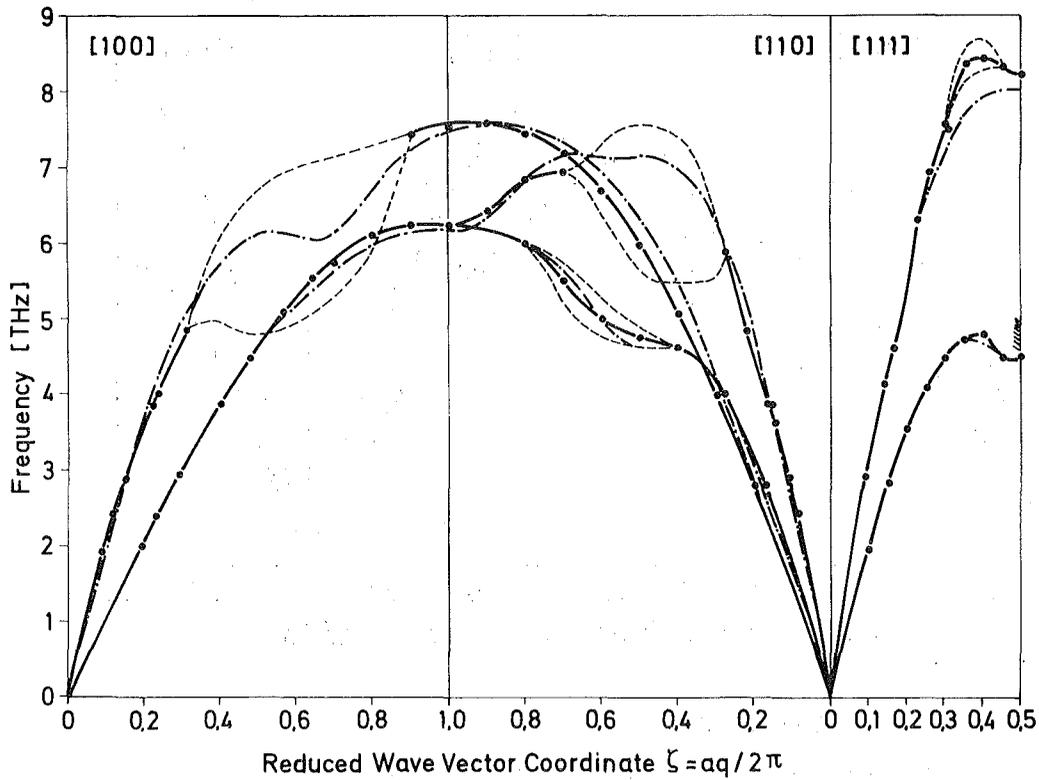


Fig. 2 Phonon dispersion of NbC_{0.89} at room temperature

- guide to the eye
- - - - fit with double shell model

References

/1/ H.G. Smith and W. Gläser, Phys. Rev. Lett. 25 (1970), 1611
/2/ W. Weber, Phys. Rev. B 8 (1973), 5082

on $\text{TiC}_{.89}$ at Karlsruhe proved that there are only slight differences between the slopes at the Γ -point for the two samples (o...3%).

The elastic constants derived from our measurements agree satisfactorily with those determined by ultrasonic methods on $\text{TiC}_{.91}$ /2/.

A fit with an eight parameter shell model is included in fig. 1.

The measurements will be continued at the HFR Grenoble.

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- /1/ W. Drexel, R. Currat and W. Reichardt, Progress Report of the ILL Grenoble, 53 (1973)
- /2/ R. Chang, L.J. Graham, J. Appl. Phys. 37, 3778 (1966)

1.1.6. Neutron Scattering Study of Lattice Vibrations in Ice Ih

B. Renker

G.I. Parisot, ILL Grenoble

In ice Ih the molecules are orientationally disordered. Simplified dynamical models which succeeded to explain the translational spectrum up to 220 cm^{-1} fail to describe the experimental results in the higher part up to 300 cm^{-1} .

Within the hexagonal plane we have studied polarisation vectors and structure factors for phonons in this frequency region and the lowest librational modes. Although the phonon peaks appear broadened we measure two branches at 220 and 284 cm^{-1} and the influence of a structure factor.

Thus it becomes clear that: a) there is no crossing between translational and librational modes, b) the phonon branches are flat and the frequencies up to $\sim 290 \text{ cm}^{-1}$ cannot be explained by wiggles of the lower branch as suggested by some models, c) inspite of the disorder of the H_2O molecules there exist collective excitations up to $\sim 290 \text{ cm}^{-1}$ and the higher translational excitations cannot be explained by a spread in frequencies due to an irregularity in the force constants caused by disorder of the static and transition dipole moments.

1.1.7. Lattice Dynamics of HCP-Thallium

W. Reichardt

V. Wagner, *Physikalisches Institut der Universität Würzburg
und ILL Grenoble*

Investigations on the phonon dispersion of hexagonal Thallium in the Σ - and Δ direction have been performed by Worlton and Schmunck /1/. However, the phonon density of states $F(\hbar\omega)$ calculated by these authors from a Born von Kármán model fitted to the experimental data is in serious disagreement with the Eliashberg function $\alpha^2F(\hbar\omega)$ determined by Dynes /2/ from tunneling experiments. In order to provide a reliable phonon density of states for a comparison with the tunneling data we have extended the measurements of Worlton and Schmunck and remeasured some of their results. These measurements were performed on the spectrometers TOF3 at the FR2 and IN3 at the HFR-Grenoble. In general the phonon frequencies determined from our measurements are somewhat lower than those of ref /1/.

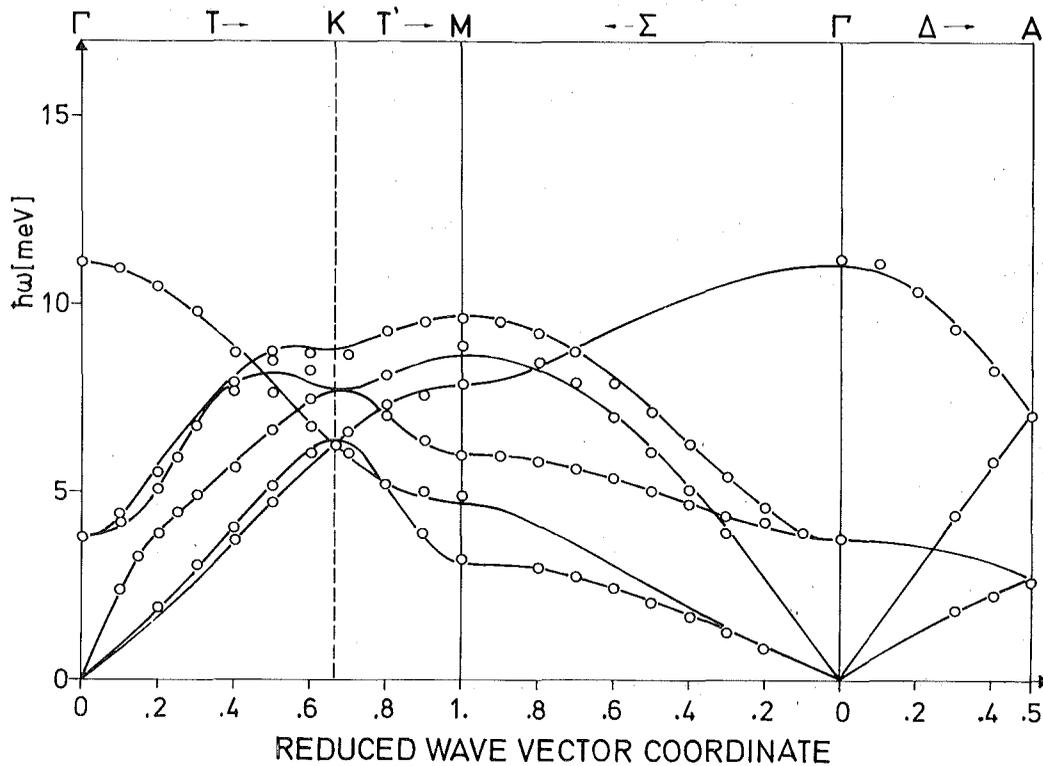


Fig. 1 Phonon dispersion of HCP-Thallium

Fig. 1 shows results for 140 K in the Σ -, T- and Δ -directions. The curves are the result of a fit with a 4 nearest neighbours Born von Kàrmàn model where for the two nearest neighbours tensor forces and for the third and fourth neighbour axially symmetric forces were assumed. Some additional data in the P- and S direction, which are not shown in the figure, were included in the fit in order to be able to determine all four force constants of the first neighbour. A rather good fit can already be obtained with a four neighbour axially symmetric model. In Fig. 2 the phonon density of states calculated with this model is compared to the Eliashberg function $\alpha^2 F(\hbar\omega)$ of Dynes. There is very satisfactory agreement of the characteristic features of the two distributions.

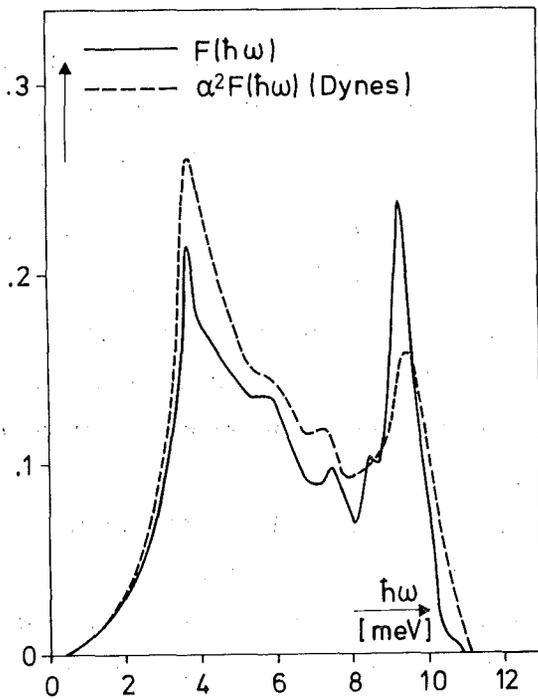


Fig. 2 Comparison of the calculated phonon density of states with the Eliashberg function $\alpha^2 F(\hbar\omega)$ of Dynes.

References:

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1.1.8. Stress-induced Changes in the Phonon Spectrum of Silicon

J. Prechtel, J. Kalus, Technische Universität München

L. Pintschovius

Measuring the stress-induced shifts and splittings of phonon energies, it is possible to determine the cubic (anharmonic) atomic force constants /1/. Experiments on Si are of interest for a) there are indications (for example the negative Grüneisen parameter) that anharmonicity might be important for Ge and Si /2/, b) there are several competing models for the lattice dynamics of diamond-type semiconductors.

First and second order Raman scattering gives us experimental data only for the Γ -point /3/ and for points at the edge of the B.Z. (because of experimental difficulties, until now only some data for the \bar{x} -point are available. /4/ /5/).

To get informations about other symmetry points and about points within the B.Z., we are performing neutron inelastic scattering experiments. A 30-ton hydraulic press has been built, which can be located on a spectrometer with its stress axis lying vertically or horizontally. First measurements have been done on the triple-axis spectrometer TAS1 at the FR2. The samples are weakly doped ($\sigma > 100 \Omega \text{cm}$) single crystals of silicon with the 111-direction parallel to the cylinder axis, diameters between 15 and 20 mm and length about 80 mm. Applying a stress of 10 K bar in the 111-direction, the energy of the 111-TA-phonon is lowered by $0.5 \pm 0.1\%$ accompanied by a broadening of the peak, which is a result of mode splitting and eventually of strain inhomogeneities. In order to avoid the latter, larger crystals with a length more than ten times the diameter will be used.

To extract the anharmonic parameters like the mode-Grüneisen parameter for this and for other phonons, we prepare further experiments.

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1.1.9. Lattice Dynamics of Sapphire (Corundum)⁺)

Part I: Phonon Dispersion by Inelastic Neutron Scattering

H. Bialas, H.J. Stolz⁺⁺)

Part II: Calculations of the Phonon Dispersion

*W. Kappus⁺⁺⁺), Institut für Angewandte Physik der
Universität Heidelberg*

Abstract

By inelastic neutron scattering the phonon dispersion of sapphire ($\alpha\text{-Al}_2\text{O}_3$) has been measured along the two principal symmetry directions. Along the direction of threefold symmetry 20 different phonon modes are to be expected. From these 4 quasilongitudinal modes Λ_1 and Λ_2 respectively and 5 quasi-transverse Λ_3 modes could be identified making use of the selection rules for the structure factor. The highest measured phonon frequencies range up to 26 THz.

Theoretical models of the lattice dynamics of sapphire based on the assumption of rigid ions, have been fitted to measured phonons at the Γ -point of the Brillouin zone. Short range interactions were taken into account by assuming 2-body interactions between touching ions. Additional 3-body interactions could not improve the fit significantly. Calculated dispersion curves are presented and compared with inelastic neutron scattering data. A good agreement for branches along the trigonal axis can be stated.

+) to be published in Z. Physik

++) Present adress: MPI für Festkörperforschung, Stuttgart

+++) Present adress: Institut für Theoretische Physik der Universität
Heidelberg

1.1.10. Investigations of the Linear Conductor KCP

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G. Heger, L. Pintschovius, B. Renker, G. Scheiber^(e),
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Previous work revealed the existence of a pronounced Kohn anomaly and a central peak in $K_2Pt(CN)_4Br_{0.3} \cdot 3D_2O$ (KCP) for wave vectors with a component $2 k_F$ parallel to the chain direction. A transition to a three-dimensional state with a $2 k_F$ distortion along the c-direction takes place near 100 K. Recent measurements were concerned with a temperature dependent study of the soft phonons in the region of $2 k_F$. These results are collected in a paper the abstract of which is given below.

Inelastic Neutron Scattering Study of the $2 k_F$ Instability in $K_2Pt(CN)_4Br_{0.30} \cdot 3D_2O$
R. Comés, B. Renker, L. Pintschovius, R. Currat, W. Gläser and G. Scheiber,
Phys. Stat. Sol., in press

Abstract

Besides the modifications of the longitudinal acoustic dispersion in the c direction, inelastic neutron scattering measurements of the $2 k_F$ instability in KCP between room temperature and 60 K have revealed an additional excitation at a frequency of 0.6 THz for the wave vector $2 k_F$. This excitation obviously corresponds to the additional structure earlier observed at low temperature by infrared and Raman scattering, but the extension in wave vector $2 k_F - 0.2 c^+ < q_c < 2k_F + 0.1 c^+$, the very small dispersion, and the fact

that, though much weaker than at low temperature, it is still observable at room temperature, casts serious doubts on its interpretation in terms of the pinned charge density wave (pinned Fröhlich mode). The existence of a low frequency longitudinal optical phonon branch is more likely, despite unexplained weak intensity of the corresponding phonons.

Further a detailed neutron diffraction study of the KCP crystal structure was undertaken. The room temperature results are published with the following abstract:

On the Water Distribution in $K_2Pt(CN)_4Br_{0.3} \cdot 3D_2O$. A Single Crystal Neutron Diffraction Structure Analysis

G. Heger, B. Renker, H.J. Deiseroth and H. Schulz, Mat. Res. Bull. 10, 217 (1975)

Abstract

A single crystal neutron diffraction analysis of the linear conductor $K_2Pt(CN)_4Br_{0.3} \cdot 3D_2O$ is reported. Complementary to former X-ray investigations the distribution of the water molecules was studied and three different types of D_2O could be located. Besides the full and reduced occupied two- and four-fold D_2O -positions, a third site nearby the Br^- -position was clearly identified giving the picture of a filled center of the unit cell occupied partially by Br^- and D_2O . There is no argument left for a crystallographically different second Br^- -site.

Low temperature measurements down to 31 K confirm the 295 K results and show more precisely that water molecules in two different disordered orientations fill the center of the unit cell.

In connection with the phase transition at 100 K a temperature dependent study of the lattice parameters is of interest. Measuring results which are shown in Fig. 1 show a smooth curve in the interesting region.

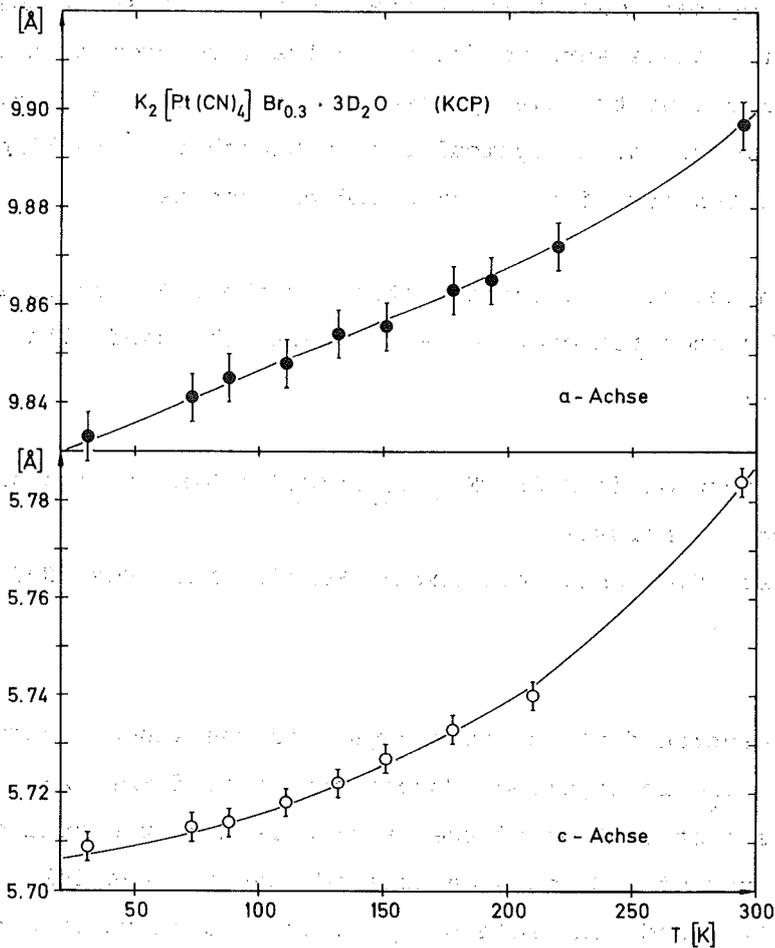


Fig. 1 Temperature dependence of the lattice parameters of KCP measured by neutron diffraction.

1.1.11. Phonon Dispersion of α -Arsenic

W. Reichardt

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Whereas extensive studies on the phonon dispersion of the group Vb elements Bi and Sb have been reported by several authors the information about the lattice dynamics of the isomorphic α -As to date was restricted to results of Raman scattering experiments /1/ and of the phonon density of states determined by neutron scattering from a polycrystalline sample /2/. As an extension of these investigations we have started measurements on the phonon dispersion at the FR2. The single crystal sample of about 3 cm³ used in these experiments was grown by Miss G. Müller in the crystal

laboratory of Dr. E. Schönherr at the MPI-FKF.

So far we have performed measurements at 296 K in three directions lying in the mirror plane ($\Gamma T, \Gamma L, \Gamma X$) and in the binary direction (Fig. 1). The values for the optical branches at the Γ point are in rather good agreement with the Raman data of ref. /1/. Compared to the phonon dispersion relations of Bi and Sb the following main differences can be observed: The dips in the lower optical branches at small q-values are less pronounced. Some of these branches drop below the Γ point frequency when reaching the zone boundary. Due to a much weaker bonding between the double layers perpendicular to the trigonal axis the acoustic frequencies in the ΓT direction are very low; for small q-values the LA branch crosses the TA branch i.e. the longitudinal sound velocity is smaller than the transverse

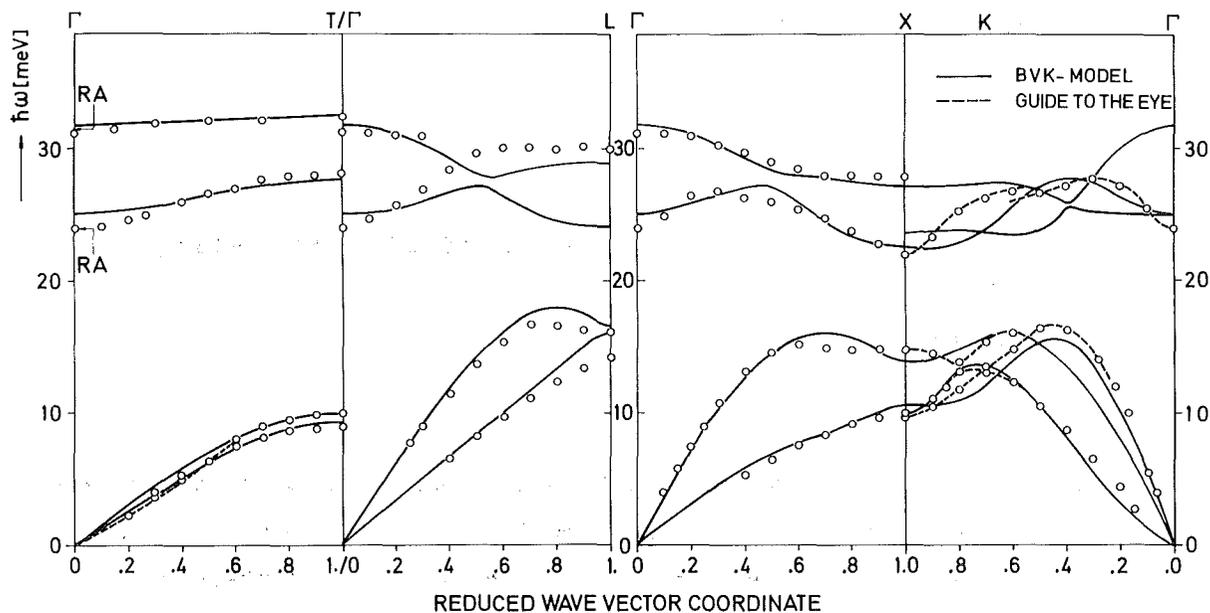


Fig. 1 Phonon dispersion of α -arsenic

The bonding in the group Vb elements is partly covalent and partly metallic. Thus the forces are long range and many neighbour shells in a Born v. Kàrmàn model have to be taken into account. In order to keep the number of fit parameters as low as possible we have used a mixed axially symmetric - tensor force model with only two force constants for the farther distant neighbours. We found that for a given number of parameters such a model always gave a better fit than either a pure tensor force or a pure axially

symmetric model. The curves in fig. 1 were calculated using a model with 8 neighbours and 19 parameters. The transverse branches in the ΓX and ΓL directions polarised in the c direction have been omitted for clarity. The model gives a reasonable overall description of the experimental data but is not able to reproduce details of the dispersion curves as for instance the dips in the lower optical branches at the Γ -point.

It is intended to continue these investigations with a main effort on the development of improved lattice dynamical models for the A7-structure.

References

- /1/ J.S. Lannin, J.M. Calleja and M. Cardona, Second Order Raman Scattering in the Groups Vb Semimetals: Bi, Sb and Sb; submitted for publication to Phys. Rev.
- /2/ J. Salgado, KFK Report 1954 (1974)

1.1.12. Phonon Dispersion Measurements of $\text{Bi}_{1-x}\text{Sb}_x$ Alloys

B. Hofmann

The lattice dynamics of the semimetals Bi and Sb are determined by covalent bonding between nearest neighbour atoms and low concentrations of free carriers which screen the bonding charges only over large distances. By alloying a few percent of Sb into Bi the electronic band structure is changed and becomes semiconducting ($x \geq 0.07$). Moreover, the periodicity of the lattice is disturbed by mass defects.

Phonon dispersion measurements of $\text{Bi}_{1-x}\text{Sb}_x$ alloys are therefore of special interest in order to reveal the influence of both effects on the lattice dynamics. They complete the information already obtained by first order Raman scattering /1/, /2/.

The $\text{Bi}_{1-x}\text{Sb}_x$ single crystals were grown by Bridgman's method (Tab. 1). They were analysed with respect to their composition and crystalline perfection

by neutron diffraction techniques. The diffractometer at the R1 beam tube was used with $\lambda = 1.5086 \pm 0.0002 \text{ \AA}$ and a resolution of 0.15 %. The lattice constants of the single crystals were determined by the method described by Brockhouse et al. /3/. The Ge(551) reflection and the Bi (00 15) reflection were used as standards.

Applying the linear relationship between the alloy parameter x and the lattice constants (a_H, c_H) /4/, the mean Sb concentration of the sample could be determined with an accuracy of less than 5 %.

Nr.	Mean Composition	Growing Method	Density [$\frac{g}{m^3}$]	Volumel[cm^3]	Mosaic-Spread
I	Bi	vert. zone	9.805	4.5	0.1°
II	Bi _{0.93} Sb _{0.07}	Bridgman	9.57±0.05	4.08	0.5°
III	Bi _{0.82} Sb _{0.18}	Bridgman	9.37±0.05	7.56	0.6°
IV	Bi _{0.88} Sb _{0.12}	horiz. zone	-	25 (powder)	-

Tab. 1 Data of the Bi and BiSb samples

The 2θ -scans of the alloy crystals are rather broad and show a peak structure for sample II (fig. 1). A similar case has been reported by Zitter and Watson /1/. According to Cucka and Barrett /4/ this indicates a large variation in composition (extra scale in fig. 1). It is also possible that the broadening is a grain effect due to micro-segregation.

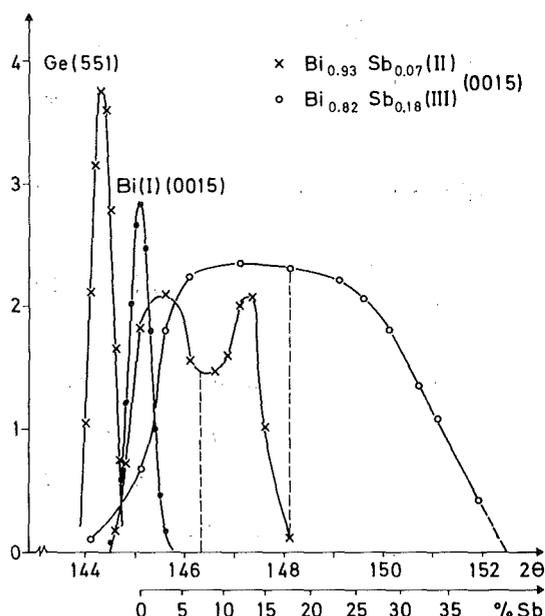


Fig. 1
 2θ -scans of Ge(551), Bi(I) and BiSb samples II and III (00 15).

Phonon measurements were performed on the triple axis spectrometer TAS 1 at the Karlsruhe FR2 reactor using the constant q-mode. The fixed primary neutron energies were about 20 meV and 40 meV and the corresponding resolutions were 6 % and 7 %, respectively.

In order to estimate the line broadening of the detected neutron groups, line shapes have been calculated using a resolution program based on the Cooper-Nathans formalism.

Fig. 2 shows the phonon dispersion of $\text{Bi}_{0.82}\text{Sb}_{0.18}$ (sample III) in the symmetry direction ΓT (trigonal axis). For comparison the dispersion of pure Bi (I) was measured and is shown, too. Results of measurements of $\text{Bi}_{0.93}\text{Sb}_{0.07}$ (II) have already been reported /5/.

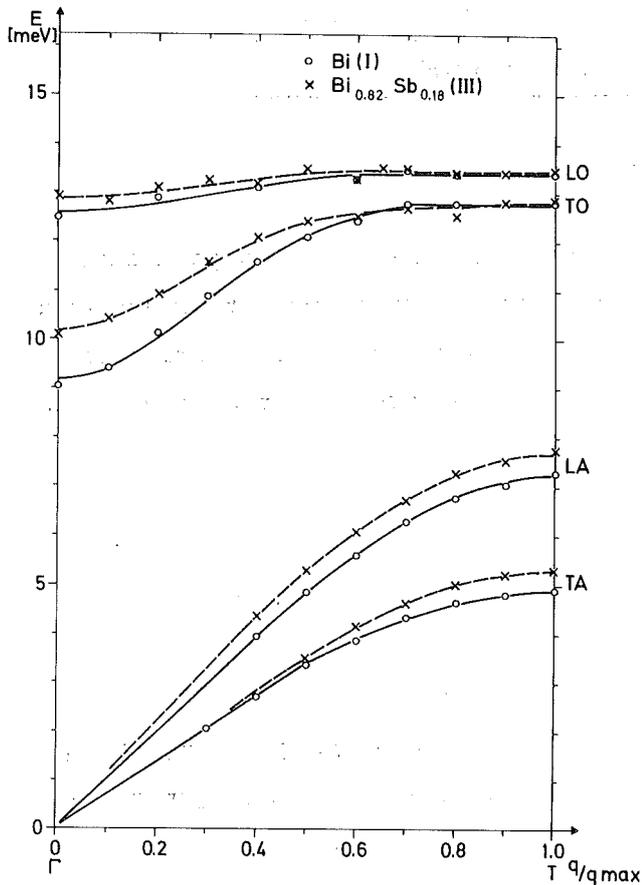


Fig. 2 Phonon dispersion in the trigonal direction (ΓT) for Bi(I) and $\text{Bi}_{0.82}\text{Sb}_{0.18}$ (III). —, - - - - Theoretical curves calculated by linear B.v.K. models.

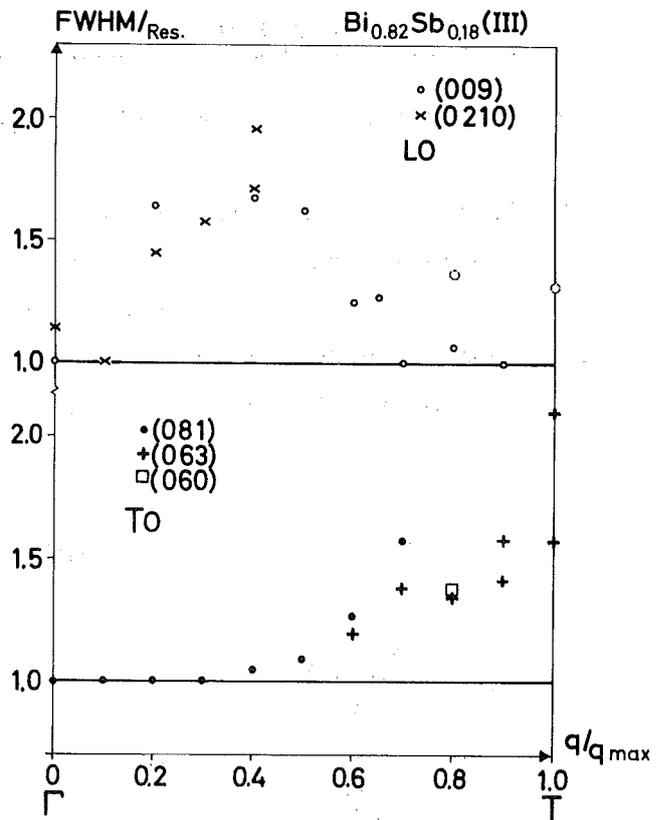


Fig. 3 Broadening of optical phonons measured at different points of the reciprocal lattice.

Compared to Bi the $\text{Bi}_{0.82}\text{Sb}_{0.18}$ branches are q-dependently shifted towards higher energies. This shift reaches a maximum for the zero wave vector TO phonon.

Additionally a q-dependent broadening of the phonon line width is found in the optical branches (fig. 3). The width of the TO phonons has a maximum at the zone boundary, whereas for the LO phonons the width is largest at $q = 0.4 q_{\text{max}}$.

This broadening may be caused by a neighbouring mode of the mixed type as described in Raman measurements /1/ or simply by the disturbed periodicity of the lattice.

There are two facts that favour the first assumption:

- (i) The broadening increases with q. Taking into account the rather smooth dispersion of the main modes this means a q-dependent increase in intensity of the extra mode. This has already been found for localized modes of Al in Cu /6/.
- (ii) Phonon density of state measurements /7/ show a shoulder in the energy region, where the extra mode is expected.

Comparing our results with those obtained by first order Raman scattering we find:

At zero wavevector our measurements do not show the so-called three mode behaviour (Bi-like, Sb-like and mixed modes), which is found in Raman experiments. The TO and LO phonons correspond to the Bi-like peaks of the Raman spectra. Their energies are shifted towards higher values depending on the mean Sb content of the alloy. This effect is also described by Lannin /2/. For $q > 0$ there are some hints for the existence of an extra optical mode, which may be identified with one of the mixed type.

The phonon dispersion of samples I, II, III in the ΓT direction can be well described by a linear B.v.K. model /8/, which takes into account interactions up to four neighbouring planes (fig. 2). Reduced masses, according to the Sb content were used in the calculations.

The dynamical model described by W. Mehringer /9/ has also been applied to the experimental data.

In order to estimate how the dispersions are determined by the electronic properties of the alloys, more elaborate models are going to be developed.

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- /4/ P. Cucka, C.S. Barrett, Acta cryst. (Copenhagen) 15, 865 (1962)
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- /6/ R.M. Nicklow et al., IAEA Symp. Copenhagen, (1968)
- /7/ F. Gompf, B. Hofmann and E. Schneider (this edition)
- /8/ J.L. Yarnell et al., IBM Journal 7, (1964)
- /9/ W. Mehringer (this edition)

1.1.13. A Simple Dynamical Model for Bi-Sb Alloys

W. Mehringer

In a Bi crystal the atoms are arranged on planes perpendicular to the trigonal axis. Phonons propagating in the ΓT direction are therefore described as vibrations in which each plane of atoms moves as a rigid body. Thus only the problem of a linear chain has to be solved /1/.

In a hypothetical $\text{Bi}_{1-c}\text{Sb}_c$ crystal with long range periodicity also of the Sb atoms, the Bi and Sb atoms would move separately as rigid bodies for all phonon modes propagating in the ΓT -direction. We assume this kind of motion also for a random substitutional alloy in case of small values $c \lesssim 0.2$ of Sb concentrations.

The model is described in fig. 1. Conveniently, $m_{\text{Sb}} = m$ (Sb-atom) is used. Then $m_{\text{Bi}} = m$ (Bi-atoms) $\cdot (1-c)/c$. Neglecting a possible change of the interplanar force constants K_n of Bi, the force constants between Bi-planes of the alloy are obtained as $F_n = K_n (1-c)/c$. To describe the interplanes Bi-Sb force constants f_n , a parameter Z is introduced according to $f_n = Z \cdot K_n$. This reduction factor, which we will assume

to be the same for both longitudinal and transverse polarization ($Z^T = Z^L$), is expected to be < 1 due to the smaller size of the Sb atom as compared to the Bi atom. In addition intraplanar force constants f_O^T and f_O^L are introduced as disposable parameters.

As in this model the unit cell contains 4 particles, 4 dispersion curves are obtained for each polarisation. A part from TA (LA) and TO(LO) modes which correspond to the modes of pure Bi two additional modes appear with energies higher than the optical mode /3/ corresponding to localized modes of very low concentrations c).

The model was used to describe the experimental results of Hofmann /2/ for concentrations $c = 0.07$ and $c = 0.18$. From a fit to the measured dispersion curves the following parameters were determined:

$$Z^T = Z^L = 0.7, f_O^T = 37 \cdot 10^3 \text{ dyn/cm}, f_O^L = 24 \cdot 10^3 \text{ dyn/cm}.$$

A very rough estimation of f_O can be made if we use the interatomic force constants of Bi instead of the unknown Sb-Bi interparticle force constants. The model of Browman /3/ yields $f_O^T = 24 \cdot 10^3 \text{ dyn/cm}$ and $f_O^L = 10 \text{ dyn/cm}$.

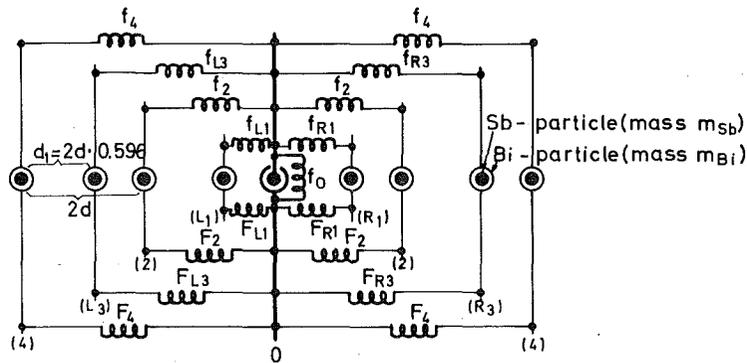


Fig. 2 Linear chain dynamical model for collective excitations of $Bi_{1-c}Sb_c$ alloys propagating in the trigonal direction. The planes perpendicular to this direction are indicated by symbols in brackets. The force constants F_n (f_n) couple the Bi-(Sb-) particle of one plane to the Bi-particles of the neighbouring planes (and via f_0 to the Bi-particle of the same plane).

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1.2 INVESTIGATIONS ON THE SCATTERING LAW OF SOLIDS AND LIQUIDS

1.2.1. The Phonon Density of States of V_3Ga and V_3Ge at Different Temperatures

P. Schweiss

In continuation of the investigations on the lattice dynamics of Vanadium-based A-15 compounds the temperature dependence of the phonon frequency distributions of V_3Ga and V_3Ge has been determined.

Fig. 1 and 2 show the results for these two compounds at 297 K and 77 K. They were extracted from inelastic neutron scattering data by the extrapolation method /1/. The spectra were measured with the multidetector time of flight spectrometer TOF 1 at the FR2 using polycrystalline samples. The range of scattering angles was from 35° to 147° , the incoming energy was 65 meV, only energy loss spectra were analysed. In both substances a softening of phonon modes with decreasing temperature is observed similarly to the effect found earlier in V_3Si /2/. In V_3Ga (composition 74.9 : 25.1, lattice parameter $a_0 = 4.816 \text{ \AA}$, superconductive transition temperature $T_C = 13.9 \text{ K}$) the squared frequency, averaged in the sense of McMillan /3/, is lowered by 12 %. In V_3Ge (sample "a" with composition 75.0 : 25.0, $a_0 = 4.781 \text{ \AA}$, $T_C = 5.9 \text{ K}$) this effect reaches 7 % only. This V_3Ge sample contained only about 70 % of the A-15 phase, the major part of the rest could be identified as hexagonal V_5Ge_3 . This is perhaps the reason why the shape of the density of states is not very similar to that of V_3Ga , although the ratios of the atomic masses are nearly identical.

Fig. 3 and 4 show the results of measurements with a V_3Ge sample with practically pure A-15 phase ("b" composition 75.4 : 24.6, $a_0 = 4.782 \text{ \AA}$, $T_C = 6.2 \text{ K}$), performed on the spectrometer TOF 3 in a limited range of scattering angles from 97 to 102 degrees. The influence of coherent effects can not be excluded in this case. The shape of this spectrum resembles

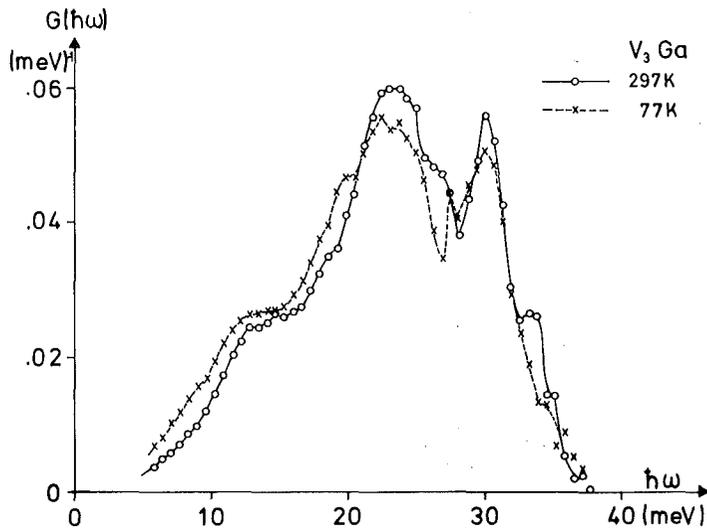


Fig. 1 Phonon density of states of V_3Ga at 297 and 77 K

more the one of V_3Ga . The temperature effect is of about the same order in both samples of V_3Ge . The sample "b" was cooled to 4 K and a further decrease of the mean squared frequency by 2 % was observed.

Searching for a cubic to tetragonal transformation of these samples no splitting or broadening of the Bragg reflections after cooling to 4 K could be detected. The resolution of the two axis neutron spectrometer used in these investigations was $\Delta d/d = 2^\circ/\infty$.

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- /1/ P.A. Egelstaff, "Inelastic Scattering of Neutrons in Solids and Liquids", IAEA, Wien (1961)
- /2/ P. Schweiss, Progress Report of the IAK I, 12 (1974)
- /3/ W.L. McMillan, Phys. Rev. 167, 331 (1968)

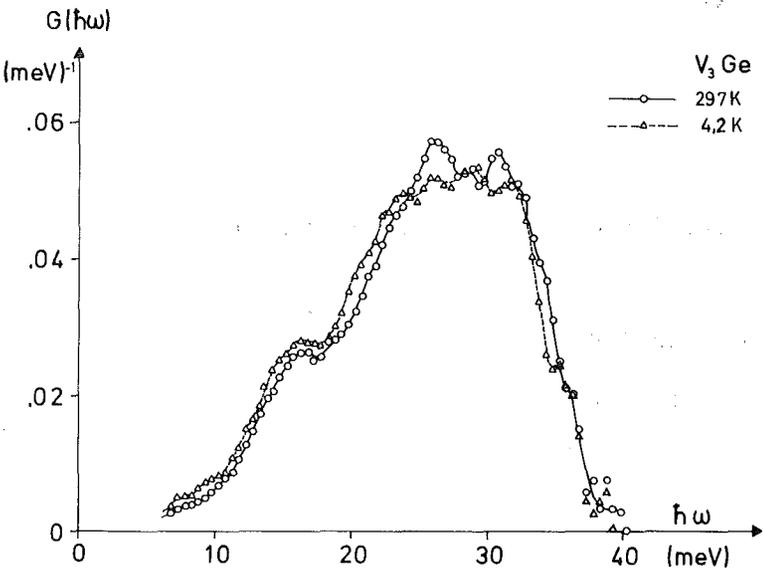
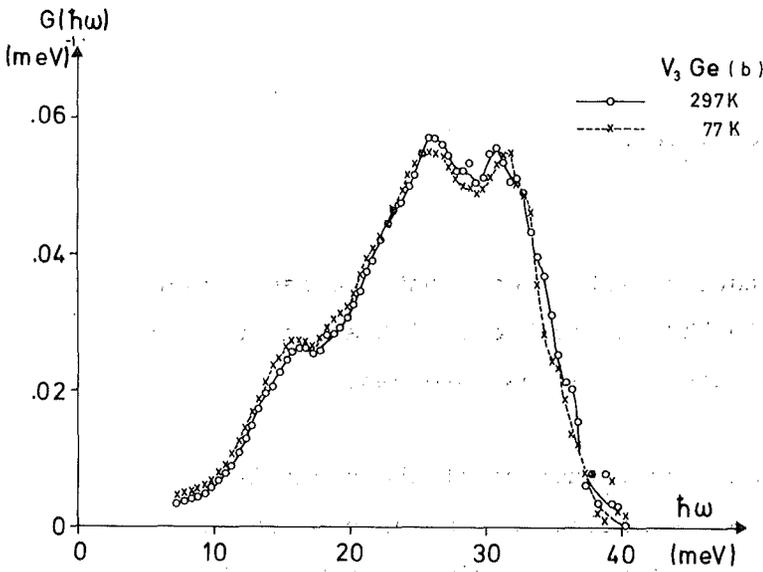
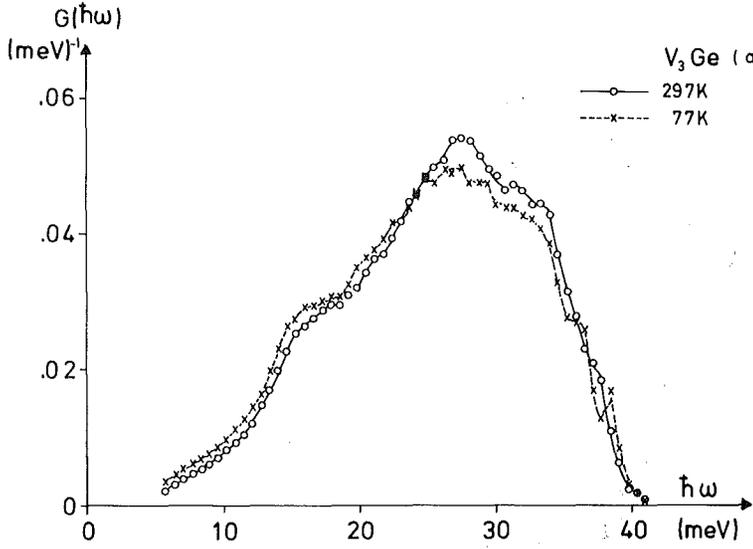


Fig. 2 - 4
Phonon density of states of
 V_3Ge (samples a and b) at different
temperatures

1.2.2. Temperature Dependence of the Phonon Density of States of Nb_3Sn

E. Schneider, N. Nücker and W. Reichardt

The scattering law measurements on polycrystalline Nb_3Sn have been continued /1/ in order to study the temperature dependence of the phonon density of states.

At the HFR in Grenoble we performed two inelastic neutron scattering experiments at room temperature and at 5.5 K. Our results are shown in Fig. 1 together with the tunneling density determined by Shen /2/.

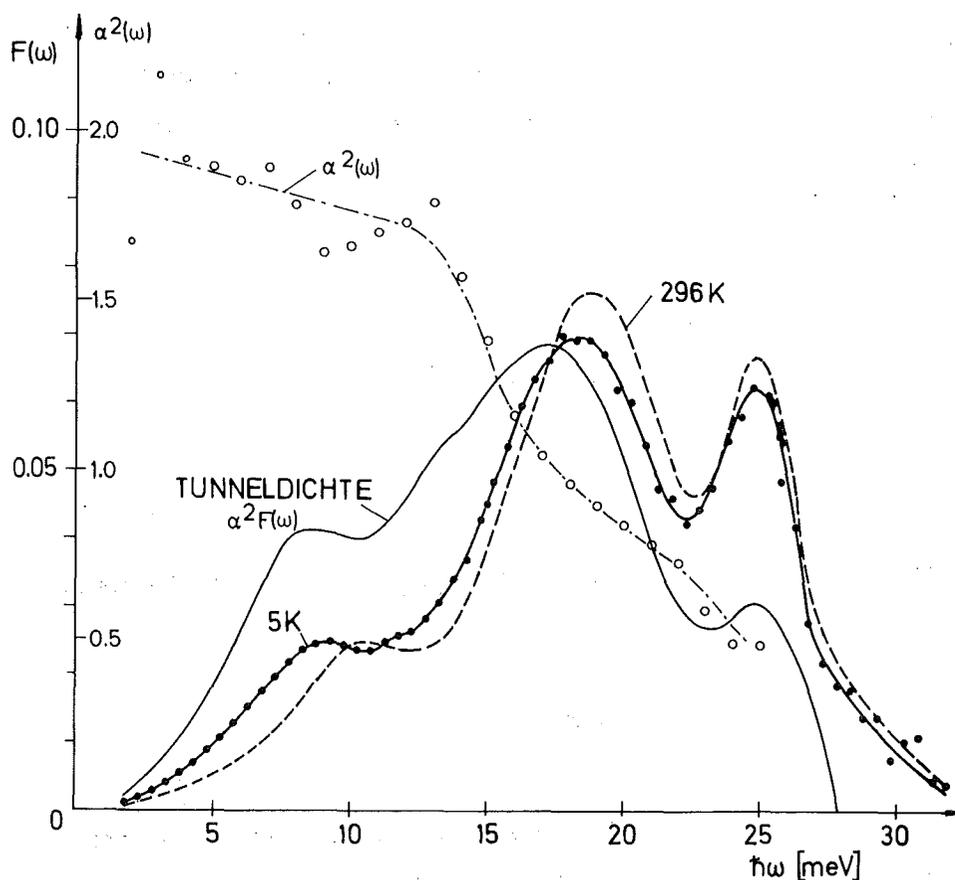


Fig. 1 Comparison of the tunneling density $\alpha^2 F(\omega)$ with the phonon spectra at 296 K and 5 K of Nb_3Sn .

In the energy range below ~ 25 meV we observe a considerable softening of the phonon frequencies on cooling. A measurement at 77 K showed that most of the softening occurred already between room temperature and 77 K. The position of the peak near 25 meV remains essentially unchanged.

The comparison of the Eliashberg function $\alpha^2 F(\omega)$ with our phonon spectrum gives some information about the electron phonon coupling constant $\alpha^2(\omega)$. Though both curves have a pronounced structure (three peaked), their ratio α^2 is a smooth function, which below 10 meV is relatively constant and decreases above 10 meV rather rapidly. This decrease may be caused by experimental difficulties in tunneling experiments with transition metals where the high frequency contributions are underestimated.

We have performed additional measurements on Nb_3Sn with different experimental conditions concerning the primary energy and the range of scattering-angles at the FR2. These results are in very good agreement with the Grenoble data apart from resolution effects which are somewhat different for the various spectrometers.

References

- /1/ Progress Report, KFK 2054, 15 (1974)
- /2/ L.S.L. Shen, Phys. Rev. Lett. 29, 1082 (1972)

1.2.3. Phonon Density of States of Nb_3Al at Room Temperature and at 4.2 K

E. Schneider and W. Reichardt

The A15-compound Nb_3Al is a favourable substance for inelastic neutron scattering experiments as the σ/M - ratios of niobium and aluminium do not differ much, so that the scattered intensity can be directly related to the phonon density of states $F(h\omega)$.

The results for $F(h\omega)$ at 4.2 K and 296 K obtained from preparatory experiments performed on TOF 3 are shown in Fig. 1a. The primary energy was 72.37 meV. As

only a small range of scattering angles (99.5° to 104.5°) was used the influence of coherent effects in the experimental distributions cannot be excluded. Nevertheless a good idea on the temperature dependence of the phonon density of states can be obtained from these results.

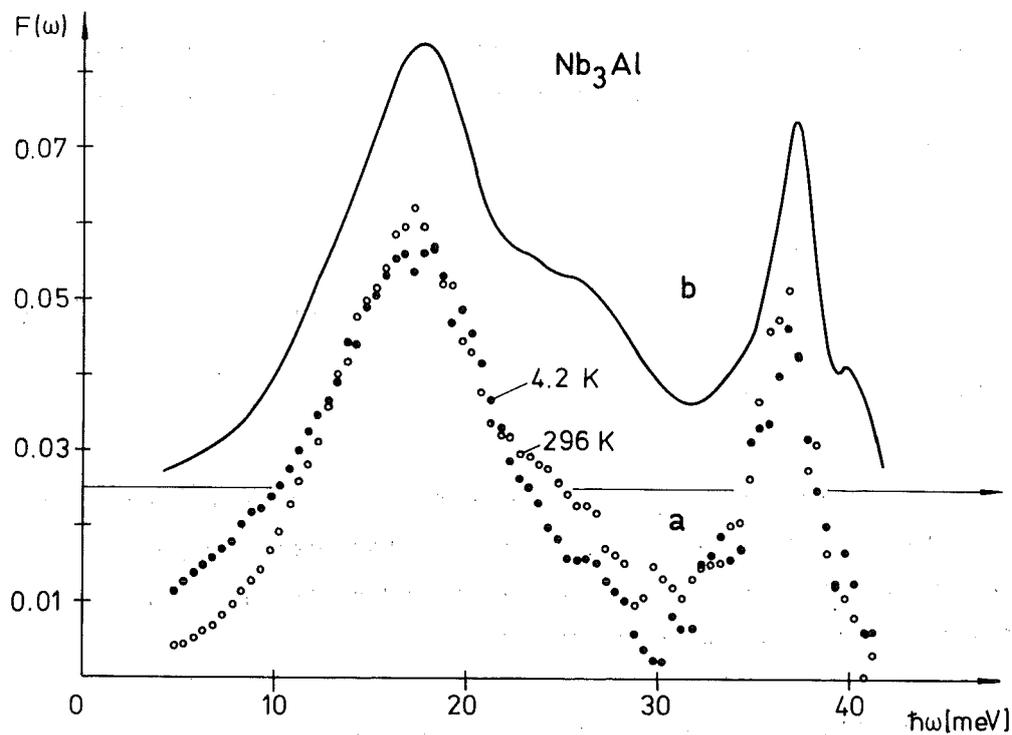


Fig. 1 a) Phonon density of states of Nb_3Al at room temperature and at 4.2 K. Results from TOF 3
b) Room temperature data from TOF 1

The ratio of the areas of the peaks at 17 meV and at 36.5 meV is 3 : 1 indicating that the first one may be ascribed to the niobium vibrations, the latter to those of the lighter aluminium atoms.

Whereas the high energy peak is hardly affected by the variation of the sample temperature drastic changes occur in the range of the Nb-vibrations being most pronounced between 22 and 32 meV and below 12 meV.

Subsequent experiments were performed on TOF 1 ($E_0 = 65$ meV) with improved resolution and statistical accuracy as well as enlarged range of scattering angles ($35^\circ \leq \theta \leq 147.4^\circ$) which guarantees a more reliable determination of the phonon density of states. The result of a room temperature measurement is shown in fig. 1b.

The corresponding curves of TOF 1 and TOF 3 are in fairly good agreement which supports the reliability of the results on the temperature dependence of $F(\hbar\omega)$ from our previous measurements. A similar experiment at 4.2 K is presently carried out on TOF 1.

A structure analysis on a high resolution neutron diffractometer showed no structural phase transition of our sample when cooled down from room temperature to 4.2 K.

1.2.4. Direct Measurement of the Phonon Density of States for NbN

F. Gompf and W. Reichardt

On TOF 1, at the FR2 $G(\hbar\omega)$ of $\text{NbN}_{0.84}$ was determined at room temperature with a primary energy of 65.0 meV. In energy loss the acoustic part of the spectrum has been measured with higher accuracy and better resolution than in the measurement done previously at TOF II /2/.

In fig. 1 we compare $G(\hbar\omega)$ for NbN (10VE) with NbC (9VE) also measured at TOF 1 (see 1.2.6). There is a strong shift to lower frequencies for NbN which most likely can be attributed to a strong increase of the anomalies known from the dispersion curves of NbC.

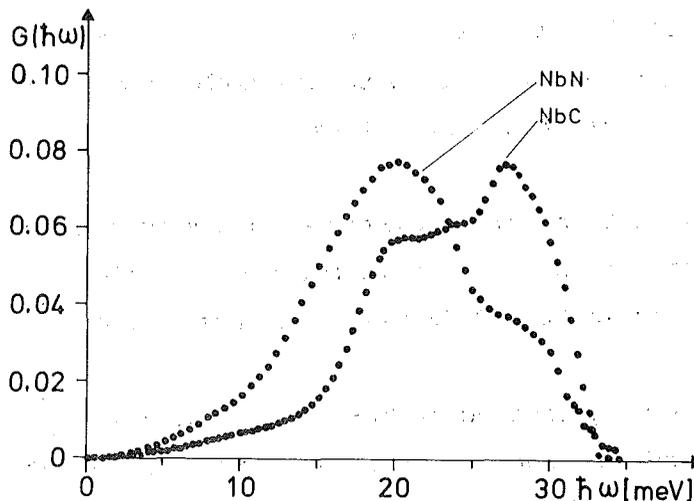


Fig. 1 Comparison of the acoustic part of the phonon density of states for NbC and NbN

Under the assumption that the lattice dynamical models for the various refractory materials differ from each other mainly by the parameters for the super-shell, Weber /1/ has determined a model for a crystal which is almost unstable at the L point and which may be applicable to MoC or NbN. Histogram a) in fig. 2 has been calculated using Weber's shell model parameters for NbC and the super-shell parameters for "NbN". If compared to NbC this model shifts the upper cut-off of the distribution towards lower frequencies in contrast to the experimental result. In order to avoid the lowering of the zone boundary frequencies in some directions we have reduced the coupling of the super-shell to the nearest neighbour while simultaneously increasing the coupling to the second neighbour in such a way that the depression of the phonon branches at the L point is retained. The acoustic phonon density of states predicted by this model is given by histogram b). Although the agreement with the experimental results is far from being satisfactory the trend seems to be correct

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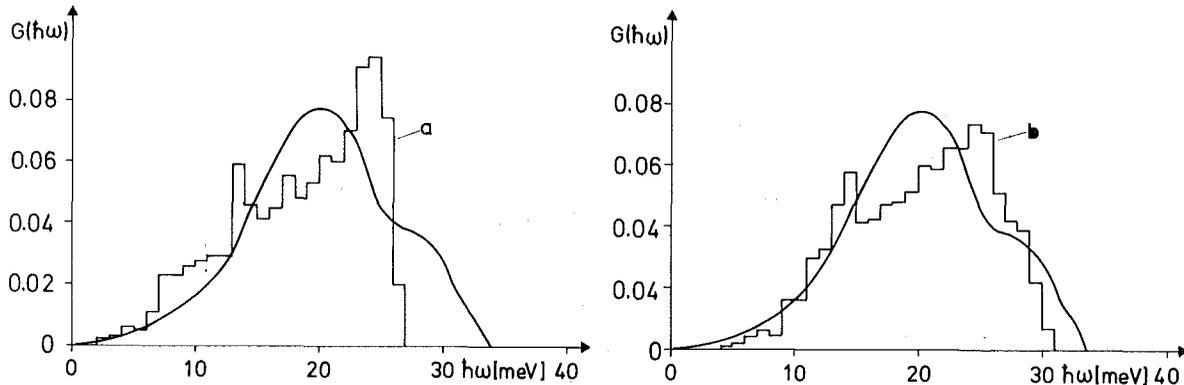


Fig. 2 Comparison of the measured phonon density of states for NbN with two DSM calculations

1.2.5. Comparison of the Phonon Density of States of TiC with that of TiN

F. Gompf

$G(h\omega)$ of $TiC_{0.98}$ and $TiN_{0.92}$ were derived from scattering experiments at the cold source of the FR2 with a primary energy of 5 meV. In this case it is not important to have a large number of Brillouin zones within the sampling volume

since Ti is a predominantly incoherent neutron scatterer. This is underlined by Rieder et al. /1/ who measured TiN at the HFR Grenoble with a primary energy of 12.7 meV and found their $G(\hbar\omega)$ to be in good agreement with our results.

Fig. 1 shows a comparison of the acoustic part of the TiC - TiN spectra. The strong shift of the high temperature superconductor TiN towards smaller frequencies can readily be seen and can probably be attributed to strong anomalies in the dispersion relations similar to those found in NbC. The optical part of the TiC spectrum is about 20 % wider than that of TiN, it is shifted up by 6 meV and centers around 76.5 meV. In fig. 1 the non superconductor TiC is also compared with dispersion curves measured by Pintschovius et al. (see p. 6).

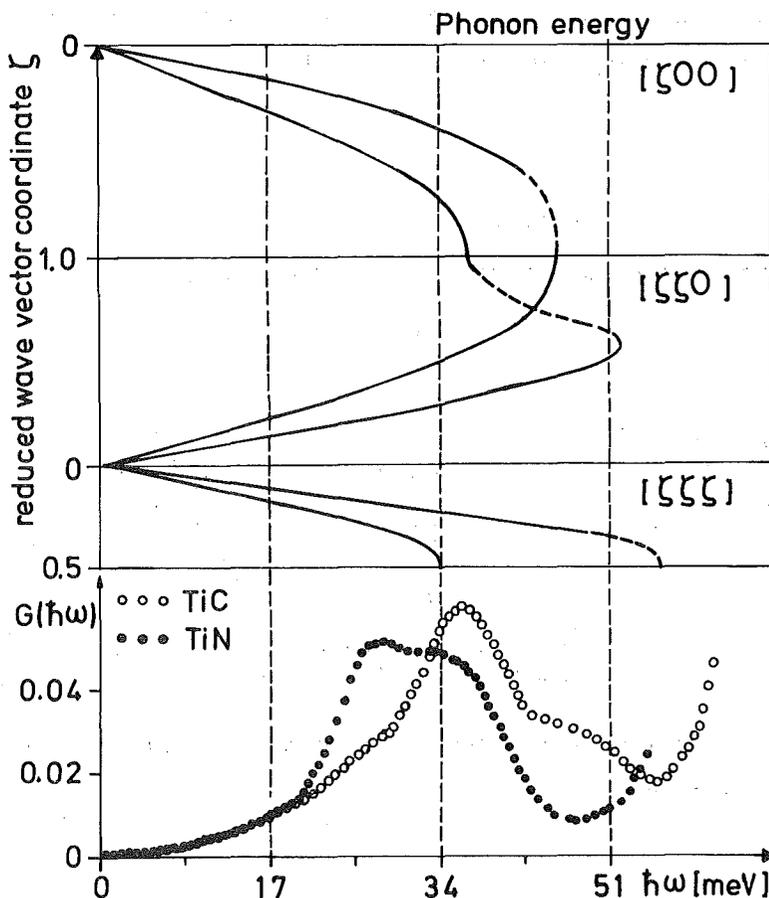


Fig. 1 Comparison of the acoustic part of the phonon spectra of TiC and TiN. The upper part shows the phonon dispersion of TiC.

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1.2.6. Comparison of the Phonon Density of States for NbC with the Eliashberg Function and Model Calculations

J. Geerk, F. Gompf, W. Reichardt and E. Schneider

In continuation of our investigations on NbC_{0.97} $G(\hbar\omega)$ has been determined using TOF 1 with a primary energy of 65 meV. In down scattering the acoustic part of the spectrum has been measured with better accuracy and higher resolution. The experiment was carried out at room temperature and at 4.2 K.

Since there are two different atoms in the unit cell of NbC only a generalized $G(\hbar\omega)$ can be derived from the scattering data. In order to convert $G(\hbar\omega)$ to the true phonon density of states $F(\hbar\omega)$ we calculated a correction factor $G(\hbar\omega)/F(\hbar\omega)$ using Weber's double shell model /1/. This correction factor is not very sensitive to details of the model and therefore is expected to be quite accurate. As can be seen from fig. 1b the corrections are rather small above 17 meV where the phonon density of states is mainly determined by the vibration of the Nb-atoms. Below this limit the increase of $G(\hbar\omega)/F(\hbar\omega)$ indicates that we have to correct for the C-contributions.

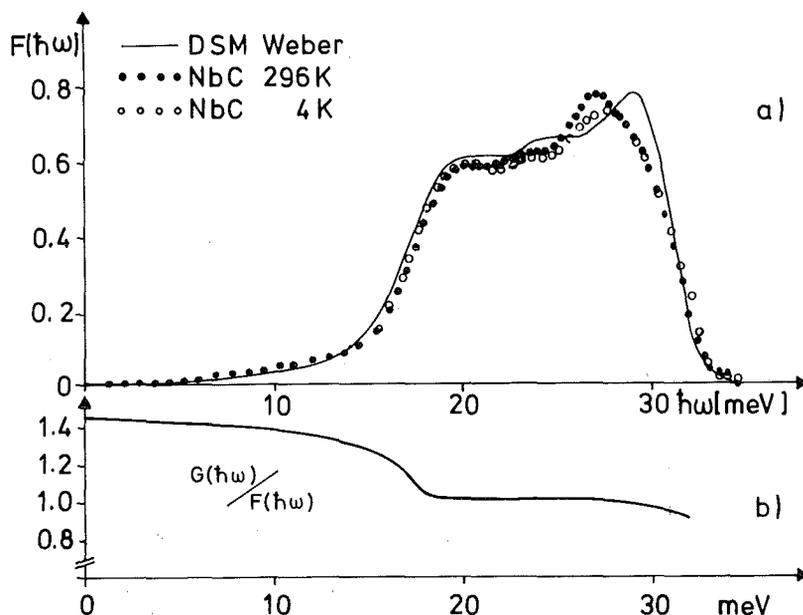


Fig. 1a Phonon density of states of NbC

Fig. 1b Correction factor $G(\hbar\omega)/F(\hbar\omega)$ to the generalized frequency distribution

As can be seen from fig. 1a there is a slight overall hardening of the phonon spectrum at 4.2 K compared to the room temperature results. If there is any softening at all of the phonon branches in the region of the anomalies this effect is too small to show up in the density of states. Fig. 1a also compares $F(\hbar\omega)$ with Weber's model calculation. The overall agreement seems satisfying. The main discrepancies occur in the high energy region of the distribution where the model predicts a rather pronounced peak at about 30 meV. In the experimental data the intensity of this peak (indicated by a shoulder in the distribution due to insufficient experimental resolution) is reduced considerably whereas an additional peak shows up at 27 meV. As the model describes the experimental dispersion curves in the main symmetry directions very well these discrepancies must be due to off-symmetry phonons.

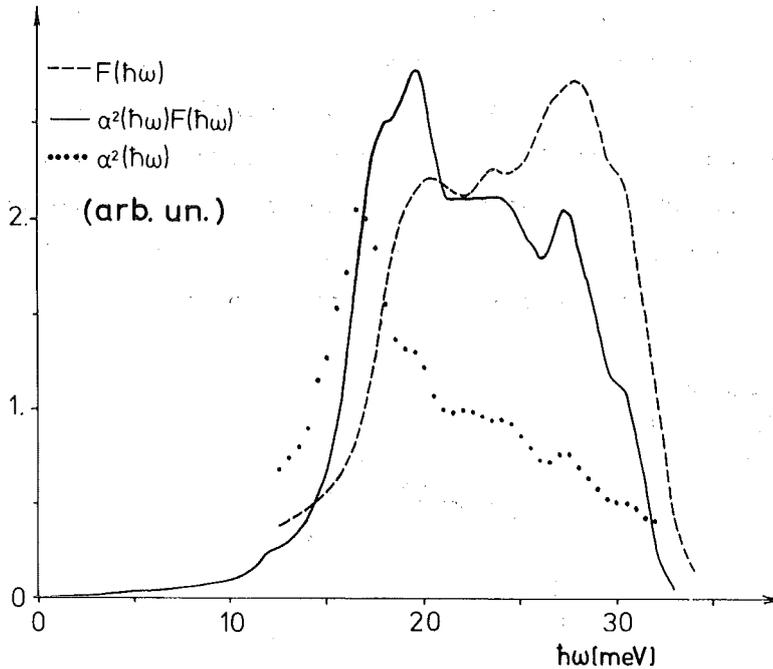


Fig. 2 Comparison of the phonon density of states $F(\hbar\omega)$ with the Eliashberg function $\alpha^2(\hbar\omega)F(\hbar\omega)$

In order to get some information on the electron-phonon coupling function $\alpha^2(\hbar\omega)$ the tunneling density of states $\alpha^2(\hbar\omega)F(\hbar\omega)$ is compared with $F(\hbar\omega)$ in fig. 2. Good agreement is found for the cut off energies near 32 meV and the position of the peaks at 27 meV. Also the shoulder at 30 meV and the flat maximum at about 23 meV appears in both curves. However the steep rise of both spectra near 17 meV differs by more than 1 meV. The ratio of $\alpha^2(\hbar\omega)/F(\hbar\omega)$ and $F(\hbar\omega)$ representing the electron-phonon coupling function $\alpha^2(\hbar\omega)$ is also shown in fig. 2. Near 17 meV there is

a peak with a width of 3 meV, whereas outside of this region $\alpha^2(\hbar\omega)$ is a rather smooth function. The decrease in $\alpha^2(\hbar\omega)$ towards larger energies may be caused by experimental problems in the tunneling measurements. The unusual behaviour of $\alpha^2(\hbar\omega)$ around 17 meV might be explained by a stronger electron-phonon coupling in the region of the pronounced anomaly in the $|\zeta\zeta\zeta|$ transverse branch at the L-point. However it is not understood why other anomalies don't display effects of the same kind.

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1.2.7. The Phonon Density of States of Zr

F. Gompf and W. Reichardt

Zr crystallizes in the hexagonal closed packed structure. The dispersion relations of Zr have been measured by Bezdek et al. /1/ in two high symmetry directions Σ and Δ . They analyzed their data on the basis of a modified axially symmetric sixth nearest neighbour BvK model with 13 parameters. With this model they evaluated the phonon density of states $G(\hbar\omega)$.

We have directly determined $G(\hbar\omega)$ for Zr with a measurement on TOF 2 at the FR2. As the primary energy in this experiment was 5 meV the conditions for a reliable determination of the phonon density of states of a coherent scatterer were not fulfilled very well. However the systematic errors inherent in the method may be easily corrected for with sufficient accuracy if a reasonably good lattice dynamical model exists.

Fig. 1a gives a comparison of the phonon density of states determined from our experiment with that calculated from the MAS-model folded with the resolution of our spectrometer. As the authors do not give the value of the thirteenth model parameter we had to read the distribution from fig. 2 of their publication. The discrepancies between the two distributions are far outside the systematic errors of our experiment.

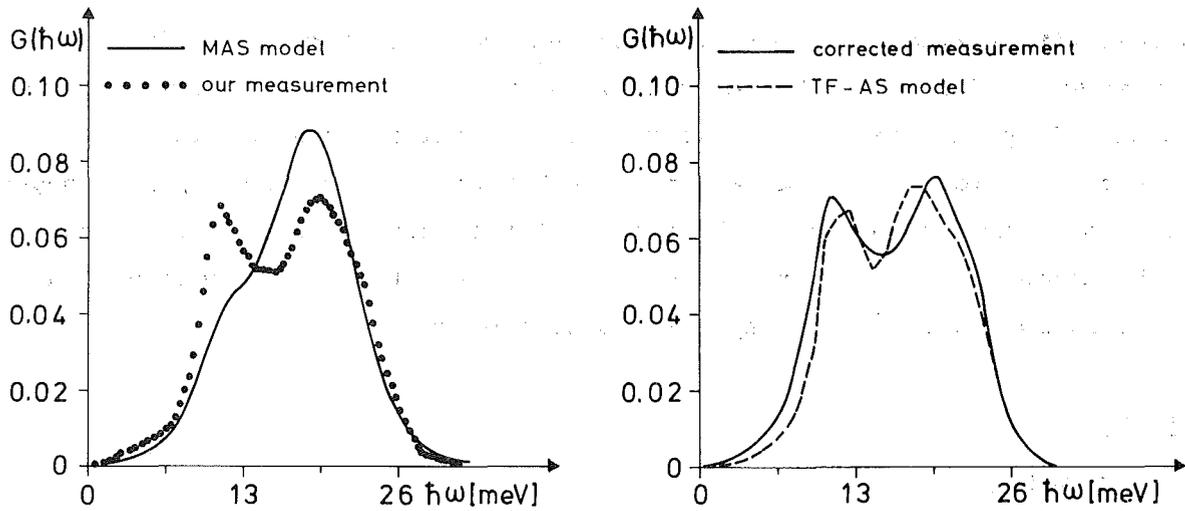


Fig. 1a,b Comparison of experimentally determined phonon density of states with model calculations

Although Bezdek's model may be sufficient for the determination of a quite accurate correction we tried to improve the model for Zr by making use of our experimental results. Fig. 1b shows $G(\hbar\omega)$ obtained from a mixed TF-AS model with thirteen parameters fitted to Bezdek's phonon data while in addition the lowest branch at the H point was pinned down to 11 meV, which is the position of the lower peak in the measured distribution. Although our model contains the same number of parameters as the MAS-model it gives a somewhat better fit to the experimental phonon data in the Σ and Δ direction while the agreement with the experimental phonon density of states is considerable improved. The corrected experimental phonon density of states obtained by using this model is also shown in Fig. 1b. The Θ_D versus T curves derived from the Bezdek's $G(\hbar\omega)$ as well as the one derived from our results are shown in fig. 2 and compared with data calculated from Burk's /2/ specific heat measurements.

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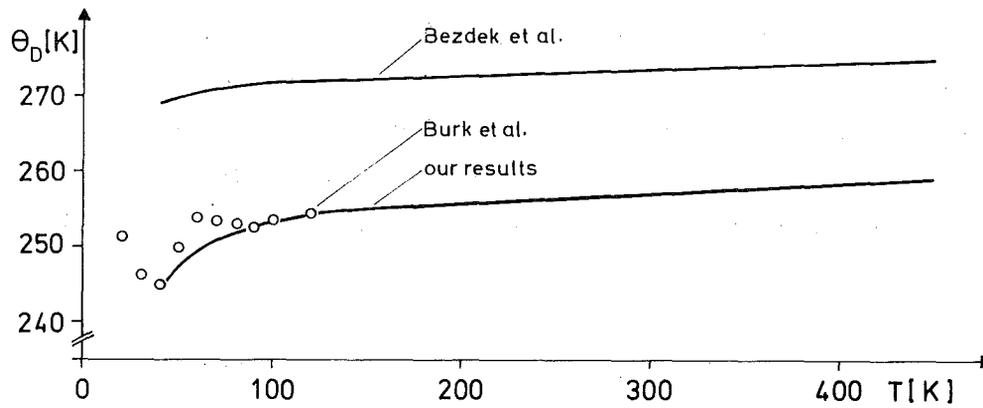


Fig. 2 The Debye temperature Θ_D as a function of the temperature T

1.2.8. Comparison of the Phonon Density of States of Bi with that of the Alloy $\text{Bi}_{0.88}\text{Sb}_{0.12}$.

F. Gompf, B. Hofmann and E. Schneider

The phonon densities of states of $\text{Bi}_{0.88}\text{Sb}_{0.12}$ (sample IV, Tab. 1) and of pure Bi were measured on TOF 2 at the cold neutron source of the FR2 (fig. 1). The primary energy was 5 meV.

The alloy powder sample was prepared out of a 80 % single-crystalline rod, grown by horizontal zone levelling technique. It was annealed for ten days at 260°C , in order to reduce mechanical stresses. The Sb content was determined by lattice constant measurements and chemical analysis giving a value of 12 %.

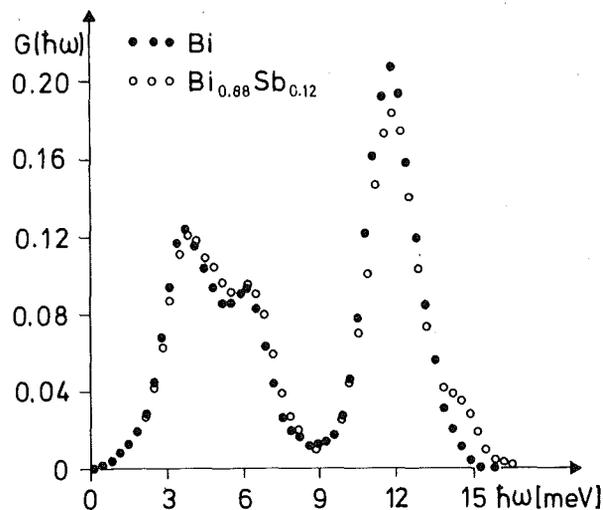


Fig. 1 Comparison of the phonon density of states of Bi and $\text{Bi}_{0.88}\text{Sb}_{0.12}$

Comparing the phonon spectra of Bi and $\text{Bi}_{0.88}\text{Sb}_{0.12}$, we find that the acoustic peaks as well as the optic peaks coincide within the experimental error. The important difference between both curves is a well defined shoulder, which the alloy displays between 14 and 16 meV. Obviously it is caused by the same mechanism, that causes the line-broadening in the single phonon measurements, where the scattered neutron groups extend to that regions.

Calculations of the localized mode frequency of Sb in an unperturbed Bi lattice /1/ using the Bi density of states give a value of 14.4 meV.

Fig. 2 shows the difference between the two distributions in this region. It is compared with the resolution function of the spectrometer at 14.6 meV. Shape and position of both curves are strong hints that this hump is caused by a separate mode. The ratio of its area, corrected with σ/M for Sb, to that of the rest of the optical peak yields 0.1, in good agreement with the chemical composition. This result is expected for a localized vibration of Sb in a Bi matrix.

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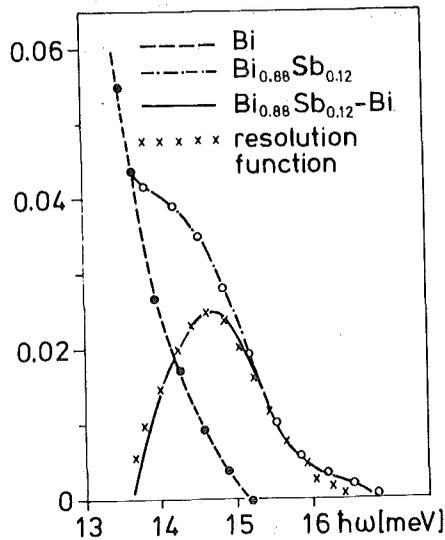


Fig. 2 Comparison of the high energy part of the phonon density of states of Bi and $\text{Bi}_{.88}\text{Sb}_{.12}$

1.2.9. The Phonon Density of States of Cubic Lanthanum

N. Nücker

The superconducting T_C of Lanthanum rises under pressure from $T_C = 6$ K (fcc phase) to $T_C = 13$ K at 200 Kbar /1/. Superconducting tunneling /2/ shows that this is accompanied with phonon softening.

We want to investigate the density of states of both fcc and dhcp Lanthanum at different temperatures and pressures. Above 583 K Lanthanum has fcc structure, which is metastable at lower temperatures. At room temperature Lanthanum normally consists of a mixture of both fcc and dhcp structure. We prepared pure dhcp Lanthanum by hammering it into small chips. An examination with a two axis neutron powder diffractometer revealed the absence of the fcc 2 0 0 - reflex, which does not coincide with any of the dhcp reflexes. Unfortunately later on we subjected this material to a three weeks heat treatment at 545 K, which is below the transition temperature. Probably due to impurities in the Lanthanum we got a mixture of fcc and dhcp phases. In our attempts to prepare the fcc phase at room temperature we reached concentrations of about 80 %.

We have performed a first measurement on pure fcc Lanthanum at 583 K with the rotating crystal time-of-flight spectrometer at the cold source of the FR2. From the scattering data the phonon density of states was derived (fig. 1). In order to get an idea about the quality of our sampling experiment we did a model calculation which is required for simulating the experiment on the computer. With the assumption of central forces for the nearest neighbour shell only we got a fairly good description of our measured data. The dashed curve includes the calculated correction of our distribution due to the incomplete averaging. There is a remarkable similarity of this result to the Eliashberg-function determined by Wühl et al. /2/ (dotted curve) although these data have been obtained for the dhcp-phase. Our data don't show a similar detailed structure, which is partly caused by an insufficient experimental resolution. However, because of the rather high sample temperature ($T/\Theta_D \approx 4$) a considerable smearing due to anharmonic effects has to be expected.

In our next experiments we will improve the resolution using a Fermi chopper instead of a rotating crystal.

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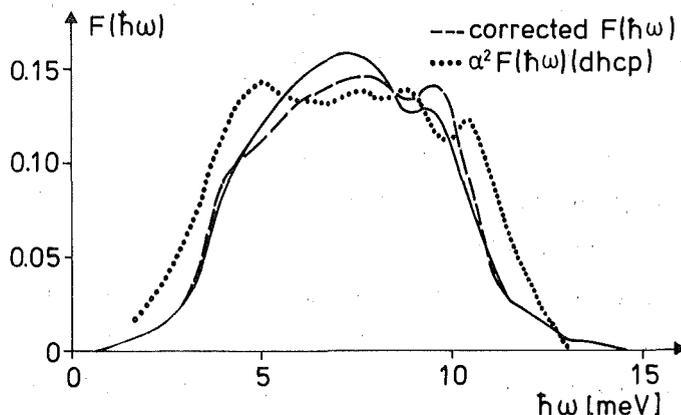


Fig. 1 Phonon density of states of fcc Lanthanum compared to a model spectrum and to the Eliashberg-function of dhcp-Lanthanum

1.2.10. Phonon Density of States of the Two Phases of NiS

F. Gompf, G. Czjzek and J. Fink

G.I. Parisot, ILL Grenoble, France

J.M.D. Coey and R. Brusetti, CNRS Grenoble, France

The compound NiS with NiAs structure undergoes a first-order metal-to-semimetal transition at a temperature T_t which depends strongly on the composition, varying from $T_t = 265$ K for stoichiometric NiS to $T_t \sim 80$ K for $\text{Ni}_{0.97}\text{S}$. For compositions Ni_yS with $y \leq 0.965$ the material remains metallic at all temperatures.

Measurements of the specific heat /1/ and a study by ^{61}Ni -Mössbauer spectroscopy /2/ have indicated strong changes of the phonon frequency spectrum associated with this phase transition. Measurements of the phonon dispersion curves for some acoustic branches at room temperature and at 4 K /3/ have led to similar conclusions.

We have measured the phonon density of states using the spectrometer TOF 1 with a primary neutron energy of 65 meV. The powder sample was nearly stoichiometric NiS ($T_c \sim 260$ K). The phonon spectra $G(\hbar\omega)$ obtained from measurements at 245 K (semimetallic phase) and at 269 K (metallic phase) are shown in fig. 1a. The most pronounced differences between the phonon spectra of the two phases are obviously in the low-frequency part of the spectrum. The frequencies of the acoustic modes in particular are significantly lower in the metallic phase than in the semimetallic one. In addition the sharp drop near 25 meV of the spectrum taken at 245 K is considerably broadened at 269 K in the metallic phase. This result could indicate a stronger dispersion of the optical modes in the metallic phase than in the semimetallic one.

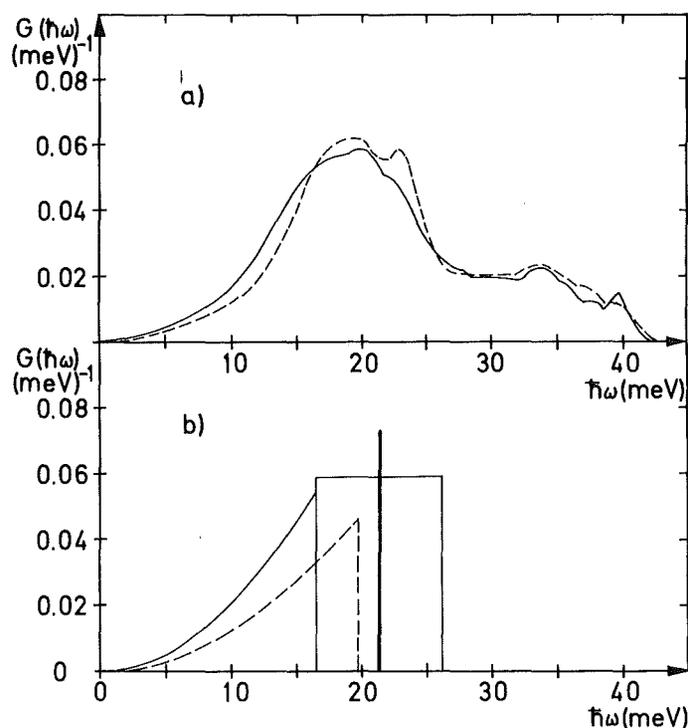


Fig. 1a/b Phonon density of states of NiS. (a) determined by inelastic neutron scattering: — at 269 K (metallic phase), --- at 245 K (semimetallic phase). (b) derived from the results of ^{61}Ni -Mössbauer spectroscopy, analysed in terms of a Debye-plus-Einstein spectrum: — Debye spectrum of the metallic phase, --- Debye spectrum of the semimetallic phase. For both phases the same Einstein-frequency, representing an average of optical-mode vibrations of nickel ions, $\hbar\omega_E = 22.5$ meV was obtained.

Mössbauer spectroscopy with ^{61}Ni yields information on the partial density of states $F_{\text{Ni}}(\hbar\omega)$ of nickel ions via the recoilless fraction $f(T)$ and the

second-order Doppler shift $\delta_{\text{SOD}}(T)$. The experimental data were analysed in terms of a Debye-spectrum for the acoustic modes and an Einstein term representing an average for the optical modes /2/. The results of this analysis, displayed in fig. 1b, agree quite well with those of the present work.

A comparison with results of specific heat measurements meets the difficulty that the spectrum determined by inelastic neutron scattering $G(h\omega) = N \left| \left(\frac{\sigma}{m} \right)_{\text{Ni}} F_{\text{Ni}}(h\omega) + \left(\frac{\sigma}{m} \right)_{\text{S}} F_{\text{S}}(h\omega) \right|$ is dominated by the contribution of nickel ions since the ratio of the weight factors $\left(\frac{\sigma}{m} \right)_{\text{Ni}} / \left(\frac{\sigma}{m} \right)_{\text{S}}$ has the value 8.2. We have tried to estimate the phonon contribution to the specific heat by a crude approximation, setting $r(h\omega) = F_{\text{Ni}}(h\omega) / F_{\text{S}}(h\omega) = m_{\text{Ni}} / m_{\text{S}} = 1.83$ for the acoustic modes /4/ up to $h\omega_{\text{D}} \approx 17$ meV for the metallic phase, $h\omega_{\text{D}} \approx 19$ meV for the semimetallic phase. In the region of optical modes, above this limit, we have assumed a decrease of $r(h\omega)$ which varies linearly with frequency up to the maximum frequency $h\omega_{\text{max}} = 42$ meV. To the phonon contribution to c_{v} calculated in this way we have added the correction $c_{\text{p}} - c_{\text{v}} = a \cdot T$ with $a = 5$ mJ/mole $(\text{K})^2$ as estimated by Coey and Brussetti, and for the metallic phase the electronic term $\gamma \cdot T$ with $\gamma = 6.2$ mJ/mole $(\text{K})^2$ /1/. The result is shown in fig. 2 together with the specific heat curves measured for NiS and $\text{Ni}_{0.95}\text{S}$ /1/. In view of the uncertainty in the estimate of $r(h\omega)$ at all frequencies, the agreement is quite reasonable.

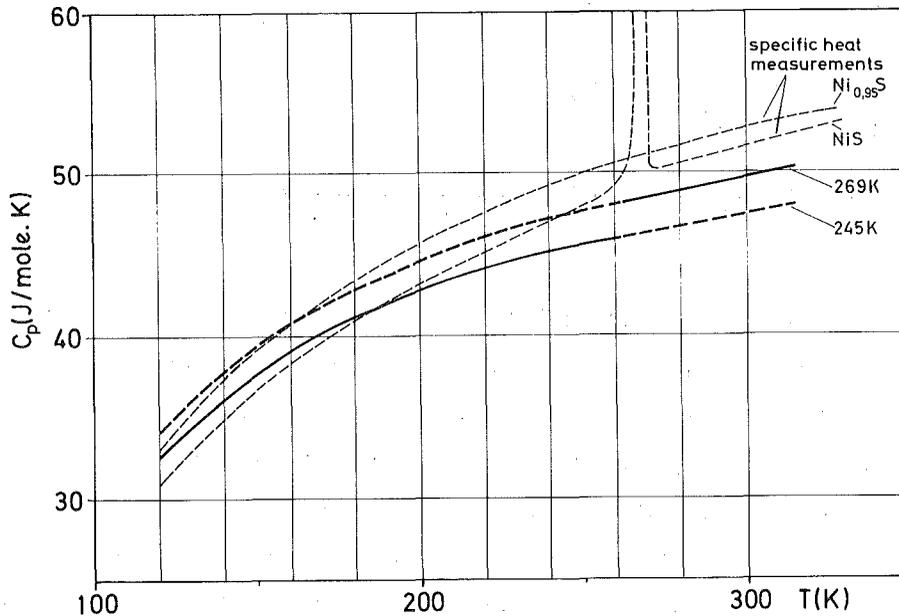


Fig. 2 Specific heat $C_p(T)$ of NiS. Thin broken lines: Measured values of $C_p(T)$ of NiS ($T_t \sim 265$ K) and of $\text{Ni}_{0.95}\text{S}$ (metallic at all temperatures). Heavy lines: Deduced from the phonon spectra of NiS ($T_t \sim 260$ K) measured at 245 K and 269 K, respectively.

The lattice contribution to the difference $\Delta c_v = c_v^{\text{met.}} - c_v^{\text{semimet.}}$ between the two phases at T_t can be derived from our data with much higher degree of confidence as $r(\hbar\omega)$ can be expected to be essentially unaffected by the transition. The result is $\Delta c_v^{\text{phon.}}(260 \text{ K}) = (0.3 \pm 0.1) \text{ J/mole}\cdot\text{K}$.

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1.2.11. Phonon Density of States in Rubidium at 123 K and 294 K

J.-B. Suck

Phonon densities of states were determined from our measurements of the scattering law of polycrystalline Rubidium with TOF 2 at the cold source of the FR2 in Karlsruhe. The two temperatures chosen are about twice the Debye-temperature (62 K) and 18 degrees below the melting point. The former coincides with one of the temperatures of Copley's phonon measurements /1/. Besides the comparison of the 123 K-result with a model distribution, calculated with the force constants determined by Copley from his measurements, our interest was the agreement between results from different multiphonon corrections, the influence of the multiple scattering corrections on the frequency distributions and the applicability of our multiphonon corrections under extreme conditions as for Rubidium near its melting point (312 K) because of the large multiphonon contributions and anharmonicities.

The frequency distributions were determined from the detector sampling method following the way described in this report /2/ and the extrapolation method /3/ combined with a recalculation of $S(\alpha, \beta)/\alpha$ with LEAP. Both methods are based on an iterative correction for multiphonon contributions.

While these contributions in the 123 K measurement are largely removed except at energies above 6.2 meV, part of them remained in the 294 K-spectrum. Bearing in mind that only about 1/7 of the measured sum-spectrum was due to one phonon contribution this is not surprising. Besides this, anharmonic effects contribute to this distribution, which are not taken into account in our correction.

The results of both measurements are compared with the model-spectra in fig. 1 (123 K) and fig. 2 (294 K). For the latter model the force constants of Copley's 205 K-measurement were used, the first three of them extrapolated to room temperature. As the measured data were not corrected for resolution effects, the models were folded with the resolution function of the spectrometer (see fig. 2 (294 K) and fig. 3 (123 K)).

The peak positions of both measured data sets and the rise of the 123 K-spectrum agree quite well with those of the folded distributions. The peaks of the distribution at 294 K are shifted to lower energies compared to the 123 K-spectrum. This shift is predicted by the model calculation, but the shape of the calculated distribution is not in agreement with the experimental result, even if the uncompleteness of the correction is taken into account.

The computer simulations of the experiments /5/ show that the deviation between the calculated phonon density of states and the measured distribution is largest at low frequencies. Especially between 1.5 and 3 meV the distribution is underestimated up to 10% (broken line in fig. 3). The calculated corrections are given for the data after multiple scattering corrections (points) in fig. 1 and 2 (broken line). This incomplete sampling is caused by the low primary energy ($E_0 = 5.1$ meV), because then only few Brillouin zones are covered by the momentum transfers corresponding to the small energy transfers. The data without multiple scattering, corrections (circles) do not show this effect so much, because elastic - inelastic scattering processes are not removed, which assist the sampling in the polycrystal. Further influences of the multiple scattering correction are seen in fig. 2, where the multiphonon contributions are reduced after this correction.

The extrapolation method did not converge for the 294 K-data, probably due to the anharmonic contributions to the scattering law. The results of the extrapolation of the 123 K-measurements are shown in fig. 3. They differ

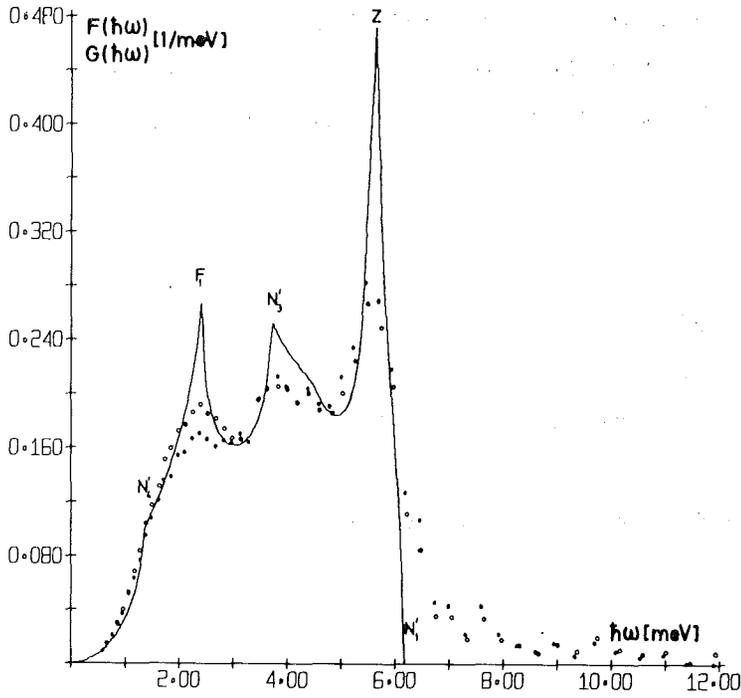


Fig. 1 Phonon density of states of Rb at 123 K

Circles: Experimental data
 Points: Data after multiple scattering corrections
 Line: Model-spectrum

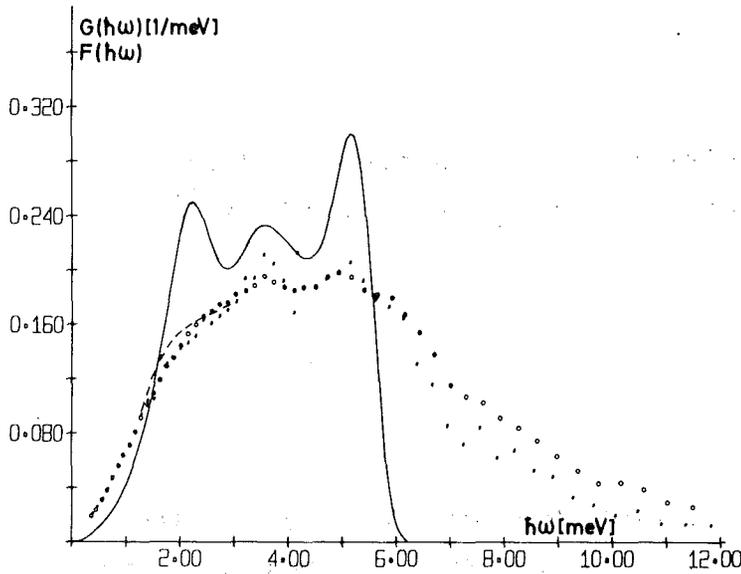


Fig. 2 Phonon density of states of Rb at 294 K

Circles: Experimental data
 Points: Data after multiple scattering corrections
 Full line: Model-spectrum folded with the resolution function
 Broken line: Data after corrections for multiple scattering and incomplete sampling

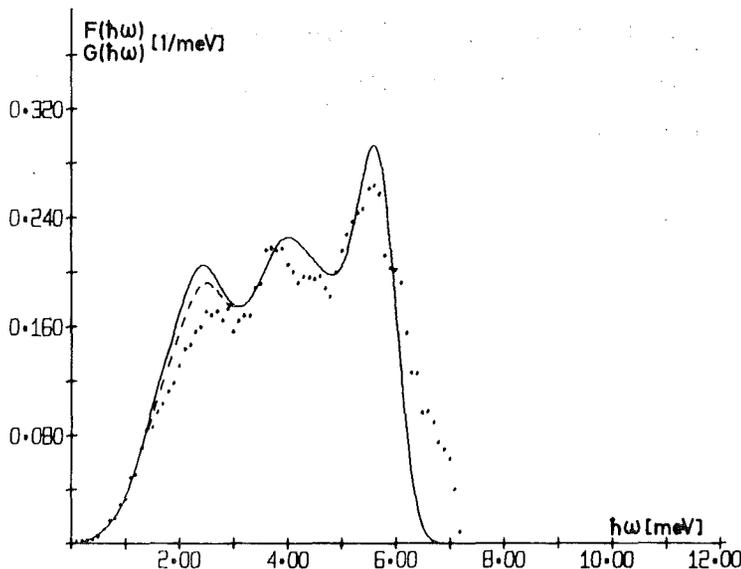


Fig. 3 Phonon density of states of Rb at 123 K

Points: Data after multiple scattering corrections
 Full line: Model-spectrum folded with the resolution function
 Broken line: Model-spectrum calculated by a computer simulation of the experiment

from the results obtained with the detector sampling method near the peak F_1 , where the extrapolation is doubtful because of the strong coherent effects at low frequencies. However for larger energies the results of both methods agree quite well.

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1.2.12. The Velocity Autocorrelation Function and the Effect of the Long-Range Interaction in Liquid Rubidium ⁺)

W. Schommers

Abstract

For liquid rubidium at 319°K molecular dynamics calculations using a realistic pair potential and a model system of 432 atoms have been performed. The cut-off radius for the potential was taken alternatively at 4.5 and 9.8 Å. The corresponding velocity autocorrelation functions and fourth moments of the scattering law were determined. The differences in the results for the two cut-off radii are attributed to long-range effects.

⁺) Solid State Communications 16, 45 (1975)

1.2.13. Triplet Correlations in Disordered Systems:
A Study for Liquid Rubidium⁺⁾

R. Block and W. Schommers

Abstract

The triplet correlation function $g_3(r,s,t)$ for liquid rubidium is determined by molecular dynamics (M.D.). Calculations are based on a realistic pair-potential for a density $n = 0.0107 \text{ \AA}^{-3}$ and a temperature $T = 319 \text{ K}$. The results are compared with various models.

⁺⁾ J. Phys. C, 8, 1997-2002 (1975)

1.2.14, Frequency Spectrum and Scattering Law for Liquid
Copper: A Molecular Dynamics Investigation

W. Schommers

Molecular dynamics is an important method of examining the dynamic properties of systems with strong anharmonic behaviour (eg. liquids), since anharmonicity is treated without approximations. For liquid copper molecular dynamics calculations were performed for the following model system: $N = 500$ atoms were arranged in a cubical box with the density $n = 0.0758 \text{ \AA}^{-3}$. To avoid surface effects, periodical boundary conditions were imposed on the system. The interaction between the copper atoms is described by a pair potential /1/, which was determined from the pair correlation function without parameters using a selfconsistent method /2/. In contrast to the simple-metal pseudo-potential theory this method is applicable without modifications to metals with d-state resonances (eg. copper). For this system the classical Hamilton equations were solved by iteration to determine coordinates, velocities, and accelerations of all 500 atoms as a function of time. Starting from these data, the scattering law $S(k,\omega)$ and the frequency spectrum $f(\omega)$ were calculated for the liquid state at $T = 1375 \text{ K}$.

The scattering law $S(k, \omega)$ was determined for several wave vectors k . Fig. 1 shows as a typical example the values for $k = 4 \text{ \AA}^{-1}$ compared with the respective data obtained for liquid copper in neutron scattering experiments /3/. Taking into account that no parameters were fitted, the agreement between the experimental data and the calculated values is quite good.

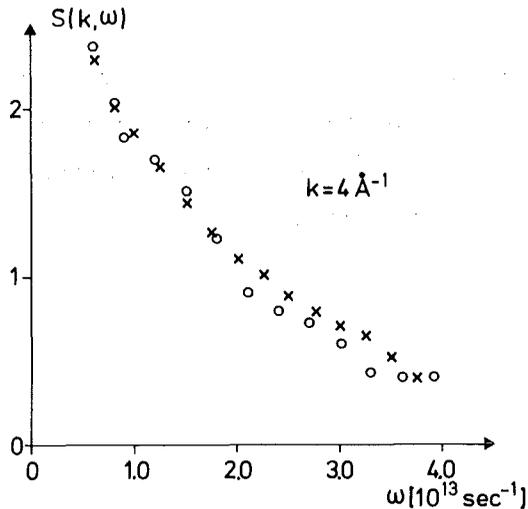


Fig. 1 Scattering law for liquid copper
 o o o molecular dynamics results
 x x x experimental data /3/

The Fourier transform of the velocity autocorrelation function yields a frequency spectrum $f(\omega)$, which in the case of the harmonic solid is the frequency spectrum of the normal modes. $f(\omega)$ is therefore a valuable function in studying the change of the dynamic properties from the solid to the liquid state. Fig. 2 shows the molecular dynamics results for $f(\omega)$ for liquid copper at $T = 1375 \text{ K}$. For comparison in fig. 2 the experimental data /3/, /4/ are given for solid copper at $T = 296 \text{ K}$. From $f(\omega=0)$ we obtain for the diffusion constant a value of $D = 4.38 \cdot 10^{-5} \text{ cm}^2/\text{sec}$, which agrees quite well with the experimental value of $D = 4.25 \cdot 10^{-5} \text{ cm}^2/\text{sec}$ /5/.

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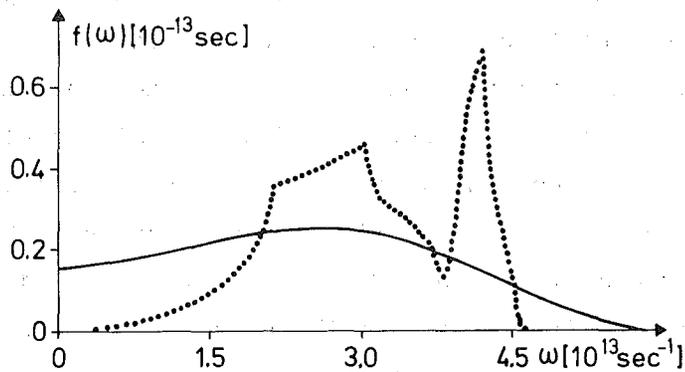


Fig. 2 Frequency spectra for liquid and solid copper

—— liquid copper at $T=1375$ K near the melting point ($T_m=1356$ K)
..... solid copper at $T=296$ K

1.2.15. An Approach by Classical Statistics to the Dynamics of Atomic Motion in Solids

W. Mehringer, Phys. Letters 53A, 197 (1975)

Abstract

A statistical approach is presented which may be used to deal with all kinds of problems related to vibrational atomic motion in solids within the limits of classical mechanics. Applications considered are the hard core solid in thermal equilibrium and the problem of collective excitations.

1.2.16. Theoretical Investigation of the Liquid - Solid Phase Transition. A Study for Gallium

W. Schommers

Liquid gallium is stable over an exceptionally large temperature range from a supercooled state of at least 150 K to the boiling temperature of 2510 K. The supercooled state of 150 K is far below the melting point ($T_m=300$ K) and was observed in droplets of gallium less than 100 μm in diameter by Bosio et al. /1/. The following important questions arise: At which temperature T_1 is the

supercooled state still stable and which properties does liquid gallium show in the low temperature region? Is, for instance, a superfluid phase possible? In order to answer the first question Schneider et al. /2/, /3/ recently developed a theory of the liquid state which relates the stability of the liquid to the dynamics of its collective modes. In this development the stability limit T_1 of a supercooled system is given in the classical approximation $T_{1,cl}$. Neutron scattering experiments were carried out on liquid gallium over the temperature range 272 K - 370 K /4/ and 274 K - 325 K /5/, respectively. Attempts to fit the data to the expressions of Schneider et al. give values of $T_{1,cl}$ close to absolute zero.

We would like to show here that in the low temperature region a classical treatment of the problem is too imprecise. In short, the features of the investigation are: Within the mean field theory the density linear-response function $\chi(k, \omega)$ is given by

$$\chi(k, \omega) = \frac{\chi_0(k, \omega)}{1 - U^{eff}(k) \chi_0(k, \omega)}$$

where $\chi_0(k, \omega)$ is the density response function of a non interacting gas and $U^{eff}(k)$ is an effective potential which was determined by means of the second moment of the scattering law. In contrast to Schneider et al. both $\chi_0(k, \omega)$ and $U^{eff}(k)$ were calculated taking into account quantummechanical corrections. The collective mode frequencies ω_k are given by the poles of $\chi(k, \omega)$. The liquid-solid transition temperature T_1 is related to a soft-mode of wave-vector k_0 /2/, /3/ and was determined by

$$\lim_{\omega_{k_0} \rightarrow 0} T = T_1$$

k_0 corresponds to the principal peak in the structure factor $S(k)$. Following Schneider et al. it was assumed that the structure factor behaves like T^{-1} near k_0 . By varying a model-parameter we obtained different values for T_1 . These and the corresponding classical limit $T_{1,cl}$ are given in Table 1.

Table 1

$T_{1,cl}$	T_1
0	110
20	116
40	122
60	130
80	139
100	149
120	160
140	173

It can be seen that the quantummechanical corrections lead to large differences between T_1 and $T_{1,cl}$, especially at low temperatures. The correction to the experimental value ($T_{1,cl} = 27 \pm 20^\circ\text{K}$) of Page et al. /4/ is about 90 degrees.

It must be noted that the difference between T_1 and $T_{1,cl}$ is very sensitive to the temperature dependence of $S(k_0)$. Löffler /5/ fitted his experimental data to a $S(k_0)$ with logarithmic temperature dependence, resulting in a value $T_{1,cl} = 40^\circ\text{K}$. In this case the corresponding quantummechanical corrected value becomes $T_1 = 85^\circ\text{K}$. To obtain better results for T_1 more precise models for $\chi(k, \omega)$ and for the temperature dependence of $S(k_0)$ must be developed.

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1.2.17. Vibrations of a Linear Amorphous Solid

W. Mehringer

The dynamics of a linear amorphous solid of 20 particles has been investigated. Assuming a special form of nearest neighbour harmonic interaction the

applicability of the quasicrystalline approximation has been studied, which was derived in an improved form for the linear chain. Variations of both the strength of the interaction and the interparticle distance have been considered. From a comparison with the calculated maxima $\omega(k)$ of the one phonon part of the scattering function the limitations of the quasicrystalline approximation could be shown. For large variations of the force constants the complete break-down of the plane wave phonon picture was found. The high-frequency modes then are represented by a motion of particles localized in regions of large force constants. The low-frequency modes may be considered as resonant modes, being characterized by the motion of clusters of particles, bound together by the large force constants and interacting via the small force constants.

2. ELECTRONIC STRUCTURE AND MAGNETISM OF SOLIDS

2.1. Investigations of Disordered Ni-Mn Alloys by Elastic Diffuse and Inelastic Neutron Scattering

P. v. Blanckenhagen and Chr. v. Platen

Magnetic and other physical properties of disordered Ni-Mn alloys depend on chemical and magnetic short range order. Recent neutron scattering measurements on polycrystalline samples could not be explained satisfactorily /1/. We have investigated the temperature dependence of the neutron intensity at small scattering angles. In our previous work we found that the increase of the intensity with decreasing scattering angle is caused by magnetic critical scattering /2/. The energy distribution of the neutrons scattered by an alloy with 15 % Mn was measured with a triple axis spectrometer at the cold source of the FR2 - reactor (the instrumental resolution was 45 μeV). A broadening due to critical fluctuations could be observed above and below the Curie temperature, e.g. $\Delta E = 66 \mu\text{eV}$ at $Q = 0.065 \text{ \AA}^{-1}$ and $T - T_c = 10^\circ$.

Cylindrical single crystals of Ni-Mn alloys containing 5 to 20 % Mn have been prepared to study the distribution of the diffuse nuclear and magnetic scattering intensity in reciprocal space. For crystals with 15 and 20 % Mn both contributions have a maximum at the superlattice points for the Ni_3Mn type ordering with an isotropic intensity distribution around these points (Fig. 1 (a)). The mean correlation length l , estimated from the line width of the diffuse intensity distributions, is different for the nuclear and the magnetic short range order (e.g. for 20 % Mn at room temperature: $l(\text{nucl}) \sim 10 \text{ \AA}$ and $l(\text{magn}) \sim 14 \text{ \AA}$). For the alloys with lower Mn concentrations the diffuse intensity distributions are not isotropic around the 100 and 110 points.

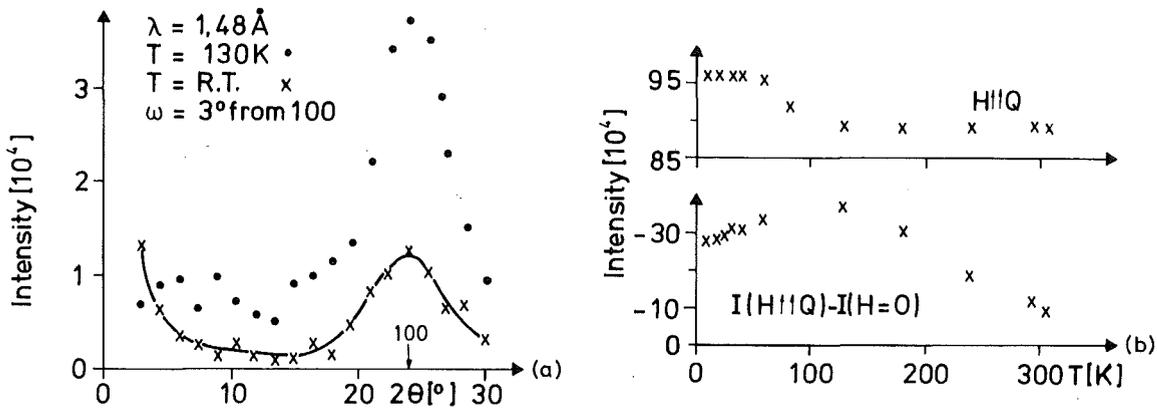


Fig. 1 Diffuse magnetic intensity scattered by a $\text{Ni}_{0.8}\text{Mn}_{0.2}$ single crystal (20 at. % Mn)
 a) angular dependence around 100 b) temperature dependence
 ($2\theta = 24^\circ$)

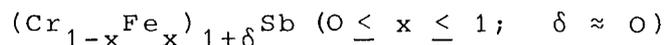
The diffuse magnetic intensity for $\text{Ni}_{0.8}\text{Mn}_{0.2}$ near 100 shows an anomalous temperature dependence (Fig. 1 (b)). Similar to the temperature dependence of the magnetisation the intensity $I(H\uparrow Q) - I(H=0) = \Delta I$ decreases at low temperatures. No significant change of the correlation length with temperatures was observed for the ferromagnetic short range order. The diffuse intensity measured with the applied magnetic field (1.8 kG) parallel to the momentum transfer $I(H\uparrow Q)$ increases with decreasing temperature in the temperature region where the ferromagnetic diffuse intensity I decreases. Further measurements at higher fields and at other points of the reciprocal lattice are in progress to decide whether this temperature dependence is caused by an antiferromagnetic contribution to the magnetic short range order at low temperature.

Measurements of the magnon and phonon dispersion relations of these alloys have been started. First results for $\text{Ni}_{0.9}\text{Mn}_{0.1}$ show a decrease of the spin wave stiffness constant and of the energy of longitudinal phonons in comparison to nickel.

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2.2. Investigation on Structural and Magnetic Properties
of the Intermetallic System



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The combined X-ray and neutron diffraction measurements on single crystals of several compositions have been continued. Until now for $x = 0.3, 0.4, 0.5, 0.7$ all the structural details, including δ -values and chromium to iron ratios, are available which have been partly published /1, 2/. In the concentration region of particular interest near $x = 0.5$ several crystals from different growings have been investigated. On the Cr-rich side of the system ($x = 0.3, 0.4$) in addition to the neutron reflections due to nuclear Bragg scattering, we found magnetic scattering intensity contributions or peaks of purely magnetic origin at room temperature. The deduced magnetic ordering types are related to the antiferromagnetic structure of CrSb ($x = 0.0$) /3/ by a gradually twisting of the collinear aligned magnetic moments out of the hexagonal c -direction. Neutron diffraction investigations at low temperatures (31 K) in the concentration range where ferromagnetic behaviour is expected, for $x = 0.7$, are in progress. So far no magnetic intensities could be detected.

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2.3. Crystal Field Splitting in ErAl_2

P. v. Blanckenhagen and Chr. v. Platen

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The REAl_2 (RE = rare Earth) intermetallic compounds crystallize in the MgCu_2 Laves phase /1/. Most of these compounds order ferromagnetically /2/. The saturation moments are generally less than those of the free trivalent ions /3/ suggesting that crystal field quenching is an important factor in these compounds.

Although there are a large number of measurements on this system and on the related pseudobinary compounds $\text{La}_{1-y}\text{RE}_y\text{Al}_2$ and $\text{Y}_{1-y}\text{RE}_y\text{Al}_2$ (/4/, /5/ and references therein), the crystalline electric field (CEF) parameters published by different authors scatter considerably. To clarify this discrepancy, a systematic investigation of the REAl_2 system by inelastic neutron scattering has been started. The result on ErAl_2 are reported here.

The rare earth ions are subject to a CEF of cubic point symmetry which can be given by two parameters A_4 and A_6 or - in the notation of /6/ by x and W. The effect of the CEF is to split the J-multiplets. These splittings can be directly observed by inelastic neutron scattering.

Measurements on a polycrystalline sample were performed with a time-of-flight spectrometer at the FR2. The energy of the incident neutron beam was 15 meV, the resolution (FWHM) at zero energy transfer was 1.2 meV. The sample temperatures were 18 K and 300 K, i.e. above the ferromagnetic ordering temperature which is at 14 K. The results are shown in Fig. 1. In comparison with neutron spectra of insulators or semi-metals like PrBi relatively broad lines were observed. At 18 K two transitions at the neutron energy loss spectrum and at 300 K one at the energy gain spectrum could be detected. A reasonable fit was only obtained with

$x = +0.28 \pm 0.03$ and $W = -0.027 \pm 0.005$ meV, corresponding to negative values for both CEF-parameters A_4 and A_6 . This result is contrary to CEF parameters determined from magnetization measurements in the ferromagnetic phase and supports the idea that ferromagnetism in the ErAl_2 system is not only due to CEF-effects and an isotropic exchange.

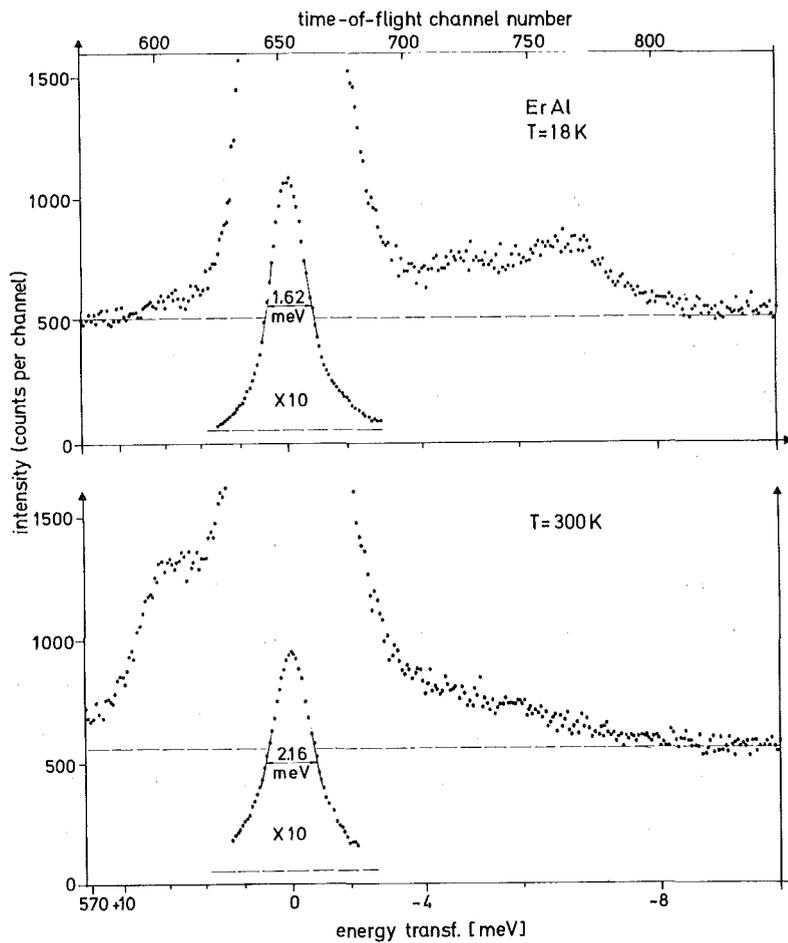


Fig. 1 Neutron time-of-flight spectra of ErAl_2 at 18 K and 300 K. The counting time was 55.5 hours and 60.5 hours, respectively. The incident energy was $E_0 = 15$ meV.

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2.4. Single-Line Source Preparation for ¹⁵⁵Gd-Mössbauer Spectroscopy

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An investigation of the coexistence of superconductivity and magnetism in Gd Ce_x 1-x Ru₂ by ¹⁵⁵Gd-Mössbauer spectroscopy has been started /1/. The source used was a dilute ¹⁵⁴Sm in Al alloy cooled down to 43 K, giving a linewidth which is about three times larger than the natural one. Because of the poor resolution of the hyperfine splitting of ¹⁵⁵Gd-Mössbauer spectra, especially with such a source, it was difficult to get quantitative information on the system Gd Ce_x 1-x Ru₂. So it was decided to prepare a source with smaller linewidth.

Prowse et al. /2/ have shown that ¹⁵⁵Eu dissolved in Pd is a rather narrow single-line source. Our preparation method is slightly different from that described in /2/. The starting material was 6 mC commercial ¹⁵⁵EuCl₃ in 0.1 N HCl from New England Nuclear Corporation. This solution was converted to Eu (NO₃)₃ solution and then evaporated to dryness on a Pd foil. This coated foil was annealed in extremely pure hydrogen at 1300^o C for 2 days. The H₂O and O₂ content in the hydrogen gas was less than 10⁻⁴ vpm and 10⁻¹⁹ vpm, respectively. The details of the hydrogen purification have been described by Erdmann /3/. After annealing the sample was cooled down in extremely pure helium.

The source was tested at 4.2 and 1.3 K taking spectra with a $GdFe_2$ absorber at 4.2 K. The spectra were fitted with the full transmission integral. For the $GdFe_2$ absorber, the magnetic hyperfine interactions reported by Armon et al. /4/ and natural linewidth was used. For both source temperatures we got a source linewidth of 0.35 mm/sec. The additional line broadening compared to the natural linewidth of 0.25 mm/sec cannot be explained until now.

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2.5. An Investigation of NiS_2 by ^{61}Ni -Mössbauer Spectroscopy: Influences of Vacancies and Copper Impurities

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The pyrite structure compound NiS_2 can be prepared with variable composition NiS_x in the range $1.91 \lesssim x \lesssim 2.1$. In $NiS_{1.91}$ the nickel sublattice is completely occupied and the deviation from stoichiometry is due to about 4.5% sulfur vacancies. With increasing x , the concentration of sulfur vacancies remains constant, whereas nickel vacancies appear with a concentration proportional to x /1/. Therefore we use the notation $Ni_{1-\delta} []_{\delta} S_{1.9}$ as an alternative to NiS_x , with $\delta = 1/2(x-1.9)$.

Significant changes of the physical properties (lattice parameter, electrical conductivity, magnetic susceptibility) with the introduction of nickel vacancies have been observed /1/. These changes are quite similar to those found when copper impurities were introduced in $NiS_{1.9}$.

We have studied the hyperfine interactions at ^{61}Ni nuclei in samples NiS_x with $x = 1.93, 1.94, 1.96, 2.00, 2.09$ (± 0.01 for all x) and in $\text{Ni}_{1-y}\text{Cu}_y\text{S}_{1.93}$ with $y = 0.05, 0.1$ (± 0.01) in the temperature range $1.3 \text{ K} \leq T \leq 140 \text{ K}$ by Mössbauer spectroscopy. The results obtained for $\text{NiS}_{1.93}$ (whose properties are practically identical to those of $\text{NiS}_{1.91}$) have been reported previously /2/. They serve as reference for the evaluation of those effects which are associated with defects.

From the ^{61}Ni -hyperfine interactions (in fig. 1 we show the magnetic hyperfine fields measured in some samples as a function of temperature) we can draw the following conclusions:

(1) Although the bulk ferromagnetic moment observed in $\text{NiS}_{1.93}$ below 31 K drops rapidly with increasing x , a magnetic phase transition occurs in all samples near 31 K. The magnetic structure below this temperature remains essentially the same in all samples. At 4 K we always find two sites with an intensity ratio of 3 : 1 (low-field:high-field) as in $\text{NiS}_{1.93}$. The values of the hyperfine fields and of the effective quadrupole coupling constants vary only slowly with x .

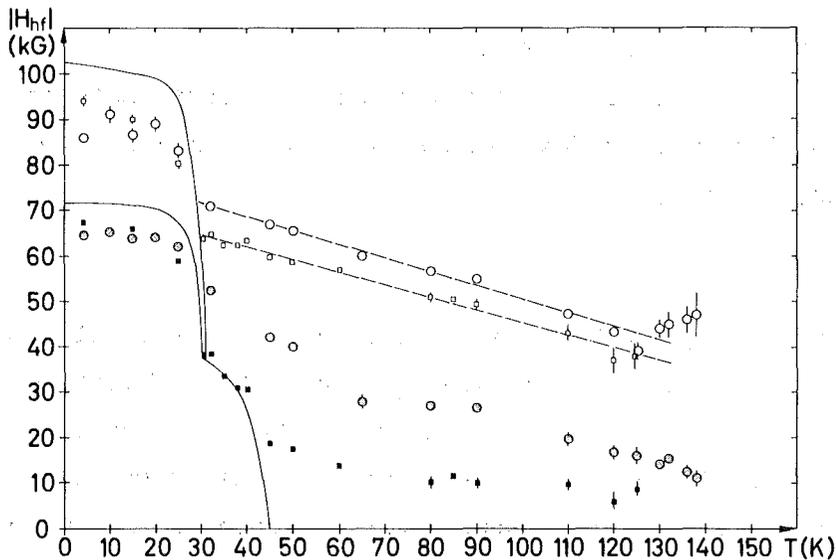


Fig. 1 Magnetic hyperfine fields at ^{61}Ni nuclei in NiS_x . At all temperatures, 2 sites with different fields were found. The continuous lines trace the hyperfine fields at ^{61}Ni nuclei in $\text{NiS}_{1.93}$. The broken lines emphasize the linear temperature dependence of the field at β -sites.

(2) For $T > 31$ K we observe two sites with different hyperfine fields in the samples containing nickel vacancies. The hyperfine field of the low-field site in $\text{Ni}_{1-\delta}[\]_{\delta}\text{S}_{1.9}$ with $\delta \leq 0.05$ is the same as in $\text{NiS}_{1.93}$ for $31 \text{ K} \leq T \lesssim 40 \text{ K}$, but it does not go to zero at 45 K. Larger fields are obtained in $\text{Ni}_{0.91}[\]_{0.09}\text{S}_{1.9}$. The field associated with high-field sites (β -sites) does not depend on δ for $\delta \leq 0.05$. Again, larger values are found in $\text{Ni}_{0.91}[\]_{0.09}\text{S}_{1.9}$. The values of the β -site field drops linearly with temperature in the range $31 \text{ K} \leq T \lesssim 125 \text{ K}$.

The fraction of the absorbed intensity due to β -sites, c_{β} , increases with δ . The dependence of c_{β} on δ agrees remarkably well with the concentration of nickel sites with at least one vacancy among the 12 nearest neighbours: $c(\delta) = 1 - (1 - \delta)^{12}$. In addition, we find in all samples a gradual decrease of c_{β} with increasing temperature.

(3) Qualitatively similar results are obtained in the samples containing copper.

These results indicate that the changes of the physical properties occurring with the introduction of defects are inhomogeneously distributed. For low defect concentrations they may be ascribed to localized perturbations of the electronic structure (bound impurity states). With increasing defect concentrations the perturbations overlap and the transition to a metallic phase (occurring near $\text{NiS}_{2.00}$ in NiS_x , and near $\text{Ni}_{0.95}\text{Cu}_{0.05}\text{S}_{1.93}$) may be viewed as a percolation process.

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2.6. An Investigation of Magnetic Structures and Phase Transitions in $\text{NiS}_{2-x}\text{Se}_x$ by ^{61}Ni -Mössbauer Spectroscopy

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The mixed compounds $\text{NiS}_{2-x}\text{Se}_x$, existing for the whole concentration range $0 \leq x \leq 2$ with pyrite structure, can be considered as a good test case for Mott's view of correlation-induced metal-insulator transitions. In NiS_2 correlation effects dominate, the material is a semiconductor and two magnetic phase transitions are observed. In NiSe_2 correlation effects are reduced due to stronger overlap between the Ni 3d-orbitals and the Se(4sp)-states, this compound is metallic and no magnetic order has been found at any temperature. The phase diagram of the mixtures $\text{NiS}_{2-x}\text{Se}_x$ was determined by Jarrett et al. /1/. They found the critical concentration for the metal-insulator transition at $T = 0 \text{ K}$ to be $x_{\text{cr}} = 0.47$. According to these authors, the two magnetic phase transitions found in NiS_2 occur for all concentrations in the insulating phase ($x < 0.47$).

We have begun a systematic investigation of this system by combined measurements of macroscopic properties, such as magnetic susceptibility and electrical resistivity, NMR with ^{77}Se , and Mössbauer spectroscopy with ^{61}Ni . The results obtained by now lead to certain modifications of the phase diagram (fig. 1).

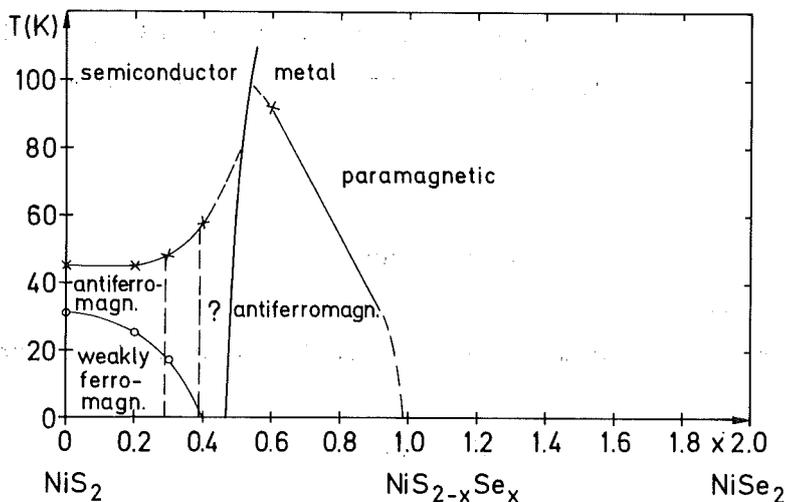


Fig. 1 Phase diagram of $\text{NiS}_{2-x}\text{Se}_x$ as determined in the present investigation

Firstly, we have observed the occurrence of antiferromagnetic order in the metallic region of the phase diagram for $0.47 < x < 1.0$ /2/. The transition to the paramagnetic state occurs for $x = 0.6$ at $T_{\text{N}} = (92 \pm 2) \text{ K}$, as has been

determined independently by Mössbauer spectroscopy, susceptibility measurements and $^{77}\text{Se-NMR}$. By the latter two methods the concentration dependence of T_N was determined to be linear up to $x = 0.9$. At $x = 1.0$ no magnetic ordering could be detected. The Mössbauer spectra show that at least two nickel sites with different hyperfine fields exist in these materials. The hyperfine fields decrease approximately linearly with increasing x . For $x = 0.9$ we found about 65% of the absorbed intensity in an unsplit line, indicating the possible existence of a two-phase region between the antiferromagnetic and the paramagnetic metallic phase. A similar result was obtained by $^{77}\text{Se-NMR}$. In the region of concentrations where the materials are insulating we have found almost no changes of the magnetic transition temperatures and the hyperfine interactions between NiS_2 and $\text{NiS}_{1.8}\text{Se}_{0.8}$. For higher Se-concentrations the Néel temperature rises and the critical temperature for the transition from antiferromagnetic to weakly ferromagnetic ordering drops rapidly to zero. In $\text{NiS}_{1.6}\text{Se}_{0.4}$ no indication of this transition was found in the temperature dependence of the magnetic hyperfine fields which vary linearly from 1.3 K to 55 K (fig.2a). In this sample we also found a strong variation of the effective quadrupole coupling constant with temperature (fig. 2b). It appears likely that this can be interpreted in terms of a temperature-dependent change of the direction of the magnetic moments with respect to the local symmetry axis. These results make it presently questionable whether the magnetically ordered phase in this concentration region can be identified with the antiferromagnetic phase of NiS_2 .

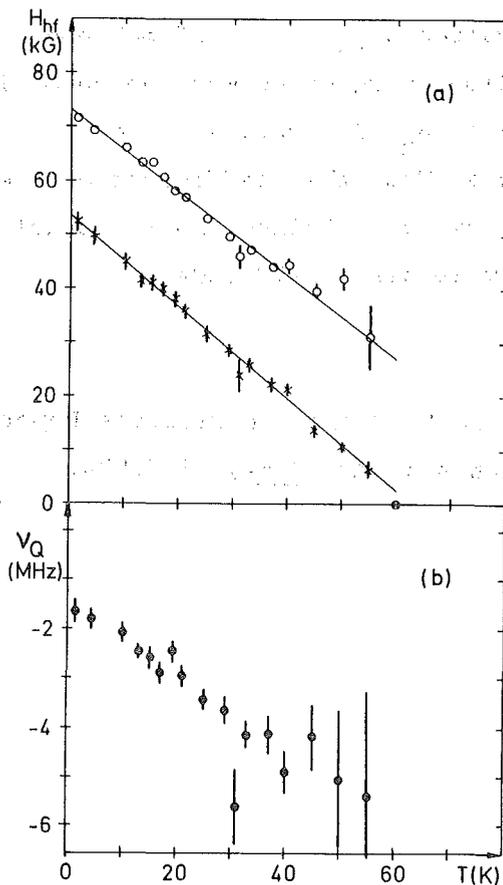


Fig. 2 Hyperfine interactions at ^{61}Ni nuclei in $\text{NiS}_{1.6}\text{Se}_{0.4}$ (a) Magnetic hyperfine fields, \times α -sites, \circ β -sites. (b) Electric quadrupole coupling constants. No difference between α - and β -sites was found.

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2.7. Magnetic Interactions in $\text{Na}_2\text{NiFeF}_7$

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The investigations of the magnetic properties of Weberite structure compounds $\text{Na}_2\text{NiM}^{\text{III}}\text{F}_7$ ($\text{M}^{\text{III}} = \text{Al, Fe, Cr}$) /1/ were continued. Mössbauer spectroscopy with ^{57}Fe and ^{61}Ni was employed to determine the temperature dependence of the iron and nickel sublattice magnetizations in the ferromagnetic compound $\text{Na}_2\text{NiFeF}_7$. The curves of the magnetic hyperfine fields $H_{\text{hf}}^{\text{Fe}}(T)/H_{\text{hf}}^{\text{Fe}}(4.2 \text{ K})$ and $H_{\text{hf}}^{\text{Ni}}(T)/H_{\text{hf}}^{\text{Ni}}(4.2 \text{ K})$ versus T/T_N ($T_N = 85 \pm 1 \text{ K}$) differ significantly from each other and from the corresponding curve of the bulk magnetization, $M(T)/M(4.2 \text{ K})$. From an analysis of these data in terms of molecular field theory we could derive the values $J_{\text{Ni-Ni}} = -1.26 \text{ meV}$ and $J_{\text{Ni-Fe}} = -0.83 \text{ meV}$ for the exchange interaction energies between neighbouring magnetic ions. At temperatures below $\sim 40 \text{ K}$ the $H_{\text{hf}}(T)$ - curves follow a $T^{3/2}$ -law as expected for spin-wave excitations. From the coefficient of the $T^{3/2}$ -term the value $8J_{\text{Ni-Fe}} - 2J_{\text{Ni-Ni}} = -3.2 \text{ meV}$ was obtained, in reasonable agreement with the results deduced from the molecular field model.

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2.8. Investigations of the Structural and Dynamic Properties of the Layered Molecule Crystal $(\text{CH}_3\text{NH}_3)_2 \text{MnCl}_4$

G. Heger

D. Mullen, *FB Geowissenschaften der Universität Marburg*

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N. Lehner, K. Strobel and R. Geick, *Physikalisches Institut der Universität Würzburg*

A main part of the experimental work by means of neutron diffraction and FIR spectroscopy deals with the second-order phase transition at 393.8 K. Most of the results will be published in two papers. Their abstracts are given below.

1. On the Second-Order Phase Transition in $(\text{CH}_3\text{NH}_3)_2 \text{MnCl}_4$.

A Single Crystal Neutron Diffraction Study at 404 and 293 K.

G. Heger, D. Mullen and K. Knorr

(*physica status solidi*, in press)

Abstract

The crystal structure of $(\text{CH}_3\text{NH}_3)_2 \text{MnCl}_4$ was determined by neutron diffraction at 404 and 293 K. The high temperature phase has a disordered K_2NiF_4 -type structure (I4/mmm) with MnCl_6 -octahedra and (CH_3NH_3) -molecules tilted with respect to the \underline{c} -axis in four different orientations of equal probability. In the room temperature modification (Abma) one of these orientations predominates. Thus an ordered structure results which can be seen as a "frozen" moment picture of the high temperature structure accompanied by a displacement of the CH_3 -groups.

From the complete structure analyses (including the whole description of the (CH_3NH_3) -groups with the hydrogen atoms) a microscopic model of the second-order structural phase transition at 393.8 K is proposed. There are two possibilities to define an internal order parameter:

1. the predominance of one orientation of the tilted $(\text{CH}_3\text{NH}_3)_2 \text{MnCl}_4$ molecules which can be described by an occupation probability
2. the displacement of the CH_3 -groups.

A soft mode may be associated with this displacive behaviour.

2. Lattice Dynamics in Perovskite-Type Layer-Structures.

FIR-Studies of $(\text{CH}_3\text{NH}_3)_2\text{MnCl}_4$ and $(\text{CH}_3\text{NH}_3)_2\text{FeCl}_4$.

N. Lehner, K. Strobel, R. Geick and G. Heger

(submitted to J. Phys. C)

Abstract

In this paper, we present a detailed study of the crystal structures of $(\text{CH}_3\text{NH}_3)_2\text{MnCl}_4$ (=MAMC) above and below the phase transition at 394 K, which is essentially of the order-disorder type. In addition, the reflectivity of MAMC and MAFC (= $(\text{CH}_3\text{NH}_3)_2\text{FeCl}_4$) single crystals has been studied in the far infrared spectral region at several temperatures. By means of a Kramers-Kronig-Analysis, the frequencies of the long-wavelength infrared-active phonons were determined. Because of the considerable gap ($300 - 900 \text{ cm}^{-1}$) between the frequencies of the organic ions, they can be treated as rigid bodies at far infrared frequencies. For the high temperature tetragonal modification, there are three strong and two weak ir-active modes for $\underline{E} \perp \underline{c}$. Our results can be compared to the results obtained for layer-structures of the K_2NiF_4 -type. In this case three strong modes and only one weak are found, which are closely related to the three ir-active modes and the inactive mode in perovskite crystals. The second weak mode in MAMC and MAFC for $\underline{E} \perp \underline{c}$ is introduced by the rotational degrees of freedom of the organic molecules. Though with some difficulty, experimental data have also been obtained on MAMC for $\underline{E} \parallel \underline{c}$.

Further investigations concerning the crystal structure of the low temperature tetragonal phase ($\text{P4}_2/\text{ncm}$) have almost been finished. Inelastic neutron measurements are in preparation.

2.9. Planar Dynamic Jahn-Teller Effects in $\text{Cs}_2\text{PbCu}(\text{NO}_2)_6$

G. Heger

D. Mullen, FB Geowissenschaften der Universität Marburg

D. Reinen, FB Chemie der Universität Marburg

As an example for a system with strong Jahn-Teller effects leading to structural phase transitions (collective Jahn-Teller effect) $\text{Cs}_2\text{PbCu}(\text{NO}_2)_6$

was studied by neutron diffraction on single crystals at 293 and 344 K in order to determine the crystal structures. The results of the room temperature investigation are to be published. The abstract is given below including a drawing of the hexanitrocuprate(II) anion. Further crystallographic studies of the other modifications are in progress.

D. Mullen, G. Heger and D. Reinen
(Solid State Communications, in press)

Abstract

We report a crystal structure analysis of the room temperature phase of $\text{Cs}_2\text{PbCu}(\text{NO}_2)_6$. In the space group $Fmmm$ ($c/a < 1$ ($a \approx b$)) the Cu^{2+} ions have a tetragonally compressed octahedral environment of N atoms. The thermal ellipsoids of the nitro-groups in the (001)-plane indicate the presence of a two-dimensionally dynamic Jahn-Teller effect (Fig. 1). This result is interpreted in terms of a time-averaged picture of tetragonally elongated octahedra in antiferrodistortive order.

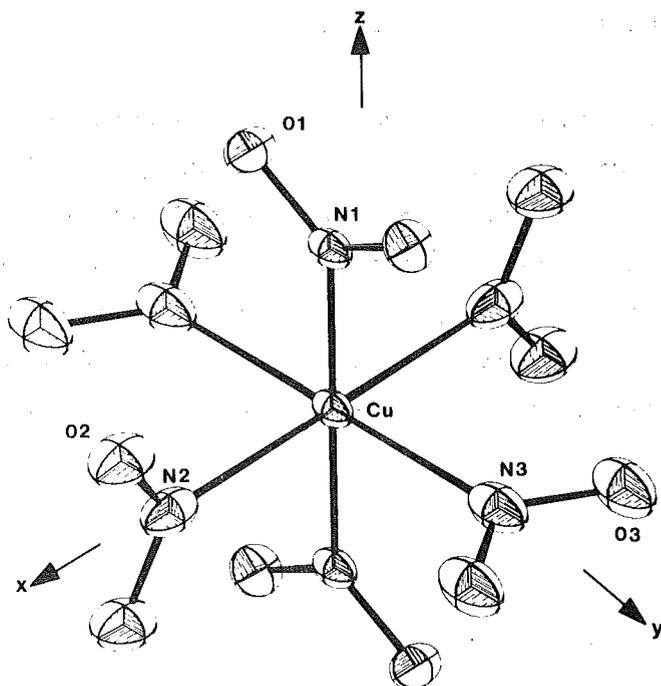


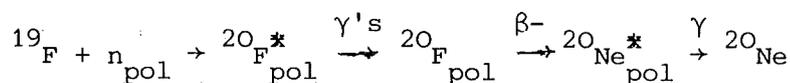
Fig. 1 The arrangement of the six nitro groups around the copper ion, including the thermal ellipsoids.

2.10. Nuclear Magnetic Resonance Studies on Neutron Activated ^{20}F Nuclei in CaF_2

H. Ackermann, D. Dubbers, F. Fujara, H. Grupp, P. Heitjans, H.-J. Stöckmann and A. Winnacker, Physikalisches Institut der Universität Heidelberg und ILL Grenoble

a) Structure of (n, γ) - Induced Lattice Defects

The present experiment deals with the observation of a well defined defect structure in the vicinity of neutron activated ^{20}F ($I = 2, T_{1/2} = 11\text{s}$) nuclei in CaF_2 . The principle of the method is: Production of polarized ^{20}F nuclei by polarized neutron capture, and detection of NMR transitions of the ^{20}F nuclei via their asymmetric β -radiation:



The capture- γ radiation imparts a mechanical recoil ($E_R \leq 1.2 \text{ keV}$) to the ^{20}F nuclei and displaces them in the lattice.

CaF_2 has a cubic structure and one observes at room temperature (where the defects anneal quickly compared to $T_{1/2} = 11 \text{ s}$) a single, undisturbed NMR line. At temperatures below 75 K, however, the defects are stable and their electric field gradients q split the NMR line. This splitting can be observed, if only few defect types occur, as it is the case in CaF_2 . But even then, the signals are weak and can only be detected using a broad frequency modulated radiofrequency field (see Fig. 1). This technique is described in detail in /1/.

Summary of the results:

- 1) Room temperature: undisturbed NMR line.
- 2) $T = 10 \dots 75 \text{ K}$: The NMR line broadens and 4 satellites appear.

Their position corresponds to a quadrupolar interaction with $|e^2qQ/h| = (1.9 \pm 0.1) \text{ MHz}$ and $\theta(q, B_0) = (70 \pm 3)^\circ$.

- 3) The corresponding defect type is seen by $\approx 40 \%$ of the ^{20}F nuclei.
- 4) Observation of the $\beta^- (^{20}\text{F}) - \gamma (^{20}\text{Ne})$ angular distribution: e^2qQ is negative.

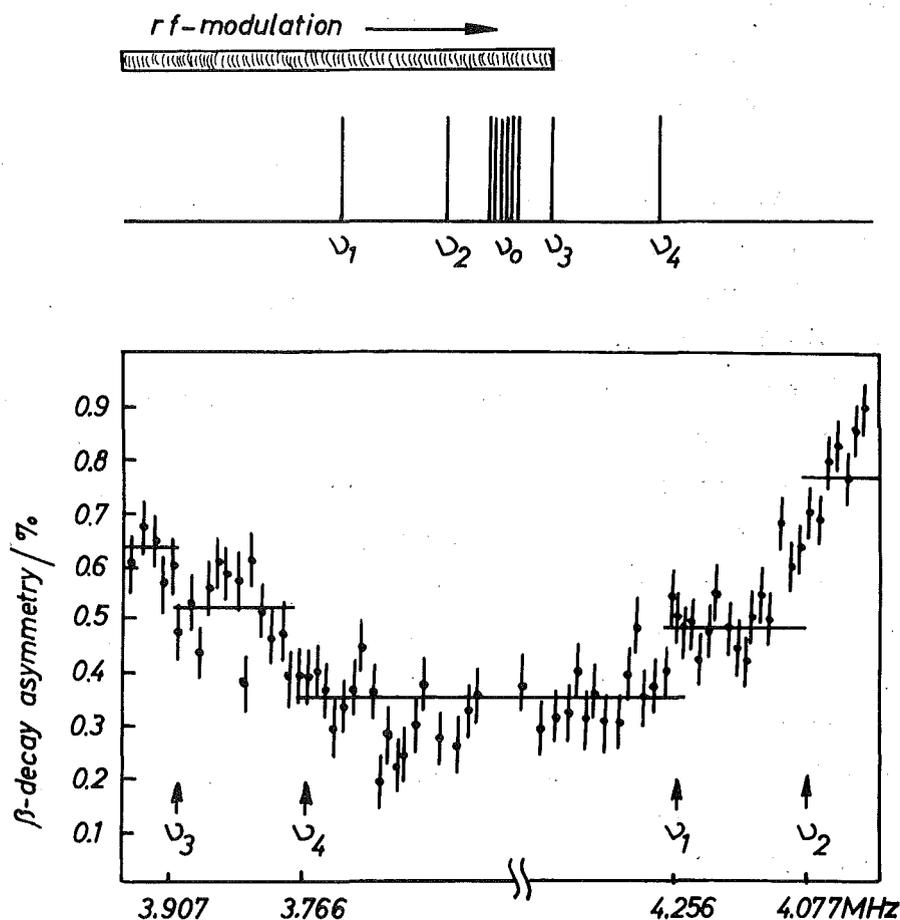


Fig. 1 A broad band modulated rf field is swept over the defect-field split NMR transitions. Whenever a transition enters or leaves the band, a step in the nuclear polarization occurs. The solid step curve is a least-square fit to the measured asymmetries. B_0 parallel to the crystallographic $\langle 111 \rangle$ direction, $B_0 = 0.5$ T, $T = 40$ K.

Discussion: The F^- sublattice of CaF_2 is simply cubic. Every second elementary cube contains a body-centred Ca^{++} , whereas the other cubes are empty. The observed defects consist of $^{19}F^-$ interstitials in these empty lattice positions, whereas the ^{20}F probe nuclei occupy normal lattice sites at the adjacent corners of the E^- sublattice cubes.

b) Decoupling of the ^{20}F -Magnetic Dipole Moment from Internal Magnetic Fields: Strong Narrowing of Resonance Lines

In solids usually the NMR linewidth is determined by the dipolar coupling of the observed nuclear magnetic moment to the magnetic moments of the surrounding nuclei. It is well known /2/, however, that the contribution

of unlike neighbouring spins to the dipolar linewidth can be completely eliminated by irradiation of a strong radiofrequency field at the NMR frequency of that (unlike) spin species. In NMR-experiment on neutron-activated nuclei the probe nuclei are so dilute that they are exclusively surrounded by unlike nuclear spins. Thus it should be possible to produce very narrow NMR lines of the probe nuclei by "decoupling" the surrounding spins of the stable nuclei by application of a second, strong radiofrequency field. A particularly favorable case is CaF_2 containing only ^{19}F with nonzero nuclear spin, thus only one spin species has to be decoupled from the observed ^{20}F probe nuclei. Fig. 2 shows the NMR lines of ^{20}F with and without simultaneous irradiation of the ^{19}F NMR frequency. NMR lines down to a width of 100 Hz have been observed, the linewidth only being determined by inhomogeneities of the magnetic field. This opens up interesting possibilities to resolve small splittings of NMR lines due to electric field gradients of lattice defects. Experiments are in progress to investigate defect fields created by the (n,γ) -capture process, or by external pressure on single crystals. Precision measurements of ratios of nuclear moments are also possible which is of interest for the evaluation of hyperfine anomalies.

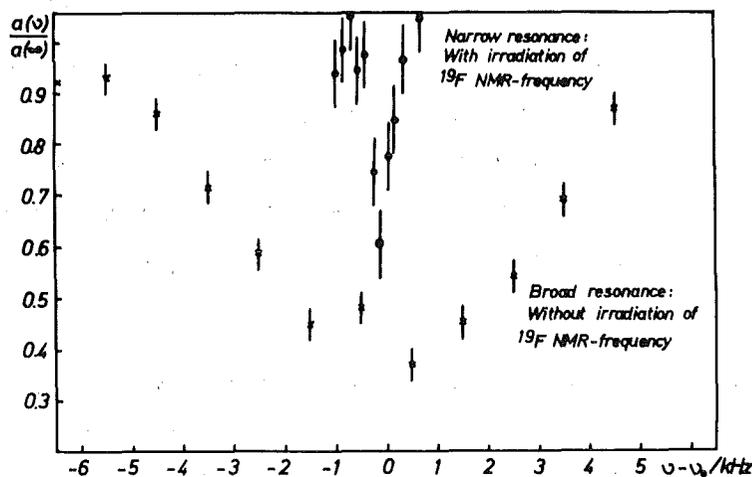


Fig. 2 NMR of ^{20}F with and without decoupling of the ^{19}F dipolar fields

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3. MATERIALS RESEARCH

3.1. Implantation and Diffusion of Carbon into Niobium Carbide Single Crystals: Influence on the Superconducting Transition Temperature

J. Geerk and K.-G. Langguth

Giorgi et al. /1/ found that the superconducting transition temperatures T_c of niobium and tantalum carbides varies strongly with carbon content. Their major conclusion was, that the highest T_c is reached for the stoichiometric composition and any deviation therefrom results in a lowering and eventual disappearance of T_c . Giorgi et al. /1/ obtained an almost stoichiometric carbide of niobium corresponding to the chemical notation $NbC_{0.98}$ with a T_c of 11.1 K, which is to our knowledge the highest T_c for niobium carbide reported so far in literature /2/.

For the production of niobium carbide layers of different compositions we used the methods of ion implantation and diffusion from evaporated layers on niobium carbide single crystals. Single crystals of size 5 x 2 x 2 mm of $NbC_{0.89}$ with a T_c of 3.7 K were implanted at room temperature with C^+ -ions at energies of 200 keV and 80 keV and fluences of $1.5 \times 10^{17} \text{ cm}^{-2}$ and $5 \times 10^{16} \text{ cm}^{-2}$, respectively. After implantation the single crystals were annealed by means of an electron beam oven mounted in a bakable UHV system. The ultimate pressure of the system was 2×10^{-10} torr. During the annealing process the pressure increased to 2×10^{-8} torr. The annealing time was 200 sec. The diffused niobium carbide layers were produced by first evaporating a 600 Å carbon layer onto the $NbC_{0.89}$ single crystal and then by heating the single crystal in the UHV oven.

The diffusion time was 200 sec. The sample temperature during annealing and diffusion was measured pyrometrically. The superconducting transition temperature was measured resistively by a four probe arrangement. A well measureable voltage drop across the sample was obtained already with a DC-current of about 40 mA because of the rather high residual resistance ($180 \mu\Omega\text{cm}$) of the single crystals. Backscattering measurements using 2 MeV α -particles were performed in order to analyze the samples. From the measured spectrum of α -particles backscattered from niobium atoms

we were able to determine the approximate concentration profile of the carbon in the implanted layers.

Fig. 1 shows the transition temperature of the implanted single crystal versus annealing temperature after successive annealing steps. The vertical error bars indicate the width of the transition. After implantation T_c of the implanted layers increases to about 7 K. Then with increasing annealing temperature, T_c increases and reaches a maximum of 11.5 K. The backscattering measurements indicate, that a surface layer of a thickness of about 2000 Å with a carbon content very close to stoichiometry forms in the temperature range between 1050 °C and 1150 °C. At higher annealing temperature T_c decreases rapidly because carbon diffuses from the high T_c layer into the bulk crystal. The channeled backscattering spectrum of the as implanted sample shows a pronounced defect peak in the implanted layer. After annealing between 1050 °C and 1150 °C the defect peak disappears. The high T_c surface layer causes only strong dechanneling of the incoming α -particles. This indicates that this layer is almost free from interstitial Nb atoms but still contains internal strain fields and/or interstitial carbon.

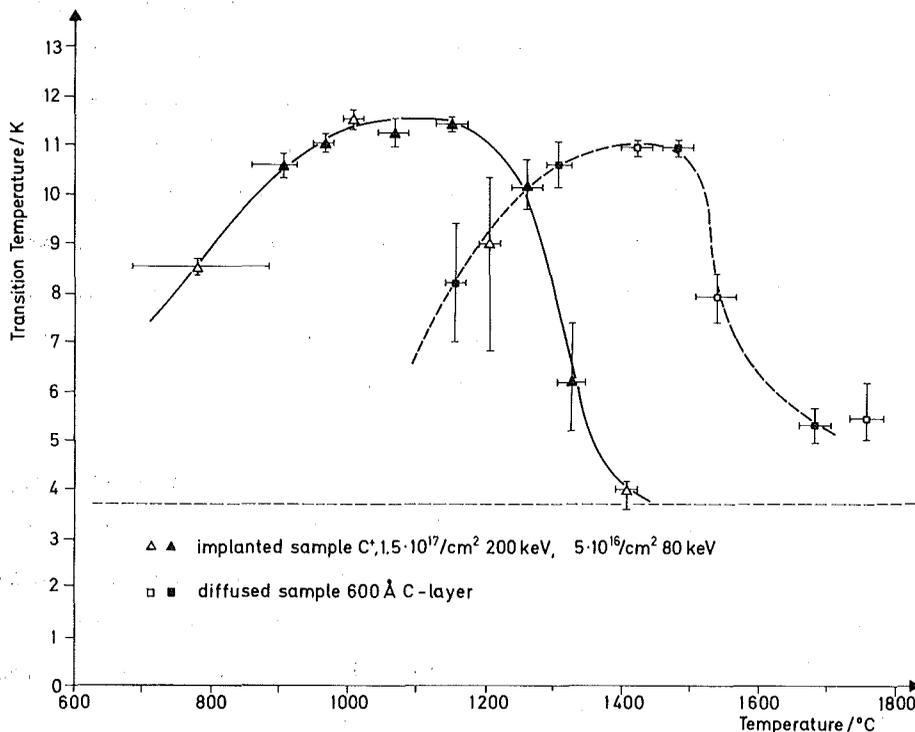


Fig. 1 Full line: Transition temperature of the implanted single crystal versus annealing temperature.

Dashed line: Transition temperature of the carbon diffused single crystals versus diffusion temperature.

The dashed curve in Fig.1 shows T_c values of the carbon diffused single crystals as a function of diffusion temperature. In the temperature range where carbon diffuses out of the implanted layer in this case the diffusion of carbon from the evaporated carbon layer into the bulk is starting thus causing a rapid increase in T_c . At diffusion temperatures higher than 1500 °C the 600 Å carbon layer gets exhausted and T_c decreases rapidly with higher temperature. The maximum transition temperature obtained in the diffusion experiments was 11.0 K, which agrees with the result of Giorgi et al. /1/.

From the T_c results of the implanted and diffused single crystals we conclude that by the use of the implantation technique niobium carbide layers can be produced which are slightly closer to stoichiometry than layers obtained by the diffusion technique.

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3.2. Nitrogen Implantation into Molybdenum: Superconducting Properties and Compound Formation

M. Kraatz, G. Linker, O. Meyer and R. Smithey

The implantation of several ion species into molybdenum layers leads to an increase of the superconducting transition temperature T_c /1/. This effect has also been observed for nitrogen implantations but in contrast to other ions, compound formation occurs in this system. This compound formation together with the superconducting properties has been studied in dependence of implantation- and subsequent annealing temperature.

Molybdenum layers with thicknesses of 1500 - 3000 Å were evaporated onto quartz substrates and implanted to maximum fluences corresponding to 33 at. % nitrogen. Homogeneous profiles were obtained by implantation with several different energies; the appropriate energy values and fluences were selected by inspection of composed profile calculations with various energy combinations. Implantations were performed at liquid helium and at room temperature; layers were analysed by back-scattering of $^4\text{He}^+$ ions and by X-ray diffraction.

The T_c increase of the nitrogen implanted molybdenum layers was found to be a function of fluence starting at lower concentration values for low temperature implants and having a maximum saturation value for both low and room temperature implants at a concentration of about 13 at. % nitrogen. A maximum T_c value of about 9 K was observed for low temperature implants. The phase with this T_c value was stable against warming up to room temperature; for room temperature implants however a lower maximum T_c of about 7 K was measured. Annealing of the implanted samples above room temperature was accompanied by a gradual decrease of the transition temperature ending with a sharp drop below 1.2 K together with nitrogen loss from the layers at about 900 °C.

Structural changes and modifications are still a point of investigation but several characteristic features may already be described. X-ray photographs from layers implanted at liquid helium temperature and annealed at room temperature show only few broad reflexions corresponding to the strongest lines of bcc molybdenum indicating a "quasi" amorphous phase and sometimes, depending on nitrogen concentration, lines from a fcc phase are observed. In layers which after implantation at low temperature show only broad reflections a fcc phase is observed after annealing above 400 °C. In addition molybdenum recrystallizes during annealing and a second not identified phase appears above 600 °C. For room temperature implants besides lines from bcc molybdenum the existence of a fcc phase is observed in the as implanted layers. This phase emerges more distinctly in the annealing procedure and vanishes parallel to the T_c decrease at about 900 °C and only lines from pure molybdenum are revealed after annealing above 900 °C.

Pavlov et al. reported the formation of a fcc phase in molybdenum after implantation of argon /2/; such a phase was not observed in our experiments with neon implants. Thus we explain the occurrence of a fcc phase by Mo_2N

formation concluding from the measured lattice constant and from the disappearance of the fcc phase at 900 °C coinciding with the decomposition of Mo₂N.

From our observations we conclude that there is no direct correlation between variation of the superconducting properties of molybdenum and compound formation with nitrogen implantations. The primary reason for the T_c increase most probably is due to the formation of a quasi amorphous phase which must be stabilized by the chemically active nitrogen. But as the T_c increase obtained with several other ions usually disappears at temperatures of about 400 °C it is thought that the higher annealing temperature of 900 °C necessary to depress T_c below 1.2 K (the lowest temperature we can attain) in the system molybdenum-nitrogen is due to Mo₂N formation as an additional effect.

Similar experiments are presently being conducted on nitrogen implantation in niobium. In this system also compound formation is observed after room temperature implants accompanied by a T_c depression and no annealing effect so far (800 °C) has been observed.

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3.3. Enhancement of the Superconducting Transition Temperature by Ion Implantation in Molybdenum and Molybdenum-Rhenium Thin Film Alloys

M. Kraatz, O. Meyer, F. Ratzel and R. Smithey

Several preparation processes have been described to be suitable to increase the superconducting transition temperature T_c of molybdenum (T_c = 0.9 K) and Mo-based alloys.

T_c is raised:

- a) when the elements Tc, Re, Ru, Os, Rh, Ir, Pd, which have larger electron per atom ratios (e/a) than Mo, are dissolved in it and form crystalline alloys /1/.
- b) for vapor quenched Mo thin films and Mo-based alloys which are either amorphous or microcrystalline /2/.
- c) for ion beam deposited Mo thin films (produced by sputtering with an intense beam of inert gas ions) which are found to be crystalline, with a lattice parameter slightly larger than found for bulk Mo /3/.

The physical reason for the T_c increase is not clear and may be different for the various cases mentioned above.

Ion implantation is thought to be a suitable tool to study the superconducting properties in the transition region between the crystalline and amorphous state of materials and it will be shown that the substrate temperature during implantation is an important parameter in this respect.

Molybdenum films with thicknesses between 1500 and 4000 Å have been prepared by electron beam evaporation. The resistance of as evaporated Mo films has been measured routinely in dependence of the temperature and no T_c has been observed for temperatures above 1.2 K.

X-ray diffraction patterns from these films showed the Mo bcc-structure only, with grain sizes larger than 600 Å.

In a systematic study several ion species with different electronegativities and atomic radii have been implanted in Mo-films at liquid helium temperature. No increase in T_c above 1.7 K has been observed for the following systems: Mo-Na, Mo-Mg, Mo-Al, Mo-Ga, Mo-Ne, Mo-Xe. This result is in agreement with earlier measurements on Mo-films implanted at room temperature where we have shown /4/ that an increase in T_c is found only for ions having a larger electronegativity value than Mo. An increase in T_c up to 9.5 K with increasing concentration to about 15 % has been observed for the systems Mo-N (9.2 K), Mo-C (8.5 K), Mo-S (9.5 K), Mo-P (9.2 K). These values are several degrees higher than those observed for similar systems, produced by implantation at room temperature /4/.

For the light ions (N, C, B) the T_C dependence on concentration was found to vary only slightly with ion species, the maximum observed T_C -values for all systems was found to be about 9.3 ± 0.2 K and this value corresponds to the maximum T_C -value observed for amorphous Mo-Re alloys /2/. Electronegativity and atomic radii are found to have a strong influence on the T_C dependence on concentration as it is shown in Fig. 1 for the systems Mo-N, Mo-P, Mo-As, Mo-Sb. With decreasing electronegativity and increasing atomic radii T_C^{\max} decreases and larger concentration values are necessary in order to obtain similar T_C values. In contrast to the linear dependence of T_C on concentration as reported for Mo-based bulk alloys /5/ ion implanted systems reveal a superlinear behaviour. We assume that this step increase in T_C is due to microscopically distributed impurity atoms which form stable defect-impurity complexes. This complex formation seems to occur preferentially for atoms which have similar or larger electronegativity values than Mo.

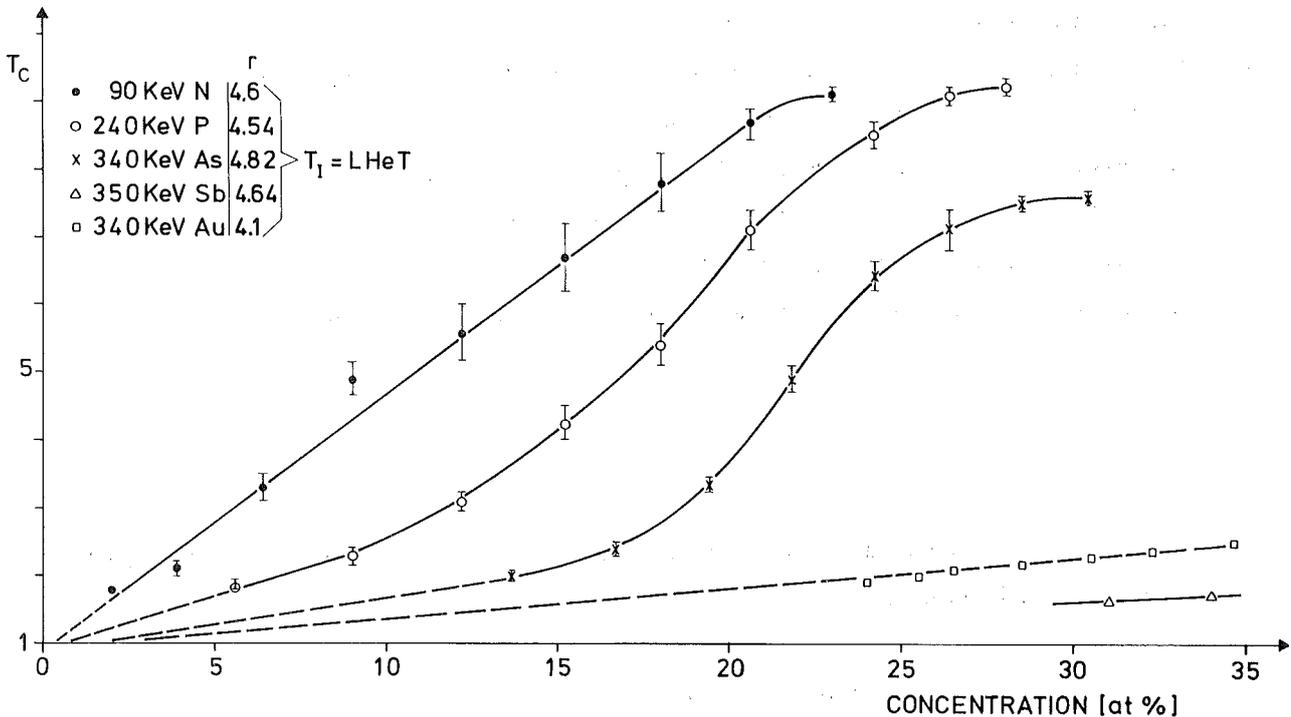


Fig. 1 Dependence of T_C on the concentration for some ion implanted Mo-based systems.

No new phases could be detected in the implanted layers. A single exception to this rule is the system Mo-N, which will be discussed in a separate contribution /6/. Further experiments are underway in order to clarify the metallurgical state of the implanted systems.

Further work has been conducted in order to find out if the T_c of ternary Re-based ion implanted systems could be raised above the value obtained for binary systems. $\text{Mo}_x\text{Re}_{1-x}$ alloys have been prepared by coevaporation on sapphire- and quartz substrates at room temperature. The layers revealed the bcc structure only and the T_c dependence ($1.2 \leq T_c \leq 10.5$ K) on the composition ($0.1 \leq x \leq 0.5$) was found to agree with the behaviour of bulk alloys. During evaporation on hot substrates (1000 °C) several not yet identified structures have been formed with a T_c of 15 K. Implantation of N^+ ions in alloy films with $x \lesssim 0.3$ was found to increase T_c up to 9.8 K whereas implantation in alloys films with $x \gtrsim 0.3$ did not effect T_c .

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3.4. Superconducting Transition Temperature in Ion Implanted Re-Based Systems

M. Kraatz, O. Meyer and R. Smithey

The T_c of Re is known to depend on the metallurgical history of the specimen and in cold worked samples T_c is raised about 1 K above the value of 1.7 K for a pure, strainfree sample /1/. Therefore we expected that radiation damage should increase the T_c of Re.

Re thin films have been produced by evaporation on quartz- and sapphire-substrates. Independent of the substrate temperature and the vacuum conditions during evaporation the Re films always revealed a T_C of 2.7 K, which is 1 degree higher than the bulk value similar to cold worked samples. In contrast to other transition metals such as V, Nb, Ta, and Mo radiation damage, produced by implantation of Ar ions, was found to increase T_C up to 4 K in the Re films.

Alloying effects on T_C have been observed for the following ion implanted Re-based systems: Re-Y (9 K), Re-La (7.8 K), Re-Zr (7.7 K) and Re-Ti (7.4 K). These results are found to be in agreement with Re-based bulk alloys where it is known that the addition of transition elements with smaller e/a values than Re will increase T_C up to 9 K. Implantation of non-transition elements in Re was found to increase T_C up to 8.2 K (Re-Li (7.2 K), Re-Be (7.3 K)). Further results obtained for the systems Re-N (5.5 K), Re-H (3.4 K), Re-Cs (4.3 K), Re-Mg (5.1 K) and specially Re-Ar (3.5 K) are thought to be due to the influence of radiation damage on T_C . The differences in T_C (~ 1 K) between RT and LHeT implants were found to be small and annealing to 800 °C did not affect T_C .

References

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3.5. Superconducting Transition Temperature of Ion Implanted Al and Pb Thin Films

M. Kraatz, O. Meyer and R. Smithey

In our previous work /1/ we have shown that for Al based alloys the dependence of T_C on composition is completely different from what is observed for similar implanted systems produced at RT. The conclusion was, that the implanted ions come to rest in a disturbed local environment and that local stresses might lead to a decrease in density followed by an increase in T_C . This work has been continued by ion implantation at LHe temperature in order to see if there are systems, where prevention

from precipitation and annealing will result in a further increase in T_c . In contrast to RT implants /1/ the largest increase in T_c has been found for the system Al-Ge (6 K). This T_c -value is in agreement with results obtained for vapour quenched Al-Ge systems /2/. After annealing to RT, T_c decreases to 3.5 K. An increase in T_c up to 4.5 K has been observed for vapour-quenched Al in H_2 -atmosphere /3/ and the authors assumed that this increase of T_c is due to hydrogen coating of granular Al. We implanted hydrogen ions in crystalline Al and observed an increase of T_c up to 5 K. Our result can not be explained by the assumption given above. For the system Al-Ca (3.5 K) T_c was found to be about twice the value observed for RT implants, whereas T_c -values for the systems Al-P (2.1 K) and Al-S (21. K) agree with those observed for RT implants. These results only partly fulfill our expectations and work is in progress to study some effects in more detail.

For Pb-films it is known that neither radiation damage nor gaseous impurities during co-evaporation will affect its T_c and this was thought to be a valuable starting condition to study alloying effects in Pb based ion implanted systems. The T_c dependence on the composition for bulk alloys of Pb_xAs_{1-x} , $0.97 \leq x \leq 1$ and Pb_xBi_{1-x} , $0.8 \leq x \leq 1$ levels off at T_c (max) = 8.4 K for $x = 0.97$, and 8.8 K for $x = 0.8$ respectively due to the approach of the solid solubility level /3/.

Ion implantation of As in Pb at liquid helium temperature was not found to affect the T_c of 7.2 K, however after annealing to RT T_c increases up to 8.5 K. We believe that As-defect complexes form after implantation at liquid helium temperature and that this defect complexes anneal out at RT so that the As atom will become substitutional. The implantation temperature seems to be an important parameter which will be subject of further investigations.

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3.6. Search for High Superconducting Transition Temperature in Nb_3Pb

T. Chakupurakal and O. Meyer

A Niobium-lead compound with an A15 phase does not form easily /1/ due to an unfavourable atomic size ratio and hence only few studies on this system exist. The present study was intended to investigate whether a Nb_3Pb compound does possess an A15 structure with a high transition temperature.

By vacuum evaporation and co-condensation method thin superconducting Nb_3Pb films were prepared on quartz and sapphire substrates. The substrate temperature (T_2) was varied from room temperature to $800^\circ C$ and the film thickness (t) ranged from 1000 \AA to 3000 \AA . The thickness was measured by a crystal oscillator and controlled by a stylus instrument. The compositional analysis and layer stoichiometry was determined by high energy $^4He^+$ backscattering techniques and structural analysis by X-ray diffraction. The transition temperature (T_c) was measured by the standard four probe resistive method, before and after annealing the samples.

In order to prepare thin films of various compositions at a fast rate, we designed and constructed a Four Fold Target Holder (FFTH) with substrate heating facilities. A schematic diagram is given in Fig. 1. Each of the four arms of the FFTH contains four or more substrates (S) mounted on it. By operating a push-pull rotating feed-through (F) the system can be turned 90° thereby bringing the adjacent arm in contact with the heating unit. The electron gun (EG) heats the Mo-plate (MP) and the substrate plate (SS) whose temperature is measured with a NiCr-Ni thermocouple, fixed to the arm of the base plate (BP). (MP) and (SS) are brought together by the spring (SP). To avoid friction a ball bearing (BB) is provided. (SS) is thermally well isolated from (BP).

The system has the definite advantage that in each cycle a number of films of the same material can be prepared at various evaporation rates, thicknesses, and substrate temperatures without disturbing the vacuum. Though during evaporation the vacuum in the chamber drops from 10^{-8} to 10^{-7} torr, the heat radiated from the evaporation process and from the

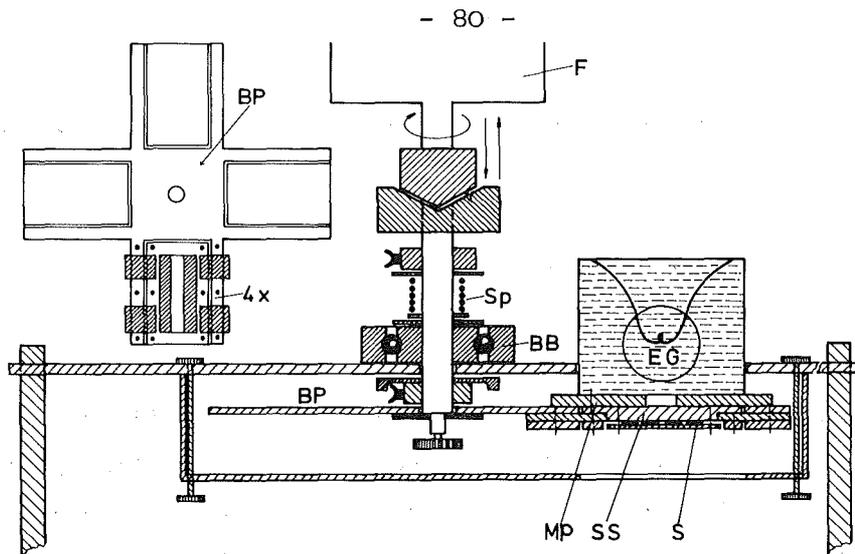


Fig. 1 Four Fold Target Holder (FFTM)

substrate heating unit will bake out the entire system for the subsequent evaporation and the vacuum improves rapidly. Before evaporating Nb_3Pb , the chamber was pre-evaporated with Pb/2/ to increase the probability that Pb atoms will stick to the substrate material along with the Nb atoms. While evaporating, the Nb to Pb ratio was maintained 3 : 1 to obtain nearly perfect A15 structure.

The layer composition was analysed with the backscattering technique and it was found that the Nb-Pb films consisted of Nb and Pb, almost in the 3 : 1 ratio. X-ray diffraction showed the existence of an A15 phase in this compound. The lattice constant was determined as $5.41 \pm 0.06 \text{ \AA}$.

Sample	rate of evaporation in $\text{\AA}/\text{sec}$	Substrate temperature $^{\circ}\text{C}$	Thickness \AA	T_c K
Nb_3Pb 10375	Nb 9 - 10 Pb 3 - 4	330	2100	6.1
Nb_3Pb 10475	Nb 9 - 10 Pb 3 - 4	400	2600	8.0
Nb_3Pb 25375	Nb 7 - 8 Pb 3 - 4	500	1500	8.1
Nb_3Pb 1475	Nb 4 - 5 Pb 1 - 2	600	1660	9.3

Table 1 Production parameters of the Nb-Pb films and their T_c -values.

In Nb_3Pb we observed T_c -values ranging from 1.5 K to 9.3 K. We were not able to correlate T_c directly with the A15 phase because in some films additional lines of pure Nb and Pb and even other phases were detected. Contrary to the expectation in literature /3/ we could not obtain the A15 structure with transition temperatures above 10 K. T_c is found to increase with substrate temperature (Table 1), however above 800°C we could not detect any T_c . Annealing the film did not improve T_c .

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3.7. Properties of Sputtered Vanadium Nitride Thin Films

B. Hofmann-Kraeft, F. Ratzel and R. Smithey

For studying the superconducting isotope effect of a refractory nitride we need samples with a high superconducting critical transition temperature (T_c) and a pure cubic phase. Vanadium nitride (VN) has a reported T_c of 8.5 - 9.2 K for the bulk /1/ and no other phase coexists in its cubic homogeneity range. So VN is a suitable substance.

We produced thin films of VN by reactive sputtering in an argon-nitrogen plasma. The substrate temperature T_s at the beginning of the sputtering process was varied between 20 °C and 700 °C.

We examined our films applying the following methods:

- (1) stylus instrument measurements for film thicknesses, e.g. deposition rates
- (2) the four-point probe resistance technique for the T_c values
- (3) scanning electron microscopy for the topography of the layer surface
- (4) Rutherford backscattering of 2 MeV $^4\text{He}^+$ -ions for the total concentration ratio Y (number of nitrogen atoms/number of Vanadium atoms)
- (5) X-ray measurements for the lattice constant a_0 .

The experiments reveal the following properties:

Film thicknesses vary between 2000 and 4000 Å according to the duration of the sputtering process and the Ar/N ratio in the plasma.

The dependence of T_c on the substrate temperature T_s is shown in Fig. 1. T_c increases with T_s and saturates for $T_s \geq 600$ °C at 9.0 - 9.2 K, in agreement with values reported for the bulk /1/. There is no difference

in T_c for layers deposited on quartz and sapphire substrates. For low T_s sputtering in pure nitrogen causes a depression of T_c by about 0.5 - 1 K. This may be caused by the lower deposition rate, which increases the impurity content of the layers. Generally the transition width is about one quarter of a degree.

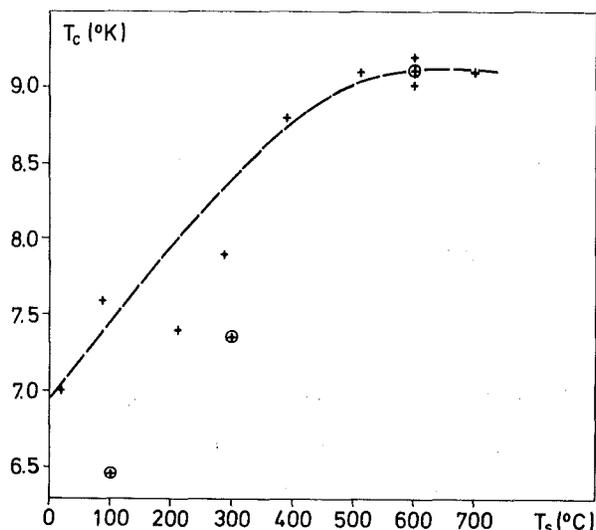


Fig. 1 Critical Temperature versus Substrate Temperature
(Plasma conditions:
+ : 2×10^{-2} Torr Argon +
 2×10^{-2} Torr Nitrogen;
⊕ no Argon, $\sim 3 \times 10^{-2}$ Torr Nitrogen).

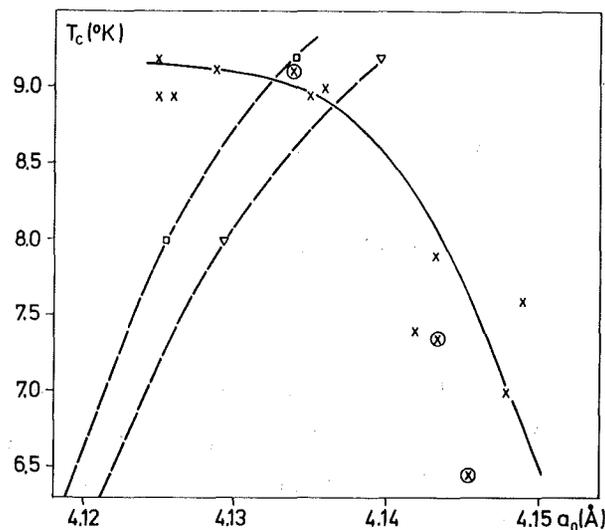


Fig. 2 Critical Temperature versus Mean Lattice Constant (x : VN thin films sputtered in Argon-Nitrogen, ⊕ : no argon; □ : Data from Hahn /3a/ and Toth /2/; ∇ : Data from Brauer /3b/ and Toth.

The layer surfaces show two different types of topography: For $T_s \leq 300$ °C the surface is rough, whereas for $T_s \geq 500$ °C the surface is smooth but cracked because of the different thermal expansion coefficients of quartz and VN.

In contrast to bulk VN /2/ T_c was found not to depend strongly on Y. This may be due to the fact that the polycrystalline films consist of crystallites of different Y and T_c . The resistance technique, however, only yields the highest T_c , and from backscattering measurements we get an averaged Y.

The X-ray diffraction scans indicate that all samples have a pure NaCl-structure. The Bragg peaks show a considerable line-broadening, corres-

ponding to a variation in the lattice constant a_0 of $\pm 0.3\%$. For $T_s > 500^\circ\text{C}$ and $T_c \sim 9\text{ K}$ the mean lattice constant a_0 is in agreement with data reported by Brauer /3b/ for nearly stoichiometric VN. Combining the data for a_0 (Y) from Hahn and Brauer /3/ with those for T_c (Y) from Toth /2/, we find, however, a deviating correlation between T_c and a_0 (Fig. 2). This supports our assumption that T_c is not constant over the whole layer. For $T_s \leq 300^\circ\text{C}$ the mean lattice constant a_0 is greater than 4.14 \AA . This expansion of the lattice is directly correlated with the reduction of T_c and is in contrast to all data reported for the bulk.

For further investigations we intend to apply the induction method for the determination of T_c . This will yield better information on the homogeneity of the layers and may allow to relate the different properties of the films more precisely.

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3.8. Enhanced Decrease of the Superconducting Transition Temperature in some Heavy Ion Irradiated Transition Metal Layers

M. Kraatz, G. Linker and R. Smithey

A decrease of the superconducting transition temperature T_c in transition metal superconductors, especially in niobium, has been already reported for neutron /1/, deuteron /2/ and oxygen /3/ irradiated samples and also

for cold-worked material /4/. The effects observed in these experiments were small and T_c -depression did not exceed a few percent. In contrast to these results bombardment with heavy ions in the energy range of several hundred keV leads to an enhanced reduction of T_c the maximum effects being comparable with results obtained for layers condensed onto cryogenic substrates.

The defect production method and first results obtained for heavy ion irradiated vanadium, niobium and tantalum layers have been already described /5/. Further experiments have been performed to correlate T_c -reductions with radiation damage and to study whether oxygen contamination and/or structural changes occur in bombarded layers. In addition irradiations at low temperatures have been started.

Vanadium layers were bombarded with different ions (He^+ , Ne^+ , Ar^+), and the energies deposited into nuclear collisions on the paths of the penetrating particles were calculated. The fluences for the various ion-energy systems were chosen in such a way that approximately the same energy densities were generated in the layers. The data together with the resulting depression of T_c , $-\Delta T_c$ are shown in a table.

Ion	Vanadium d in Å, Substrate	E_0 (keV)	Fluence (Ions/cm ²)	Deposited Energy eV/(Åcm ²)	$-\Delta T_c$
He ⁺	2000/Quartz	70	$4.7 \cdot 10^{17}$	$3.5 \cdot 10^{17}$	0.95
Ne ⁺	1100/Quartz	180	$2.0 \cdot 10^{16}$	$5.4 \cdot 10^{17}$	1.15
Ne ⁺	2000/Quartz	320	$2.9 \cdot 10^{16}$	$5.0 \cdot 10^{17}$	1.30
Ne ⁺	2000/SiO ₂ /Au/V/Au	320	$2.7 \cdot 10^{16}$	$4.9 \cdot 10^{17}$	1.20
Ar ⁺	1100/Quartz	320	$7.8 \cdot 10^{15}$	$4.6 \cdot 10^{17}$	1.10

Tab. 1 Properties of the irradiated layers

The scattering in the ΔT_c -values is not greater than that observed for irradiations performed under identical conditions and confirms our conclusion that the observed T_c -reduction are due to radiation damage.

It is well known that small amounts of oxygen interstitially dissolved in vanadium, niobium and tantalum considerably lower the transition temperature /6/. We have examined whether knock on oxygen atoms from oxide surface layers could influence our results. An estimation of the average transferred energy and the total cross section e.g. for Ne ions impinging on oxygen indicates that knock on atoms would be displaced mainly within an oxide layer itself. In addition, samples were prepared either on quartz substrates covered with a 100 Å thick gold layer or on single crystal silicon to avoid oxygen contamination from the substrates, and on top of these layers a thin (200 Å) gold protection film was evaporated in situ and irradiations were performed through this film. Layers protected in this way did not show oxide surface peaks in backscattering measurements but T_c depressions after bombardment agreed with results obtained from unprotected layers. Also XPS spectra were taken from bombarded and not bombarded samples as a function of depth employing the sputtering technique for removal of the gold protection films and parts of the superconducting layers. Though no quantitative analysis of oxygen content has been performed so far, no increase of the oxygen peak intensities has been observed in the bombarded layers. Thus we conclude that knock on oxygen atoms did not influence the T_c -depressions.

X-ray diffraction patterns from damaged layers usually showed the V, Nb or Ta bcc-structure and no distortions of this structure were observed when compared with measurements from as evaporated layers. Nb-samples irradiated with very high fluences ($> 2 \times 10^{17} \text{ Ne}^+/\text{cm}^2$) however showed structural changes (only the strongest reflexions were observed with considerable line broadening) together with unusual wide transition widths. Also backscattering measurements support the argument that inhomogeneous macroscopic distortions occurred in these layers. They may be due to discontinuous material removal during irradiations.

Preliminary experiments with bombardments of Nb layers with Ne ions have been performed at liquid helium temperature. The results from these experiments indicate that T_c -depressions are comparable to those obtained at room temperature and little annealing occurs from liquid helium to room temperature. Thus it may be concluded that the T_c reductions are due to defect clusters stable at room temperature. Further experiments are underway to clarify this issue.

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3.9. Electron-Optical Phonon Coupling in Superconductors

H. Rietschel

The role of the optical phonons in superconductors with different atomic masses M_K has been investigated. It has been shown that the electron mass enhancement factor λ is independent of M_K , but depends rather on the inverse force constant matrix. However, when using λ to calculate the superconducting transition temperature T_C , λ must be decomposed into its acoustical and optical contributions, which depend separately on M_K . This gives rise to a mass dependence of T_C which is different from the usual BCS-result.

Studying the interference scattering from a light and a heavy mass for a linear diatomic chain and within the free electron approximation, it is shown that a decomposition of λ in heavy and light mass contributions is generally impossible. Numerical results are presented for a rocksalt structure crystal with nearest and next nearest neighbour coupling. These results indicate that the optical phonon contribution to λ may substantially increase T_C . Within the model T_C turns out to be a weakly decreasing function of the decreasing light mass.

3.10. Preparation of TiC Single Crystals *

B. Scheerer, J. Fink and W. Reichardt

Abstract

TiC single crystals were prepared by vertical zone melting for measurements of the phonon dispersion by inelastic neutron scattering. The influence of the starting material and of the growing conditions on the growth of the crystals were studied. The crystals were characterized by chemical methods, EMX and neutron diffraction. It was possible to grow single crystals with a volume of up to 0.6 cm^3 and a mosaik spread of less than 0.4° .

* KFK Report 2139 (1975)

3.11. Die Zucht von NiMn-Einkristallen

B. Scheerer

Für Untersuchungen der Spindichteverteilung und Magnonendispersion durch Neutronenstreuung an NiMn-Legierungen werden Einkristalle mit einer Mosaikbreite $\leq 0.5^\circ$ benötigt.

Erster Versuch, Kristalle nach dem Czochralski-Verfahren aus der Schmelze zu ziehen, schlugen fehl. Die erhaltenen Proben waren durchweg polykristallin. Die weiteren Ziehversuche wurden nach dem Bridgman-Verfahren durchgeführt und es gelang, hinreichend große Einkristalle im Konzentrationsbereich 5 - 20 at. % Mn zu züchten.

Die Kristallziehanlage ist mit einem 40 KW, 250 KHz HF-Generator ausgestattet und erlaubt Arbeiten im Vakuum und unter Schutzgas bis 20 atü. Die NiMn-Ziehversuche wurden unter einer Argon-Schutzgasatmosphäre bei 760 Torr vorgenommen. Abb. 1 zeigt die Anordnung im Inneren der Anlage mit HF-Spule, Graphitrohr und wassergekühltem Kupferring. Die NiMn-Probe

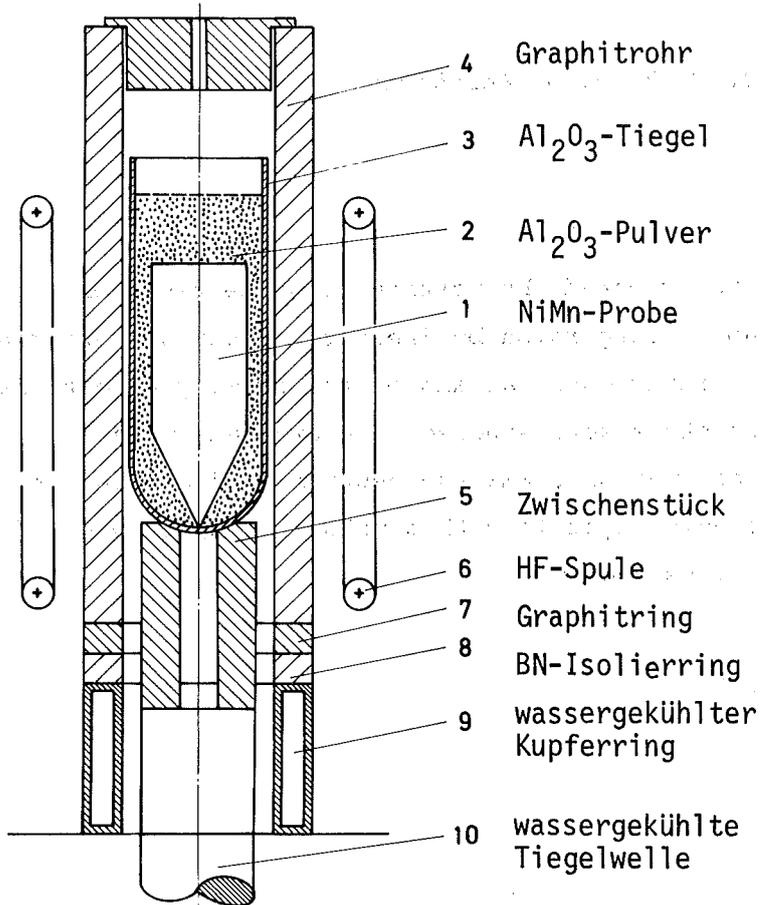


Abb. 1 Aufbau zur NiMn-Kristallzucht

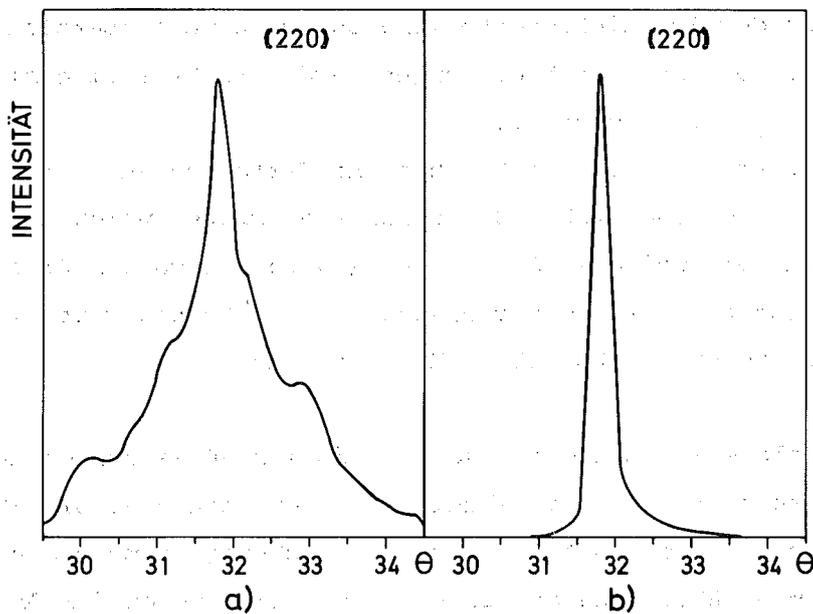


Abb. 2 Rockingkurve des Kristalls, a) vor und b) nach dem Tempern.

wurde im Tiegel in Al_2O_3 -Pulver eingebettet. Während des Ziehvorgangs war der Tiegel auf der wassergekühlten Tiegelwelle aufgesetzt und wurde mit einem Vorschub von 2 mm/h abgesenkt.

Photographische Aufnahmen des Kristalls im Neutronenstrahl und eine Rockingkurve (Abb. 2a) gaben Aufschluß über die Güte des gezüchteten Kristalls. Die gewonnenen Einkristalle hatten üblicherweise eine Mosaikbreite von 2 bis 4 Grad.

Durch Tempern knapp unterhalb des Schmelzpunktes gelang es in den meisten Fällen, die Breite der Mosaikverteilung wesentlich herabzusetzen (Abb. 2b).

Die Kristalle wuchsen mit der Ziehachse vorzugsweise in $[111]$ -Richtung. Die chemische Analyse, durchgeführt im Institut für Material- und Festkörperforschung (IMF), zeigte eine unterschiedlich starke Entmischung nahezu aller Kristalle, was entsprechend dem Phasendiagramm /1/ zu erwarten war. Orientierte einkristalline Scheiben wurden durch Funkenerosion aus dem Kristall herausgetrennt.

Die Zucht von NiMn-Einkristallen weiterer Konzentrationsbereiche wird fortgesetzt. Außerdem soll durch geeignete Maßnahmen versucht werden, Kristalle mit einer besseren Mn-Homogenität herzustellen.

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3.12. Herstellung von VC-Einkristallen

B. Scheerer

Ausgehend von gepreßten Stäben aus VC-Pulver mit einem Kohlenstoffanteil von $C_{\text{gesamt}} = 46.75 \text{ at. \%}$ und $C_{\text{frei}} = 0.21 \text{ at. \%}$ ($\text{VC}_{.870}$) wurden Einkristalle nach dem tiegelfreien Zonenziehverfahren hergestellt.

Es genügte ein einmaliges vertikales Zonenziehen der Stäbe unter einer Schutzgasatmosphäre von 10 atü Argon. Die geschmolzenen Proben hatten einen Durchmesser von ca. 10 mm und eine Länge von ca. 100 mm. Aus diesen Stäben wurden Einkristalle mit Volumina von ca. 1 cm^3 herausgesägt.

Für die Kristalle ergab die chemische Analyse die Werte von

$$C_{\text{gesamt}} = 46.6 \text{ at. \%} \text{ und } C_{\text{frei}} < 0.02 \text{ at. \% (VC}_{.873}\text{)}.$$

3.13. Preparation of the Linear Conductor $(\text{SN})_x$

L. Pintschovius

Recently $(\text{SN})_x$ has attracted considerable interest because it represents a new type of quasi one-dimensional conductors. As a first step S_4N_4 was synthesized following the method of Arnold, Hugill and Hutson /1/ by passing ammonia into S_2Cl_2 in CHCl_3 as diluent. S_4N_4 was isolated from the reaction mixture and purified by repeated recrystallizations.

In order to convert S_4N_4 into $(\text{SN})_x$ we have set up a device similar to that designed by Douillard /2/ (see fig. 1). It is shielded by two plates of plexiglas because of the explosiveness of the intermediate products. S_4N_4 is heated to 100°C under vacuum and the vapors are passed over silver wool held at a temperature of about 150°C . The silver acts as a catalyst for the splitting of S_4N_4 into S_2N_2 . Undecomposed S_4N_4 is trapped out at the lower part of a cold finger while at the upper part of the cold finger some S_2N_2 is deposited which soon polymerizes to $(\text{SN})_x$. By attaching a substrate to the cold finger it is possible to grow films of $(\text{SN})_x$.

The bulk of S_2N_2 is collected in a cold trap at liquid nitrogen temperature. When the cold trap is slowly warmed up small single crystals of $(\text{SN})_x$ grow by condensation and polymerization of S_2N_2 vapor.

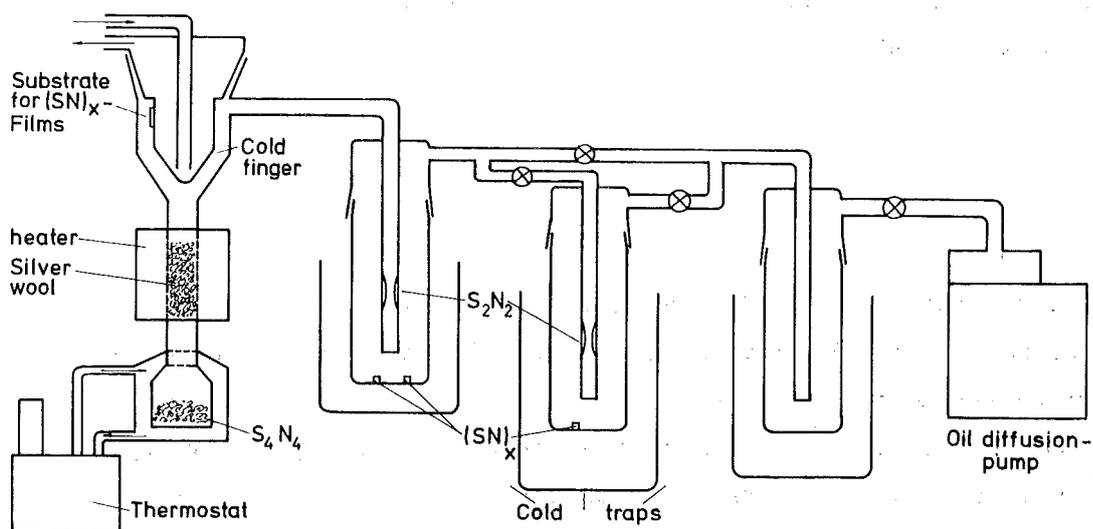


Fig. 1 Apparatus for preparation of $(SN)_x$ -crystals

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3.14. Optical Investigations of the Linear Conductor $(SN)_x$

L. Pintschovius

*H. P. Geserich and W. Möller, Institut für Angewandte Physik
University of Karlsruhe*

Films and single crystals of $(SN)_x$ were grown as described in the previous chapter. Up to now the crystals were too small ($\sim 1 \text{ mm}^3$) for neutron investigations but suitable for electrical and optical measurements. First results are published in a paper with the

following abstract:

L. Pintschovius, H. P. Geserich and W. Möller, Solid State Communications 17, 477 (1975)

Abstract

The optical reflectivity of (SN)_x single crystals was measured in the visible region and the near infrared with light polarized parallel and perpendicular to the polymer chain axis. Whereas the reflectivity for light polarized perpendicular to the chain axis is approximately constant in this region, the reflectance for light polarized parallel to the chain axis exhibits a pronounced plasma edge at 2.72 eV. A simple Drude model was used to analyse the data. Differences between these results and those of previous film measurements are discussed.

Further optical investigations are in progress in cooperation with the Institut für Angewandte Physik of the University of Karlsruhe and with the Max-Planck-Institut für Festkörperforschung at Stuttgart.

4. DATA PROCESSING

4.1 An Interactive Computer Graphics Approach for Determining the Pairpotential of a Liquid

W. Abel

Within the framework of the pair theory the pair potential $v(r)$ is related to the pair correlation function $g(r)$ and the triplet correlation function $g_3(r,s,t)$ by

$$\frac{\partial}{\partial r} \left[\ln g(r) + \frac{v(r)}{kT} \right] = \frac{\pi\rho}{r^2} \int_0^{\infty} \frac{1}{kT} \frac{\partial v(s)}{\partial s} ds \int_{|r-s|}^{r+s} \frac{g_3(r,s,t)}{g(r)} (t^2 - r^2 - s^2) t dt \quad (1)$$

where r,s,t are the relative distances between three particles. In order to determine an "experimental" $v(r)$ by means of eq. (1) it is necessary to separate $g_3(r,s,t)$ as follows /1/

$$g_3(r,s,t) = g(r)g(s)g(t) - \gamma(r)\gamma(s)\gamma(t) \quad (2)$$

$\gamma(r)$ can be obtained by measuring the pressure derivative of $g(r)$. Since $v(r)$ is very sensitive to variations in $\gamma(r)$, it is helpful to use an interactive computer graphic method in studying how the variations in $\gamma(r)$ (within the experimental error bars) are reflected in $v(r)$. For this purpose an on-line manual iteration technique has been developed using interactive graphical computing with an IBM/2250-1 display unit connected to an IBM/370-168 computer. The provision of facilities allowing the user to interact with the program via light pen or function keyboard has the distinct advantage over the conventional batch-processing computational method that a user can quickly obtain an insight into the behaviour of the computed results which are essentially graphic rather than numeric. By modifying the function $\gamma(r)$ on the screen with a light pen the user can observe the influence of his action on the potential $v(r)$. Furthermore, the user can also investigate how the integrals in eq. (1) are

affected by changing the shape of $\gamma(r)$. Several iteration steps can be compared so that the user can observe whether the process converges or not.

The interactive graphic program will be used to study the pair potential of liquid rubidium /2/.

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4.2 A System of FORTRAN-4-Routines for the Calculation of Phonon Density of States from measured TOF-Spectra of Polycrystals

J.-B. Suck and W. Reichardt

Starting from the TOF-spectra or scattering laws given by TIFLIS /1/ a system of programs was written for the determination of the phonon density of states. For coherent scatterers the incoherent approximation is used in the multi-phonon corrections.

In a first step the TOF-spectra or scattering laws are converted to double differential cross-sections, because only these may be added to a full data set, if separate measurements were made in different regions of scattering angles. Before all spectra are summed over the scattering angles θ to a weighted ($\sin \theta$) sum-spectrum, some corrections - including the optional removal of the Debye-Waller-factor - may be applied to each of the spectra. From this sum-spectrum $S_o(E)$ a zeroeth order frequency distribution is calculated according to eq. (1)

$$G(\hbar\omega) = S_o(E) e^{\alpha\lambda} \frac{4\pi}{\sigma} \frac{k_o}{k} \frac{2M}{\hbar^2} \frac{\hbar\omega(e^{\beta}-1)}{\sin\theta_m \sin\theta_h (k_o^2 + k^2 - 2k_o k \cos\theta_m \cos\theta_h)} \quad (1)$$

$\theta_m = (\theta_{\max} + \theta_{\min})/2$, $\theta_h = (\theta_{\max} - \theta_{\min})/2$ while the other symbols have their usual meaning.

In a second step multi-phonon corrections may be applied to the data.

a) MEPHOK:

In the first program the correction is done by a quotient method and numerical integration of the correction factor over all scattering angles. (This routine is based on a program used by Salgado /3/).

Starting from eq. (1) as a first approximation the incoherent double differential cross-section is calculated up to the eighth multiphonon term of the phonon expansion (e.g. /4/) for each detector and time-channel of the experiment. These spectra are summed up as was done with the experimental spectra. The correction factor $C(E)$ then is the ratio of the experimental to the calculated sum-spectrum. The one-phonon term of the calculated sum-spectrum is multiplied by the correction factor and a second $G(h\omega)$ is obtained using this new sum-spectrum $S_1(E)$ instead of $S_0(E)$ in eq. (1). This is the frequency distribution for the next iteration step.

b) MUPHOCOR:

In the second routine the integration of the cross-section over the range of scattering angles covered by the experiment is calculated analytically including the Debye-Waller-factor. The correction is done by subtracting the calculated multi-phonon part of the spectrum from $G(h\omega)$, which is normalized in each iteration step. Raw data, a weighted sum-spectrum, or a zeroeth $G(h\omega)$ may be used as input. Compared to MEPHOC the iteration process converges faster in most cases.

The consistency of the two programs was tested with simulated and experimental spectra /5/. The results of the two methods are in excellent agreement.

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4.3. Computer Programs A7-FIT and HCPFIT

W. Reichardt

A7-FIT is a least squares fit program to determine the force constants of a Born von Kármán model for the A7-structure from experimental phonon frequencies of arbitrary wavevector. Up to the ninth neighbour either axially symmetric or general forces can be assumed for each shell individually. Beyond this limit only axially symmetric forces are possible.

The main problem with the use of such a general program concerns the correct assignment of the measured frequencies to the six eigenvalues of the dynamical matrix. So far no foolproof solution to this problem has been found. By using various input code numbers for each q-value the eigenvalues of the dynamical matrix are arranged in certain orders and the input frequencies have to be arranged accordingly. Aspects according to which this ordering is done are for instance: magnitude of phonon frequencies - main direction of polarisation - magnitude of the dynamical structure factor.

Through minor modifications the program has been adapted to hcp-lattices (program HCPFIT). In this case the choice between axially symmetric and tensor forces is restricted to the five nearest neighbours.

4.4. Programm zur 3-dimensionalen Darstellung von Vektoren

R. Moser

Um das Magnetfeld einer spiralförmigen Spule anschaulich darstellen zu können, wurde ein Programm erstellt, das jeden Vektor \vec{p} des Magnetfeldes auf die x, y -Ebene projiziert.

Die Spule soll zu induktiven T_c -Messungen benutzt werden. An Hand der Darstellung des Magnetfeldes soll bestimmt werden, welcher Bereich der Spule für die Messung ausgenutzt werden kann.

Die Aufpunkte der Vektoren waren in Polarkoordinaten $P(r_p, \phi)$, die Endpunkte in kartesischen Koordinaten $P_1(\xi, \eta, \zeta)$ bezüglich des Aufpunktes gegeben.

Das Programm rechnet zunächst unter Berücksichtigung eines gegebenen Blickwinkels β die Polarkoordinaten in kartesische Koordinaten um:

$$P(r_p, \phi) \rightarrow P'(x', y') \text{ mit } x' = r_p \cdot \cos\phi, y' = r_p \cdot \sin\phi \cdot \cos\beta$$

Anschließend werden die Koordinaten des Endpunktes in x, y -Koordinaten bezüglich des Nullpunktes der Ebene konvertiert:

$$P_1(\xi, \eta, \zeta) \rightarrow P'_1(x'_1, y'_1) \text{ mit } x'_1 = x' + \xi$$
$$y'_1 = y' + \eta \cdot \cos\beta + \zeta \cdot \sin\beta$$

Jeder Vektor $\vec{p} = \overrightarrow{PP_1}$ des Magnetfeldes wird nun als Verbindungslinie $\overrightarrow{P'_1P_1}$ geplottet.

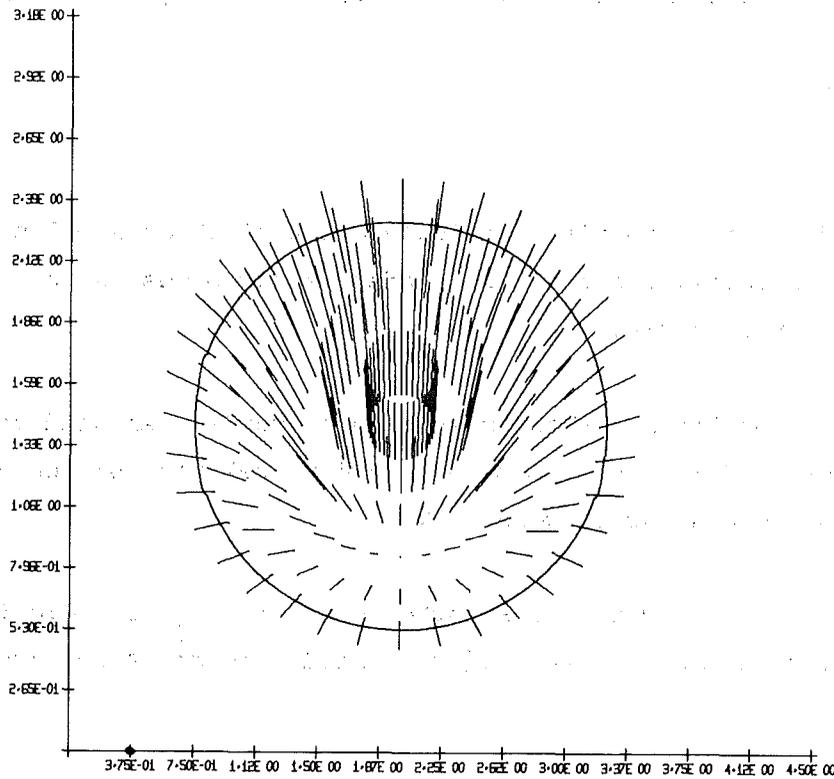


Fig. 1 Magnetfeld einer spiralförmigen Spule

4.5. Zeichnungserstellung von Leiterbahnen für elektronische Schaltungen

R. Moser

Multiwire ist ein Verdrahtungskonzept, das es ermöglicht, schnell vom Entwurf ohne Umwege über eine Druckvorlage zu Fertigungsmustern zu gelangen. Da mit isoliertem Draht auf beschichtetes Basismaterial "geschrieben" wird, sind Leiter-Kreuzungen zulässig. Zur Herstellung von Multiwire-Schaltungen wird eine Rasterskizze bzw. eine Netzliste benötigt, aus der die Punkte hervorgehen, die miteinander verbunden werden sollen.

Zur Erstellung des Layout wurde ein Programm entwickelt, das für vorgesehene Anfangs- und Endpunkte die zugehörigen Leiterbahnenführungen sucht.

Das Programm arbeitet mit 2 Matrizen des Typs Integer*2. Die erste Matrix dient zum Auffinden von möglichen Wegen, in die zweite werden die endgültigen, gegebenenfalls abgekürzten Wege eingetragen. In der Ausgabe treten nur die endgültigen Wege in Form einer Liste der Koordinaten von Anfangs- und Endpunkten sowie aller Knickpunkte auf.

Zunächst wird geprüft, ob alle vorgesehenen Positionen für die gewünschten IC-Gruppen frei sind.

Beim Aufsuchen der Verbindungslinien versucht das Programm, eine Linie möglichst lang in eine Richtung zu ziehen. Bei einer Richtungsänderung werden die Koordinaten des Knickpunktes festgehalten. Daraus ergibt sich jeder Weg als eine Serie von Knickpunktkoordinaten. Wurde ein gültiger Weg gefunden, so wird untersucht, ob dieser bezüglich der Knickpunkte optimiert werden kann, Umwege werden durch Streichen überflüssiger Koordinaten abgekürzt.

Die Koordinaten des endgültigen Weges werden punktweise geplottet und durch gerade Linien verbunden. Außerdem wird eine Druckerliste mit allen Knickpunkten erstellt. Des Weiteren ist vorgesehen, die Liste der Koordinaten auf NC-Lochstreifen auszugeben.

4.6. A Universal Microprogrammed Interface for "Spectra-" and "List"-Experiments with Memory-Switch for the NOVA2

G. Ehret and H. Hanak

The 32 K memory limit of the minicomputers is a serious problem for multi-detector multichannel experiments. Within this memory frame only 16 K - 20 K may be used for spectra totalization. More elaborate operating systems further decrease the available space down to less than 5 K. This is often intolerably small.

Commercially available memory switching units have an absolute upper limit of 32 K, which was decided to be too small and too fixed. Therefore we had

to design a memory switch ourselves. This memory switch is able to have the program running in 32 K memory space and to assign automatically data buffer (including spectra totalization) in additional memory space. At present 64 K for data buffer is a threshold given by the 16 bit paths and the size of a computer frame. The memory switch is able implicitly to be shared by several data channel devices, like magnetic tape, display, digital input etc. The digital input may be working in list mode or in spectra (add "1") mode.

We decided to combine a digital interface plus memory switch on one standard 15 x 15 NOVA-card.

Optimizing in electronic components, microprogramming and pin assignment leads to the following interface for the experimenter:

a) Spectra (add "1") Mode:

3 separate input each with its own hardware range checking. The number of inputs and their range limits are selectable by the software. Each input may have 16 bits. The size of the memory limits the total number of bits.

b) List Mode:

96 data bits as input, selectable in various combinations of 16 and 32 bits by the software.

The two modes of operation are also selectable under program control and are mutually exclusive. One NOVA2 may house two different interface cards with full software support under BASIC.

4.7. "Scaler" Experiments with a NOVA2 Computer

H. Hanak and G. Ehret

The central processing unit (CPU) of the NOVA2 Computer has been modified in order to install an additional mode of direct memory access (DMA). By reorganization and extension of the internal micro-program the CPU now

manages besides the three standard DMA-modes

- | | |
|--|--|
| 1. Input to memory | |
| 2. Output from memory | } List mode |
| 3. Increment memory (add one) | Multichannelanalyser mode, an additional DMA mode: |
| 4. Add to memory (add any 16 bit quantity) | Multicounter } mode |
| | Multiscaler } |

This new mode allows the NOVA2 to be used in "counter" experiments. From the point of view of data acquisition "counter" experiments are those experiments whose counting rates are too high for the add-one mode. With the new DMA-mode external precounters may be read-out with DMA-speed, either periodically or triggered by an external signal.

4.8. MIDAS II at the FR2 is Working

G. Ehret, H. Hanak and H. Richelsen

The first stage of the new central data handling system MIDAS II at the reactor FR2 is operational. A NOVA2 system with 5 MByte disc space has been coupled with the ASSTRO-System using the 4038 multicomputer-communication-adapter. The software of the ASSTRO-NOVA-Computer has been upgraded to a three-user-configuration. These users are the old CDC-MIDAS, the RING-I/O-system and the new MIDAS II (Fig. 1). Depending on the expected load of the system the operation program may be reconfigured to run in an 8 K or 16 K memory environment.

The new MIDAS II is running under the REAL Time Disk Operation System (RDOS) of Data General. User programming is done in the Extended BASIC-Language with file capability. There exists on the discs one common library read-accessible to all users, and several specific libraries, one for each user. The libraries may be used for storing programs and spectra.

Visualisation of the spectra directly read from the ASSTRO System or evaluated during data reduction processes will be shortly possible with TV-Display. The driver has been incorporated into RDOS.

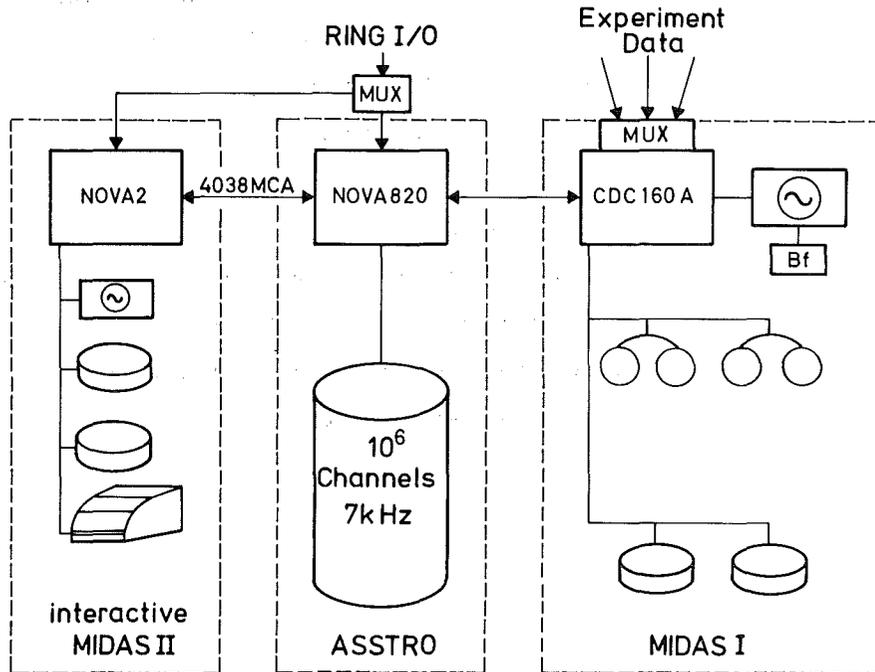


Fig. 1 MIDAS Configuration 1975

5. DEVELOPMENT OF MEASURING DEVICES AND TECHNIQUES

5.1. Steuereinheit für Spektrometer

N. Nücker

Für das Drehkristallspektrometer IN4 am HFR Grenoble und für zwei Dreiachsenspektrometer am FR2 Karlsruhe wurden Steuereinheiten zum Antrieb von Motoren, Auslesen von Kodierern, Zählern etc. erstellt. Bei allen drei Geräten waren ähnliche Voraussetzungen zu erfüllen: sie sollten zunächst ohne Rechner zum Einsatz kommen, aber bereits alle Elemente zum Rechneranschluß besitzen. Die Geräte enthalten:

1. Eingabeeinheit mit digitalen Vorwahlschaltern, Adressenabhandlung und einem Binär zu BCD Wandler für 16 bit Datenwörter von einem Rechner.
2. Bis zu 12 Schrittmotorantriebe. Alle Schrittmotore werden langsam angefahren, um ein Verschlucken von Schritten zu vermeiden. Bei Teilen mit großem Trägheitsmoment, wie z.B. einem Analysatorarm, werden die Schrittmotore außerdem vor dem Anhalten langsam abgebremst.
3. Positionsregister für die Drehgeber mit Codewandlern. Wir haben an die Schrittmotore Winkelgeber mit 3.6° Auflösung angeflanscht und erzielen durch die nachfolgende mechanische Untersetzung eine Winkelauflösung von 0.01° .
4. Eine Phasenregelung für den phasenstarken Antrieb zweier Synchronmotore (nur für IN4) /1/.
5. 7-stellige Zähler, wovon einer mit Pulszahlvorwahl betrieben werden kann.

6. Multiplexer für den Anschluß externer Geräte, wie z.B. Digitalvoltmeter und Leser von Endschalterstellungen.
7. Ausgabeneinheit mit Ziffernanzeige, Adressenabhandlung und einem BCD zu Binär-Wandler.

Die Leistungsstufen für die Schrittmotoransteuerungen befinden sich mit dem dazu nötigen Netzteil (ca. 70 A bei 12 V) in einem gesonderten Gehäuse. Um die Erwärmung der Schrittmotore gering zu halten, werden sie mit geringerer Spannung versorgt, solange sie nicht laufen.

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5.2. Fermi - Chopper für hohe Drehzahlen

K. Weber

Zur Untersuchung der elastisch diffusen Neutronenstreuung wurde ein Fermi-Chopper mit relativ schlechter Zeitauflösung und kurzem Pulsabstand benötigt, um den größten Teil der an der Probe unelastisch gestreuten Neutronen sowie die in höherer Ordnung vom Monochromator reflektierten Neutronen separieren zu können.

Die bisher von uns gebauten Chopper hatten eine höchstzulässige Drehzahl von 15000 min^{-1} . Der weiterentwickelte Chopper (Abb. 1) läuft im Dauerbetrieb mit 24000 min^{-1} . Dieses Ergebnis wurde durch folgende Verbesserungen erreicht:

Rotor, Antriebsläufer, Stator und Lüfter sind nach dem Baukastenprinzip zusammengesteckt und verschraubt. Dadurch entsteht eine servicefreundliche Kompaktversion mit minimalen Bauteilen. Durch die Einsparung von zwei Motorkugellagern, einer elastischen Kupplung und des motor-eigenen Lüfters konnte die Verlustleistung sehr stark reduziert werden. Aus diesem Grunde reichte auch die bisher verwendete Motoransteuereinheit mit $3 \times 200 \text{ VA}$ für diese hohen Drehzahlen aus.

Daten: Fermi-Chopper

System:	Mehrfachschlitzsystem mit geraden Schlitzen
eff. Strahlfläche:	Höhe 7,9 cm x Breite 3.97 cm = 31.4 cm ²
Kollimatoreinsatz:	34 beiseitig vernickelte und verkadmete Al _{99.5} ⁻ Bleche mit Araldit zu einem Paket zusammengeklebt.
Kollimatorblechgröße:	Höhe 85 mm, Länge 9.12 mm, Dicke ges. 1.14 mm (1 mm Al, 2 x 0.01 Ni, 2 x 0.06 Cd)
Winkeldivergenz:	6.5 °
Pulshalbwertsbreite:	44.44 µs
Pulsabstand:	1.24 ms
Drehzahl:	24 000 U/min
Rotordurchmesser:	7.5 cm
Rotorlänge:	10.5 cm
Rotormaterial:	St. 60, mit 0.4 mm starkem Gadoliniumblech ausgekleidet
Rotorlagerung:	je 1 Schleifspindel-Kugellager S 6002 Hg TB und S 6004 HgTB, (Fa. Müller, Nürnberg)
Kugellagerölung:	Balgöler (Eigenbau)
Chopperantrieb:	An den Chopperrotor direkt angeschraubter Läufer aus V2A mit der Hülse eines Elinco-Hysteresis-Synchronmotors. Stator auf ein Polpaar umgewickelt.
Motoransteuereinheit:	3 Verstärker à 200 VA (Fa. Elgar) Spannung 56 V, max. Motorstrom 3.6 A
Motorkühlung:	Durch angeflanschten Axiallüfter (Fa. Papst)

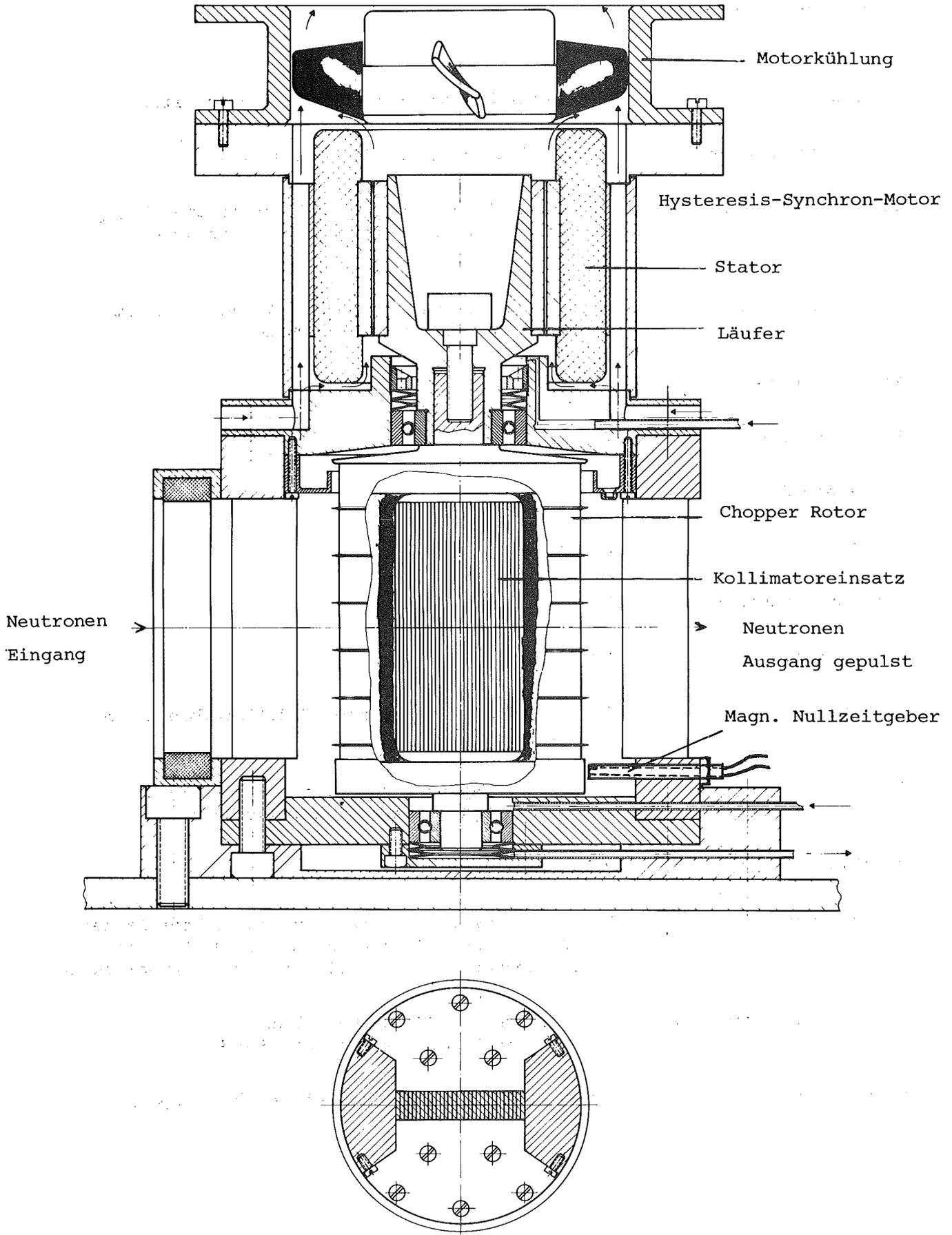


Fig. 1 Fermi-Chopper für hohe Drehzahlen

5.3. Development of Electronic Implements

H. Klann

Zero-Time trigger

This unit serves as a zero-time transmitter of signals from rotating crystals or choppers needed to trigger time-of-flight units. Magnetic record playback heads and pick-up's are presently in use. They are used in a current source mode. First incoming signals are analysed with respect to their shape and sequence, then output pulses are generated after zero cross detection. Ripple and noise ratio may rise up to 0.5 of the signal. It is also possible to use photo-diodes and -transistors instead of magnetic pick-up's. Then the treshhold is automatically set at half the hight of the signal.

Trigger doubler

This unit generates a second trigger pulse with a phase displacement angle of 180° . It is used for choppers or rotating crystals producing two bursts of neutrons per one magnetic pick-up signal. The resolution error is 100 ns. This device is also suitable for all those applications in which frequency doubling up to 5 Mc is desired.

5.4. Kleingoniometer

K. Weber

Messungen der Phononendispersion scheitern of an zu kleinen Einkristallproben. Es wurde daher ein Gerät benötigt, das es ermöglicht, mehrere kleine Einkristalle zu einer für die Messung notwendigen Probengröße zusammensetzen. Hierbei wird die Forderung gestellt, daß jeder Kristall individuell über zwei Kippbewegungen und eine Drehbewegung genau justierbar ist.

Bei der hier beschriebenen Vorrichtung werden die Kippbewegungen durch Kleingoniometer realisiert, die durch Kugellager spielfrei an einer Grundplatte befestigt sind (Abb. 1). Diese Grundplatte wird auf einen großen Goniometerkopf aufgesetzt, mit dem der zentrale Kristall justiert werden kann. Das Kleingoniometer besteht aus zwei um 90° verdreht übereinandergesetzten Kippeinrichtungen mit je $\pm 5^\circ$ Kippbereich. Zusätzliche Kreuztische ermöglichen eine optimale Probenplatzierung.

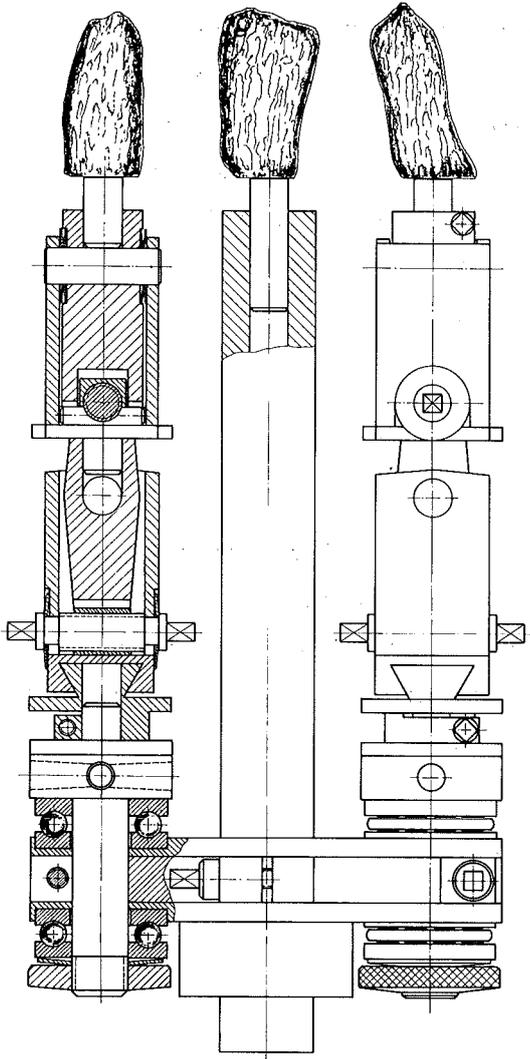


Fig. 1 Kleingoniometer

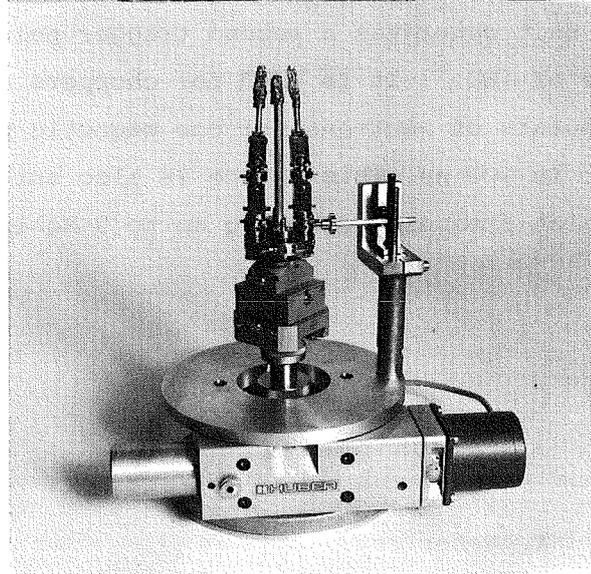
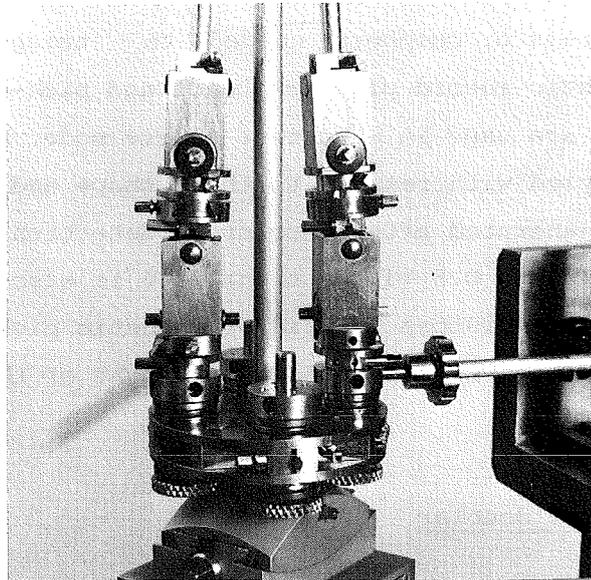


Fig. 2 a, b Kleingoniometer mit Drehtisch

Die Drehbewegung wird von einem Präzisionsdrehtisch (Genauigkeit $1/100$ Grad) durch eine Mitnahmestange auf das Kleingoniometer übertragen (Abb. 2a und b). Nach der Justierung wird das Kleingoniometer durch eine Klemmvorrichtung an der Grundplatte arretiert und die Mitnahmestange entfernt.

Da die Meßprobleme sehr unterschiedlich sind, wurde auf große Variationsmöglichkeit des Gerätes geachtet (Baukastenprinzip). Die in den Abbildungen gezeigte Version gestattet die unabhängige Justierung von maximal 5 Kristallen.

5.5 Einsatz eines CLOSED CYCLE REFRIGERATORS für Neutronenbeugungsmessungen an Einkristallen bei tiefen Temperaturen

G. Heger

S. Massing, RBT/FR2

Um bei tiefen Temperaturen Neutronenbeugungsmessungen an Einkristallen durchführen zu können, wurde ein Displex Split-Cycle Refrigerator (Modell CS-1003) /1/ in die große Eulerwiege (Innen- \varnothing 56 cm) des Vierkreisdiffraktometers P32/FR2 eingebaut (Abb. 1). Es wurde gezeigt, daß bei diesen kalten Messungen der zu untersuchende Kristall alle Orientierungen einnehmen kann; seine Kühlung ist unabhängig von den verschiedenen Orientierungen gewährleistet. Es wurde eine minimale Temperatur von 31 ± 1 K erreicht. Der problemlose Langzeiteinsatz des Kühlsystems konnte bisher durch drei komplette Strukturbestimmungen gezeigt werden ($K_2Pt(CN)_4Br_3 \cdot 3D_2O$ bei 31.5 und 73.5 K und $(CH_3NH_3)_2MnCl_4$ bei 190 K).

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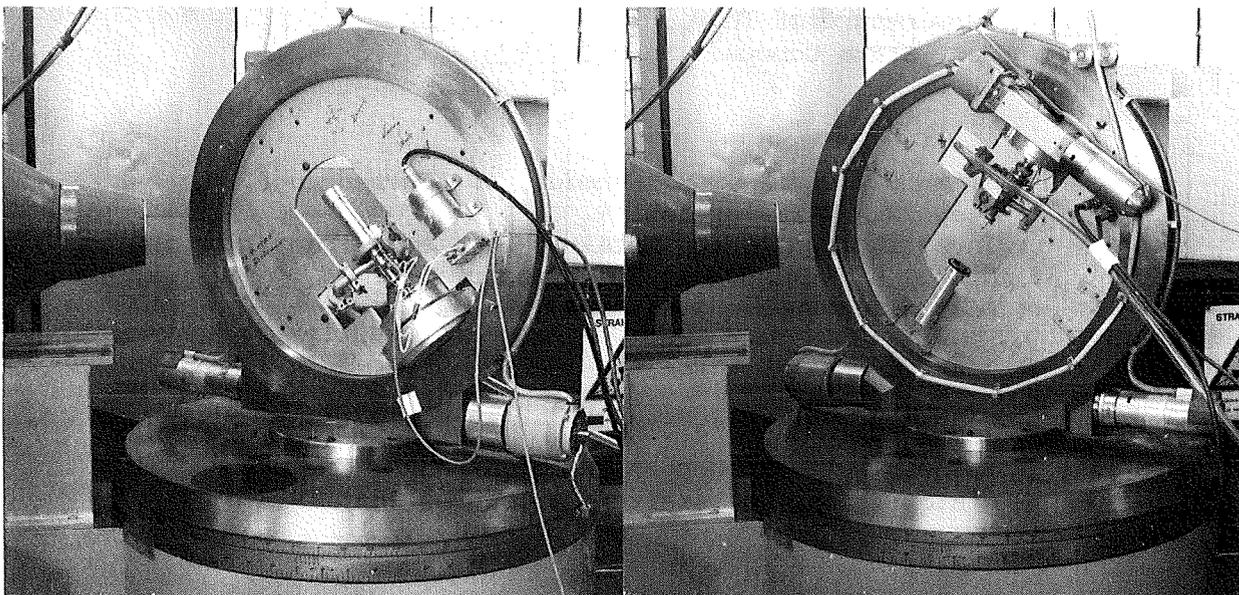


Abb. 1 Vierkreisdiffraktometer P32:FR2 mit eingebautem Kühlsystem

(a) Ansicht des betriebsbereiten Aufbaus Diffraktometerwinkel: ω_a ; χ_a ; ρ_a

(b) Ansicht mit geöffnetem Probenraum

Diffraktometerwinkel: $\omega_b \approx \omega_a + 180^\circ$; $\chi_b \approx \chi_a + 90^\circ$; $\rho_b \approx \rho_a$

6. P U B L I C A T I O N S , C O N F E R E N C E
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7. LIST OF THE NEUTRON SPECTROMETERS AT THE FR2 AT KARLSRUHE

- DIF 1 : Four circle diffractometer, $\lambda = 1.035 \text{ \AA}$
- DIF 2 : Two circle diffractometer, $1 \text{ \AA} \leq \lambda < 2.6 \text{ \AA}$
- DIF 3 : Powder diffractometer, $\lambda = 1.28 \text{ \AA}$ or 1.09 \AA
- DIF 4 : Two circle diffractometer, $\lambda \geq 4 \text{ \AA}$ (cold neutrons)
- TAS 1 : Three-axis spectrometer, $13 \text{ meV} \leq E_0 \leq 120 \text{ meV}$
- TAS 2 : Three-axis spectrometer, $8 \text{ meV} \leq E_0 < 65 \text{ meV}$
- TOF 1 : Time of-flight spectrometer with Fermi-Chopper, 100 detectors, thermal neutrons
- TOF 2 : Time of-flight spectrometer with rotating crystal, 100 detectors, cold neutrons
- TOF 3 : Time of-flight spectrometer with Fermi-Chopper, 10 detectors, thermal neutrons
- TOF 4 : Time of-flight spectrometer with rotating crystal. 6 detectors, cold neutrons
- MAG 1 : Spectrometer for diffuse scattering, 20 detectors, thermal neutrons
- MAG 2 : Multipurpose spectrometer, 20 detectors, cold neutrons.

8. STAFF MEMBERS

Head of Institute: Prof. Dr. W. Gläser⁺

Professional Staff

Blanckenhagen, P. von	Mehringer, W.	Schneider, E.
Czjzek, G.	Meyer, O.	Schmidt, H.
Fink, J.	Nücker, N.	Schommers, W.
Geerk, J.	Pintschovius, L.	Schweiß, P.
Gompf, F.	Reichardt, W.	Suck, J.-B.
Heger, G.	Renker, B.	
Linker, G.	Rietschel, H.	

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Ehret, G. ⁺⁺	Kraatz, M.	Scheerer, B.	
Hanak, H. ⁺⁺	Ratzel, F.	Smithey, R.	

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Chakupurakal, T. India

Ruebenbauer, K., Guest from Institute of Physics, Krakow

Research Students

Block, R., Universität Karlsruhe

Hofmann, B., Universität Karlsruhe

Hofmann-Kraeft, B., Universität Karlsruhe

Langguth, K.-G., Universität Karlsruhe

Ziemann, P., Universität Karlsruhe

⁺ now at Universität Munich

⁺⁺ Member of infrastructure